

Cheat sheet - (Official!!)

- both sides of one sheet of paper
- A4 paper size
- your name and group on it
- you can write anything as long as is **written by your own hand**
- at the end of the exam, the **cheat sheet** will be also delivered

Please respect conditions stated here;
otherwise, you will not be allowed with the cheat sheet.

No other additional resources!

What kind of subjects ?

Please see any question/problem/exercise discussed/presented on slides, lecture or seminar classes.

The final exam subjects will not consist of complex problems

- no problems as project problems

Complexity analysis

Ex: Consider Dynamic Vector:

- a) D.S.
- b) specify and design addLast, reserve
- c) inserting a series of elements into a vector is a *linear or quadratic* time operation? Justify!

ADTs

- **(Short) ADTs**
Stack, Queue, Forward Iterator, ...
- **(Short) ADTs with some restrictions**
ADT Forward Iterator.
- use operations: hasNext, next
next – move to the next element and return it
- **Part of some ADTs**
ex.: modifiers operations

DS

- **representation (for a given ADT)**

Operations / subalg.

- **Specification & pseudocode**
- **Design (& with some restrictions)**
Consider insertBefore operation for a singly linked list.
Can the operation be done with list traversal, without or both?
(Specify consequences & pseudocode for possible operations).
- **Give subalg. for similar with the studied subalg.**
adapt studied algorithms
some algorithms were only only discussed
specify and design heapSort subalg. Present used d.s.
- **Use the subalg.**

Give (non-trivial) examples

Illustrate how subalg. works

Give 3 different degenerated BST containing values 1, 2, 3, 4

Insert a given values into a given RB-tree

describe the insert cases to be applied; show the result

True/false questions

Example:

Subject nr. 1

1. ADT Queue

2. Define a forward iterator for a binary tree; get elements on levels, left to right. (Do not use recursive subalgorithms)

- a) present traversal idea (ex.: original subalg.+ how to split code)
- b) representation & pseudocode;
specify any used or implemented operations
- c) Print all the elements stored in a binary tree; use the iterator.
 - specification & pseudocode
 - illustrate/describe what happens if the tree is empty

3. Open addressing and double hashing.

Suppose we have a hash table of size 13, and:

$$h_1(k) = k \bmod 13$$

$$h_2(k) = 1 + (k \bmod 11).$$

Illustrate the insertion of values 10, 22, 31, 4, 15, 17, 18, 19 into an initially empty hash table. (Present intermediary computations.)

4. An (almost) complete tree with height h has:

- a) 2^h nodes
- b) 2^{h+1} nodes
- c) between 2^h and 2^{h+1} nodes
- d) between 2^h and $2^{h+1}-1$ nodes