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**Coverage: Sinusoids**

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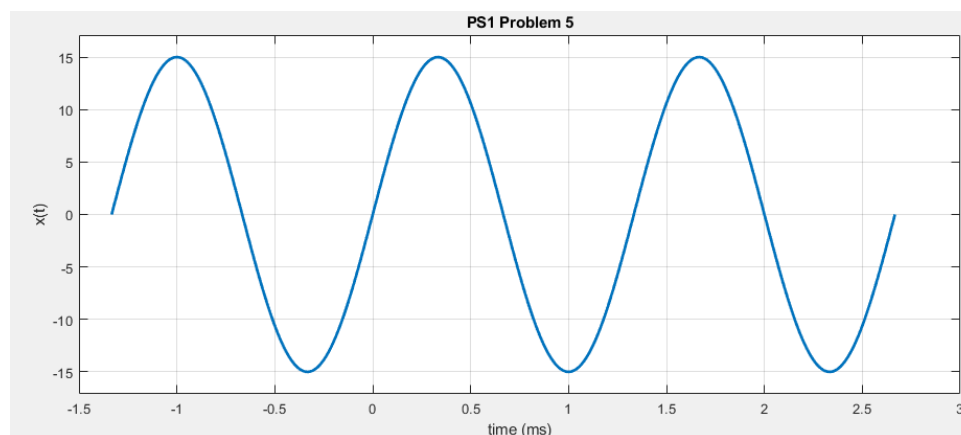
**Instructions**

- Review the “Problem Set Procedures and Grading Rubric” on Moodle. Pay special attention to the format requirements to avoid needless point deductions.
- Install the “SPFirst” MATLAB toolbox. See instructions on Moodle. Type “sindrill” at the MATLAB prompt to verify proper installation.
- Explore the contents of the textbook companion site at [dspfirst.gatech.edu](http://dspfirst.gatech.edu). Look for the large number of worked examples similar to the assigned problems.

**Problems**

*Plot problems 1 - 3 by hand.*

- (1) End-of-chapter problem P-2.1
- (2) Repeat 1, using  $x(t) = 25 \cos(2\pi 200t - 0.75\pi)$ . Use a time range long enough to plot several cycles and include the time origin  $t = 0$ .
- (3) Repeat 1, using  $x(t) = \sqrt{19} \cos(2 \cdot 10^6 \pi t + 0.25\pi)$ . Adjust the time scale to microseconds as the time unit and to plot several cycles as before with origin  $t = 0$
- (4) End-of-chapter problem P-2.2
- (5) Repeat 4 for the following sinusoidal signal.



- (6) Confirm your work on problems 1 - 5 with MATLAB as follows:

➤ Problems 1, 2, and 3:

- Plot the sinusoids for several cycles; include  $t=0$  as well as negative and positive time

- Define the variables  $A$  (amplitude),  $f_{\text{Hz}}$  (frequency; the underscore followed by the unit makes the variable name self-documenting), and  $\phi_{\text{rad}}$  (phase angle in radians)
- Create an array of time samples with units of seconds  $tt\_s$  to serve as the independent axis:

```
tt_s = tstart : tstep : tfinal;
```

where  $t_{\text{start}}$  is the initial time,  $t_{\text{final}}$  is the final time, and  $t_{\text{step}}$  is the step size, that is, the time interval between individual time samples; the sinusoid's period divided by 100 works well for the step size to produce a smooth-looking trace

- Calculate the sinusoidal signal as an array of samples ( $x$  is generated as an array because  $tt\_s$  is an array, all the other variables are scalars):

```
x = A*cos(2*pi*f_Hz*tt_s + phi_rad);
```

- Include axis labels and units on the plot
- Plot higher-frequency sinusoids with more convenient time units such as milliseconds or microseconds by scaling the time axis, for example, `plot(tt_s*1e3,x)` plots the signal  $x$  as a function of time in milliseconds
- Adjust the line thickness of the signal trace like this: `plot(tt_s,x,'LineWidth',n)` where the number  $n$  defines the thickness ( $n=2$  often works well)
- Insert a “data tip” label at the positive peak closest to  $t=0$  to display the amplitude and time shift as a check on your previous calculations; simply click on the signal trace to place the data tip label (it is movable, too)

➤ Problems 4 and 5:

- Plot the sinusoids based on the three values you found ( $A$ ,  $\omega_0$ , and  $\phi$ )
- Follow the remaining guidelines established above

➤ Problems 1 through 5:

- Screen clip each plot and associated `.m` code onto a single page for each problem
- Attach the five hardcopy pages to the end of your problem set
- No need to write the usual “Given – Find – Solution” section heading