
Preference Learning for Color Palette Aesthetics

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8 1 Introduction & background

9 Human judgments of color harmony and aesthetic preference play a central role in visual design,
10 branding, and data visualization, yet they are difficult to formalize in a principled way. Designers
11 typically rely on intuitive rules of thumb or traditional color theory (e.g., complementary or
12 analogous schemes), which provide qualitative guidance but lack quantitative validation. At the
13 same time, large-scale online datasets of rated color palettes now make it possible to study color
14 aesthetics empirically. Building on this opportunity, our project uses a five-color MTurk palette
15 corpus to ask whether interpretable machine learning methods can capture the structure of human
16 preferences well enough to support prediction, ranking, and ultimately tool support for non-expert
17 designers.

18 The central research question is whether engineered color features, combined with classical
19 preference-learning models, can reliably predict which of two palettes a human is more likely to
20 prefer. To address this question, we consider two complementary formulations that mirror the
21 course material. First, we train a sparse linear (LASSO) regression model to predict user-
22 normalized ratings from palette-level features, treating preference as a pointwise prediction
23 problem. Second, we adopt a Bradley–Terry style logistic model over palette pairs, using feature
24 differences to model the probability that one palette is preferred to another. By comparing these
25 models on shared test data, we evaluate both their predictive performance and the extent to which
26 their learned feature weights provide consistent, interpretable explanations of color preference.

27 This work is grounded in prior literature on preference learning and color aesthetics. Bradley–
28 Terry is widely used to analyze pairwise comparisons, and they form a core example of preference
29 learning in CS329H. In parallel, color harmony research and computational studies such as
30 O’Donovan et al. [2] have shown that relatively simple feature-based models can predict palette
31 ratings from properties like lightness balance, hue range, and contrast. More recent work has
32 explored pairwise color relations [3] and personalized aesthetic prediction [4] using more complex
33 neural models. Our project situates itself at the intersection of these lines of work by combining
34 hand-engineered features in multiple color spaces with interpretable linear and Bradley–Terry-
35 style models, aiming to bridge theoretical insights from color science with practical, reproducible
36 preference-learning techniques.

37

2 Methods

38 We use the publicly available dataset introduced by O’Donovan et al. [2], which contains
39 10,743 five-color palettes sourced from the Adobe Kuler platform. Each palette was evaluated
40 by 40 independent participants on Amazon Mechanical Turk, who rated its aesthetic appeal
41 using a 5-point Likert scale (1 = least pleasing, 5 = most pleasing). We model human preferences
42 over color palettes by first transforming each five-color palette into a comprehensive feature
43 representation that encodes structural properties across multiple color spaces and summarizes hue
44 distribution statistics. Two complementary models are then trained on these features: a sparse linear
45 regression model that predicts user-normalized aesthetic ratings, and a Bradley–Terry–style logistic
46 regression model that learns relative preferences from synthetic pairwise comparisons. Model

47 performance is evaluated using both pointwise and pairwise metrics, followed by detailed feature-
48 importance and error analyses, and multi-seed experiments with statistical tests to confirm the
49 robustness and reproducibility of the results.
50

51 2.1 Dataset and prediction task

52 We base our study on an MTurk color-palette dataset in which each example is a five-color
53 palette annotated with human preference ratings. For each palette we have:

- 54 • A unique identifier (*ids*) and a textual name (*names*).
- 55 • A mean crowdsourced rating *targets*.
- 56 • A user-normalized rating *userNormalizedTargets*, where each user’s ratings are
57 z-scored and then aggregated; this is our main target variable.
- 58 • Five RGB triplets (*color1_r*, *color1_g*, *color1_b*, ...), with each component
59 normalized to lie in [0,1].

60 Our primary supervised learning task is to predict *userNormalizedTargets* from
61 palette-level features. We also induce a pairwise preference model over palettes and evaluate
62 how well it recovers human ordering on synthetic pairwise comparisons.

63 64 2.2 Feature engineering

65 All feature construction is implemented in a single pipeline that converts raw RGB values into
66 multiple color spaces and derives rich palette-level descriptors.

- 67 • **Color-space representations:** For each five-color palette, we transform the RGB values
68 into multiple color spaces to capture complementary perceptual dimensions. In *Lab*, colors
69 are converted from RGB → XYZ → Lab using a D65 reference white, with channels
70 normalized as L/100, a/128, and b/128 for scale consistency. In *HSV*, MATLAB’s *rgb2hsv*
71 provides hue, saturation, and value in [0, 1]. To better encode hue’s circular nature, we also
72 construct a *CHSV* (circular HSV) representation: hue values are remapped via a cubic-
73 spline fit to empirical hue statistics, and each color is represented as
74 $[S \cos(2\pi H), -S \sin(2\pi H), V]$ where H is the remapped hue, S saturation, and
75 V value. Each palette thus yields a $3 \times K$ matrix ($K = 5$) in every color space.
- 76 • **Palette-level descriptors:** From each color-space matrix, we compute several families of
77 palette-level features capturing structure, contrast, and color relationships. We first flatten
78 per-color coordinates (e.g., *lab-D1-C2*, *hsv-D3-C4*) and flatten versions sorted by
79 brightness to encode ordering effects. To model transitions, we calculate adjacent
80 coordinate-wise differences between colors, treating hue circularly in HSV, and then sort
81 these differences to capture the overall distribution of color jumps. For each channel (e.g.,
82 L, a, b or H, S, V), we derive summary statistics—mean, standard deviation, median,
83 extrema, and range—to quantify overall lightness, chroma, and contrast. Finally, for RGB,
84 Lab, and CHSV spaces, we fit a plane via SVD to the five color points and record the plane
85 normal, explained variance ratios, and residual distances, describing how linearly or
86 spatially coherent each palette is within its color space.
- 87 • **Hue-probability features:** Beyond geometric descriptors, we incorporate data-driven
88 hue statistics, which contains empirical distributions over hue, hue pairs, and hue
89 adjacencies. For each palette, we identify “visible” hues based on saturation and value
90 thresholds and then compute summary statistics (mean, standard deviation, min, max)
91 over: univariate hue probabilities of visible hues and adjacency probabilities between
92 consecutive hues in the palette.
- 93 • **Pruning and final feature set:** After feature construction, we remove the original raw
94 RGB columns, retaining only engineered features plus identifiers and ratings. We then
95 prune highly correlated features: we compute the absolute correlation matrix over all
96 non-core features and drop one feature from any pair with $|corr| > 0.95$, while
97 always retaining *ids*, *names*, *targets*, and *userNormalizedTargets*. The result is
98 a palette-feature matrix with 288 decorrelated features.
99

100 **2.3 Models**
101 We compare two modeling approaches: a rating-based baseline using LASSO regression, and
102 a Bradley–Terry–style pairwise model implemented as logistic regression on feature
103 differences.

104 **Rating-based baseline (LASSO regression)**

105 Our first model predicts the continuous target `userNormalizedTargets` directly from the
106 engineered features via LASSO regression. Implementation details are as follows:

- 107 • We perform a random train–test split with test size 0.2. For the single-seed analysis,
108 we set random state to be 0; for multi-seed experiments we vary this seed.
109 • Input features are all non-core columns (excluding `ids`, `names`, `targets`,
110 `userNormalizedTargets`).
111 • We standardize features using StandardScaler fit on the training data and applied to
112 both train and test.
113 • We fit a LASSO model with L1 regularization parameter $\alpha = 0.001$ and maximum
114 iteration = 10000. This is a sparse linear regression model of the form

115
$$\hat{y} = w^T x + b,$$

116 with an L1 penalty $\lambda ||w||_1$.

- 117 • Finally, we report RMSE on both training and test sets and check for overfitting by
118 comparing the two.

119 This model directly draws on course material on linear regression and regularization: LASSO
120 encourages sparse solutions, which enhances interpretability through the learned coefficients
121 and mitigates overfitting in high-dimensional feature spaces.

122 **Bradley–Terry–style pairwise model (logistic regression)**

123 Our second model is motivated by the Bradley–Terry framework for pairwise comparisons.
124 Instead of predicting ratings, we predict preferences between pairs of palettes.

125 We first synthesize pairwise training data:

- 126 • From the training split, we repeatedly sample unordered pairs of indices (i, j) with
127 replacement.
128 • We remove self-pairs and any pairs with $|y_i - y_j| < \delta$, where $\delta = 0.2$, to avoid
129 near-tie comparisons.
130 • For each remaining pair we define a binary label

131
$$y_{ij} = 1 \text{ if } \text{userNormalizedTargets}_i > \text{userNormalizedTargets}_j, 0 \text{ otherwise.}$$

132 We continue sampling until we obtain 10,000 valid training pairs; the function reports how
133 many candidates were sampled and the empirical label distribution.

134 To approximate the Bradley–Terry model in feature space, we define the pairwise log-odds as
135 a linear function of the difference in latent utilities. We model this by taking feature
136 differences:

137
$$X_{diff} = X_i - X_j,$$

138 where X_i and X_j are the standardized feature vectors for palettes i and j. We then fit a logistic
139 regression model

140
$$P(i > j | X_i, X_j) = \sigma(w^T(X_i - X_j)),$$

141 where σ is the logistic sigmoid. In practice we use `sklearn.linear_model.LogisticRegression`
142 with L2 regularization (`penalty="l2"`, `C=1.0`, `solver="lbfgs"`, `max_iter=1000`), and we
143 standardize X_{diff} via StandardScaler fit on the training differences. This formulation is
144 exactly the Bradley–Terry style approach covered in class.

145

146 **2.4 Experimental protocol and analyses**

147 We evaluate both models using a combination of pointwise rating metrics, pairwise preference
148 metrics, feature-importance analyses, and qualitative visualizations.

149 **Pointwise evaluation of the rating model**

150 On the test split, we evaluate the LASSO model's rating predictions:

- 151 • Compute RMSE for training and test sets.
152 • Generate a scatter plot of true vs predicted *userNormalizedTargets*

153 **Pairwise evaluation on shared test pairs**

154 To compare the BT model and the LASSO baseline fairly, we evaluate them on an identical
155 set of synthetic test pairs:

- 156 • From the BT test split, we sample up to 20,000 pairs subject to the same $\delta = 0.2$ filter,
157 yielding test labels y_{ij} as defined above.
158 • For each pair:
159 ○ The BT model provides a probability $p_{ij} = P(i > j)$ from logistic regression
160 on $X_i - X_j$.
161 ○ The LASSO model provides scalar scores \hat{y}_i and \hat{y}_j . We interpret $i > j$ if
162 $\hat{y}_i > \hat{y}_j$.
163 • For both models we compute:
164 ○ Pairwise accuracy: the fraction of pairs for which the predicted preference
165 matches the ground truth.
166 ○ ROC AUC:
167 ■ For BT, using p_{ij} .
168 ■ For LASSO, using the score difference $\hat{y}_i - \hat{y}_j$ as a continuous
169 score.

170 This evaluation protocol directly measures how well each model recovers pairwise
171 preferences, not just absolute ratings. Qualitatively, these analyses reveal which aspects of
172 palette structure (e.g., Lab lightness statistics, hue adjacency, RGB contrast) drive rating
173 prediction versus pairwise preference.

174 **Feature importance and visualization**

175 We analyze feature importances and visualize palettes to better understand the learned models.

- 176 • For LASSO, we treat the absolute value of each coefficient as a measure of importance
177 and sort features by $|\beta|$. We print the top features and their magnitudes.
178 • For BT, we analogously sort by the absolute logistic regression coefficients applied
179 to the feature differences. We print the top coefficients and compare the resulting
180 feature ranking to LASSO's.
181 • We create horizontal bar plots of the top ~20 features for each model
182 • We compare the top feature sets:
183 ○ Overlap between the two top-lists.
184 ○ Features that appear only in the LASSO top-list.
185 ○ Features that appear only in the BT top-list.

186 Qualitatively, these analyses reveal which aspects of palette structure (e.g., Lab lightness
187 statistics, hue adjacency, RGB contrast) drive rating prediction versus pairwise preference.

188 **Error analysis**

189 We perform several error analyses on the shared test pairs:

- 190 • BT worst mistakes (high-confidence errors). We define a certainty measure for BT as
191 $\max(p_{ij}, 1 - p_{ij})$. Among misclassified pairs, we select those with highest certainty
192 and visualize up to three via 2×5 color swatches, reporting their indices, p_{ij} , and true
193 labels. These highlight cases where the model is confidently wrong.
194 • BT borderline correct cases. Among correctly classified pairs, we sort by $|p_{ij} - 0.5|$

195 and report the cases closest to 0.5. These are the most ambiguous comparisons where
196 the model is almost indifferent yet correct, illustrating the decision boundary in
197 practice.
198 • BT vs LASSO disagreements. We find pairs where BT and LASSO disagree and
199 define a simple “strength of disagreement” score as BT certainty multiplied by
200 $|\hat{y}_i - \hat{y}_j|$. We rank these and inspect the top few, logging indices, BT probabilities,
201 LASSO score differences, each model’s predicted label, and the true label. These pairs
202 reveal where the two modeling paradigms—pairwise BT vs pointwise LASSO—make
203 qualitatively different judgments.

204 3 Results & discussion

205 3.1 Overall predictive performance

208 We first assess how well the rating-based LASSO baseline predicts user-normalized ratings and
209 how well both models recover pairwise preferences. Recall that the standard deviation of
210 *userNormalizedTargets* in the dataset is approximately 0.33, so RMSEs around 0.22–0.23
211 correspond to explaining a substantial fraction of the variance.

212 For a representative single train–test split (seed 0), the LASSO model achieved a test RMSE of
213 approximately 0.224 on *userNormalizedTargets*, with very similar performance on the training set.
214 This indicates that, given the engineered features, a sparse linear model can capture much of the
215 structure in the ratings without strong evidence of overfitting. The scatter plot of true vs. predicted
216 ratings shows points tightly concentrated around the diagonal, with somewhat increased spread
217 near the extremes, consistent with slightly higher difficulty in predicting very low- or high-rated
218 palettes.

219 On the same test split, we compared the Bradley–Terry (BT) logistic model and the LASSO
220 baseline on an identical set of synthetic test pairs. The BT model achieved a pairwise accuracy of
221 roughly 0.858 and a ROC AUC of about 0.937, while the LASSO-induced pairwise predictor
222 achieved a similar accuracy of about 0.857 and AUC of roughly 0.935. Thus, both models recover
223 human preferences for most comparisons and rank palettes in a broadly consistent way.

224 To assess robustness, we repeated the entire pipeline across five random seeds. Averaged over
225 these runs, LASSO’s test RMSE was 0.2245 with a standard deviation of 0.0041, indicating stable
226 pointwise performance. The BT model’s mean pairwise accuracy across seeds was 0.8646 (std
227 0.0063), while LASSO’s was 0.8613 (std 0.0075). A paired t-test on per-seed pairwise accuracies
228 yielded a t-statistic of 2.24 and p = 0.0884, suggesting that BT tends to outperform LASSO
229 slightly on pairwise accuracy, but that this advantage is not statistically significant at the
230 conventional 0.05 level. Overall, both models perform strongly and comparably, with a weak trend
231 in favor of the explicitly pairwise BT formulation.

232 3.2 Feature importance and learned representations

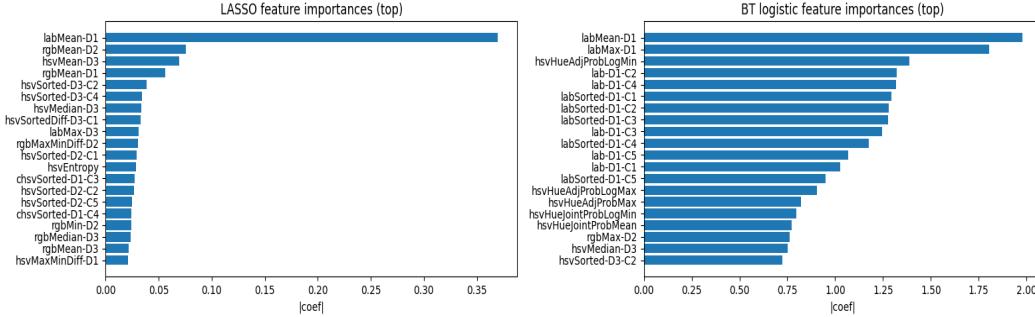
234 We next analyze which features are most influential for each model. Since both LASSO and BT
235 are linear in the engineered feature space (for ratings and differences, respectively), their
236 coefficients admit a straightforward interpretation as feature importances.

237 For the LASSO model, the largest-magnitude coefficient by a wide margin is associated with
238 *labMean-D1*, the mean Lab lightness across the palette. This confirms the intuitive idea that
239 overall lightness is a primary determinant of perceived palette quality. Other highly ranked
240 LASSO features include global RGB means (*rgbMean-D1*, *rgbMean-D2*, *rgbMean-D3*), the mean
241 value channel (*hsvMean-D3*), and various contrast-related statistics such as *rgbMaxMinDiff-D2*,
242 *hsvMaxMinDiff-D1*, and higher-order brightness descriptors like *hsvMedian-D3* and sorted
243 difference features. Together, these patterns suggest that the rating model pays attention to both
244 the average brightness/chroma of the palette and the spread of colors within it.

245 For the BT model, the most influential features are also dominated by lightness but exhibit a more
246 localized, color-by-color emphasis. The top features include *labMean-D1*, *labMax-D1*, and several

247 individual lightness coordinates and their sorted variants (e.g., *lab-D1-C2*, *lab-D1-C3*, *labSorted-D1-C1-C4*). In addition, hue-probability features such as *hsvHueAdjProbLogMin* and
 248 *hsvHueAdjProbLogMax* appear high in the ranking, indicating that the pairwise model exploits
 249 information about how “typical” the palette’s hue transitions are. The feature importance bar plots
 250 (Fig. 1) make these differences visually apparent: LASSO allocates weight more diffusely across
 251 global summary statistics, while BT concentrates weight on a smaller set of specific lightness and
 252 hue-adjacency cues.
 253

254



255

256

Figure 1: Feature importance scores from LASSO and Bradley–Terry models.

257

258 Comparing the two models’ top feature lists reveals both commonalities and divergences. Both
 259 models rank *labMean-D1* their most important features, underscoring the centrality of palette
 260 lightness in human judgments. They also agree that brightness-related HSV summaries like
 261 *hsvMedian-D3* and sorted value features (*hsvSorted-D3-C2*) are informative. On the other hand,
 262 LASSO relies more heavily on global RGB statistics and max–min contrasts, while BT places
 263 more emphasis on individual lightness coordinates and hue-adjacency probability features,
 264 consistent with its focus on pairwise discrimination rather than absolute ratings.

265

266

3.3 Preference behavior and qualitative palette examples

267

268 Quantitatively, BT’s and LASSO’s pairwise accuracies are very similar, but their qualitative
 269 behavior sheds additional light on what they have learned. We begin by examining the test pairs
 270 on which the BT model is most certain. Among pairs with non-degenerate probabilities, BT often
 271 outputs probabilities around 0.995 for the preferred palette, indicating extreme confidence. Visual
 272 inspection of these “most certain” pairs (Fig. 2) reveals that BT tends to confidently favor palettes
 273 whose colors exhibit coherent lightness structure and harmonious hue transitions over palettes
 274 with harsher contrasts or more unusual hue combinations.

275

BT pair 1: $p(i>j)=0.00500$, true=0



276

277

Figure 2: Most certain pairs of BT model with correct prediction (truth: top < bottom).

278

279

280 We then turn to error analysis. The BT worst mistakes—pairs where BT predicts the wrong
 281 winner with very high certainty—highlight the limits of our feature set and model. For example,
 282 some mistakes involve palettes that are both light but differ in subtle aspects of color semantics
 283 (e.g., muted vs. vibrant shades) that are not fully captured by low-level statistics, leading BT to
 284 strongly prefer the “wrong” palette. An example of the worst cases (Fig. 3) suggests that
 285 incorporating higher-level attributes (e.g., semantic color labels or context) might be necessary to

284 resolve such subtleties.

285

BT worst mistake: $p(i>j)=0.99999$, true=0



286

287 Figure 3: Most certain pairs of BT model with incorrect prediction (truth: top < bottom).

288

289 Borderline correct cases, where BT’s probability is very close to 0.5 but the prediction happens to
290 be correct, tend to involve palettes with very similar mean ratings. In these examples, the model is
291 nearly indifferent, and small perturbations in the data or model parameters could easily flip the
292 prediction. This behavior is reassuring: the model’s uncertainty correctly reflects the difficulty of
293 these comparisons.

294 Finally, we analyze strong disagreements between BT and LASSO, focusing on pairs where the
295 two models give opposite predictions while both being reasonably confident. In several such
296 cases, BT appears to rely on fine-grained lightness and hue-adjacency patterns, favoring palettes
297 with more consistent lightness progression even when LASSO’s predicted ratings are higher for
298 the alternative. Conversely, LASSO occasionally prefers palettes with somewhat higher global
299 brightness or contrast, even when their internal hue transitions are less typical. These
300 disagreements, which we log along with palette indices and scores, highlight how pairwise models
301 and rating models can prioritize different aspects of palette structure, even when their aggregate
302 performance is similar.

303

304 **3.4 Comparison to baselines and related approaches**

305 Our study focuses on two relatively simple linear models—a rating-based LASSO model and a
306 BT-style pairwise logistic model. Despite their simplicity, these models achieve strong
307 performance: test RMSE of approximately 0.22–0.23 on standardized ratings and pairwise
308 accuracies above 0.85 with ROC AUC around 0.94. These numbers compare favorably to what
309 one might expect from trivial baselines, such as predicting the global mean rating or random
310 preference, and demonstrate that our hand-engineered feature set is informative.

311 While we do not directly compare to complex non-linear models (e.g., deep neural networks over
312 raw RGB sequences), the structure of our models aligns with classic approaches in the literature:
313 linear regression and LASSO for interpretable prediction, and Bradley–Terry or Thurstone-type
314 models for pairwise comparison. The fact that relatively low-capacity models already capture a
315 large fraction of the structure suggests that much of the signal in this dataset is accessible through
316 low-level color statistics and simple geometric relationships. More sophisticated models might
317 yield incremental gains, but our results already provide a strong, interpretable baseline.

318

319 **3.5 Limitations and lessons learned**

320 Several limitations of our approach deserve discussion. First, our pairwise training data are
321 synthetic: we derive pair labels from continuous ratings rather than collecting true pairwise
322 judgments. This assumes that differences in *userNormalizedTargets* translate monotonically into
323 preferences, and that individual-level noise averages out, which may not always hold. True
324 pairwise MTurk data would provide a more direct test of Bradley–Terry assumptions.

325 Second, our models are linear in a hand-engineered feature space. While this makes them easy to
326 interpret and connect to course material, it may limit their ability to capture complex non-linear
327 relationships or interactions between colors. For example, semantic associations (e.g., “autumn”
328 vs. “neon”) or higher-order compositional structure are not explicitly modeled. Exploring kernel

329 methods or neural architectures over palette representations could be a fruitful direction.

330 Despite these limitations, the project yielded several useful insights. We found that relatively
331 simple models, when paired with rich color-space features and hue statistics, can predict human
332 palette ratings and pairwise preferences with high accuracy. Lightness-related features—
333 particularly Lab mean lightness—consistently emerge as the most important predictors across
334 models, underscoring the central role of brightness structure in perceived palette quality. Hue-
335 adjacency and hue-probability features also matter, especially for the pairwise BT model,
336 suggesting that how colors are arranged around the color wheel influences preference beyond
337 mere hue counts.

338 We also learned that rating-based models and BT models, while achieving similar aggregate
339 performance, can disagree substantially on specific cases. These disagreements expose
340 complementary perspectives: LASSO emphasizes global summary statistics, whereas BT
341 emphasizes fine-grained contrasts and transitions. This reinforces a key theme from the course:
342 modeling choices (pointwise vs. pairwise, absolute scores vs. relative comparisons) shape what
343 structure the model can exploit and how its errors manifest. Overall, the combination of
344 interpretable feature engineering, classic linear models, and careful evaluation provides a solid
345 foundation for future work on more expressive models and richer data.
346

347 4 Conclusion & future work

348 This project set out to model human preferences over five-color palettes using interpretable feature
349 engineering and preference-learning methods inspired by research on color harmony and Bradley–
350 Terry–style models of choice. Methodologically, we contributed (i) a comprehensive palette
351 representation spanning multiple color spaces (RGB, Lab, HSV, CHSV) augmented with hue-
352 probability and geometric descriptors, (ii) a rating-based LASSO baseline that predicts user-
353 normalized aesthetic scores, and (iii) a Bradley–Terry logistic model trained on synthetic pairwise
354 comparisons. Empirically, we found that both models achieve strong and consistent performance:
355 the LASSO model attains a test RMSE of roughly 0.22–0.23 on standardized ratings, while both
356 BT and LASSO recover pairwise preferences with accuracies above 0.85 and ROC AUC near 0.94
357 on shared test pairs, with a small but not statistically significant advantage for BT. Multi-seed
358 experiments confirm the stability of these findings, and feature-importance and error analyses
359 reveal that lightness structure and hue-adjacency statistics are central to predicting palette
360 preference.

361 These results extend prior work highlighting the roles of lightness balance, limited hue range, and
362 smooth progression in color harmony. The prominence of Lab lightness and hue-adjacency
363 features as top predictors quantitatively supports classic design principles, while the Bradley–
364 Terry formulation links our findings to well-established probabilistic choice frameworks. Overall,
365 a simple, interpretable model using structured color features captures much of the variance in
366 human palette preferences, providing a strong baseline for comparison with future deep or
367 generative approaches.

368 Future research should collect true pairwise judgments (rather than synthetic ones from ratings) to
369 test Bradley–Terry and related models more faithfully, and explore richer nonlinear
370 formulations—such as kernelized BT, gradient-boosted trees, or neural architectures—that capture
371 higher-order interactions and semantic color relationships. Incorporating user and context
372 variables (e.g., cultural background, design task) could further explain heterogeneity in taste.
373 Finally, human-in-the-loop evaluation, where model predictions guide interactive palette-
374 recommendation tools, offers a practical next step to assess how well these models enhance user
375 satisfaction and design quality.

376

377

378

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Appendix I: Pre-analysis Plan

Preference Learning for Color Palette Aesthetics: Pre-Analysis Plan

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1 Overview & motivation

9 This project investigates modeling human aesthetic preferences for color palettes using
10 interpretable machine learning models trained on pairwise comparison data. The guiding
11 research question is: *Can an interpretable model learn to predict which of two color palettes*
12 *is more aesthetically pleasing to a human observer?* This builds on CS329H topics including
13 preference learning via Bradley–Terry model, human-in-the-loop learning, and alignment with
14 human judgment.

15 Effective color choice greatly impacts user experience and communication in design [1].
16 However, designers often rely on intuition or traditional color theory rules (e.g.,
17 complementary or triadic schemes), which lack quantitative validation. Data-driven
18 preference learning can verify or refine these theories and provide personalized
19 recommendations. In practice, an aesthetic preference model could power tools to recommend
20 or adjust palettes to suit user tastes, improving efficiency for non-experts.

21 This plan is designed for a solo researcher working within a short timeframe. The scope is
22 realistic: we will reuse an existing dataset of color palettes and their preference ratings (or
23 pairwise comparisons). The methods will emphasize simplicity and interpretability – for
24 example, using linear or small models and easily computable color features – to keep
25 implementation manageable and to allow insight into why a palette is preferred. This focused
26 scope ensures we can complete the work and obtain meaningful results in the available time.

27
28

2 Literature review

29 Color palette aesthetics have received significant attention in both design research and
30 computational modeling. Several studies have attempted to quantify what makes a color
31 palette visually appealing, typically through predictive modeling or data-driven heuristics. Our
32 project builds on this literature but brings a novel focus on pairwise preference learning.
33 Below, we review key related works.

- 34
 - **O'Donovan et al. (2011)** – “Color Compatibility from Large Datasets”
35 This foundational study collected over 10,000 color palettes from Adobe Kuler and
36 COLOURlovers and trained a LASSO regression model to predict aesthetic scores
37 based on features like hue distribution, lightness, and contrast. They found that
38 palettes with moderate contrast and high lightness tended to receive higher ratings.
39 The model was interpretable and effective, showing that even simple linear models
40 could predict human ratings [1]. However, their method relied on absolute aesthetic
41 scores, which limited its ability to capture nuanced or relative preferences. Our project
42 draws directly from their feature design but instead applies a pairwise preference
43 model (Bradley–Terry) to better reflect comparative judgments.
 - **Yang et al. (2019)** – “A Color-Pair Based Approach for Accurate Color Harmony Estimation”
45 This study proposed a two-stage model: first estimating harmony between individual
46 palettes and then combining them into a final score.

color pairs, then aggregating pairwise scores to assess the overall aesthetic of a palette [3]. The approach improved upon prior models by capturing local interactions between colors rather than treating palettes as flat feature sets. Though highly relevant, this model also used regression-style outputs and did not incorporate preference learning directly. Our project shares their attention to color relationships (e.g., pairwise hue distance) but instead emphasizes learning from pairwise comparisons and directly modeling which palette is preferred over another.

- **Yang et al. (2024)** – “Personalized Aesthetic Prediction for Color Themes”
This more recent work acknowledged preference heterogeneity by modeling user-specific aesthetics. The authors used neural networks with user embeddings to capture individual differences in taste, achieving better predictive accuracy on personalized ratings [4]. While promising, this method is computationally intensive and requires large user datasets, making it less accessible or interpretable. Our project opts for model simplicity and interpretability over personalization, but we recognize the value of individual modeling for future extensions (e.g., active learning or user-specific preference elicitation).

While past work has made substantial progress in predicting aesthetic quality using rating-based models and complex neural networks, pairwise preference modeling remains underutilized in color theory applications. Our approach provides a structured and interpretable way to model relative preferences, aligning with human comparative behavior and the theoretical foundations of preference learning.

3 Proposed methods & analysis

This project aims to model human preferences for color palettes using interpretable preference learning methods, primarily the Bradley–Terry model. The modeling process will involve transforming color palettes into structured feature representations, deriving pairwise preference data from existing sources, fitting a model to these comparisons, and evaluating its predictive performance on held-out comparisons.

3.1 Dataset and preprocessing

We will use the publicly available dataset introduced by O’Donovan et al. (2011), which contains 10,743 five-color palettes sourced from the Adobe Kuler platform. Each palette was evaluated by 40 independent participants on Amazon Mechanical Turk, who rated its aesthetic appeal using a 5-point Likert scale (1 = least pleasing, 5 = most pleasing). The final dataset provides the average rating for each palette, offering a consistent and controlled benchmark for modeling human aesthetic judgments. Compared to organically collected community data (e.g., from Kuler or COLOURLovers), this dataset minimizes popularity and exposure bias. Although the data consists of absolute ratings, our project focuses on pairwise preference learning. To align with this framework, we generate synthetic comparisons by randomly sampling palette pairs and assigning the preference label to the palette with the higher mean rating. Ties will be excluded or resolved randomly. While this approach does not replicate explicit head-to-head evaluations, it is an approximation in preference learning and enables the application of Bradley–Terry to derive meaningful insights from rating-based data.

3.2 Feature representation

Each palette will be encoded as a vector of interpretable features rooted in color theory. These features are designed to capture the visual properties that might influence aesthetic appeal and can be grouped into four broad categories:

- **Color Statistics:** Measures of central tendency and dispersion of color values, particularly in perceptual color spaces such as CIE Lab or HSV. For example:
 - Mean and standard deviation of lightness (L^*).
 - Mean saturation and hue variance.
 - Minimum and maximum brightness.

- **Color Harmony Metrics:** Classical color theory suggests that certain relationships—like complementary or analogous colors—are more harmonious. We will compute:
 - Average pairwise hue distance (in degrees on the color wheel).
 - Presence of complementary (180° hue separation) or triadic (120° separation) color arrangements.
 - Hue balance or imbalance scores.
- **Color Diversity and Contrast:**
 - Number of unique hues.
 - Entropy of hue distribution.
 - Contrast across brightness or saturation.
- **Palette Structure Features:**
 - Monotonicity of lightness or saturation across the ordered palette.
 - Whether the palette forms a perceptual gradient.
 - Spatial or ordering features (e.g., “dark to light” sequences).

3.3 Preference model

We will fit a Bradley–Terry regression model, where the preference between two palettes is modeled as a function of their respective features. Let x_i and x_j be the feature vectors of two palettes. The probability that palette i_i is preferred over j_i is given by:

$$P(i > j) = \frac{\exp(\beta^T x_i)}{\exp(\beta^T x_i) + \exp(\beta^T x_j)}$$

Here, β is a vector of learned coefficients, representing the contribution of each feature to the overall aesthetic “worth” of a palette. The model is equivalent to a logistic regression over the difference in feature vectors between two items. Training will proceed via maximum likelihood estimation over the set of comparison outcomes.

This model is ideal for our setting for several reasons:

- It directly reflects the pairwise structure of the data.
- It’s interpretable: each weight β_k tells us whether and how much a specific feature (e.g., lightness) contributes to preference.
- It generalizes to unseen palettes via features, unlike item-level BT models which require repeated items.

As a baseline, we will also implement a simple regression model (e.g., linear regression or LASSO) to predict numeric ratings directly. This allows us to compare the performance of models trained on ratings versus those trained on comparisons.

3.4 Evaluation plan

We will evaluate model performance using a combination of metrics suited to preference prediction:

- **Pairwise Accuracy:** The percentage of held-out comparisons where the model correctly predicts which palette is preferred.
- **Spearman’s Rank Correlation:** Measures agreement between predicted aesthetic scores and ground-truth rankings.
- **AUC (Area Under the ROC Curve):** For binary classification of preferred vs. non-preferred palettes, this metric summarizes the model’s ability to distinguish aesthetically superior palettes.
- **Interpretability Review:** We will analyze the learned coefficients β to identify which features most strongly influence preferences. This will also serve as a sanity check against known findings (e.g., gradient palettes tend to be preferred).

We will split the data into training and test sets, ensuring no data leakage across comparisons. We may perform k-fold cross-validation for robustness.

152 **4 Timeline & responsibilities**

153 Week 1 (Nov 5–11): Finalize literature review, obtain dataset, define and extract palette features.

154

155 Week 2 (Nov 12–18): Implement pairwise comparison model (Bradley–Terry with feature vector),
156 train using synthetic comparisons, evaluate on held-out data, and conduct baseline regression
157 comparison.

158

159 Week 3 (Nov 19–25): Perform simulation-based active learning experiments, analyze model
160 weights, and interpret learned aesthetic indicators in terms of color theory.

161

162 Week 4 (Nov 26–Dec 3): Write final report and prepare figures and supplementary results. All
163 coding, writing, and analysis will be performed by the solo researcher.

164

165 Risks include limited dataset quality or low model performance. These will be mitigated by
166 fallback to open datasets and simpler logistic or ranking models. The project emphasizes
167 simplicity, interpretability, and clear connection to course concepts.

168

169 **References**

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Appendix II: Disclosures