

```

from gurobipy import *
def addConstr(n):
    if n == 1:
        return
    if n == 2:
        return m.addConstr( x2 >= 6, "c2")
    if n == 3:
        return m.addConstr( x2 >= 6, "c2") ,m.addConstr( x1 <= 1, "c3")
    if n == 4:
        return m.addConstr( x2 >= 6, "c2") ,m.addConstr( x1 <= 1, "c3") ,m.addConstr( x2 <= 6, "c4")
    if n == 5:
        return m.addConstr( x2 >= 6, "c2") ,m.addConstr( x1 <= 1, "c3") ,m.addConstr( x2 >= 7, "c4")
    if n == 6:
        return m.addConstr( x2 >= 6, "c2") ,m.addConstr( x1 >= 2, "c3")
    if n == 7:
        return m.addConstr( x2 <= 5, "c2")

for _ in range(7):
    print(_+1)
    m = Model("LP")
    x1 = m.addVar( name="x1")
    x2 = m.addVar( name="x2")
    m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
    m.update()
    m.addConstr(2* x1 + 1* x2 <= 10, "c0")
    m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
    m.addConstr(x1 >= 0)
    m.addConstr(x2 >= 0)
    m.update()
    addConstr(_+1)
    m.update()
    m.setParam( 'OutputFlag', False )
    m.optimize()
    if m.status == GRB.OPTIMAL:
        print('Optimal objective: %g' % m.objVal)
    elif m.status == GRB.INF_OR_UNBD:
        print('Model is infeasible or unbounded')
        continue
    elif m.status == GRB.INFEASIBLE:
        print('Model is infeasible')
        continue
    elif m.status == GRB.UNBOUNDED:
        print('Model is unbounded')
        continue
    else:
        print('Optimization ended with status %d' % m.status)
        continue
    for v in m.getVars():
        print('%s: %f' % (v.varName, v.x))

```

```

In [267]: runfile('C:/Users/paddy/homework8.py', wdir='C:/Users/paddy')
1
Optimal objective: 21.1111
x1: 2.222222
x2: 5.555556
2
Optimal objective: 20.6667
x1: 1.333333
x2: 6.000000
3
Optimal objective: 20.5
x1: 1.000000
x2: 6.166667
4
Optimal objective: 20
x1: 1.000000
x2: 6.000000
5
Model is infeasible or unbounded
6
Model is infeasible or unbounded
7
Optimal objective: 20
x1: 2.500000
x2: 5.000000

```

沒看到要在同一個.py 實現所有的 subproblem，這是後來改的，跟下面那些之前寫的步驟一樣

```

from gurobipy import *
m = Model("LP")
'''
x1 = m.addVar( name="x1", vtype=GRB.INTEGER)
x2 = m.addVar( name="x2", vtype=GRB.INTEGER)
'''

x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式
'''
m.addConstr( x2 >= 6, "c2")
m.addConstr( x1 <= 1, "c3")
m.addConstr( x2 >= 6, "c4")
'''

m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)

```

```

Optimal :
x1: 2.222222
x2: 5.555556
Obj: 21.111111

```

一開始沒有設定限制

向下設定 $x_2 \geq 6$ $x_2 \leq 5$

```

from gurobipy import *
m = Model("LP")
'''
x1 = m.addVar( name="x1", vtype=GRB.INTEGER)
x2 = m.addVar( name="x2", vtype=GRB.INTEGER)
'''
x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式
'''
m.addConstr( x2 >= 6, "c2")
'''
m.addConstr( x1 <= 1, "c3")
m.addConstr( x2 >= 6, "c4")
'''
m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)

```

```

Optimal :
x1: 1.333333
x2: 6.000000
Obj: 20.666667

```

設定 $x_2 \geq 6$

```

from gurobipy import *
m = Model("LP")
'''
x1 = m.addVar( name="x1", vtype=GRB.INTEGER)
x2 = m.addVar( name="x2", vtype=GRB.INTEGER)
'''

x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式

m.addConstr( x2 <= 5, "c2")
'''
m.addConstr( x1 <= 1, "c3")
m.addConstr( x2 >= 6, "c4")
'''

m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)

```

```

Optimal :
x1: 2.500000
x2: 5.000000
Obj: 20.000000

```

設定 $X2 \leq 5$

因為 $20 < 20.6667$ $X2 \leq 5$ Stop here

向下設定 $X1 \leq 1$ $X1 \geq 2$

```

x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式

m.addConstr( x2 >= 5, "c2")

m.addConstr( x1 >= 2, "c3")
'''
m.addConstr( x2 >= 6, "c4")
'''

m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)

```

AttributeError: Unable to retrieve attribute 'x'

X1>=2 not feasible

```

x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式

m.addConstr( x2 >= 6, "c2")

m.addConstr( x1 <= 1, "c3")
'''
m.addConstr( x2 >= 6, "c4")
'''

m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)

```

```

Optimal :
x1: 1.000000
x2: 6.166667
Obj: 20.500000

```

向下設定 $x_2 \geq 7$ $x_2 \leq 6$

```
x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式

m.addConstr( x2 >= 6, "c2")
m.addConstr( x1 <= 1, "c3")
m.addConstr( x2 >= 7, "c4")
m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)
```

AttributeError: Unable to retrieve attribute 'x'

$x_2 \geq 7$ not feasible

```
x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式

m.addConstr( x2 >= 6, "c2")
m.addConstr( x1 <= 1, "c3")
m.addConstr( x2 <= 6, "c4")
m.setParam( 'OutputFlag', False )

m.optimize()

print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)
```

```
Optimal :
x1: 1.000000
x2: 6.000000
Obj: 20.000000
```

最後得最佳解 $x_1 = 1$ $x_2 = 6$ $obj = 20$

最後用 gurobi 解 integer programming 來驗算答案

```
from gurobipy import *
m = Model("LP")
x1 = m.addVar( name="x1", vtype=GRB.INTEGER)
x2 = m.addVar( name="x2", vtype=GRB.INTEGER)
'''
x1 = m.addVar( name="x1")
x2 = m.addVar( name="x2")
'''

m.setObjective(2*x1 + 3*x2 , GRB.MAXIMIZE)
m.update()
m.addConstr(2* x1 + 1* x2 <= 10, "c0")
m.addConstr( 15 * x1 + 30 * x2 <= 200, "c1")
m.addConstr(x1 >= 0)
m.addConstr(x2 >= 0)
m.update()

#用來算枚舉數的限制式
'''
m.addConstr( x2 >= 6, "c2")
m.addConstr( x1 <= 1, "c3")
m.addConstr( x2 <= 6, "c4")
'''

m.setParam( 'OutputFlag', False )
m.optimize()
print('Optimal :')
for v in m.getVars():
    print('%s: %f' % (v.varName, v.x))
print('Obj: %f' % m.objVal)
```

Optimal :
x1: 1.000000
x2: 6.000000
Obj: 20.000000

$$\max 2x_1 + 3x_2$$

s.t

$$2x_1 + x_2 \leq 10$$

$$15x_1 + 30x_2 \leq 200$$

$x_j \geq 0$ and integer, $j=1,2$

use gurobi
get

$$\begin{cases} x_1 = 2.2222 \\ x_2 = 5.5556 \\ obj = 21.1111 \end{cases}$$

$$\textcircled{1} \quad \begin{cases} x_1 = 2.2222, x_2 = 5.5556 \\ obj = 21.1111 \end{cases}$$

$\textcircled{3}$

$$x_2 \geq 6$$

$$x_1 = 1.3333$$

$$x_2 = 6$$

$$obj = 20.6667$$

$\textcircled{2}$

$$x_2 \leq 5$$

$$x_1 = 2.5, x_2 = 5$$

$$obj = 20$$

$$\because 20 < 20.6667$$

end

$\textcircled{5}$

$$x_1 \leq 1$$

$$x_1 = 1$$

$$x_2 = 6.6667$$

$$obj = 20.5$$

$\textcircled{4}$

$$x_1 \geq 2$$

not feasible

$\textcircled{7}$

$$x_2 \leq 6$$

$$x_1 = 1$$

$$x_2 = 6$$

$$obj = 20$$

$\textcircled{6}$

$$x_2 \geq 7$$

not feasible

→ optimal = 20.