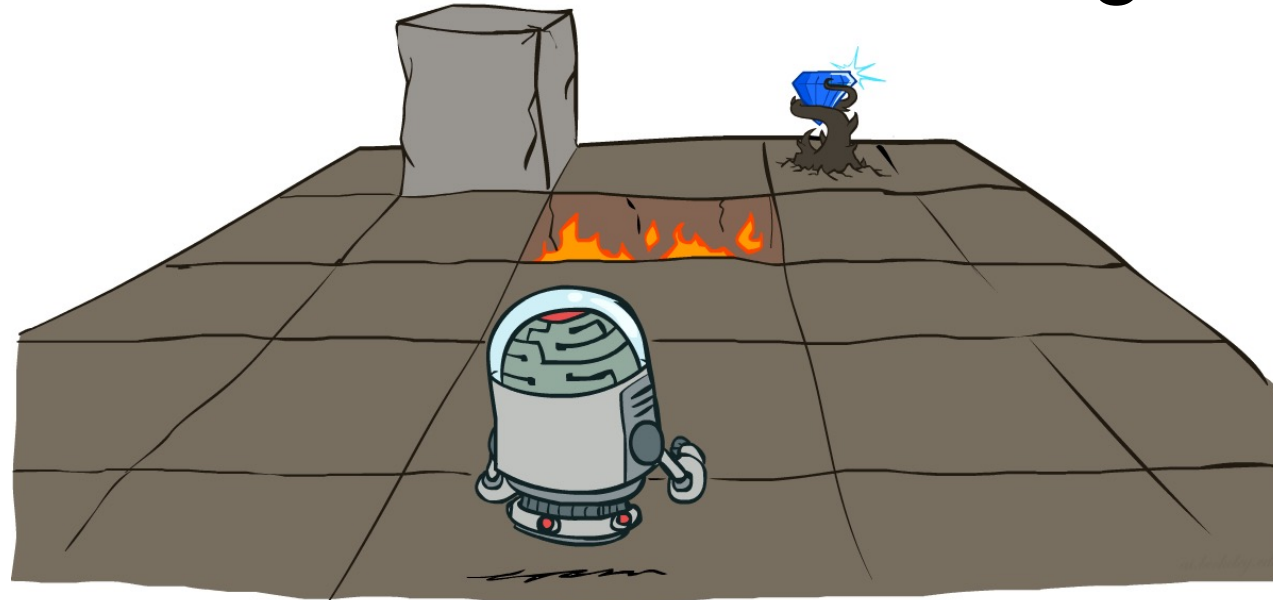


CS 3568: Intelligent Systems

Reinforcement Learning



Instructor: Tara Salman

Texas Tech University

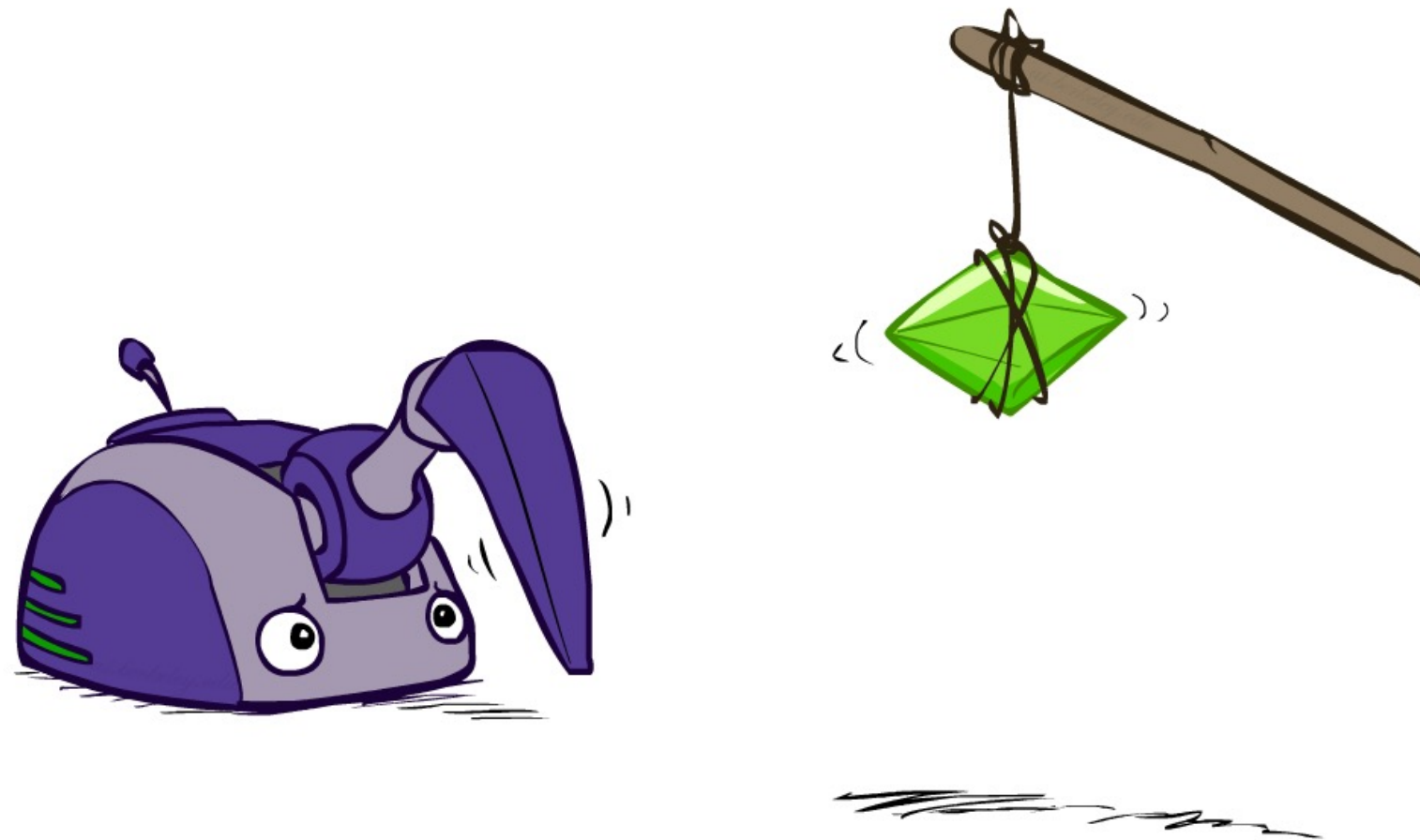
Computer Science Department

[These slides were created by Dan Klein and Pieter Abbeel for CS188 Intro to AI at UC Berkeley (ai.berkeley.edu).]

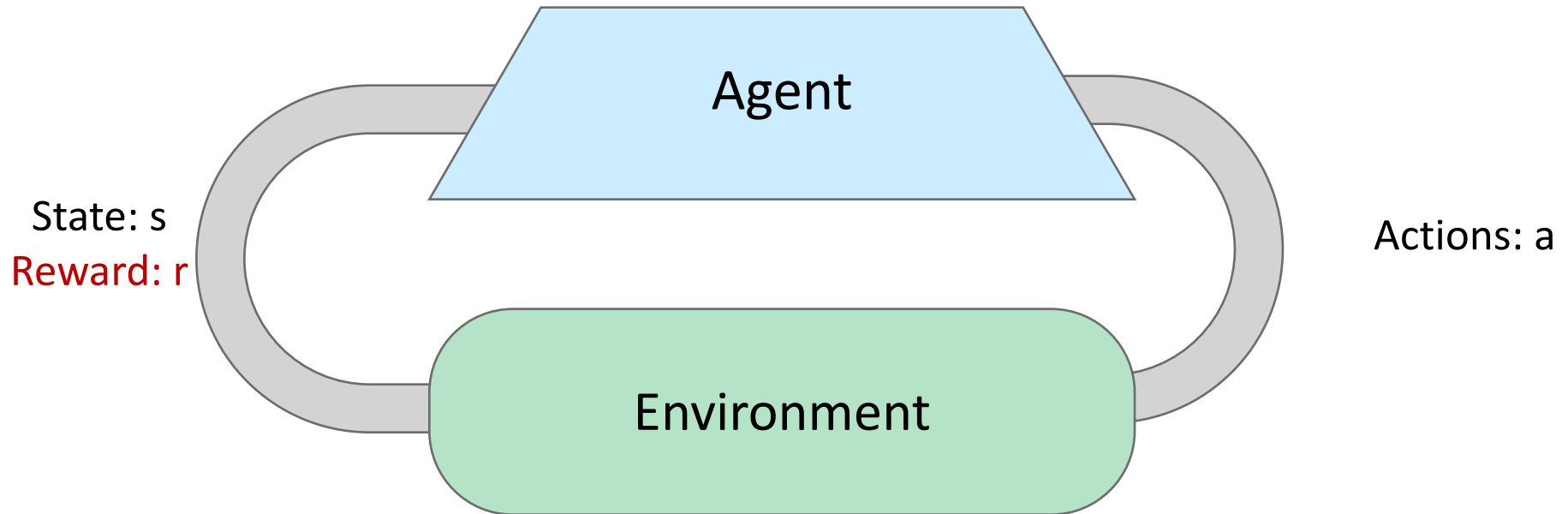
Texas Tech University

Tara Salman

Reinforcement Learning



Reinforcement Learning



❑ Basic idea:

- Receive feedback in the form of **rewards**
- Agent's utility is defined by the reward function
- Must (learn to) act so as to **maximize expected rewards**
- All learning is based on observed samples of outcomes!

Example: Learning to Walk



Initial



A Learning Trial



After Learning [1K Trials]

[Kohl and Stone, ICRA 2004]

Example: Learning to Walk



Initial

[Kohl and Stone, ICRA 2004]

Example: Learning to Walk



[Kohl and Stone, ICRA 2004]

Training

6

Example: Learning to Walk



[Kohl and Stone, ICRA 2004]

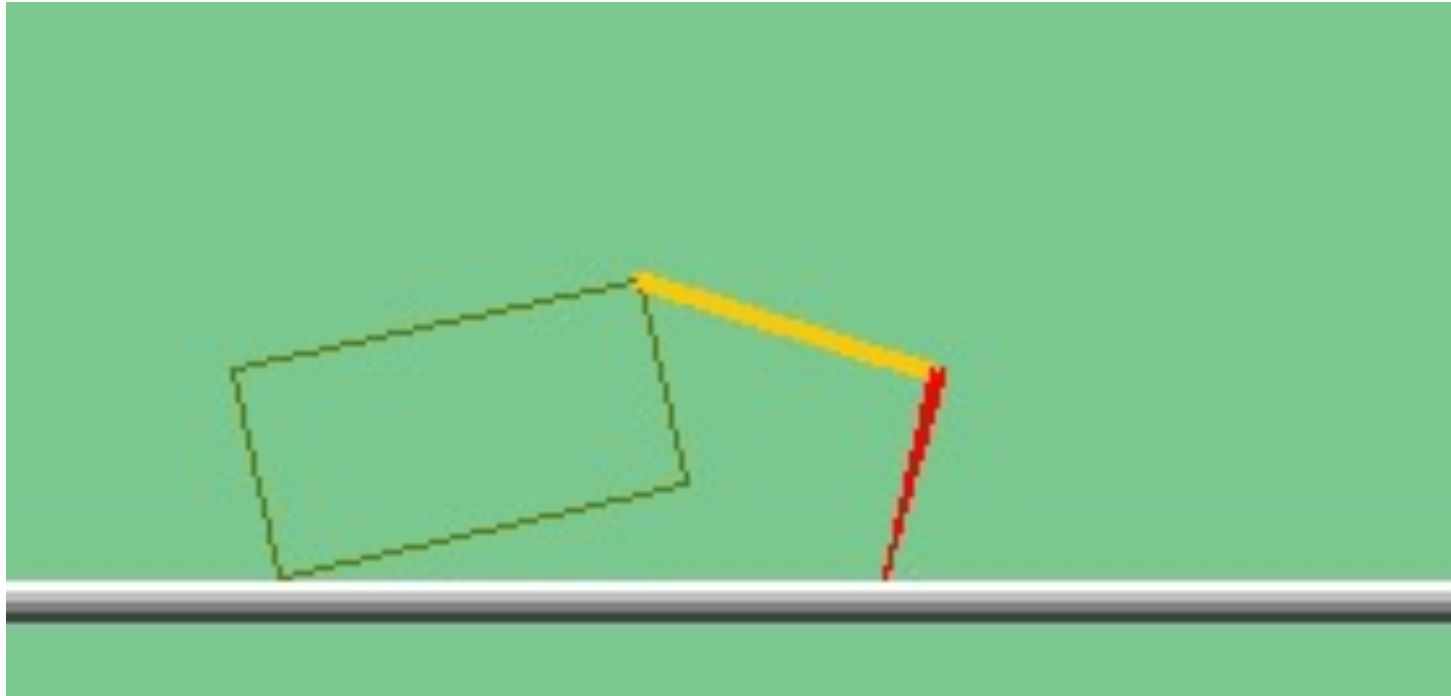
Finished

7

Example: Toddler Robot



The Crawler!



[You, in Project 3]

Video of Demo Crawler Bot



Reinforcement Learning

- ❑ Still assume a Markov decision process (MDP):

- A set of states $s \in S$
- A set of actions (per state) A
- A model $T(s,a,s')$
- A reward function $R(s,a,s')$

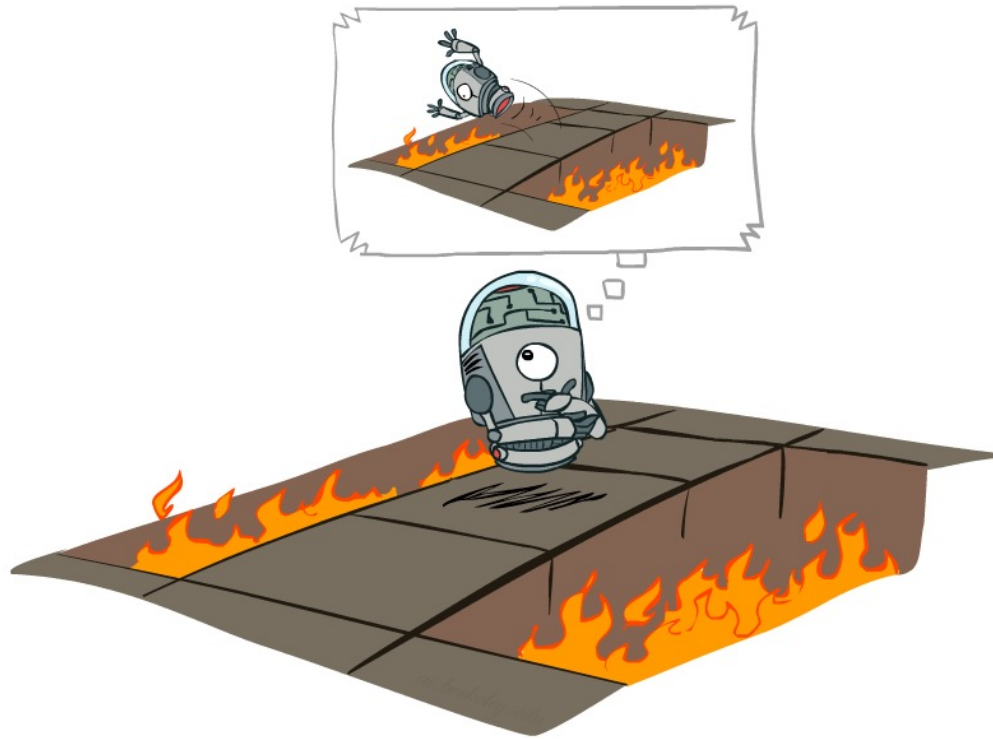
- ❑ Still looking for a policy $\pi(s)$

- ❑ New twist: don't know T or R

- I.e. we don't know which states are good or what the actions do
- Must actually try out actions and states to learn



Offline (MDPs) vs. Online (RL)

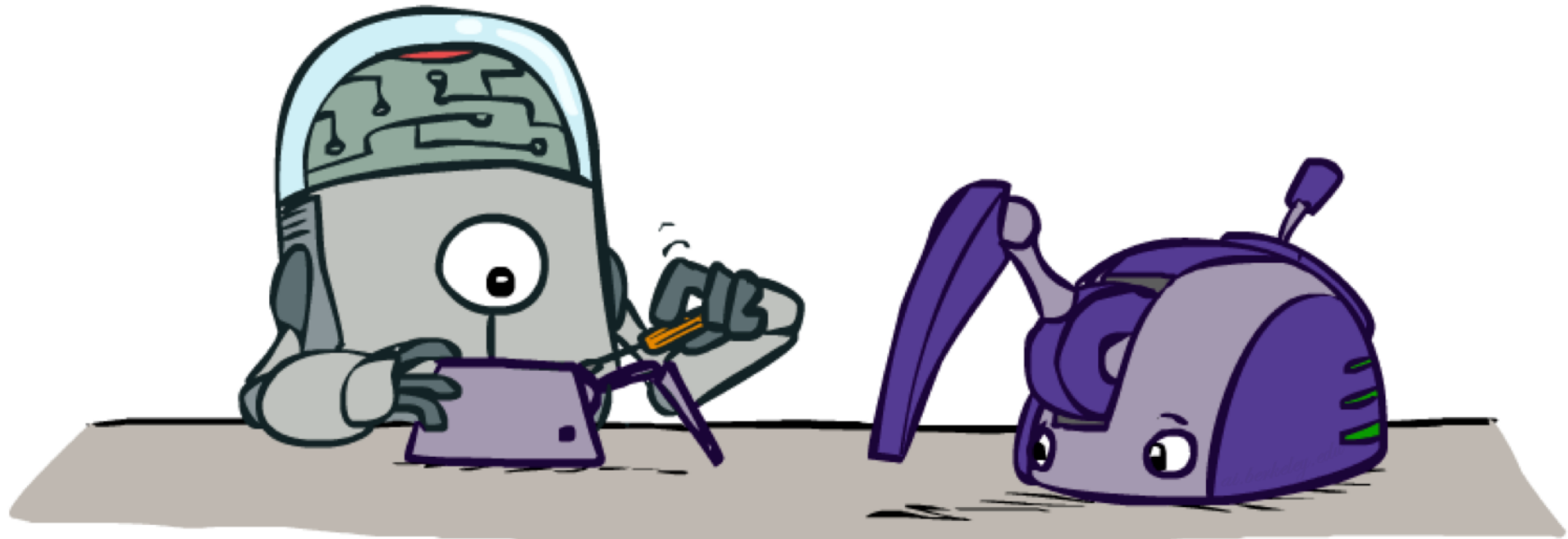


Offline Solution



Online Learning

Model-Based Learning



Model-Based Learning

❑ Model-Based Idea:

- Learn an approximate model based on experiences
- Solve for values as if the learned model were correct



❑ Step 1: Learn empirical MDP model

- Count outcomes s' for each s, a
- Normalize to give an estimate of $\hat{T}(s, a, s')$
- Discover each $\hat{R}(s, a, s')$ when we experience (s, a, s')

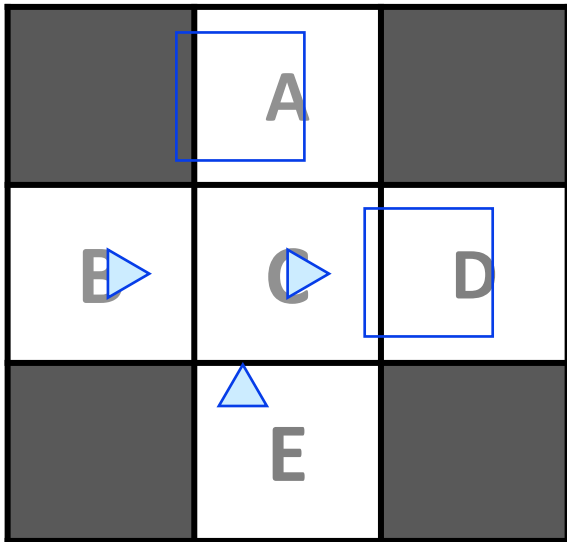


❑ Step 2: Solve the learned MDP

- For example, use value iteration, as before

Example: Model-Based Learning

Input Policy π



Assume: $\gamma = 1$

Observed Episodes (Training)

Episode 1

B, east, C, -1
C, east, D, -1
D, exit, x, +10

Episode 2

B, east, C, -1
C, east, D, -1
D, exit, x, +10

Episode 3

E, north, C, -1
C, east, D, -1
D, exit, x, +10

Episode 4

E, north, C, -1
C, east, A, -1
A, exit, x, -10

Learned Model

$$\hat{T}(s, a, s')$$

T(B, east, C) = 1.00
T(C, east, D) = 0.75
T(C, east, A) = 0.25
...

$$\hat{R}(s, a, s')$$

R(B, east, C) = -1
R(C, east, D) = -1
R(D, exit, x) = +10
...

Example: Expected Age

Goal: Compute expected age of cs188 students

Known $P(A)$

$$E[A] = \sum_a P(a) \cdot a = 0.35 \times 20 + \dots$$

Without $P(A)$, instead collect samples $[a_1, a_2, \dots, a_N]$

Unknown $P(A)$: “Model Based”

$$\hat{P}(a) = \frac{\text{num}(a)}{N}$$
$$E[A] \approx \sum_a \hat{P}(a) \cdot a$$

Why does this work? Because eventually you learn the right model.

Unknown $P(A)$: “Model Free”

$$E[A] \approx \frac{1}{N} \sum_i a_i$$

Why does this work? Because samples appear with the right frequencies.