

1. 语言 and 文法

文法 (grammar)

表达语言构成规则的形式化方法

$G=(V_N, V_T, S, P)$

V_N :非终结符集

V_T :终结符集

S :文法开始符号

P :产生式 $A \rightarrow \alpha$

由文法产生语言 (3型)

Regular
Grammar

例： 设文法 $G_1 = (\{S\}, \{a, b\}, S, P)$ ， 其中 P 为：

(0) $S \rightarrow aS$

(1) $S \rightarrow a$

(2) $S \rightarrow b$

答： $L(G_1) = \{a^i(a \mid b) \mid i \geq 0\}$

由文法产生语言 (2型)

例： 设文法 $G_2 = (\{S\}, \{a,b\}, P, S)$ ， 其中P为：

$$(0) S \rightarrow aSb$$

$$(1) S \rightarrow ab$$

答： $L(G_2) = \{a^n b^n | n \geq 1\}$

由语言构造文法 - 题型

- 构造形如 $a^m b^n$ 的语言的文法

$$S \rightarrow \underbrace{a \cdots a}_{m \uparrow a} S \underbrace{b \cdots b}_{n \uparrow b} \mid \varepsilon$$

- $a^i b^j, (i \geq 2j, j \geq 1)$

$$a^{i-2j} \textcolor{red}{a}^{2j} \textcolor{red}{b}^j$$

由语言构造文法 (续)

例： 设 $L_2 = \{a^i b^j c^k \mid i, j, k \geq 1 \text{ 且 } a, b, c \in V_T\}$ ， 试构造生成 L_2 的文法 G_2 。

答：

- (0) $S \rightarrow aS \mid aB$
- (1) $B \rightarrow bB \mid bC$
- (2) $C \rightarrow cC \mid c$ L2R

- (0) $S \rightarrow ABC$
- (1) $A \rightarrow aA \mid a$
- (2) $B \rightarrow bB \mid b$
- (3) $C \rightarrow cC \mid c$ T2B

构造无 ε 产生式的上下文无关文法

- 无 ε 产生式的上下文无关文法要满足条件
 - 若P中含 $S \rightarrow \varepsilon$ ，则S不出现在任何产生式右部，其中S为文法的开始符号；
 - P中不再含有其它任何 ε 产生式。

例题

设 $G_1 = (\{S\}, \{a, b\}, P, S)$, 其中

P : (0) $S \rightarrow \varepsilon$ (1) $S \rightarrow aSbS$ (2) $S \rightarrow bSaS$

答案:

(1) $V_0 = \{S\}$

(2) P' : $S \rightarrow abS \mid aSbS \mid aSb \mid ab$

$S \rightarrow baS \mid bSaS \mid bSa \mid ba$

$S' \rightarrow \varepsilon \mid S$

(3) $G_1' = (\{S', S\}, \{a, b\}, P', S')$

二义性文法

$E \rightarrow E + E \mid E * E \mid (E) \mid i$

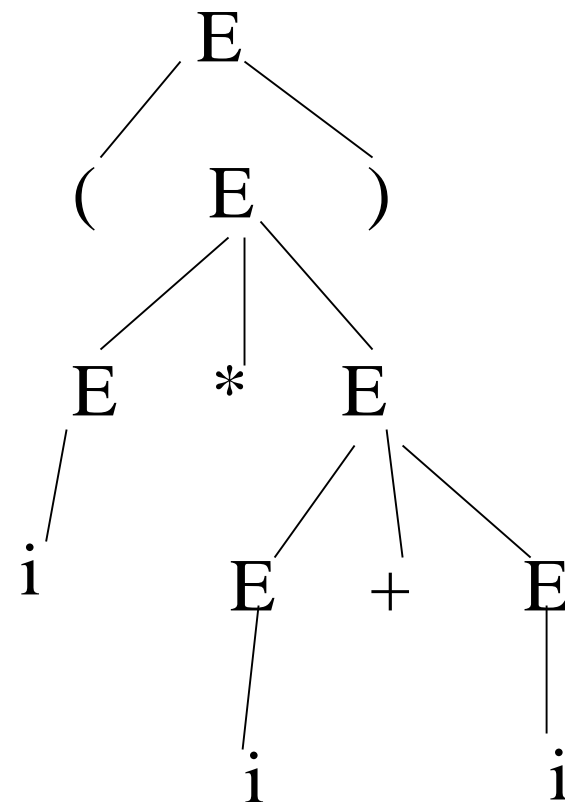
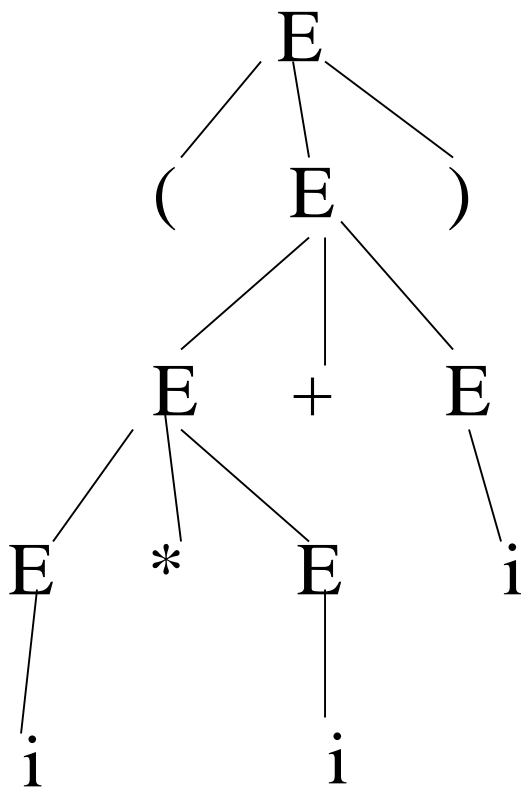
$(i * i + i)$

非二义性文法

$E \rightarrow T \mid E + T$

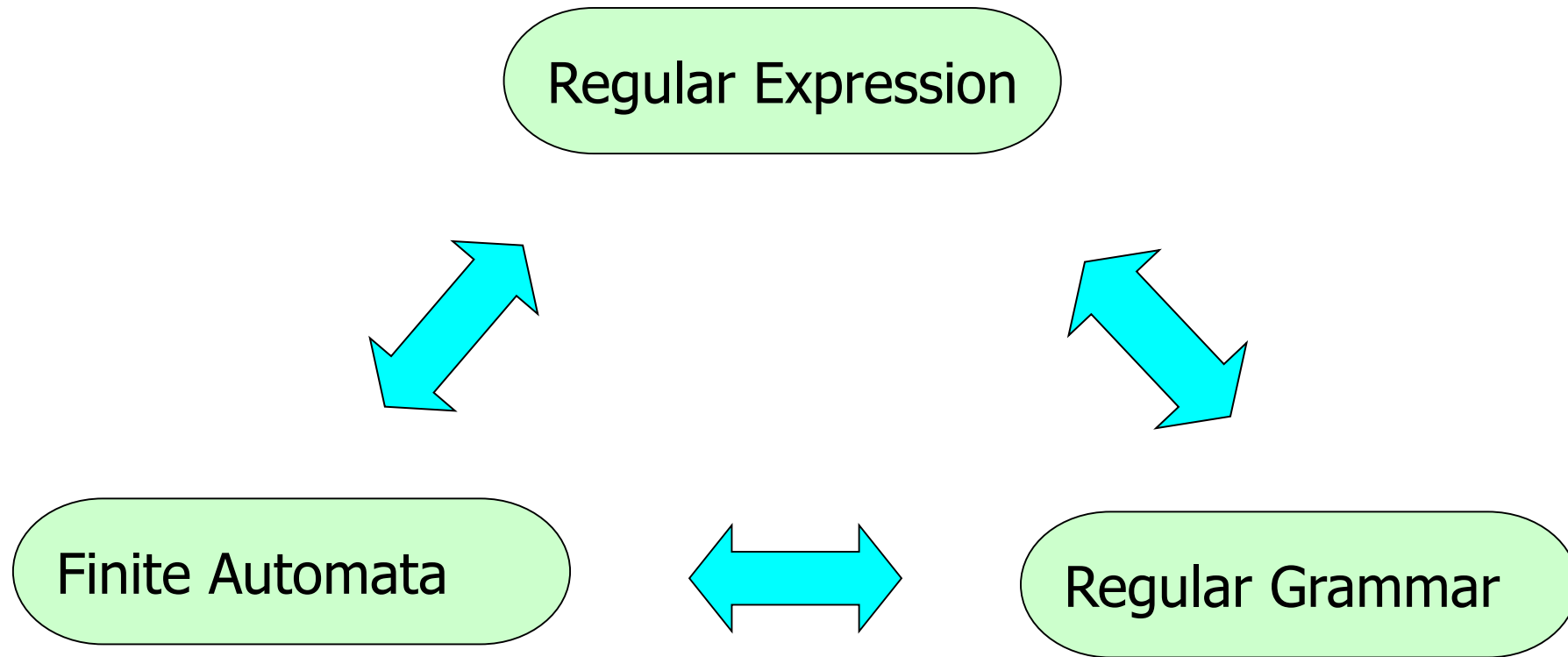
$T \rightarrow F \mid T * F$

$F \rightarrow (E) \mid i$



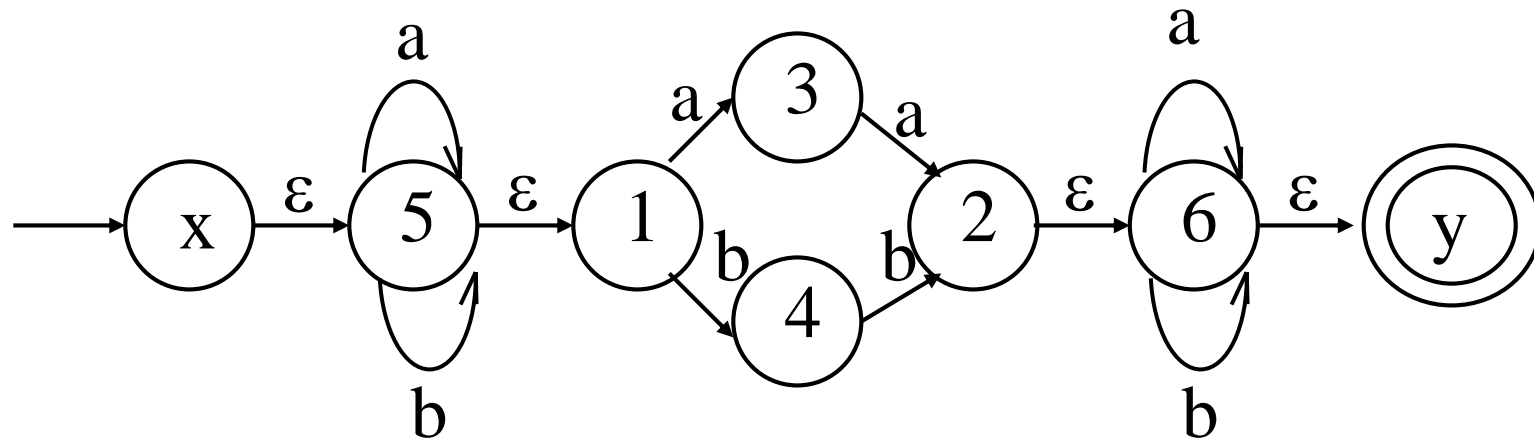
2. 词法分析

Theme of this Chapter

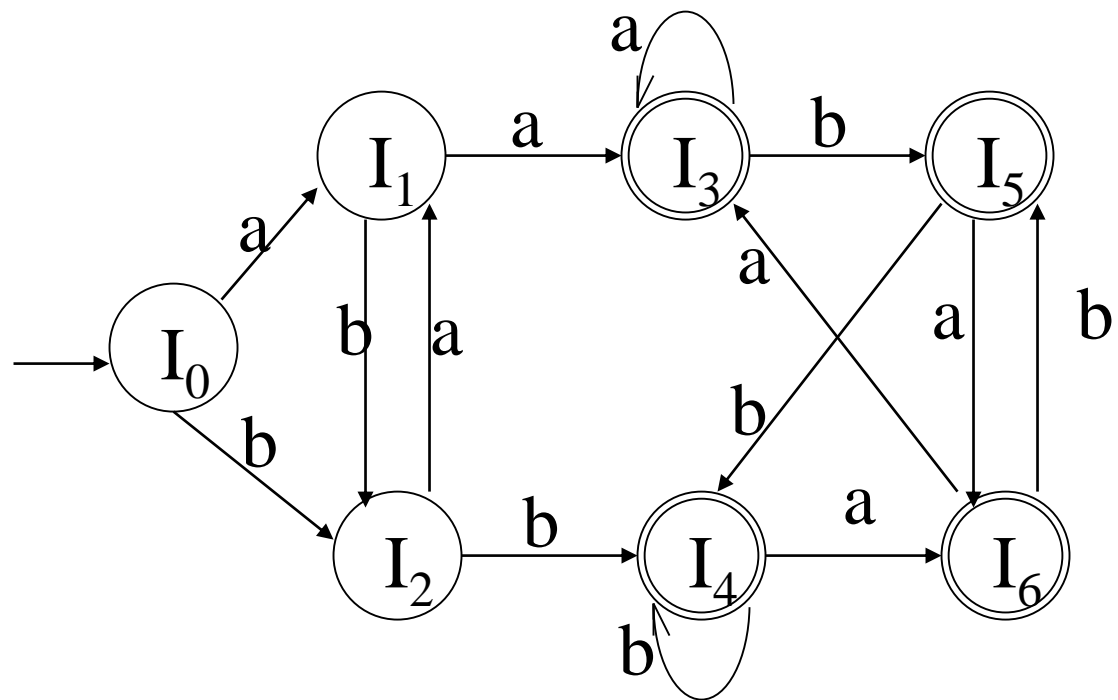


$NFA \rightarrow DFA \rightarrow DFA_{min}$

- Subset Construction algorithm
 - (1) $I_0 = \varepsilon\text{-closure}(S_0)$, $I_0 \in Q$
 - (2) For each I_i , $I_i \in Q$,
 - let $I_t = \varepsilon\text{-closure}(\text{move}(I_i, a))$
 - if $I_t \notin Q$, then put I_t into Q
 - (3) Repeat step (2), until there is no new state to put into Q
 - (4) Let $F = \{I \mid I \in Q, \text{ and } I \cap Z \neq \Phi\}$

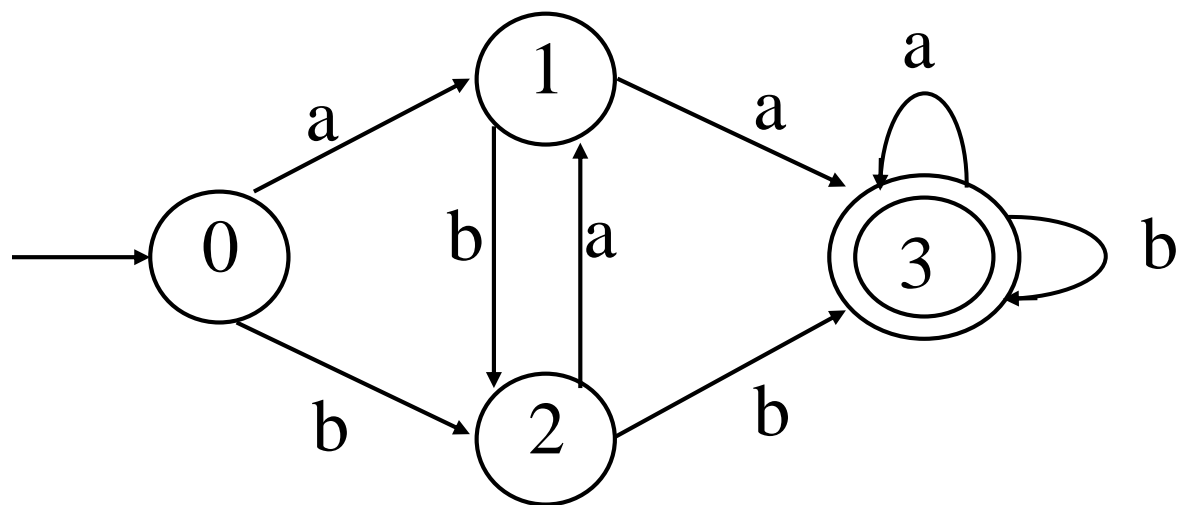


I	a	b
$I_0 = \{x, 5, 1\}$	$I_1 = \{5, 3, 1\}$	$I_2 = \{5, 4, 1\}$
$I_1 = \{5, 3, 1\}$	$I_3 = \{5, 3, 2, 1, 6, y\}$	$I_2 = \{5, 4, 1\}$
$I_2 = \{5, 4, 1\}$	$I_1 = \{5, 3, 1\}$	$I_4 = \{5, 4, 1, 2, 6, y\}$
$I_3 = \{5, 3, 2, 1, 6, y\}$	$I_3 = \{5, 3, 2, 1, 6, y\}$	$I_5 = \{5, 1, 4, 6, y\}$
$I_4 = \{5, 4, 2, 1, 6, y\}$	$I_6 = \{5, 3, 1, 6, y\}$	$I_4 = \{5, 4, 1, 2, 6, y\}$
$I_5 = \{5, 1, 4, 6, y\}$	$I_6 = \{5, 3, 1, 6, y\}$	$I_4 = \{5, 4, 1, 2, 6, y\}$
$I_6 = \{5, 3, 1, 6, y\}$	$I_3 = \{5, 3, 2, 1, 6, y\}$	$I_4 = \{5, 1, 4, 6, y\}$



$$\Pi_0 = \{ \{0,1,2\}, \{3,4,5,6\} \}$$

$$\Pi_1 = \{ \{1\}, \{0\}, \{2\}, \{3,4,5,6\} \}$$



FA

Write grammar for the following languages over the alphabet $\Sigma = \{0, 1\}$:

- (1) All strings that contain an odd number of 1's.
- (2) All strings which do not contain the substring 01.

3. 语法分析

To Avoid Backtracking

- No left recursion (direct & indirect)

$$P \rightarrow P\alpha|\beta \Rightarrow$$

$$P \rightarrow \beta P' \quad P' \rightarrow \alpha P'|\epsilon$$

- No common prefixes
extract common left factor
- No ambiguity
rewrite the grammar
operator: precedence & associativity
else dangling

Compute First & Follow Set

- FIRST(α)

$$\alpha = \alpha_1 \alpha_2 \dots \alpha_n$$

$$\text{FIRST}(\alpha) = \text{FIRST}(\alpha_1), \epsilon \notin \text{FIRST}(\alpha_1)$$

$$(\text{FIRST}(\alpha_1) - \{\epsilon\}) \cup (\text{FIRST}(\alpha_2) - \{\epsilon\}) \dots \\ \cup \text{FIRST}(\alpha_k)$$

$$\epsilon \in \text{FIRST}(\alpha_i) \ (1 \leq i < k), \ \epsilon \notin \text{FIRST}(\alpha_k)$$

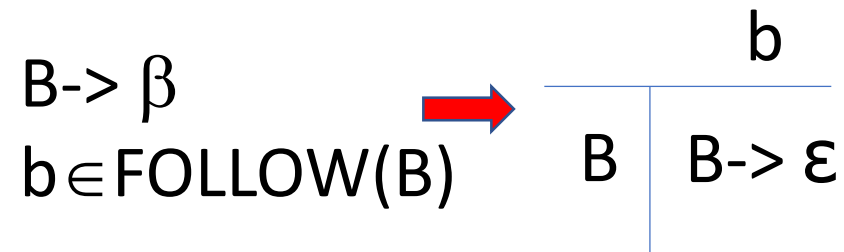
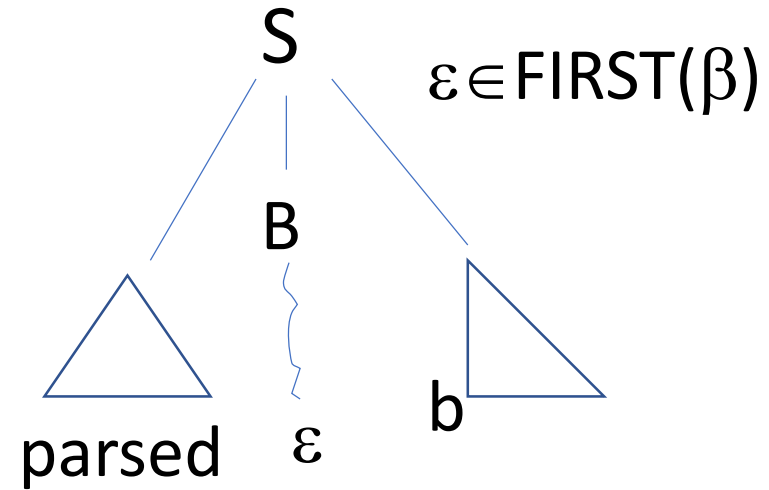
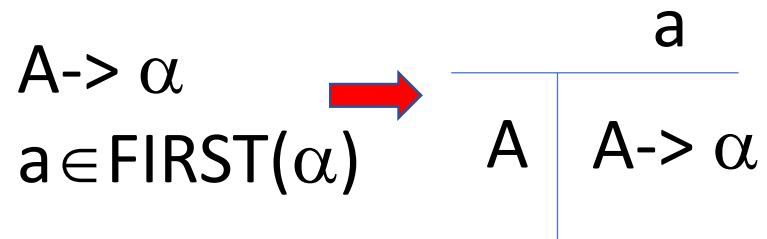
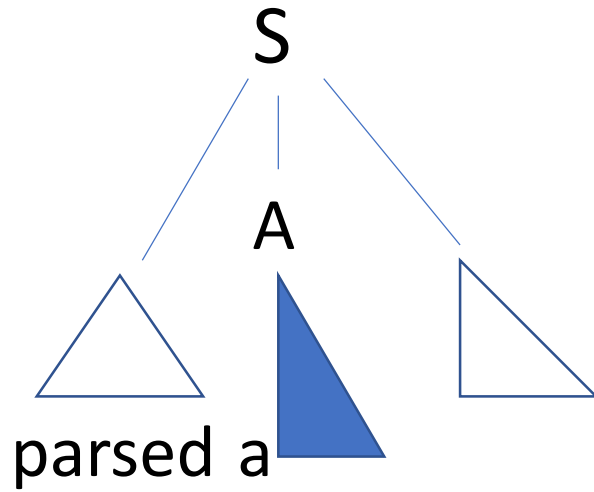
$$\epsilon \in \text{FIRST}(\alpha) \text{ if } \epsilon \in \text{FIRST}(\alpha_i) \ (1 \leq i \leq n)$$

- FOLLOW(N)

$$A \rightarrow \alpha N \beta \quad \text{Add } \text{FIRST}(\beta) - \{\epsilon\}$$

$$\text{If } \epsilon \in \text{FIRST}(\beta), \text{ or } A \rightarrow \alpha N, \text{ Add FOLLOW}(A)$$

Construct Predictive Parsing Table



LL(1) Grammar?

- Construct parsing table
look for multidefined entries
- Look at FIRST & FOLLOW sets

G is LL(1) \Leftrightarrow

whenever there exists $A \rightarrow \alpha | \beta$ in G ,

(1) $\text{FIRST}(\alpha) \cap \text{FIRST}(\beta) = \emptyset$

(2) At most one of α and β derive the ε ,

if $\beta \Rightarrow \varepsilon$, then $\text{FIRST}(\alpha) \cap \text{FOLLOW}(A) = \emptyset$

// Left recursion, common prefixes,

ambiguous grammar

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow (E) \mid \text{id}$$

$$1. E \rightarrow TE'$$

$$2. E' \rightarrow +TE'$$

$$3. E' \rightarrow \epsilon$$

$$4. T \rightarrow FT'$$

$$5. T' \rightarrow *FT'$$

$$6. T' \rightarrow \epsilon$$

$$7. F \rightarrow \text{id}$$

$$8. F \rightarrow (E)$$

$$\text{First}(E) = \text{First}(T) = \text{First}(F) = \{ (, \text{id} \}$$

$$\text{First}(E') = \{ +, \epsilon \}$$

$$\text{First}(T') = \{ *, \epsilon \}$$

$$\text{Follow}(E) = \text{Follow}(E') = \{), \$ \}$$

$$\text{Follow}(T) = \text{Follow}(T') = \{ +,), \$ \}$$

$$\text{Follow}(F) = \{ *, +,), \$ \}$$

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \rightarrow \epsilon$	$E' \rightarrow \epsilon$
T	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \rightarrow \epsilon$	$T' \rightarrow *FT'$		$T' \rightarrow \epsilon$	$T' \rightarrow \epsilon$
F	$F \rightarrow \text{id}$			$F \rightarrow (E)$		

LR Parsing

SLR(1): FOLLOW

LR(1):

LALR(1)

Closure(I)

repeat {

 for each item $[A \rightarrow \alpha \bullet B \beta, a]$ in I

 add all $[B \rightarrow \bullet \gamma, b]$ for all $b \in \text{FIRST}(\beta a)$ to I

 (if not already in I);

}until (no more items can be added to I);

1. $S' \rightarrow S$
2. $S \rightarrow CC$
3. $C \rightarrow cC \mid d$

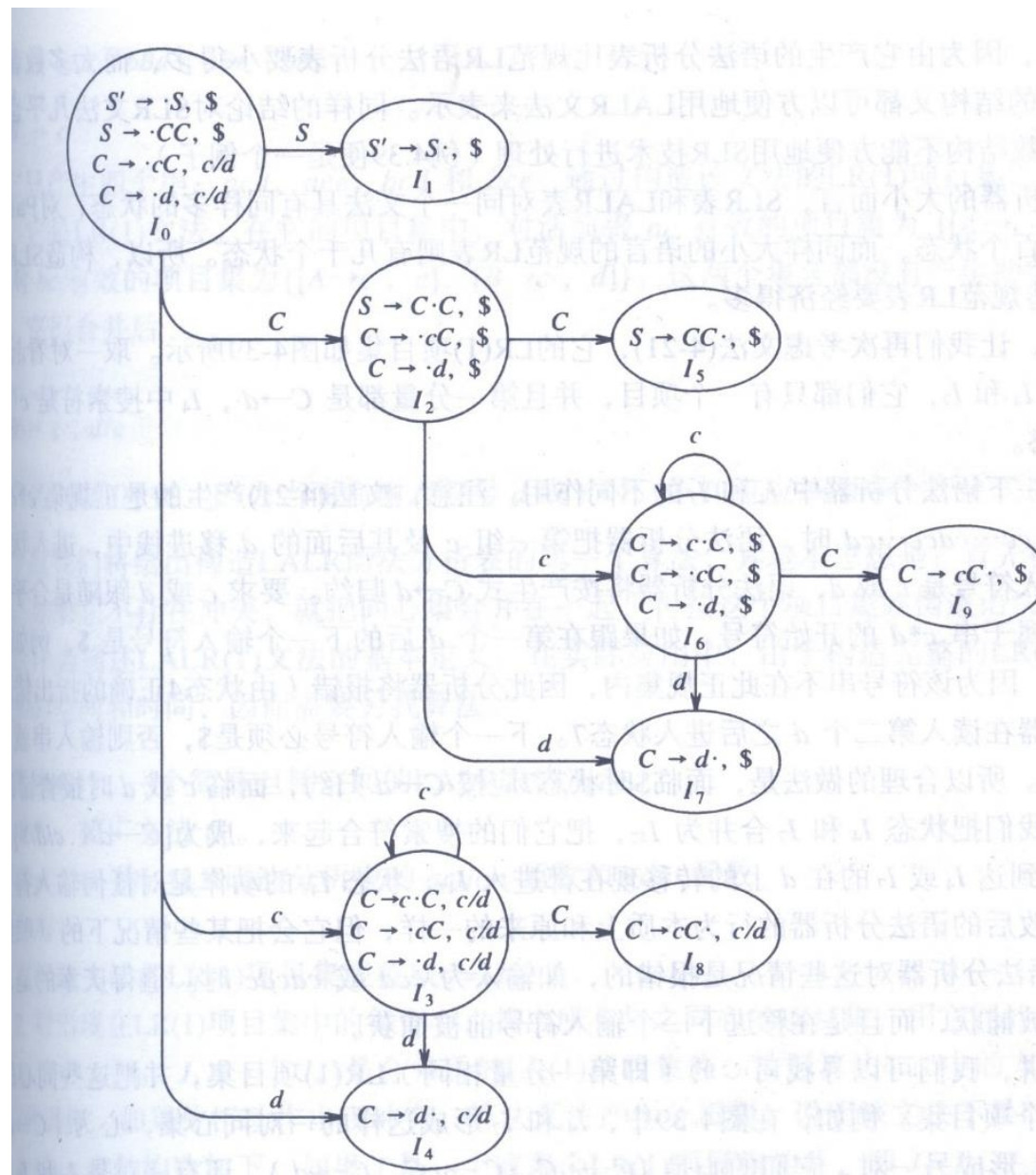
I_0 $S' \rightarrow \bullet S, \$$

$S' \rightarrow \bullet S, \$$

$S \rightarrow \bullet CC, \$$

$C \rightarrow \bullet cC, c \mid d$

$C \rightarrow \bullet d, c \mid d$



state	Action			goto	
	c	d	\$	S	C
0	S ₃	S ₄		1	2
1			acc		
2	S ₆	S ₇			5
3	S ₃	S ₄			8
4	r ₃	r ₃			
5			r ₁		
6	S ₆	S ₇			9
7			r ₃		
8	r ₂	r ₂			
9			r ₂		

文法二义性

I0: $E' \rightarrow \bullet E$
 $E \rightarrow \bullet E + E$
 $E \rightarrow \bullet E * E$
 $E \rightarrow \bullet (E)$
 $E \rightarrow \bullet \text{id}$

I1: $E' \rightarrow E \bullet$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

I2: $E \rightarrow (\bullet E)$
 $E \rightarrow \bullet E + E$
 $E \rightarrow \bullet E * E$
 $E \rightarrow \bullet (E)$
 $E \rightarrow \bullet \text{id}$

I3: $E \rightarrow \text{id} \bullet$

I4: $E \rightarrow E + \bullet E$
 $E \rightarrow \bullet E + E$
 $E \rightarrow \bullet E * E$
 $E \rightarrow \bullet (E)$
 $E \rightarrow \bullet \text{id}$

I5: $E \rightarrow E * \bullet E$
 $E \rightarrow \bullet E + E$
 $E \rightarrow \bullet E * E$
 $E \rightarrow \bullet (E)$
 $E \rightarrow \bullet \text{id}$

I6: $E \rightarrow (E \bullet)$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

I7: $E \rightarrow E + E \bullet$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

I8: $E \rightarrow E * E \bullet$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

I9: $E \rightarrow (E) \bullet$

$\text{FOLLOW}(E') = \{\$ \}$
 $\text{FOLLOW}(E) = \{\$, \text{), } *, +\}$

$\text{id} + \text{id} * \text{id}$
 $\text{Id} + \text{id} + \text{id}$ SLR(1)

$I_1: E' \rightarrow E \bullet$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

$I_7: E \rightarrow E + E \bullet$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

$I_8: E \rightarrow E * E \bullet$
 $E \rightarrow E \bullet + E$
 $E \rightarrow E \bullet * E$

	Action						goto
	id	+	*	()	\$	E
0	S_3			S_2			1
1		S_4	S_5			acc	
2	S_3			S_2			6
3		r_4	r_4		r_4	r_4	
4	S_3			S_2			7
5	S_3			S_2		r_1	8
6		S_4	S_5		S_9		
7		r_1/S_4	S_5/r_1		r_1	r_1	
8		r_2/S_4	r_2/S_5		r_2	r_2	
9		r_3	r_3		r_3	r_3	

id+id*id 0,1,4,7 E+E *id\$

Id+id+id 0,1,4,7 E+E +id\$

$I_7: E \rightarrow E+E \bullet$
 $E \rightarrow E \bullet +E$
 $E \rightarrow E \bullet *E$

$I_8: E \rightarrow E *E \bullet$
 $E \rightarrow E \bullet +E$
 $E \rightarrow E \bullet *E$

r_1/S_4	S_5/r_1
r_2/S_4	r_2/S_5

Specify
precedence
&
associativity

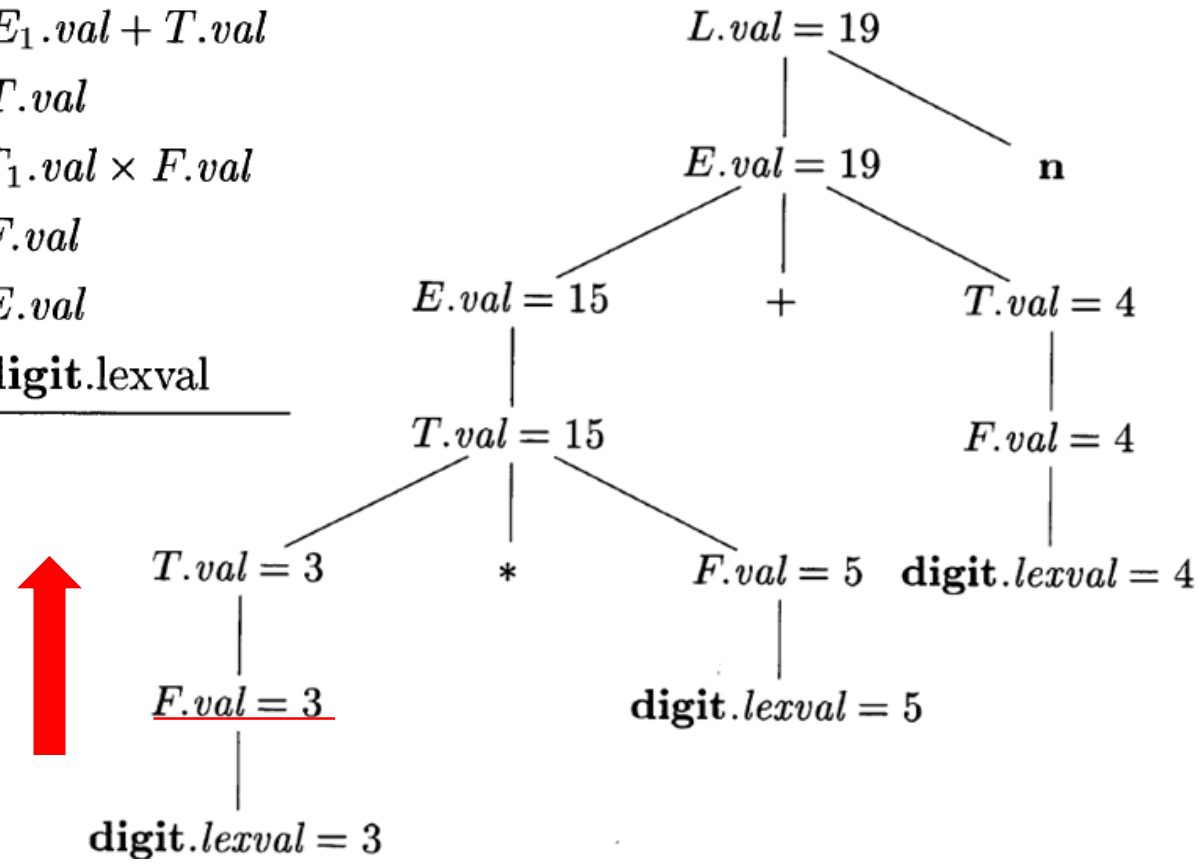
	Action						goto
	id	+	*	()	\$	E
0	S_3			S_2			1
1		S_4	S_5			acc	
2	S_3			S_2			6
3		r_4	r_4		r_4	r_4	
4	S_3			S_2			7
5	S_3			S_2		r_1	8
6		S_4	S_5		S_9		
7		r_1	S_5		r_1	r_1	
8		r_2	r_2		r_2	r_2	
9		r_3	r_3		r_3	r_3	

4. 语法制导翻译

E.g. Annotated parse tree for $3*5+4n$

产生式	语义规则
1) $L \rightarrow E n$	$L.val = E.val$
2) $E \rightarrow E_1 + T$	$E.val = E_1.val + T.val$
3) $E \rightarrow T$	$E.val = T.val$
4) $T \rightarrow T_1 * F$	$T.val = T_1.val \times F.val$
5) $T \rightarrow F$	$T.val = F.val$
6) $F \rightarrow (E)$	$F.val = E.val$
7) $F \rightarrow \text{digit}$	$F.val = \text{digit.lexval}$

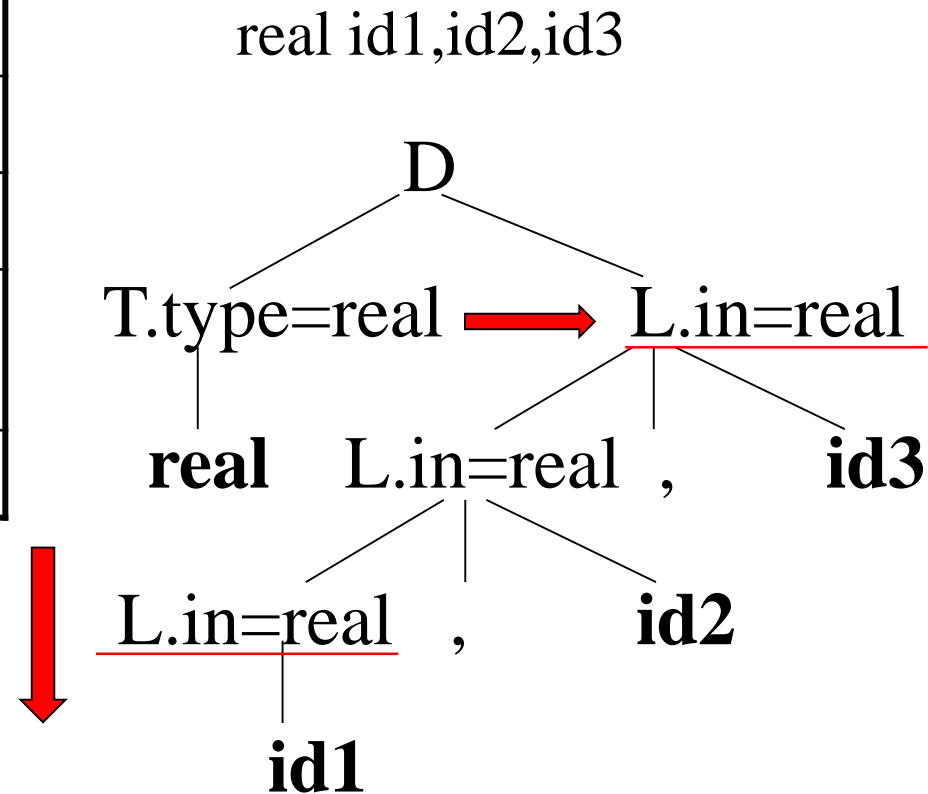
• $3*5+4n$



lexval, val: synthesized attribute

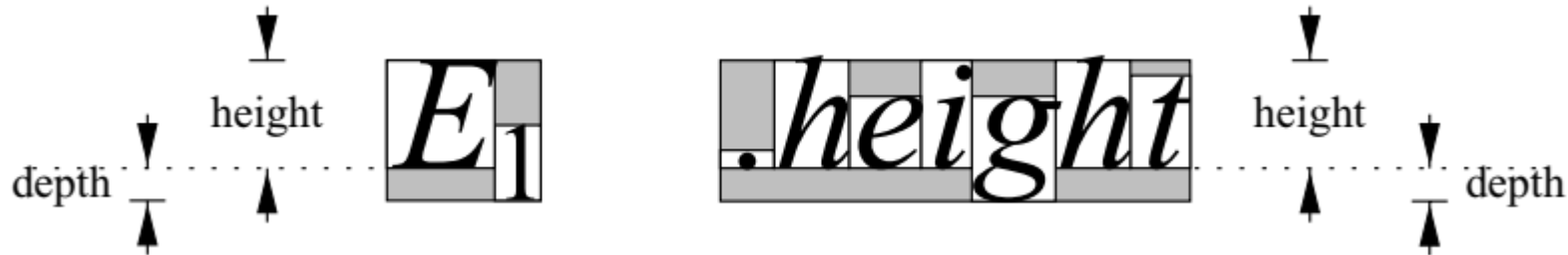
- E.g. Syntax-directed definition with inherited attribute L.in

Production	Semantic rules
$D \rightarrow T L$	$L.in = T.type$
$T \rightarrow \mathbf{int}$	$T.type = \text{integer}$
$T \rightarrow \mathbf{real}$	$T.type = \text{real}$
$L \rightarrow L^{(1)}, id$	$L^{(1)}.in = L.in$ $\text{addtype}(\mathbf{id}.entry, L.in)$
$L \rightarrow \mathbf{id}$	$\text{addtype}(\mathbf{id}.entry, L.in)$



in: inherited attribute
type: synthesized attribute

SDT for L-attributed SDD ---Typesetting Box



Production

$S \rightarrow B$

$B \rightarrow B_1 B_2$

$B \rightarrow \text{text}$

Semantic Rules

$B.ps = 10$

$B_1.ps = B.ps$

$B_2.ps = 0.7 * B.ps$

$B.ht = \max(B_1.ht, B_2.ht - 0.25 * B.ps)$

$B.dp = \max(B_1.dp, B_2.dp + 0.25 * B.ps)$

$B.ht = \text{getHt}(B.ps, \text{text.lexval})$

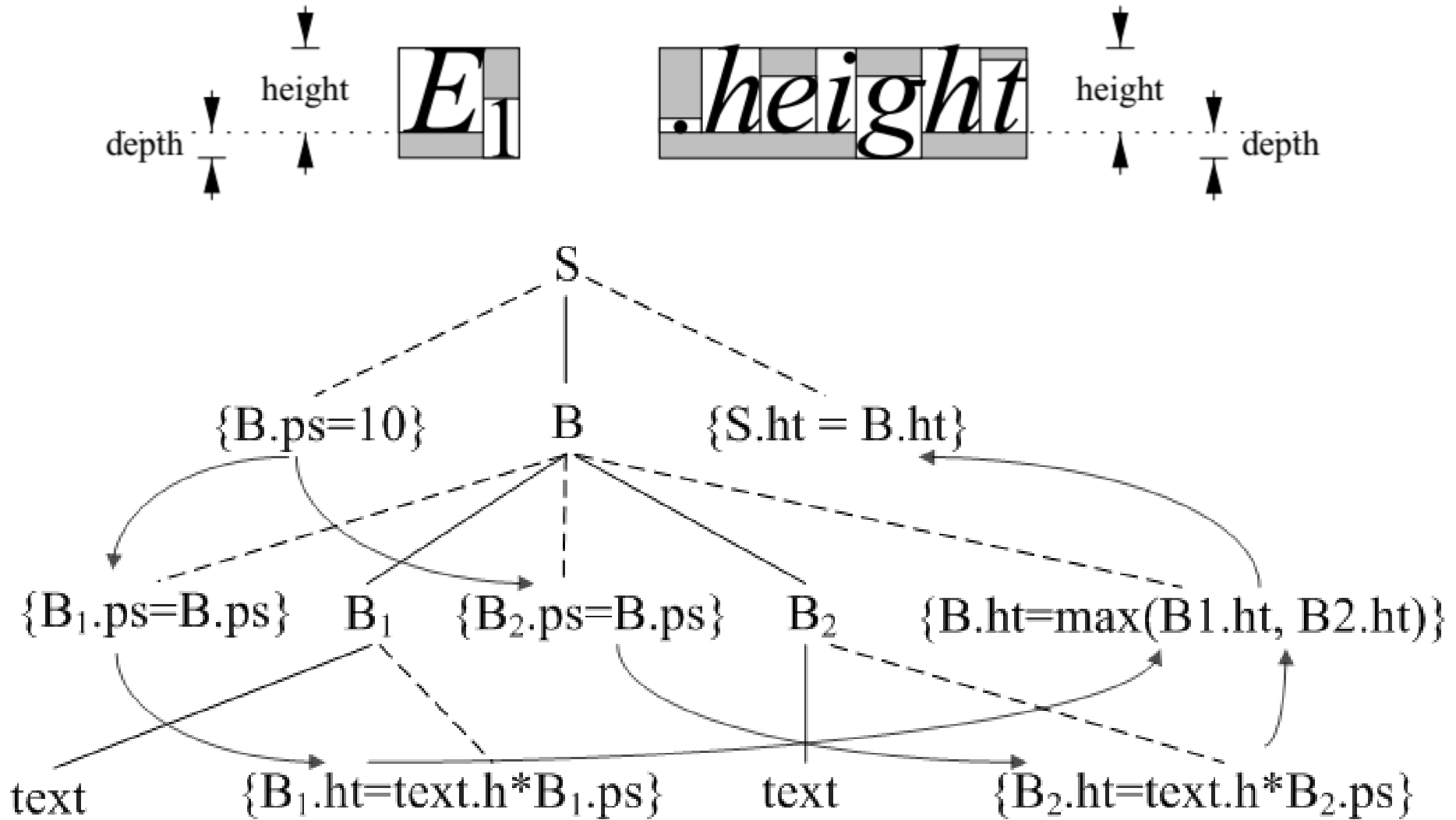
$B.dp = \text{getDp}(B.ps, \text{text.lexval})$

SDT

$$S \rightarrow \{B.ps=10\} B \{S.ht=B.ht\}$$
$$B \rightarrow \{B_1.ps=B.ps\} B_1 \{B_2.ps=B.ps\} B_2 \{B.ht=\max(B_1.ht, B_2.ht)\}$$
$$B \rightarrow \text{text} \{ B.ht=\text{text.h} * B.ps \}$$

- Inherited attribute B.ps: the point size of block B
- Synthesized attribute B.ht: the height of box B
- Synthesized attribute B.dp: the depth of box B

A Simplified Version of Example 5.18



5. 中间代码生成

```

S → id = E ;    { gen( top.get(id.lexeme) != E.addr); }

    | L = E ;    { gen(L.array.base '[' L.addr ']' != E.addr); }

E → E1 + E2    { E.addr = new Temp();
                  gen(E.addr != E1.addr '+' E2.addr); }

    | id          { E.addr = top.get(id.lexeme); }

    | L           { E.addr = new Temp();
                  gen(E.addr != L.array.base '[' L.addr '']'); }

L → id [ E ]    { L.array = top.get(id.lexeme);
                  L.type = L.array.type.elem;
                  L.addr = new Temp();
                  gen(L.addr != E.addr '*' L.type.width); }

    | L1 [ E ]  { L.array = L1.array;
                  L.type = L1.type.elem;
                  t = new Temp();
                  L.addr = new Temp();
                  gen(t != E.addr '*' L.type.width);
                  gen(L.addr != L1.addr '+' t); }

```

c+a[i][j]

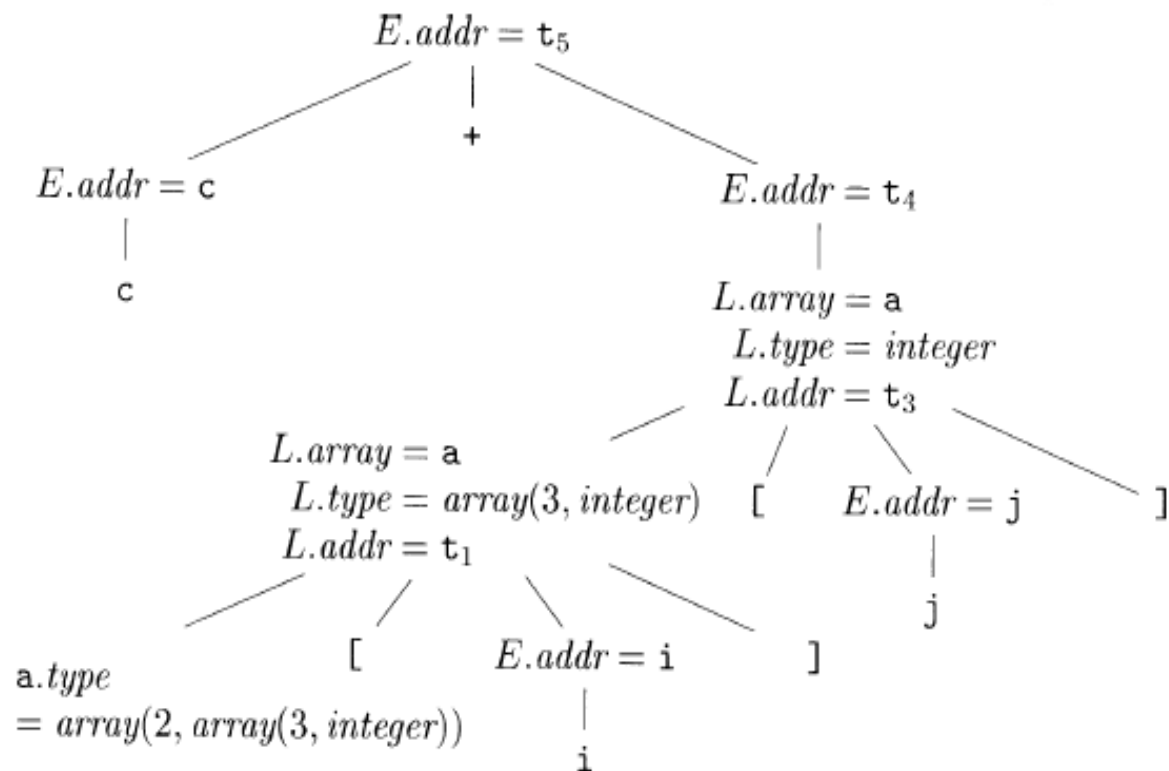
$L \rightarrow \text{id} [E]$ { $L.array = top.get(\text{id.lexeme});$
 $L.type = L.array.type.elem;$
 $L.addr = \text{new Temp}();$
 $\text{gen}(L.addr '=' E.addr '*' L.type.width);$ }

| $L_1 [E]$ { $L.array = L_1.array;$
 $L.type = L_1.type.elem;$
 $t = \text{new Temp}();$
 $L.addr = \text{new Temp}();$
 $\text{gen}(t '=' E.addr '*' L.type.width);$
 $\text{gen}(L.addr '=' L_1.addr '+' t);$ }

$E \rightarrow E_1 + E_2$ { $E.addr = \text{new Temp}();$
 $\text{gen}(E.addr '=' E_1.addr '+' E_2.addr);$ }

| id { $E.addr = top.get(\text{id.lexeme});$ }

| L { $E.addr = \text{new Temp}();$
 $\text{gen}(E.addr '=' L.array.base '[' L.addr ']);$ }



$t_1 = i * 12$
$t_2 = j * 4$
$t_3 = t_1 + t_2$
$t_4 = a [t_3]$
$t_5 = c + t_4$

图 6-24 表达式 $c + a[i][j]$

的二地址代码

Backpatching for Boolean Expressions

- 3) $B \rightarrow ! B_1$ $\{ B.truelist = B_1.falselist;$
 $B.falselist = B_1.truelist; \}$
- 4) $B \rightarrow (B_1)$ $\{ B.truelist = B_1.truelist;$
 $B.falselist = B_1.falselist; \}$
- 5) $B \rightarrow E_1 \text{ rel } E_2$ $\{ B.truelist = makelist(nextinstr);$
 99 $B.falselist = makelist(nextinstr + 1);$
 100: $gen('if' E_1.addr \text{ rel } op E_2.addr 'goto' 0');$
 101 $gen('goto' 0); \}$
 $nextinstr = 102$
- 6) $B \rightarrow \text{true}$ 99 $\{ B.truelist = makelist(nextinstr);$
 100: $gen('goto' 0); \}$ 100 $\boxed{100} \rightarrow$
- 7) $B \rightarrow \text{false}$ $\{ B.falselist = makelist(nextinstr);$
 $gen('goto' 0); \}$
- 8) $M \rightarrow \epsilon$ $\{ M.instr = nextinstr; \}$

1) $B \rightarrow B_1 \mid \mid M B_2$ { $\text{backpatch}(B_1.\text{falselist}, M.\text{instr});$
 $B.\text{truelist} = \text{merge}(B_1.\text{truelist}, B_2.\text{truelist});$
 $B.\text{falselist} = B_2.\text{falselist};$ }
B₁.falselist: 100 goto 0, 80/150 goto 40, 110 goto 40
M.instr: 150
B₁.truelist: if B₁ goto 0 goto M.instr

2) $B \rightarrow B_1 \&\& M B_2$ { $\text{backpatch}(B_1.\text{truelist}, M.\text{instr});$
 $B.\text{truelist} = B_2.\text{truelist};$
 $B.\text{falselist} = \text{merge}(B_1.\text{falselist}, B_2.\text{falselist});$ }
B₁.truelist: if B₂ goto 0 goto 0

$x < 100 \mid \mid x > 200 \&\& x \neq y$

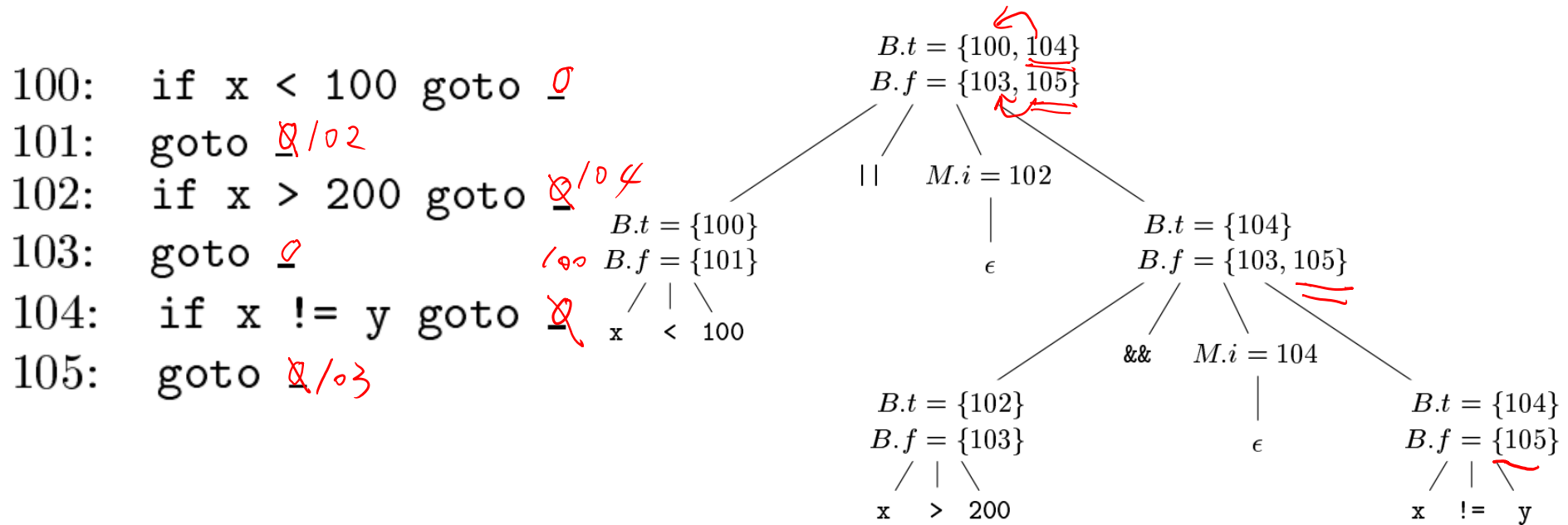
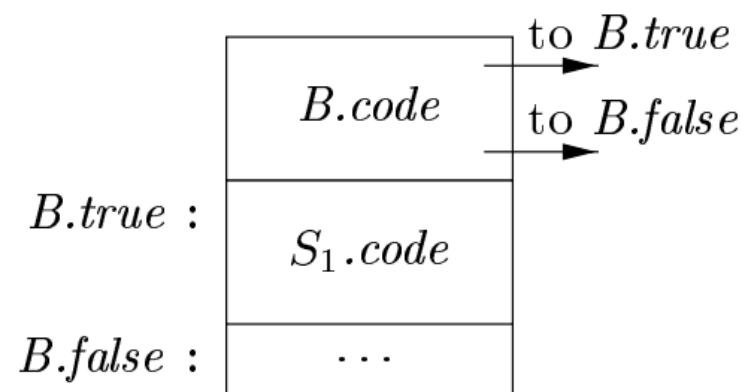


Figure 6.44: Annotated parse tree for $x < 100 \mid \mid x > 200 \&\& x \neq y$

- 1) $S \rightarrow \mathbf{if} (B) M S_1 \{ \text{backpatch}(B.\text{truelist}, M.\text{instr});$
 $S.\text{nextlist} = \text{merge}(B.\text{falselist}, S_1.\text{nextlist}); \}$
- 2) $S \rightarrow \mathbf{if} (B) M_1 S_1 N \mathbf{else} M_2 S_2$
 $\{ \text{backpatch}(B.\text{truelist}, M_1.\text{instr});$
 $\text{backpatch}(B.\text{falselist}, M_2.\text{instr});$
 $\text{temp} = \text{merge}(S_1.\text{nextlist}, N.\text{nextlist});$
 $S.\text{nextlist} = \text{merge}(\text{temp}, S_2.\text{nextlist}); \}$
- 3) $S \rightarrow \mathbf{while} M_1 (B) M_2 S_1$
 $\{ \text{backpatch}(S_1.\text{nextlist}, M_1.\text{instr});$
 $\text{backpatch}(B.\text{truelist}, M_2.\text{instr});$
 $S.\text{nextlist} = B.\text{falselist};$
 $\text{emit}(\text{'goto' } M_1.\text{instr}); \}$
- 4) $S \rightarrow \{ L \} \quad \{ S.\text{nextlist} = L.\text{nextlist}; \}$
- 5) $S \rightarrow A ; \quad \{ S.\text{nextlist} = \mathbf{null}; \}$
- 6) $M \rightarrow \epsilon \quad \{ M.\text{instr} = \text{nextinstr}; \}$
- 7) $N \rightarrow \epsilon \quad \{ N.\text{nextlist} = \text{makelist}(\text{nextinstr});$
 $\text{emit}(\text{'goto' } -); \}$
- 8) $L \rightarrow L_1 M S \quad \{ \text{backpatch}(L_1.\text{nextlist}, M.\text{instr});$
 $L.\text{nextlist} = S.\text{nextlist}; \}$
- 9) $L \rightarrow S \quad \{ L.\text{nextlist} = S.\text{nextlist}; \}$

$$S \rightarrow \mathbf{if}(B) M S_1 \{ \text{backpatch}(B.\text{truelist}, M.\text{instr}); \\ S.\text{nextlist} = \text{merge}(B.\text{falselist}, S_1.\text{nextlist}); \}$$


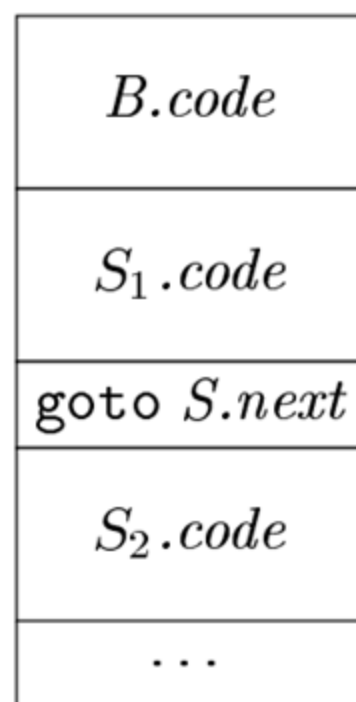
(a) if

$$S \rightarrow \text{if}(B) M_1 S_1 N \text{ else } M_2 S_2$$

```

{ backpatch(B.truelist, M1.instr);
  backpatch(B.falselist, M2.instr);
  temp = merge(S1.nextlist, N.nextlist);
  S.nextlist = merge(temp, S2.nextlist); }

```



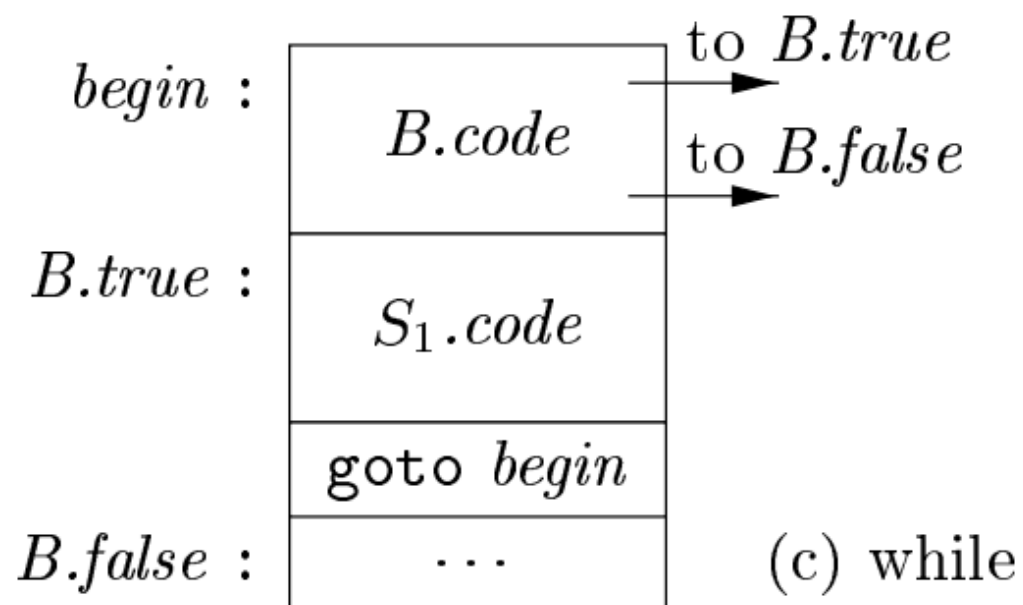
(b) if-else

$$S \rightarrow \text{while } M_1 (B) M_2 S_1$$

$$\{ \text{backpatch}(S_1.\text{nextlist}, M_1.\text{instr});$$

$$\text{backpatch}(B.\text{truelist}, M_2.\text{instr});$$

$$S.\text{nextlist} = B.\text{falselist};$$

$$\text{gen('goto' } M_1.\text{instr}); \}$$


$S \rightarrow \text{if} (B) S_1$	$B.true = \text{newlabel}()$ $B.false = S_1.next = S.next$ $S.code = B.code \parallel \text{label}(B.true) \parallel S_1.code$
$S \rightarrow \text{if} (B) S_1 \text{ else } S_2$	$B.true = \text{newlabel}()$ $B.false = \text{newlabel}()$ $S_1.next = S_2.next = S.next$ $S.code = B.code$ $\parallel \text{label}(B.true) \parallel S_1.code$ $\parallel \text{gen('goto' } S.next)$ $\parallel \text{label}(B.false) \parallel S_2.code$

$S \rightarrow \text{if} (B) M S_1 \{ \text{backpatch}(B.truelist, M.instr);$
 $\quad S.nextlist = \text{merge}(B.falselist, S_1.nextlist); \}$

$S \rightarrow \text{if} (B) M_1 S_1 N \text{ else } M_2 S_2$
 $\{ \text{backpatch}(B.truelist, M_1.instr);$
 $\quad \text{backpatch}(B.falselist, M_2.instr);$
 $\quad temp = \text{merge}(S_1.nextlist, N.nextlist);$
 $\quad S.nextlist = \text{merge}(temp, S_2.nextlist); \}$

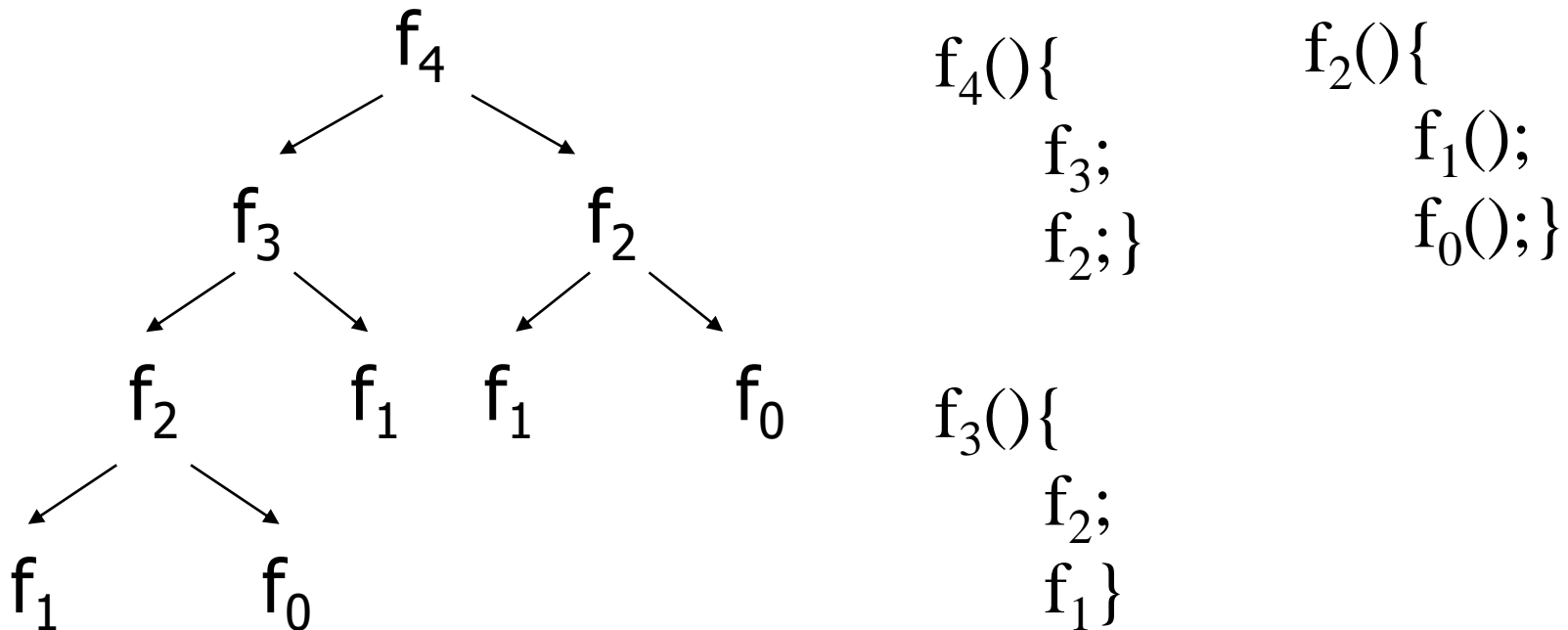
Translate the following program fragment into three-address-code using short circuit code and back-patching techniques.

```
while (a==r || a>b) {  
    if (r==s)  
        y=y+c;  
    else  
        y=y-d;  
}
```

6.运行时环境

Activation Trees

A tree to depict the control flow enters and leaves activation of a procedure



An Example

```
#include <stdio.h>
int i,j;
int main()
{
    int k,l;
    cin>>l; //assume l=3
    k=p(l);
    cout<<k;
}
```

```
int p(int m)
{
    int t;
    if (m==0 || m==1)
        return(1);
    else {
        t=m*p(m-1);
        return(t); } }
```


+19	...	
+18	K+12(SPp(2))	
+17	Returned value from P(2)	
+16	t	
+15	Formal Parameter m	2
+14	Number of Parameter	1
+13	Returned address	
+12	K+6(SPp(3))	
+11	Returned value from P(3)	
+10	t	

+9	Formal Parameter m	3
+8	Number of Parameter	1
+7	Returned address	
+6	K+2(SPmain)	
+5	Returned value from main	
+4	l	3
+3	k	
+2	K(SP0)	
+1	j	
K	i	

7.代码优化

Optimization of Basic Blocks

- Constant folding
 - Evaluate constant expressions at compile time and replace the constant expressions by their values
- Common subexpression elimination
- Copy propagation
- Dead code elimination

An Example

A source code

$\text{Pi} := 3.14$

$A := 2 * \text{Pi} * (R + r);$

$B := A;$

$B := 2 * \text{Pi} * (R + r) * (R - r)$

(1) $\text{Pi} := 3.14$

(2) $T1 := 2 * \text{Pi}$

(3) $T2 := R + r$

(4) $A := T1 * T2$

(5) $B := A$

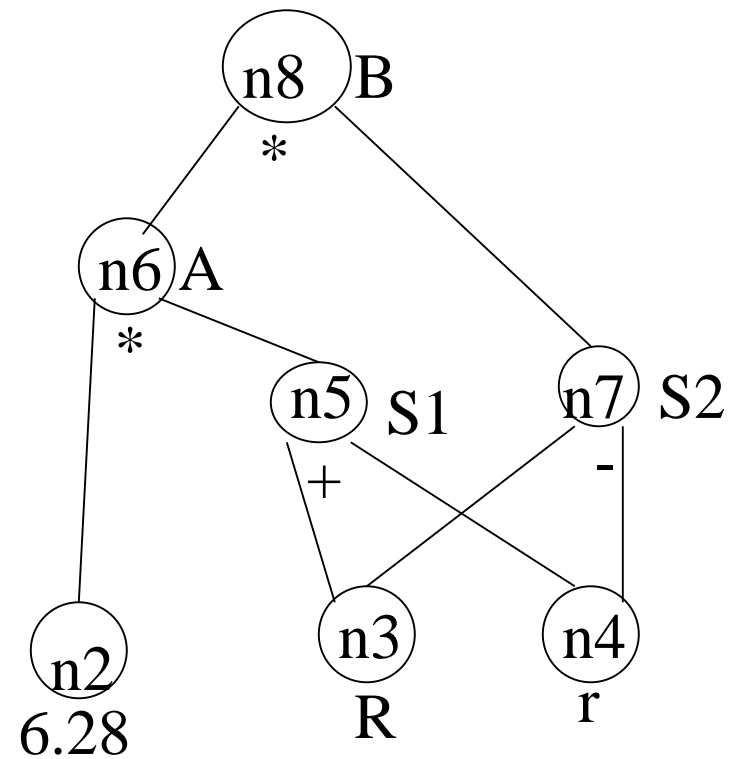
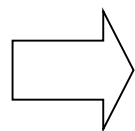
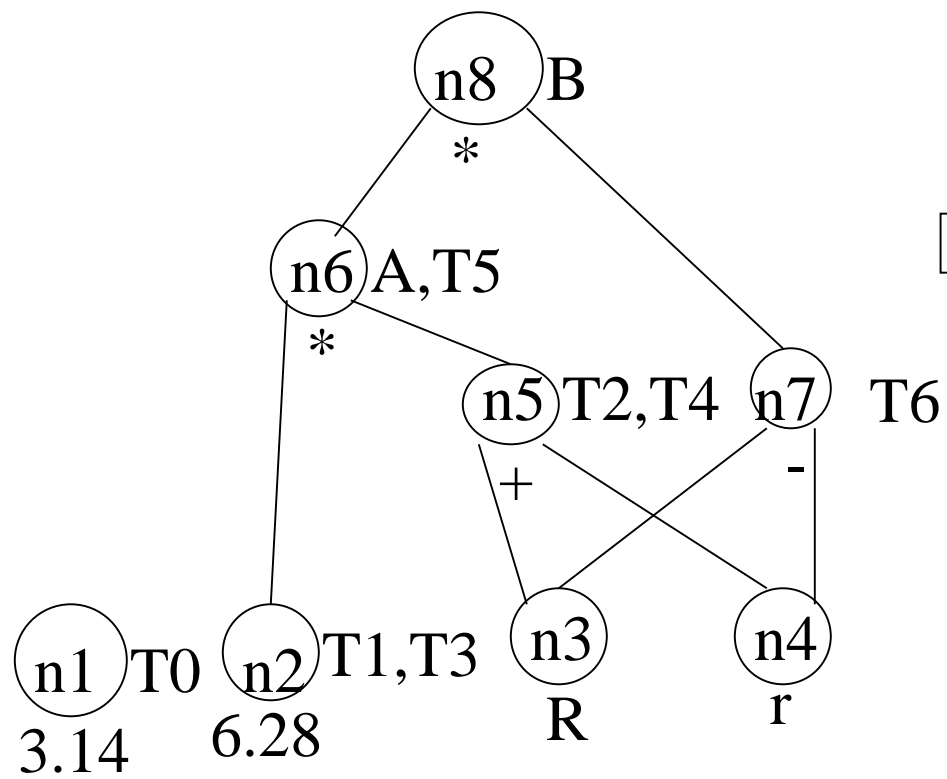
(6) $T3 := 2 * \text{Pi}$

(7) $T4 := R + r$

(8) $T5 := T3 * T4$

(9) $T6 := R - r$

(10) $B := T5 * T6$



- (1) $S1 = R + r$
- (2) $S2 = R - r$
- (3) $A = 6.28 * S1$
- (4) $B = 6.28 * A$