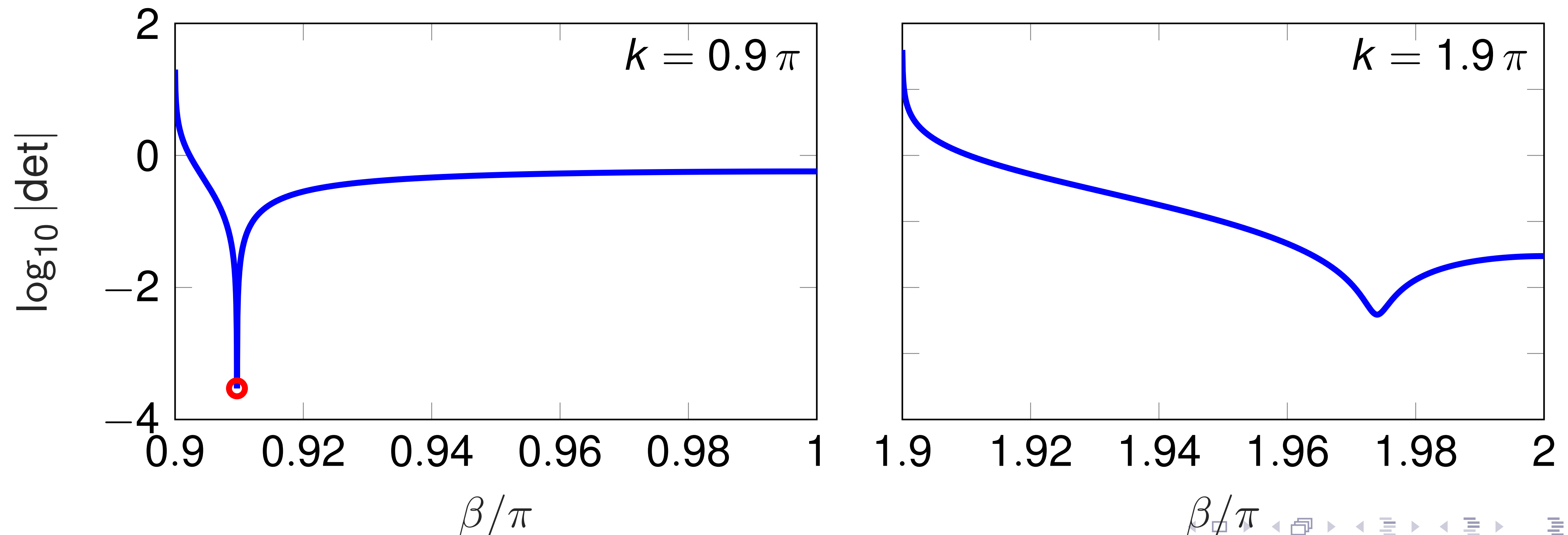




# Calculating Rayleigh–Bloch waves: Standard approach

**Method: Fixed geometry and  $k \in \mathbb{R}$**

- Apply (Graf) interaction theory along infinite array.
- Assume quasi-periodicity  $\exp(i n \beta)$  between cylinders ( $n \in \mathbb{Z}$ ).
- Use lattice sums and derive homogeneous system.
- Determinant = dispersion relation for  $\beta$ .

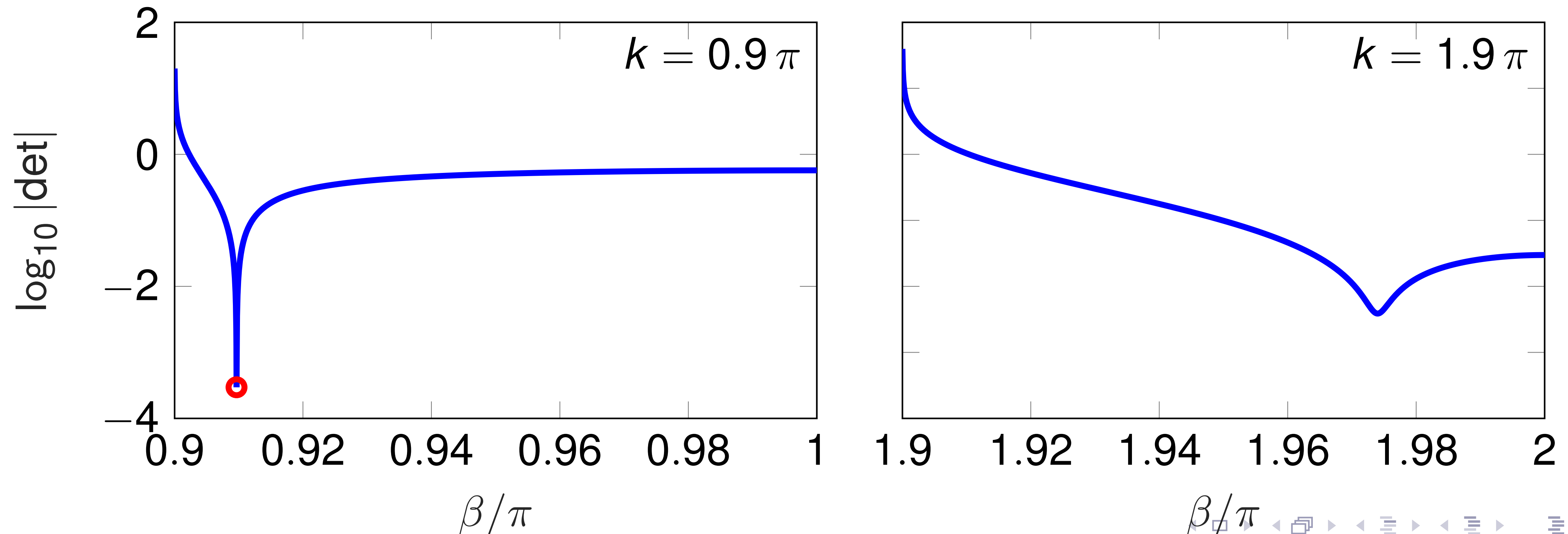




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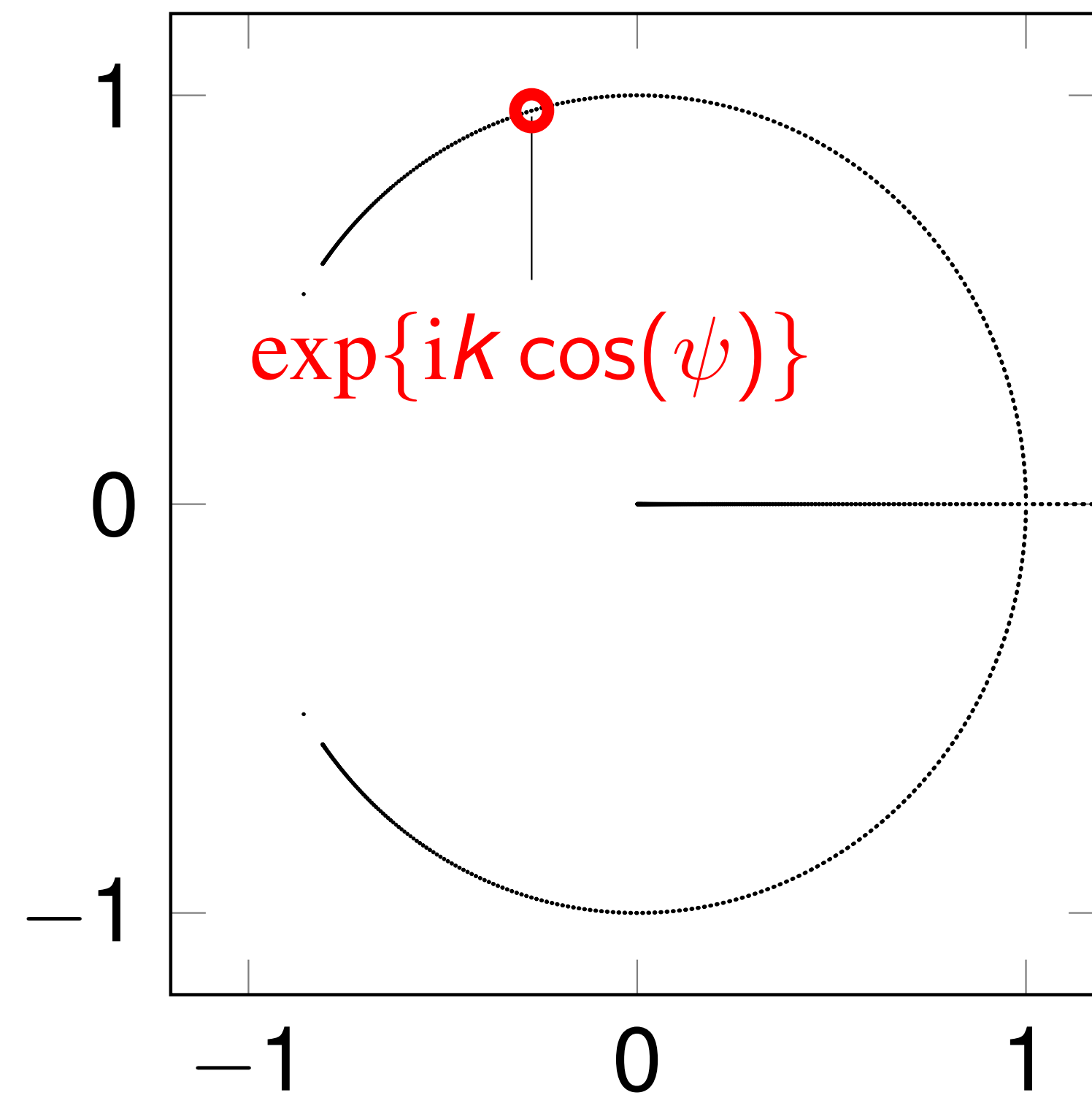
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# Transfer operator: Spectrum below cut-off

**Example:**  $a = 0.25$ ;  $k = 0.8\pi$

Eigenvalues  $\in \mathbb{C}$



Eigenfunction

