

# Using Overleaf and Beamer for Economics Presentation

Lifeng Ren

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# Contents



## Topic (Research Question)

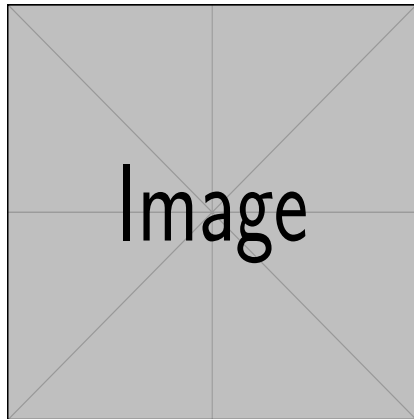
How to use overleaf and beamer to make an economics research presentation?

- (Methodology) I use different  $\text{\LaTeX}$  packages and third-party tools to show the audience how to use overleaf and beamer interactively in an applied economics research flow.
- (Results) They are happy.



# Bullet point and Image side by side

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- second item bla bla bla bla some more text bla bla
- third item bla bla bla bla some more text bla bla bla bla bla bla



# Switch Gear





## Definition (Schrodinger's equation)

$$i\hbar \frac{d}{dt} \psi(t) = H\psi(t) \quad (1)$$

Under these assumptions, an infinite-horizon decision problem takes the following form:

$$V(x_0) = \max_{\{a_t\}_{t=0}^{\infty}} \sum_{t=0}^{\infty} \beta^t F(x_t, a_t)$$

subject to the constraints

$$a_t \in \Gamma(x_t), x_{t+1} = T(x_t, a_t), \forall t = 0, 1, 2, \dots$$

# Theoretical Diagram

<https://jackypacky.github.io/pgf-econ-graphs/guide.pdf>

<https://mirror.math.princeton.edu/pub/CTAN/graphics/pgf/base/doc/pgfmanual.pdf>

[http://static.latexstudio.net/wp-](http://static.latexstudio.net/wp-content/uploads/2016/06/tikzforeconomists-110619150244-phpapp01.pdf)

[content/uploads/2016/06/tikzforeconomists-110619150244-phpapp01.pdf](http://static.latexstudio.net/wp-content/uploads/2016/06/tikzforeconomists-110619150244-phpapp01.pdf)

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# Contents

# Algorithm

```
type brow : int[ $M + 1$ ]  
type bcol : int[ $N + 1$ ]  
type val : real[ $k$ ]  
type val_ptr : int[ $K + 1$ ]  
type ind : int[ $K$ ]  
type ptr : int[ $M + 1$ ]  
1 foreach block row  $l$  do  
2    $i_0 \leftarrow brow[l]$   
3    $r \leftarrow brow[l + 1]$   
4   Let  $\hat{y} \leftarrow y_{i_0:(i_0+r-1)}$   
5   for  $b = ptr[l]$  to  $ptr[l + 1]$  do  
6      $J \leftarrow ind[b]$   
7      $j_0 \leftarrow bcol[J]$   
8      $c \leftarrow bcol[J + 1] - bcol[J]$   
9     Let  $\hat{x} \leftarrow x_{j_0:(j_0+c-1)}$   
10    Let  $\hat{A} \leftarrow a_{i_0:(i_0+r-1), j_0:(j_0+c-1)}$   
11    Perform  $r \times c$  block multiply,  
     $\hat{y} \leftarrow \hat{y} + \hat{A} \cdot \hat{x}$   
12  end  
13 end
```

# Bullet point and Image side by side

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- second item bla bla bla bla some more text bla bla
- third item bla bla bla bla some more text bla bla bla bla bla bla

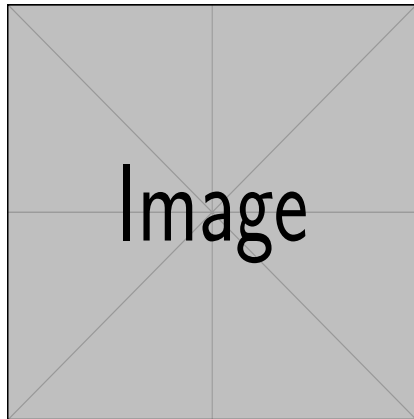




Table: Table caption

Treatments	Response 1	Response 2
Treatment 1	0.0003262	0.562
Treatment 2	0.0015681	0.910
Treatment 3	0.0009271	0.296

A Standard Regression Table

	A		B	
	Weight (lbs.) (1)	Weight (lbs.) (2)	Price (3)	Price (4)
Mileage (mpg)	-108.432*** (9.346)	-91.220*** (8.822)	-49.512 (86.156)	21.854 (74.221)
Car origin		-550.052*** (110.908)		3673.060*** (683.978)
Weight (lbs.)			1.747** (0.641)	3.465*** (0.631)
Constant	5328.759*** (206.152)	5125.720*** (183.533)	1946.069 (3597.050)	-5853.696 (3376.987)
Time Effects	No	No	No	No
Fixed Effects	No	No	No	No
Observations	74	74	74	74
R-squared	0.652	0.741	0.293	0.500

Standard errors in parentheses

\*  $p < 0.05$ , \*\*  $p < 0.01$ , \*\*\*  $p < 0.001$



# Optimal Control Model (Pollution Cap)





# Thanks

Thanks a lot.

# Reference I