









🖣 🛮 JAVA | 2 approaches | Fully explained 🔽

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1. Brute force approach (TLE):

```
Java
class Solution {
    public int subarraysDivByK(int[] nums, int k) {
        // check all possible subarrays,
        // take their sum, increment the count if divisible by k
        int total = 0;
        for (int i = 0; i < nums.length; i++) {
            int sum = 0:
            for (int j = i; j < nums.length; j++) {
                sum += nums[j];
                if (sum % k == 0) {
                    total++;
                }
            }
        return total;
}
// 0(n ^ 2), SC: 0(1)
```

2. Optimal approach (using hashmap):

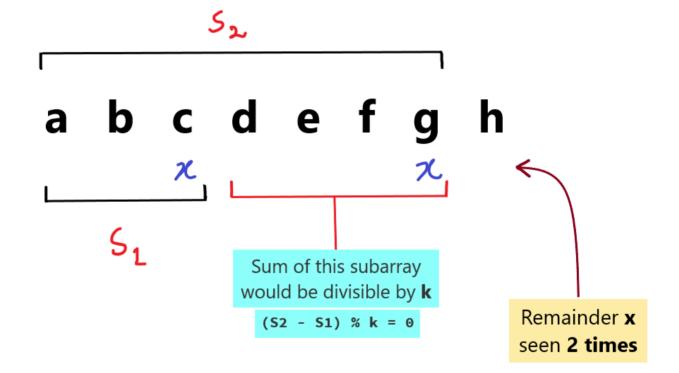
We will be using a hashmap to store **remainders** of the running sum of our array at each index.

The logic behind this is that if we encounter a remainder which was already encountered before, it means that the sum of the subarray from from the index right next to that point to our current point is divisible by \diamondsuit 25 \diamondsuit \diamondsuit

Say at index $\ _{i}$, we got a remainder $\ _{x}$, after that we got the same remainder $\ _{x}$ at index $\ _{i}$.

It means that the sum of the subarray from index i+1 to j is divisble by k (or we can say that the sum of the subarray from index i+1 to j yields a remainder 0 when divided by k).

```
Remainder at index i = Remainder at index j S2 % k = S1 % k 
=> S2 % k - S1 % k = 0 
=> (S2 - S1) % k = 0 
=> (Sum \ of \ subarray \ from \ i + 1 \ to \ j) % k = 0
```



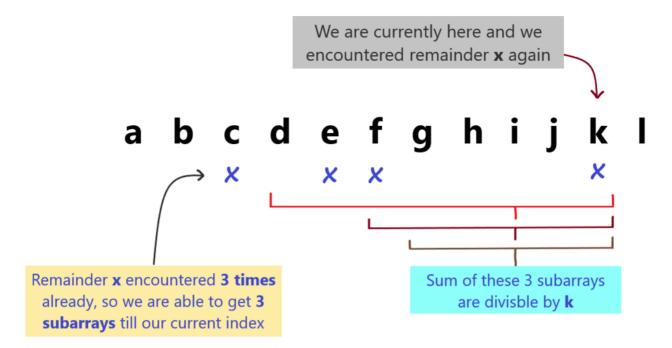
Say the frequency of a remainder \times is 3.

It means that at 3 points, remainder 3 was encountered.

So if we draw a subarray from the next index of all those 3 points to our current index, we will get a sum divisible by k, so we will add that 3 to our answer.

At the end we will increment $\ \ 3$ to $\ \ 4$ (the count of $\ \ \times$) because our current index is one more point where we have encountered $\ \ \times$.

So next time we enounter × again, we will be able to draw 4 subarrays from 4 points and add 4 to our answer.



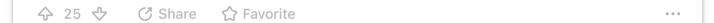
Code:

```
Java
class Solution {
    public int subarraysDivByK(int[] nums, int k) {
        // map to store the remainders and number of times they've been encounts
       Map<Integer, Integer> map = new HashMap<>();
       // our sum is initially 0, and 0 is also divisible by k
       // there would be a case when remainder would actually be zero
       // so the array from the beginning to that index is our candidate subarr
        // so to address that case, so we put <0, 1> initially
       map.put(0, 1);
        int runningSum = 0, ans = 0;
        for (int n : nums) {
            runningSum += n;
                                     // add the element to the running sum
            int rem = runningSum % k; // get the remainder by k of our running
                                      // in case remainder < 0,</pre>
            if (rem < 0) {
                rem += k;
                                       // add divisor (k) to make it +ve
            // if we already encountered the remainder, we add the frequency map
            // that frequency is nothing but the number of subarrays whose sum h
           ans += map.getOrDefault(rem, 0);
            // after that, we increment the frequency of that remainder,
            // because we have encountered it again so the number of subarrays i
           map.put(rem , 1 + map.getOrDefault(rem, 0));
       return ans; // return the answer
}
                                ☆ 25
```

```
// TC: 0(n), SC: 0(n)
```

Clean solution:

```
Java
class Solution {
    public int subarraysDivByK(int[] nums, int k) {
        Map<Integer, Integer> map = new HashMap<>();
        map.put(0, 1);
        int runningSum = 0, ans = 0;
        for (int n : nums) {
            runningSum += n;
            int rem = runningSum % k;
            if (rem < 0) {
                rem += k;
            ans += map.getOrDefault(rem, 0);
            map.put(rem , 1 + map.getOrDefault(rem, 0));
        }
        return ans;
    }
}
```





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Thanks. It makes me understand why it works.



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