Parallel Programming in Haskell

- Parallelism has long been discussed in functional programming fields due to the immutable data and side-effect free computation
- No worry of deadlocks, starvations, synchronization, and locks
- Have to pay attention to execution granularity though

Fibonacci Sequence calculator

A small example

```
fib :: Integer -> Integer
fib n | n < 2 = 1
fib n = fib (n-1) + fib (n-2)

main = print $ fib 37</pre>
```

Spark Parallelism

- Control.Parallel library
- This gives us the par operation, allowing us to signal sites of potential parallelism

```
par :: a \rightarrow b \rightarrow b
Semantically par x y is equivalent to just y, but the runtime is allowed to use it as a hint.
```

Next try

```
import Control.Parallel

fib :: Integer -> Integer
fib n | n < 2 = 1
fib n = par nf ( fib (n-1) + nf )
where nf = fib (n-2)

main = print $ fib 37</pre>
```

- This makes the program slower.
- Why?

pseq

- Par nf (fib (n-1) + nf)
- In parallel evaluation, the RHS depends on the nf value, when the nf value is computed, a new nf dependency is introduced in the evaluation of fib (n-1)
- This is caused by the order in which (+) evaluates its arguments

We shouldn't need to consider something as low level as the order in which (+) handles its arguments...

- Evaluate nf1 while at the same time (evaluate nf2 and then return nf1 + nf2)

Much faster

Further Tweaking

- Overheads can dominate after a while
- Limit the number of new threads to allow more even distribution of work

```
import Control.Parallel

-- Sequential version of fib, when we want to avoid parallelism
sfib :: Integer -> Integer
sfib n | n < 2 = 1
sfib n = sfib (n-1) + sfib (n-2)

fib :: Integer -> Integer
fib 0 n = sfib n
fib _ n | n < 2 = 1
fib d n = par nf1 (pseq nf2 (nf1 + nf2))
where nf1 = fib (d-1) (n-1)
nf2 = fib (d-1) (n-2)

main = print $ fib 3 37</pre>
```

- Parameterised thread count
 - When thread count hits zero, evaluate remaining section of the numbers sequentially

The Eval Monad

- Control.Parallel has more to it
- Can separate algorithm and evaluation strategy
 - Eval Monad
 - Semantically an Identity monad, in the same way that par is an identity function

```
runEval :: Eval a -> a

rpar :: a -> Eval a

req :: a -> Eval a

req : My argument could be evaluated in parallel

req : Evaluate my argument and wait for the result

fib d n = runEval $ do

nf1 <- rpar $ fib (d-1) (n-1)

nf2 <- rseq $ fib (d-1) (n-2)

return $ nf1 + nf2
```

- The Control.Parallel.Strategies module defines many utilities for easily exploiting parallelism
 - Strategies for specifying strictness (play the role of seq)
 - Higher level functions for applying these (parList, parListChunk, etc) which can model algorithms like map-reduce
- **Example of Strategy -** Parallelizing a Sudoku Solver
 - (Assuming the existence of a solver: solve :: String -> Maybe Grid)

```
1 import Sudoku
2 import Control.Exception
   import System. Environment
   import Data. Maybe
   main :: IO ()
6
7 main = do
       [f] <- getArgs
       grids <- fmap lines $ readFile f
       print (length (filter isJust (map solve grids)))
10
   Version 1 is sequential:
   $ ./sudoku-par1 sudoku17.1000.txt +RTS -N4 -s
     Parallel GC work balance: 1.87% (serial 0%, perfect 100%)
   Now let's add some basic parallelism
main :: IO ()
   main = do
        [f] <- getArgs
       grids <- fmap lines $ readFile f
       let (as,bs) = splitAt (length grids 'div' 2) grids
6
            solutions = runEval $ do
                          as' <- rpar (force (map solve as))
                          bs' <- rpar ( force ( map solve bs))
                          _ <- rseq as'
11
                          - <- rseq bs'</pre>
12
                          return ( as' ++ bs' )
       print (length (filter isJust solutions))
```

- Version 2 is far more efficient
- We can build Utilities in the Eval Monad

```
parallelMap :: (a -> b) -> [a] -> Eval [b]
parallelMap f [] = return []
parallelMap f (a:as) = do
    b <- rpar (f a)
    bs <- parallelMap f as
    return (b:bs)

main :: IO ()
main = do
    [f] <- getArgs
    file <- readFile f

let puzzles = lines file
    solutions = runEval (parallelMap solve puzzles)

print (length (filter isJust solutions))</pre>
```

- The library provides lots of pre-defined utilities:
 - Strategies: Control.Parallel.Strategies

- Evaluation strategies represent a parameterized hof to capture attempts to introduce parallelism
- Type Strategy a = a -> Eval a
- Evaluate pairs in parallel

- Nice way to apply these strategies: 'using'

```
using :: a -> Strategy a -> a
x `using` s = runEval (s x)
```

- Strategies in the library are parameterised to allow us more control

```
evalPair :: Strategy a -> Strategy b -> Strategy (a,b)
evalPair sa sb (a,b) = do a' <- sa a
b' <- sb b
return (a',b')
which allows us to make various pairwise evaluation strategies:
parPair = evalPair rpar rpar
parSeqPair = evalPair rpar rseq
```

-

Available library strategies

```
· r0 :: Strategy a
          · rseq :: Strategy a
          · rpar :: Strategy a
          • rparWith :: Strategy a -> Strategy a

    rdeepseq :: NFData a => Strategy a

   the NFData class represents data which can be fully evaluated.
rnf :: a -> ()
rnf a = a `seq` ()
     • rparWith :: Strategy a -> Strategy a
   This can "wrap" an rpar around it's argument strategy. For example:
parPair sa sb = evalPair (rparWith sa) (rparWith sb)
   Instead of the very parallel parallelMap we developed, the library has a param-
   eterised implementation using some utilities:
evalList :: Strategy a -> Strategy [a]
   evalList s [] = return []
   evalList s (x:xs) = do x' <- s x
                           xs' <- evalList s xs
4
                           return (x':xs')
5
   parList :: Strategy a -> Strategy [a]
   parList s = evalList (rparWith s)
4 parMap :: Strategy b -> (a -> b) -> [a] -> [b]
  parMap s f = (map f) 'using' (parList s) . map f
   Our Sudoku solver could have been written
let solutions = map solve puzzles 'using' parList rseq
   Many more utilities and strategies in the Control.Parallel module
```