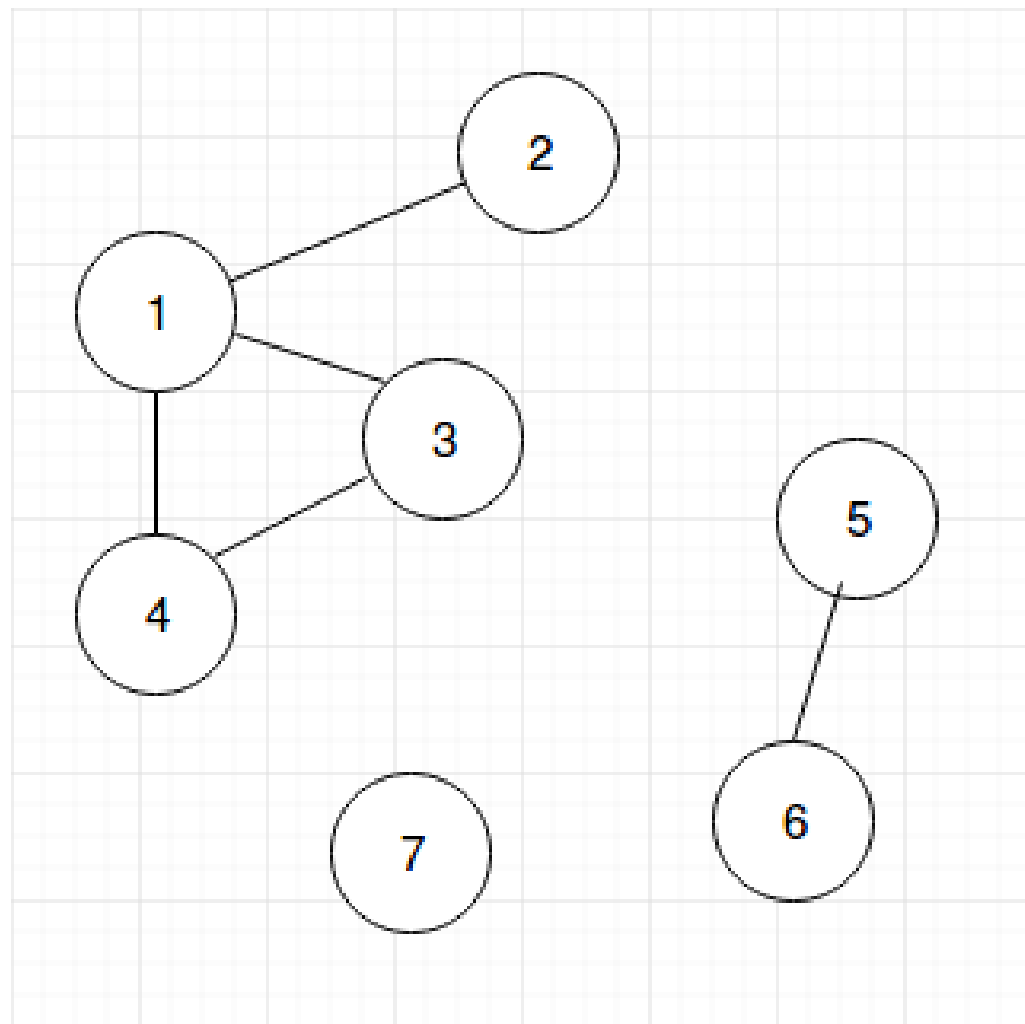


# Connected Components

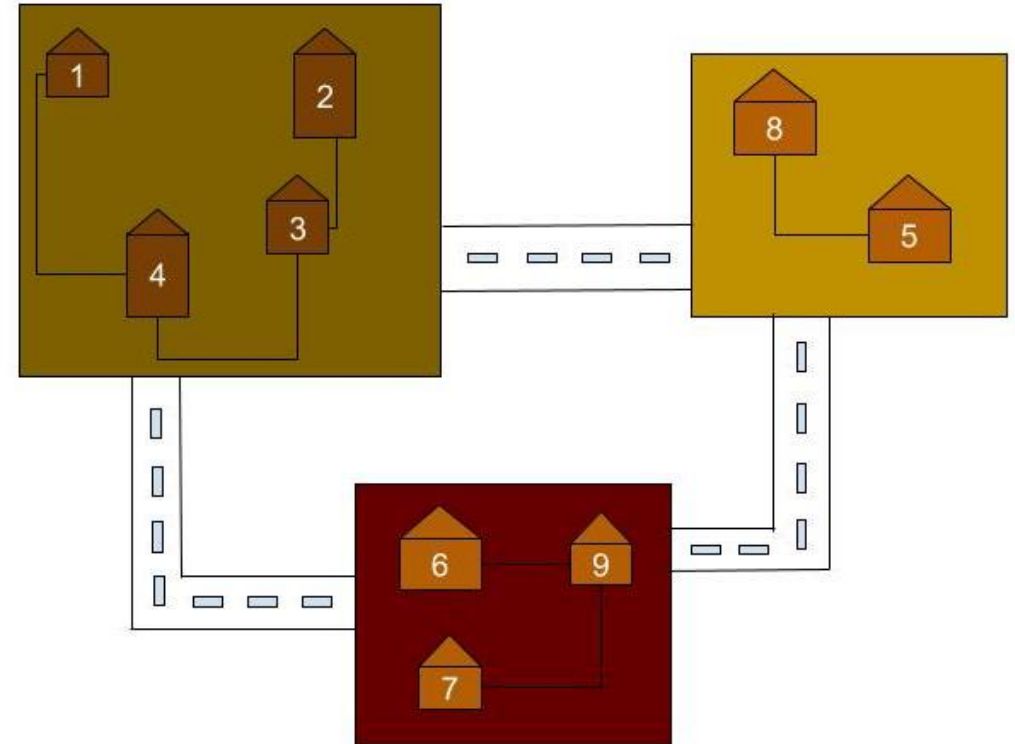
By: Ethan Church, Daniel Liao, Sia Puri



# Sector Shuffle

- Billy is tasked with inspecting different buildings every day on Tesla's manufacturing plant
- The plant has an interesting layout.
  - o Buildings are connected by two-way walkable paths
  - o Cluster of connected buildings = One sector
  - o All sectors are connected to others by road

**GOAL:** Given a list of buildings he must inspect, what is the minimum number of times he must drive between sectors.



# About this problem

- **Inspiration:** The problem presents a world aspect and is realistic.
- **Illustration vs. Figure:** We chose a **figure** because layout of the plant may be hard to understand at first and the figure is essential in clarifying the problem statement.
- **Problem title:** "Sector Shuffle" explains the actions and goals of the problem.
- **Input constraints:** We wanted a realistic question while also creating some difficulty. So, we decided on  $0 < \text{buildings} < 1000$ .
- **Input/output example:** The specific example shown is short and easy to understand. Ideal for a competition setting.

**2.9** DIFFICULTY  
**Medium**

## Sample Input 1

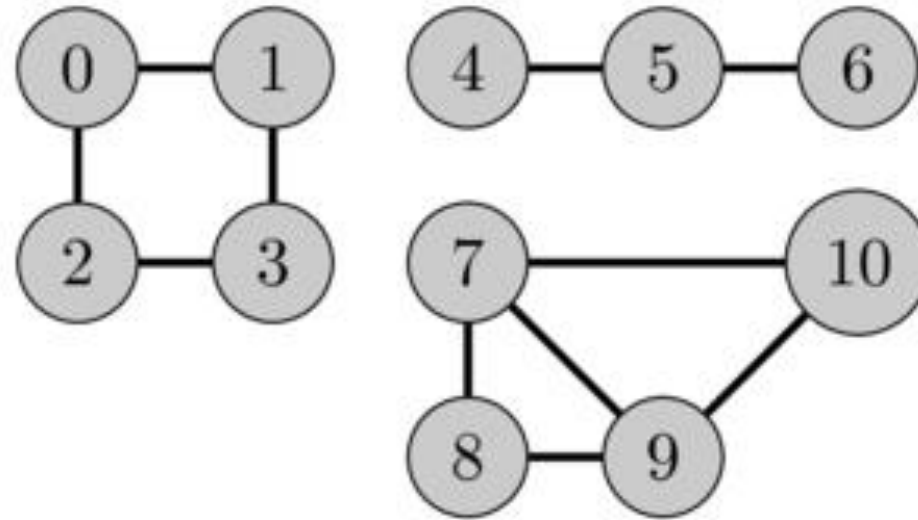
```
5
1 3 5
1 1 4
2 1 5
3 1 4
4 2 1 3
5 1 2
```

## Sample Output 1

```
1
```

# Correct Solution

- Implements a BFS algorithm with adjacency lists for  $O(V + E)$  complexity in Time and Space.
- C++ performed best among the three programming languages (then Python, Java)
- Best case scenario for a BFS is
  - o All inspected buildings are isolated nodes with degree = 0:  $O(V + E + k)$
  - o All inspected buildings are in the same connected component:  $O(V + E)$
  - o Only 1 building to inspect:  $O(V + E)$

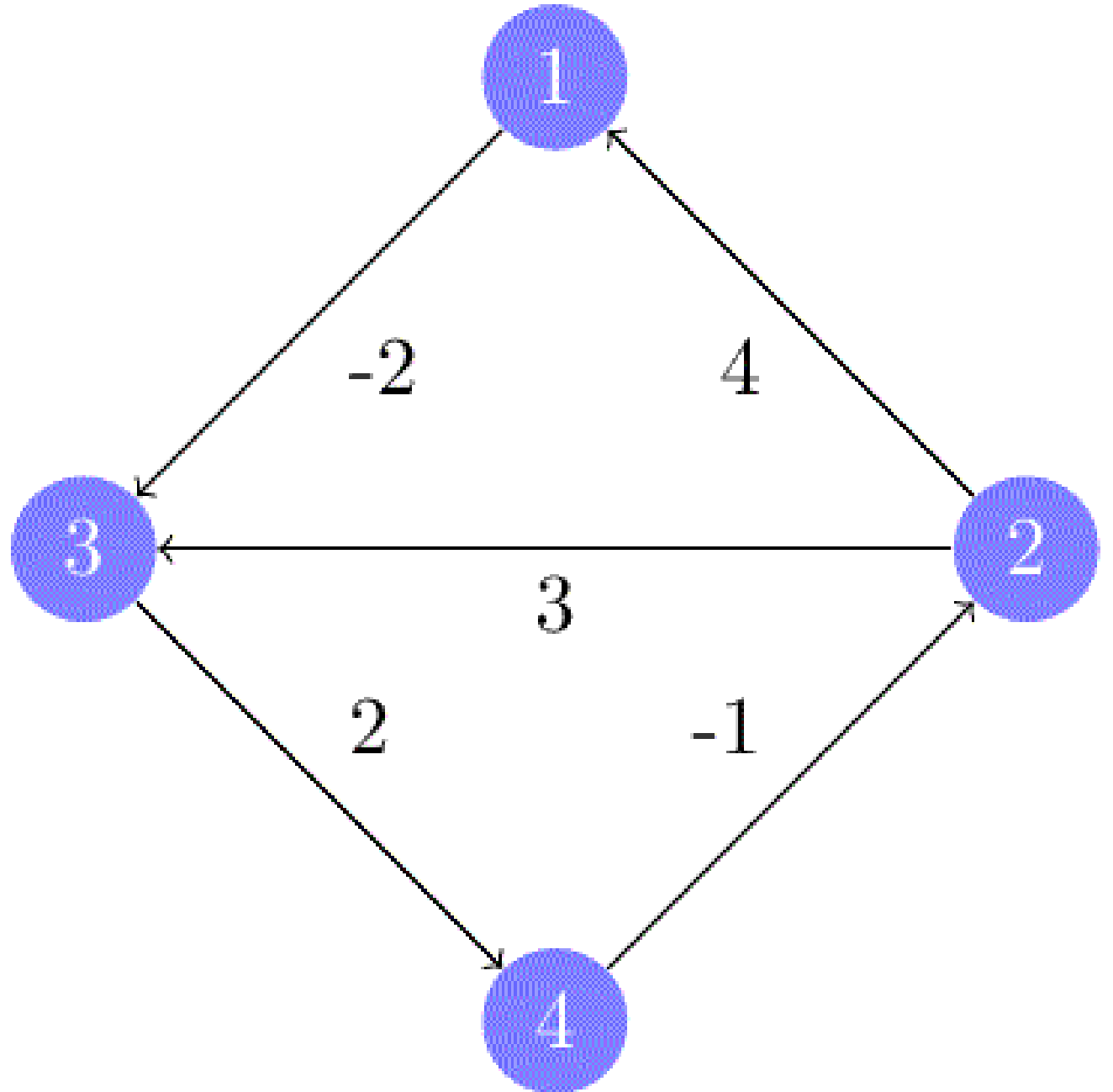


□ component label

◎ candidate source node for BFS

## Inefficient Solution

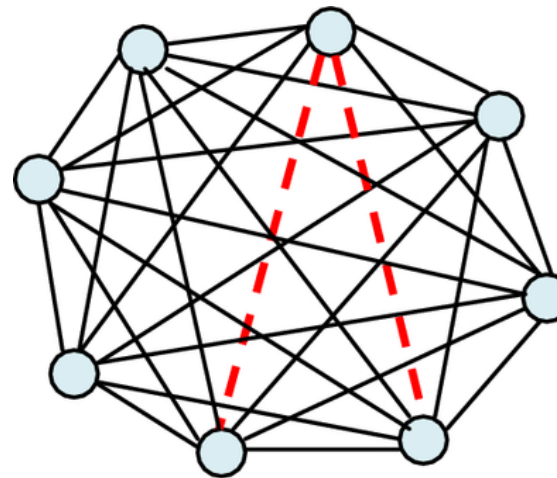
- Implements an Algorithm that checks the connectivity of all Building pairs
  - Runs in  $O(V^3)$  Time and  $O(V^2)$  Space complexity
  - Inspired by Floyd-Warshall style algorithms
- Solution yields a TLE



# Input and Output Files

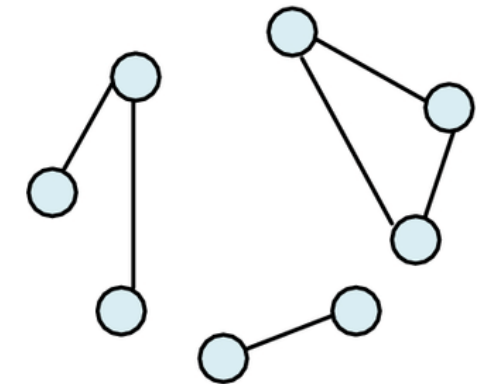
```
7  def generate_test_case(filename, location):
8      output_dir = os.path.join("data", location)
9      os.makedirs(output_dir, exist_ok=True)
10
11     n = random.randint(3, max_buildings)
12     buildings = list(range(1, n+1))
13
14     inspect_count = random.randint(1, n)
15     to_inspect = random.sample(buildings, k=inspect_count)
16
17     adjacency = {b: set() for b in buildings}
18     for i in range(n):
19         for j in range(i+1, n):
20             if random.random() < 0.006: # Creating a low percentage change of being connected so that buildings aren't always in the same sector.
21                 adjacency[buildings[i]].add(buildings[j])
22                 adjacency[buildings[j]].add(buildings[i])
23
```

- General Cases:
  - Random number of buildings and random edges between buildings
  - Large and small number of buildings
  - Sparse and Dense graphs



Dense

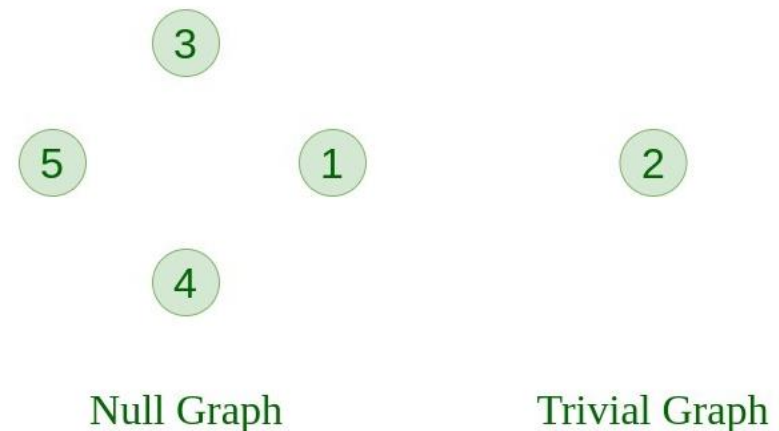
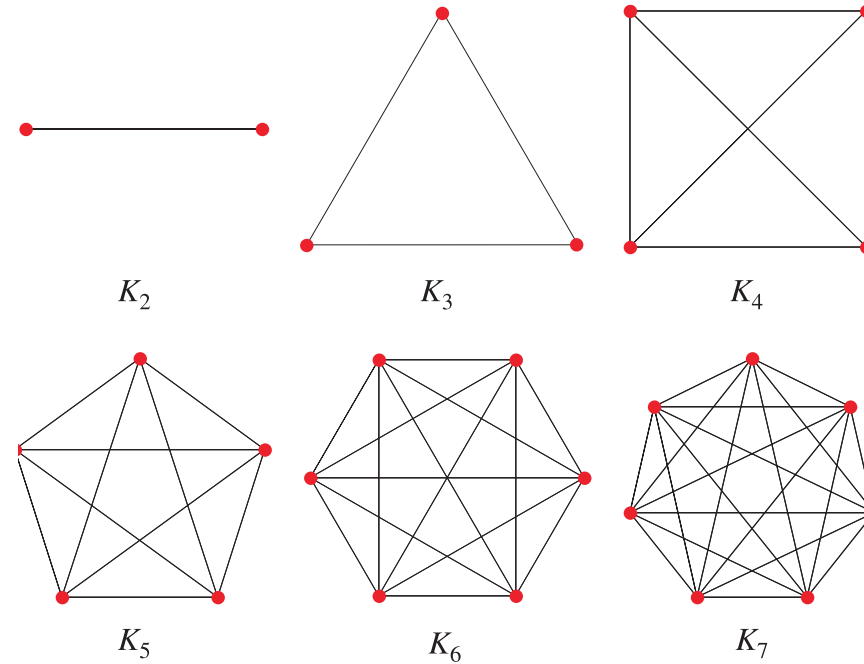
Vs



Sparse

# Input and Output Files

- Edge Cases:
  - Every building connects with every other building (Complete Graph). Does the solution correctly identify one large component?
  - Every building does not connect to any other (Null Graph). Does the solution correctly handle zero edges?
  - Trivial Graphs with one or no buildings (To be implemented)



# Test Case Generator

- The biggest challenge was understanding why each test case consistently produced an output of 0 and realizing that the issue was caused by the probability of buildings connecting being set too high
- Generators have different functions to generate Edge and General cases
- Corresponding output files were created by running our solution code on the input files generated by the Generator

```
def generate_test_case(filename, location):
```

```
def edge_case_only_one_sector(filename, location):
```

```
def edge_case_all_sectors(filename, location):
```

```
for i in range(1, 4):  
    generate_test_case(f"test{i}", "sample")
```

```
for i in range(4, 25):  
    generate_test_case(f"test{i}", "secret")
```

```
edge_case_only_one_sector("test25", "secret")  
edge_case_all_sectors("test26", "secret")
```



# Input Validator

- Challenging to create cogent and correct code in checktestdata format
- Validators handle regular and edge cases well, while rejecting malformed inputs:
  - Enforce integer size limits, uniqueness, etc.

```
integer := 0|-?[1-9][0-9]*
float   := -?[0-9]+(\.[0-9]+)?([eE][+-]?[0-9]+)?
string  := ".*"
varname := [a-z][a-z0-9]*
variable := <varname> | <varname> '[' <expr> ['<expr> ...] ']'
value    := <integer> | <float> | <string> | <variable> | <function>
compare  := '<' | '>' | '<=' | '>=' | '==' | '!='
logical  := '&&' | '||'
expr     := <term> | <expr> [+<->] <term>
term     := <factor> | <term> [*%/] <factor>
factor   := <value> | '-' <factor> | '(' <expr> ')' | <factor> '^' <factor>
test     := '!' <test> | <test> <logical> <test> | '(' <test> ')' |
           <expr> <compare> <expr> | <testcommand>
```

```
# Verify uniqueness of building IDs to inspect
assert len(inspect_ids) == len(set(inspect_ids)), "Building IDs to inspect must be distinct"
```

# Presentation Design & Delivery

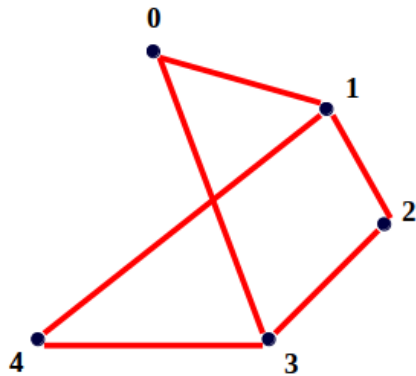
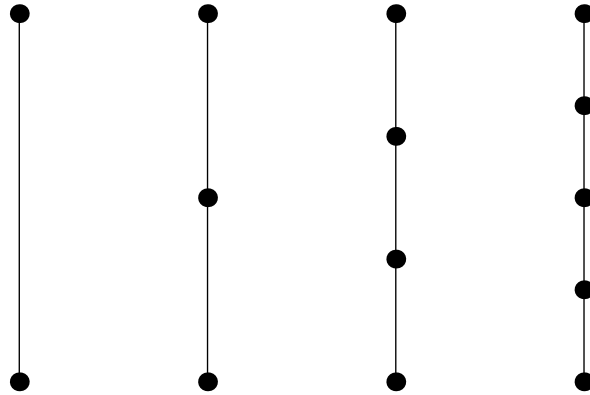
- The main strategy we used to effectively deliver our presentation was using **visual aids** to demonstrate the algorithms used in our correct and inefficient solutions
- **Graph problems** in particular benefit from visualization
- We also limited the amount of code in our presentation to keep the slides interesting



# Takeaways



# Kattis



- This project challenged us creatively, forcing us to create unique test cases and incorrect solutions.
- We were able to branch out into different programming languages
  - Observed differences in efficiency using the same algorithmic paradigm in Python, C++, and Java
- With more time, we could create more comprehensive test cases including:
  - Path graphs
  - Cycles
  - Very Large Sparse Graphs



# Thank You!