

Semantics in Space: Traditional semantic maps and Graph Theory

Natalia Levshina © 2017

Semantic maps

- Represent a convenient tool for comparison of semantic and pragmatic functions across languages
- Based on different kinds of data: grammars and typological databases, parallel corpora and experimental data

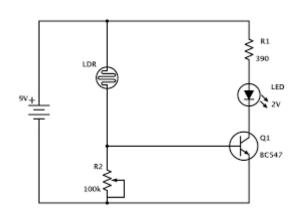
Main types of semantic maps

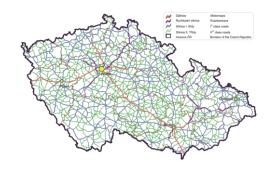
- Connectivity maps, with meanings as nodes (vertices) and links (edges) between them. Such maps are called graphs.
 - Undirected vs. directed (e.g. diachrony)
 - Weighted vs. unweighted
- Probabilistic maps, with distances between objects (e.g. examples from a parallel corpus or stimuli in an experiment)

Graphs are everywhere!

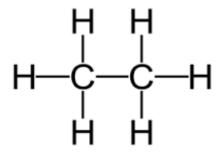






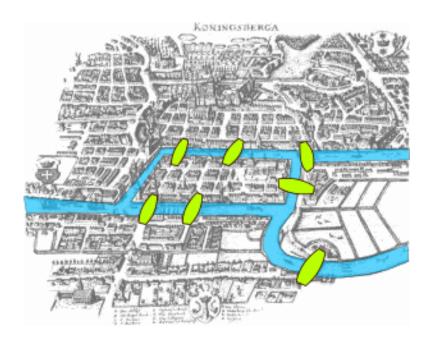






Seven bridges of Königsberg

 Devise a walk through the city that would cross each of the bridges once, and only once.



Graph Theory

• Leonhard Euler (1707 - 1783)



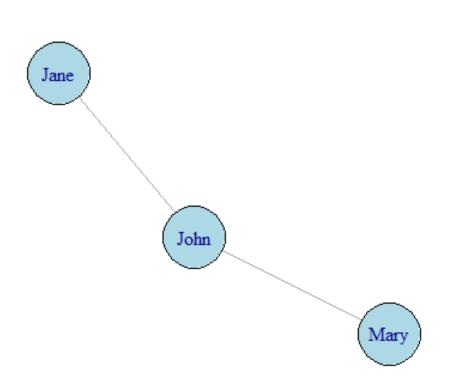
Main types of graphs

- Undirected
- Directed

- Unweighted
- Weighted

Undirected graphs: marriage

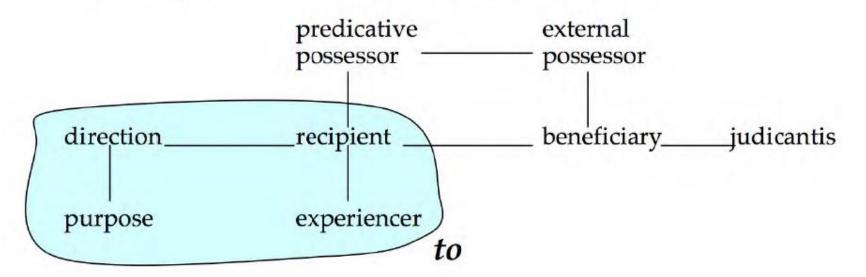
- Mary is John's ex-wife.
- John and Jane are married.
- Peter is single.





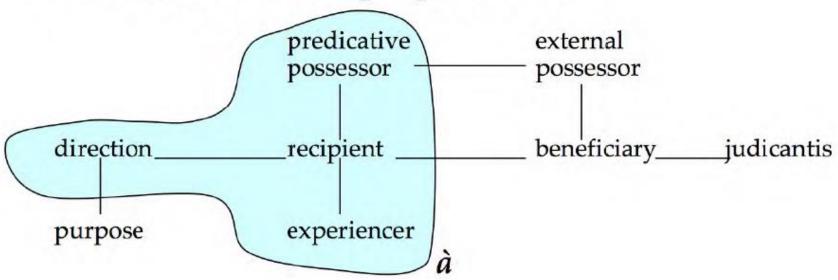
Haspelmath 2003: Datives

the English Dative preposition to



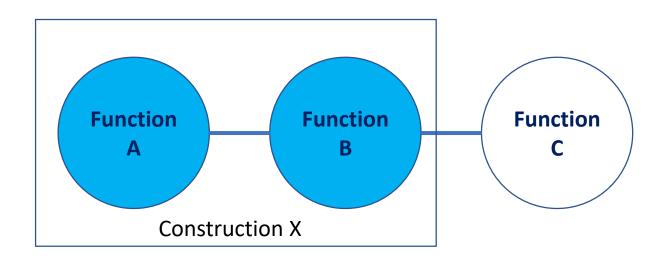
Haspelmath 2003: Datives

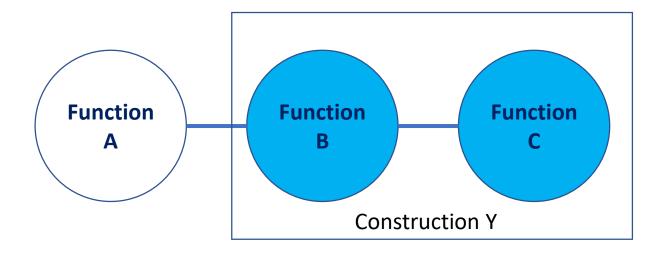
the French Dative preposition à

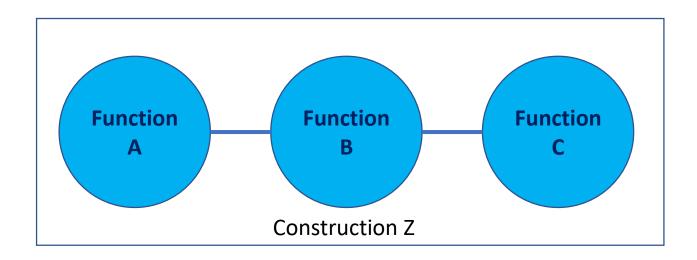


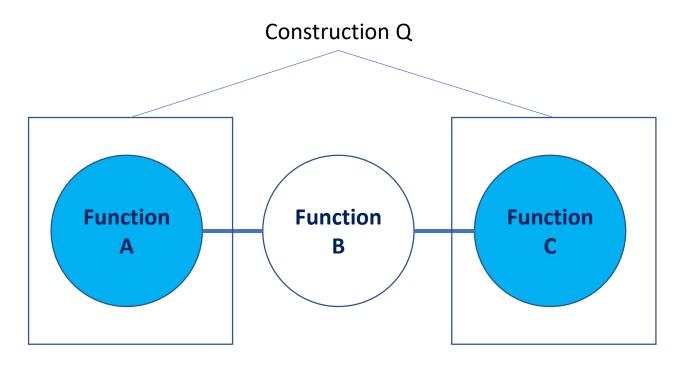
Main principles of semantic maps

- Nodes: A function is put on a map when there's at least one pair of languages which differ wrt. this function (Haspelmath 2003)
- Links: the principle of connectivity (adjacency/contiguity):
 - if a construction has more than one function, they should be connected (see van der Auwera 2013)



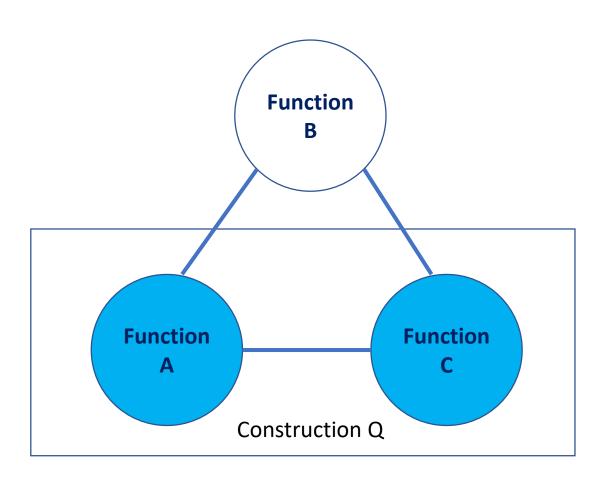






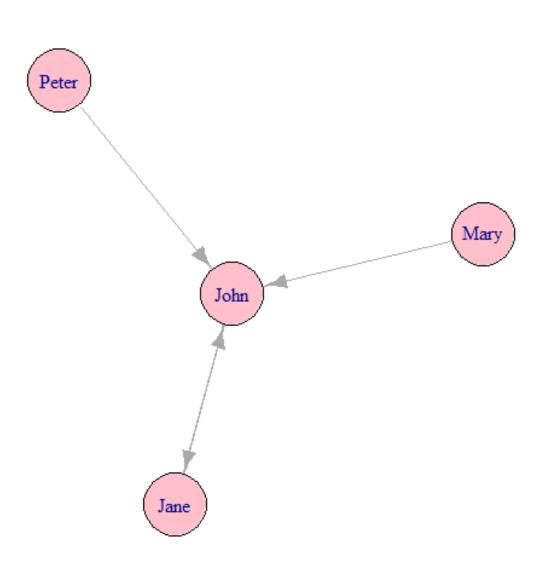
Wrong: the connectivity principle is not observed!

A fix

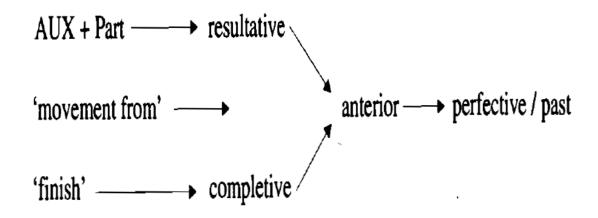


Directed graphs: feelings

- Mary loves John.
- John loves Jane.
- Jane loves John.
- And Peter fancies
 John, too.

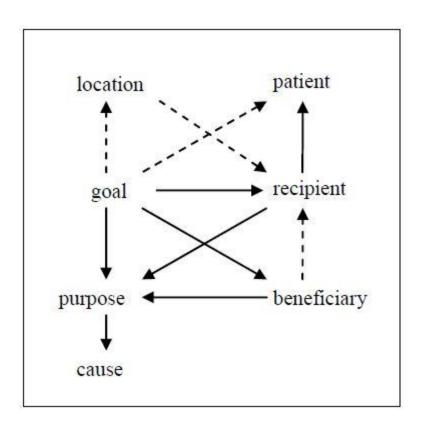


Tense and aspect grams



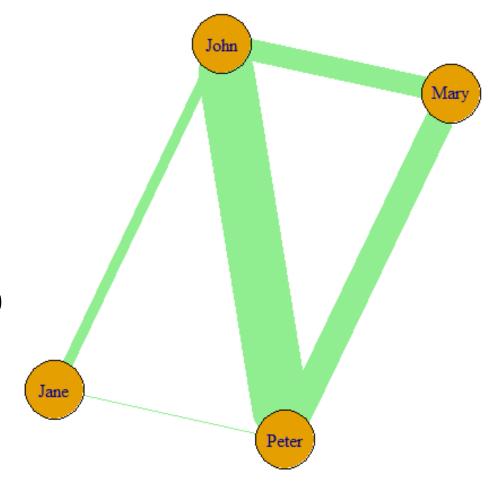
Bybee et al. (1994)

Goal-Recipient Domain

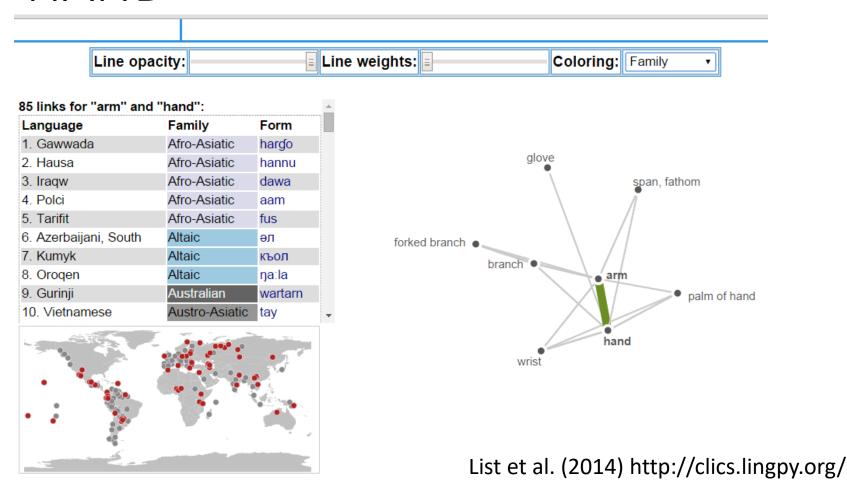


Weighted graphs: number of pizzas eaten together

- Mary and John have eaten 20 pizzas.
- John and Jane have eaten 10 pizzas.
- Peter and John have eaten 50 pizzas.
- Mary and Peter have eaten 25 pizzas.
- Jane and Mary have eaten 0 pizzas.
- Jane and Peter have eaten 1 pizza.



CLiCS: colexification patterns of HAND



Case study

Colexification patterns of FOOT

Different methods

- From an adjacency matrix with colexification frequencies
- From a data frame with the list of edges and their weights (colexification frequencies)

Different methods

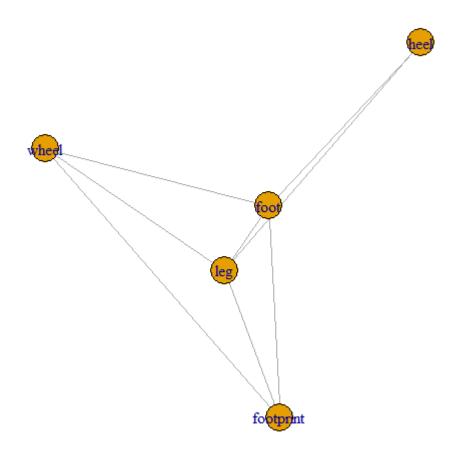
- From an adjacency matrix with colexification frequencies
- From a data frame with the list of edges and their weights (colexification frequencies)

Adjacency matrix based on CLiCS

 This matrix can be regarded as an adjacency matrix if we assume that colexification frequencies represent conceptual proximity.

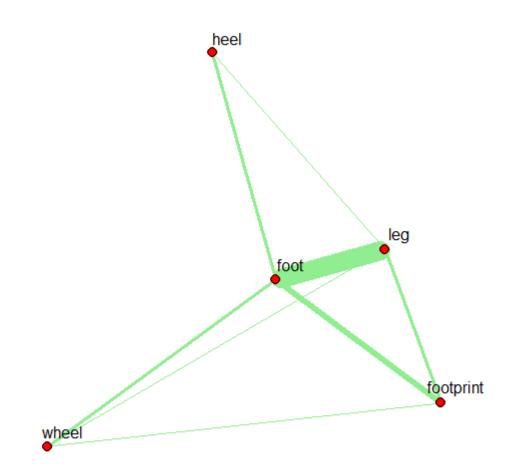
Make a graph from an adjacency matrix

```
> library(igraph)
> foot_graph <-
graph_from_adjacency_matrix(foot_am, mode =
"undirected", weighted = TRUE)
> plot(foot_graph)
```



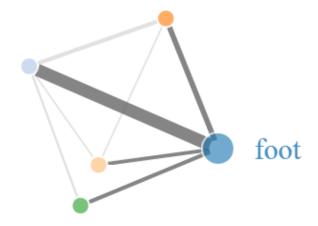
Add weights and make prettier

```
> plot(foot_graph, edge.width =
E(foot_graph)$weight^0.7, edge.color =
"lightgreen", vertex.label.cex = 1, vertex.size =
5, vertex.label.color = "black",
vertex.label.family = "sans", vertex.color =
"red", vertex.label.dist = 1.5)
```



D3 graphs from igraph graphs

```
> library(networkD3)
> foot_D3 <- igraph_to_networkD3(foot_graph)
> forceNetwork(Links = foot_D3$links, Nodes =
foot_D3$nodes, NodeID = 'name', Group = 'name',
opacity = 0.8, Value = "value", linkDistance =
100, fontSize = 20)
```



Different methods

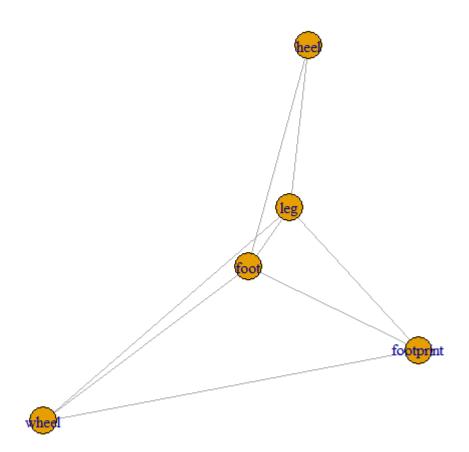
- From an adjacency matrix with colexification frequencies
- From a data frame with the list of edges and their weights (colexification frequencies)

Data frame with edges and weights

```
> foot df
        from
                      to weight
                                              Important:
1
        foot
                               71
                     leg
2
                               13
        foot footprint
                                          1) The column with
3
        foot
                  wheel
                                6
                                          weights should be
4
        foot
                    heel
                                          named so explicitly.
5
         leg footprint
6
                  wheel
         leg
                                          2) No zero weights.
7
         leg
                    heel
  footprint
                                1
                  wheel
```

Make a graph from a data frame

```
> foot_graph1 <- graph_from_data_frame(foot_df,
directed = FALSE)
> plot(foot_graph1)
```



Exercise

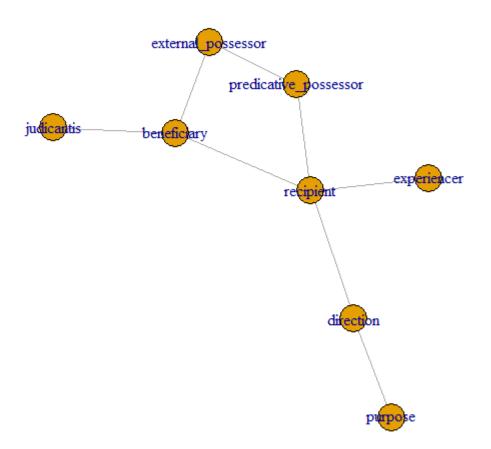
- Choose any concept from CLiCS. Find its 5 most frequent colexification neighbours or more (Query > All Links).
- Find the colexification frequencies between all these concepts (Query > Direct Links).
- Create a matrix with those frequencies in R or a data frame with edges and their weights.
- Represent the relationships in a static weighted graph.
- Represent the network in a dynamic weighted D3 graph.

Appendix

R code for making graphs from Haspelmath and Bybee

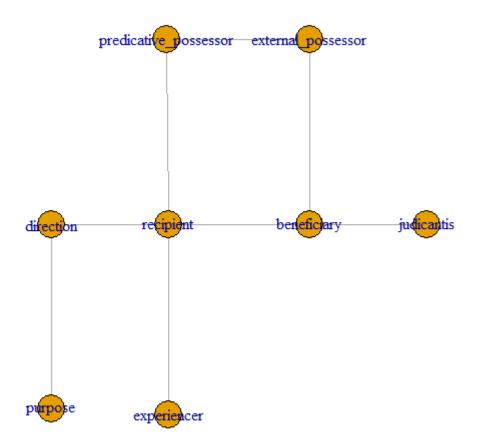
Making undirected graphs with R (datives)

```
> dat_graph <- make_graph(~ purpose - direction -
recipient - beneficiary - judicantis, experiencer
- recipient - predicative_possessor -
external_possessor - beneficiary) #one way of
providing the edges
> plot(dat_graph)
```



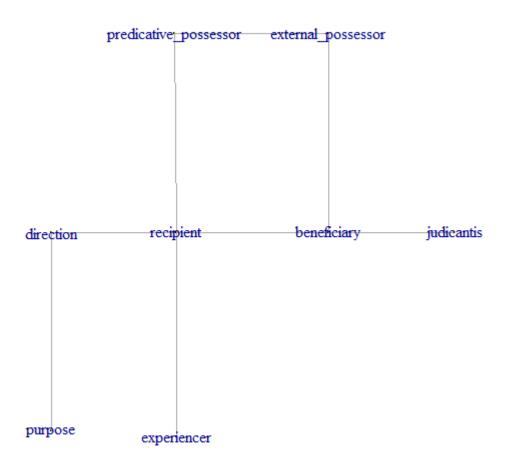
Edit your graph interactively

```
> tkplot(dat_graph) #call the interactive plot
[1] 1 #ID of the plotting device
> xy <- tk_coords(1) #save coordinates; change the
ID, if necessary</pre>
```



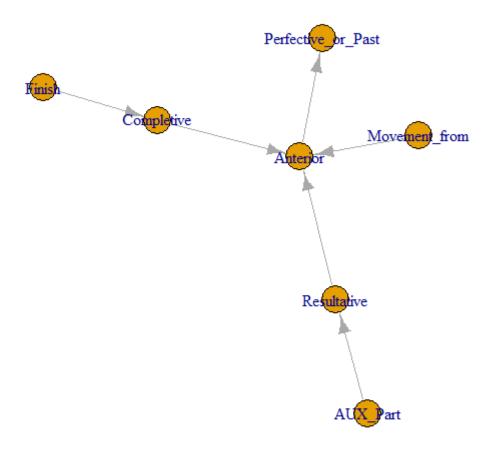
Plot your graph with new coordinates

```
> plot(dat_graph, layout = xy) #plot with the new
coordinates
> plot(dat_graph, layout = xy, vertex.size = 0)
#no vertex symbols
```



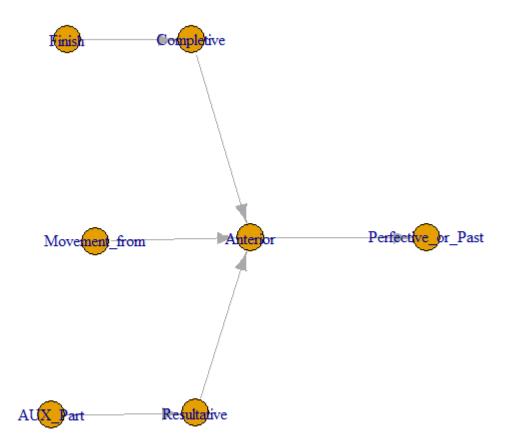
Directed graphs with R (tense and aspect grams)

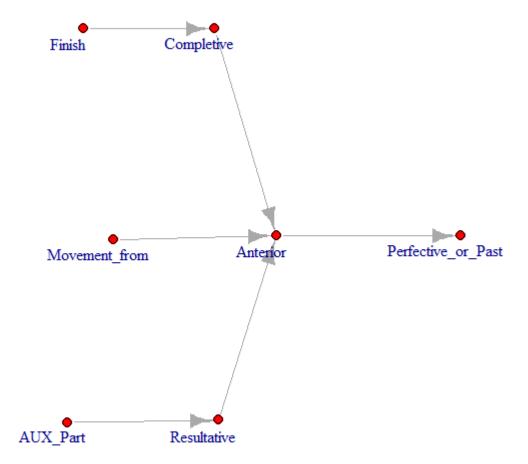
```
> ta_graph <- make_directed_graph(c("AUX_Part",
"Resultative", "Resultative", "Anterior",
"Anterior", "Perfective_or_Past", "Finish",
"Completive", "Completive", "Anterior",
"Movement_from", "Anterior")) #another way of
entering the data
> plot(ta_graph)
```



Edit the graph interactively and plot it with new coordinates

```
> tkplot(ta_graph)
> tk_coords(2) #or another id of the device
> xy <- tk_coords(2)
> plot(ta_graph, layout = xy)
> plot(ta_graph, layout = xy, vertex.size = 5, vertex.label.dist = -1.5, edge.arrow.size= 1.2, vertex.color = "red") #a prettier version
```





References

- Haspelmath, M. (2003) The geometry of grammatical meaning: Semantic maps and cross-linguistic comparison. In Tomasello, Michael (ed.), The new psychology of language, vol. 2. Mahwah, NJ: Lawrence Erlbaum, 211-242.
- Bybee, J. L., R. Perkins & W. Pagliuca. 1994. *The Evolution of Grammar: Tense, Aspect, and Modality in the Languages of the World*. Chicago/London: The University of Chicago Press.
- van der Auwera, J. (2013) Semantic maps, for synchronic and diachronic typology. In A. Giacalone Ramat, C. Mauri & P. Molinelli (eds.), *Synchrony and diachrony: a dynamic interface*. Amsterdam: Benjamins, 153-176.