UECM3993 Quiz Jan 2021 Marking Guide

Marks Allocation: First 10 questions, each 0.5; Next 10 questions, each 0.7. Total marks: 12 marks

- 1. Which ONE of the following course learning outcome of UECM3993 Predictive Modelling is most relevant when R (or Python) programming environment is used to carry out statistical computation and predictive modelling?
 - (a) Describe the key concept of statistical learning \bowtie
 - (b) Compare statistical models for prediction and estimation through supervised learning \bowtie
 - (c) Identify relationship and structures from unlabelled data through unsupervised learning \bowtie
 - (d) Demonstrate supervised and unsupervised learning with statistical software \checkmark
 - (e) Interpret results from supervised and unsupervised learning ×
- 2. Which ONE of the following command is used for the (unweighted) kNN supervised learning for classification problems in the statistical software R?
 - (a) summary ⋉
 - (b) pairs ⋉
 - (c) class::knn ✓
 - (d) FNN::knn.reg ⋉
 - (e) glm ⋉
- 3. Which ONE of the following supervised learning method is NOT used for regression problems?
 - (a) logistic regression \checkmark
 - (b) linear regression ⋉
 - (c) kNN ⋉
 - (d) regression tree \bowtie
 - (e) elasticnet \bowtie
- 4. Which ONE of the following data can be used directly for supervised learning in R?
 - (a) Microsoft Excel documents \ltimes
 - (b) data frame ✓
 - (c) Microsoft Word documents ⋉
 - (d) pictures and images $\,\,\boxtimes\,\,$

- (e) PDF documents ⋉
- 5. Using the following code, answer the questions below:

```
df <- data.frame(a = c(1, 2, 3, 4, 5),
b = c(6, 7, 8, 9, 10))
```

Provide the SINGLE line of code that will create a column named 'c' in this data frame that is the sum of coulumn 'a' and column 'b':

- (a) $c = a + b \times$
- (b) $c = df a + df b \times$
- (c) $\operatorname{cbind}(\operatorname{df\$a}, \operatorname{df\$b}, \operatorname{df\$c}) \bowtie$
- (d) df\$c = df\$a + df\$b \checkmark
- (e) none of the above \bowtie
- 6. Which ONE of the following command can be used to count number of missing values in the categorical data x in R?
 - (a) length(x == NA) \bowtie
 - (b) $count(x == NA) \bowtie$
 - (c) $sum(x == NA) \bowtie$
 - (d) length(is.na(x)) \bowtie
 - (e) sum(is.na(x)) \checkmark
- 7. Which ONE of the following command can be used to summarise the categorical data x in which class(x) is integer in R?
 - (a) summary(x) \bowtie
 - (b) summary(sort(x)) \bowtie
 - (c) summary(factor(x)) \checkmark
 - (d) summary(category(x)) \bowtie
 - (e) $sum(x) \bowtie$
- 8. The Auto data frame has a column for horsepower. Which R statement correctly orders the data frame by horsepower in descending order?
 - (a) Auto[sort(-Auto\$horsepower),] ⋉
 - (b) Auto[sort(Auto\$horsepower,decreasing=TRUE),] ⋉
 - (c) Auto[sort(Auto\$horsepower,descending=TRUE),] ⋉
 - (d) Auto[order(-Autohorsepower),] \checkmark
 - (e) Auto[order(Auto\$horsepower),] \bowtie
- 9. Given a matrix A and a matrix B. The matrix multiplication in the R statistical software can be performed in a single command using
 - (a) matrix.multiply(A, B) ⋉
 - (b) $A.dot(B) \bowtie$

- (c) A * B ⋉
- (d) A @ B ×
- (e) A %*% B ✓
- 10. The supervised learning for the Auto data with R statistical software is demonstated below:

```
Call:
lm(formula = mpg ~ horsepower + weight, data = Auto)
Residuals:
     Min
               1 Q
                    Median
                                  3 Q
                                          Max
-11.0762
          -2.7340
                   -0.3312
                              2.1752
                                      16.2601
Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept) 45.6402108
                         0.7931958
                                    57.540
                                            < 2e-16 ***
horsepower
           -0.0473029
                         0.0110851
                                    -4.267 2.49e-05 ***
                        0.0005023 -11.535
                                           < 2e-16 ***
weight
            -0.0057942
                0 '*** 0.001 '** 0.01 '* 0.05 '. '0.1 ' 1
Signif. codes:
Residual standard error: 4.24 on 389 degrees of freedom
Multiple R-squared:
                                 Adjusted R-squared:
                     0.7064,
F-statistic: 467.9 on 2 and 389 DF,
                                     p-value: < 2.2e-16
```

The mpg for a car with a horsepower of 90 and a weight 2500kg is estimated to be

- (a) 18.7428 ×
- (b) 26.8975 ✓
- (c) $31.1548 \times$
- (d) 41.3830 ×
- (e) $45.6402 \times$
- 11. Suppose the prediction of the supervised learning linear SVM model is given by the following table:

Predicted	Actual
virginica	virginica
versicolor	versicolor
virginica	virginica
setosa	setosa
setosa	setosa
versicolor	versicolor
versicolor	versicolor
setosa	setosa
virginica	virginica
versicolor	versicolor
setosa	setosa
virginica	versicolor
versicolor	versicolor
setosa	setosa
virginica	virginica
virginica	virginica
setosa	setosa
virginica	virginica
virginica	virginica

The accuracy of the supervised learning model is

- (a) 20 K
- (b) 19 ×
- (c) 1 K
- (d) 0.05 ×
- (e) 0.95 **√**
- 12. Given a linear regression model with the following parameters.

Residuals:

Min 1Q Median 3Q Max -18.6361 -1.6027 -0.5874 0.9520 15.3239

Coefficients:

Estimate Std. Error t value Pr(>|t|) (Intercept) 0.3582 8.730 < 2e-16 *** 3.1270 Length -16.0830 2.5451 -6.319 3.03e-10 *** Diameter 30.3546 3.1127 9.752 < 2e-16 *** 17.5085 1.9446 9.003 < 2e-16 *** Height WholeWeight 0.4485 0.2598 1.726 0.0844

Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1

Residual standard error: 2.553 on 2918 degrees of freedom Multiple R-squared: 0.3819, Adjusted R-squared: 0.3811 F-statistic: 450.8 on 4 and 2918 DF, p-value: < 2.2e-16

Calculate $\mathbb{E}[Y|X=x]$ given the inputs x are the Length is 0.35, the Diameter is 0.265, the Height is 0.09 and the WholeWeight is 0.2255.

- (a) 0.9993 ×
- (b) 3.1270 ×
- (c) 4.0918 ×
- (d) 5.1918 ×
- (e) 7.2188 ✓
- 13. Given a k-nearest neighbour model with k = 1 and the following data.

Length	Diameter	Height	WholeWeight	old
0.615	0.495	0.200	1.2190	TRUE
0.425	0.340	0.105	0.3890	FALSE
0.535	0.430	0.140	0.7165	FALSE
0.430	0.350	0.110	0.4060	TRUE
0.650	0.510	0.175	1.1550	TRUE
0.575	0.475	0.160	0.8950	FALSE
0.420	0.325	0.100	0.3680	TRUE
0.405	0.305	0.100	0.2710	FALSE
0.465	0.405	0.135	0.7775	TRUE
0.530	0.415	0.110	0.5745	FALSE

Assume that the usual Euclidean distance is used, Length, Diameter, Height and WholeWeight are the input variables and the 'old' is the target variable. Find the performance accuracy if the testing data are given below.

_					
	Length	Diameter	Height	WholeWeight	old
	0.530	0.420	0.135	0.6770	FALSE
	0.440	0.365	0.125	0.5160	TRUE
	0.330	0.255	0.080	0.2050	FALSE
	0.530	0.415	0.150	0.7775	TRUE
	0.535	0.405	0.145	0.6845	TRUE
	0.470	0.355	0.100	0.4755	TRUE
	0.565	0.440	0.155	0.9395	TRUE
	0.560	0.440	0.140	0.9285	TRUE
	0.665	0.525	0.165	1.3380	TRUE
	0.355	0.290	0.090	0.3275	FALSE

- (a) 0.5 K
- (b) 0.6 ✓
- (c) $0.7 \times$
- (d) 0.8 ×
- (e) $0.9 \times$
- 14. Given a logistic regression model with the following parameters.

```
all:
glm(formula = old ~ Sex + Length + Diameter + Height + WholeWeight,
    family = binomial, data = d.f.train)
```

```
Deviance Residuals:
                     Median
                 1 Q
                                     ЗQ
                                             Max
   -5.9331
            -0.7351
                     -0.1455 0.7859
                                          2.3781
   Coefficients:
               Estimate Std. Error z value Pr(>|z|)
   (Intercept) -4.45598
                            0.53551 -8.321
                                             < 2e-16 ***
   SexI
               -0.79309
                            0.13048 -6.078 1.21e-09 ***
   SexM
                                      -0.200 0.841424
               -0.02155
                            0.10772
   Length
               -9.16262
                            2.60904
                                     -3.512 0.000445 ***
   Diameter
               15.53750
                            3.12630
                                      4.970 6.70e-07 ***
               17.95518
                            3.07036 5.848 4.98e-09 ***
   Height
                            0.34656 2.045 0.040872 *
   WholeWeight 0.70865
                   0 '*** 0.001 '** 0.01 '* 0.05 '. '0.1 ' 1
   Signif. codes:
   (Dispersion parameter for binomial family taken to be 1)
       Null deviance: 4052.1
                               on 2922
                                         degrees of freedom
   Residual deviance: 2849.7
                               on 2916
                                         degrees of freedom
   AIC: 2863.7
   Calculate \mathbb{P}(Y=1|X=x) given the inputs x are the Sex is M, the Length is 0.35, the
   Diameter is 0.265, the Height is 0.09 and the WholeWeight is 0.2255.
   (a) 0.011476 \times
   (b) 0.145581 ×
   (c) 0.14292 ✓
   (d) 0.85708 \times
    (e) 0.854419 \times
15. Given a logistic regression model with the following parameters.
   all:
   glm(formula = old ~ Sex + Length + Diameter + Height + WholeWeight,
       family = binomial, data = d.f.train)
   Deviance Residuals:
                 1 Q
                      Median
                                     3 Q
                                             Max
   -5.9331
            -0.7351
                      -0.1455
                                0.7859
                                          2.3781
   Coefficients:
               Estimate Std. Error z value Pr(>|z|)
                            0.53551 -8.321
   (Intercept) -4.45598
                                             < 2e-16 ***
                                      -6.078 1.21e-09 ***
   SexI
               -0.79309
                            0.13048
   SexM
               -0.02155
                            0.10772 -0.200 0.841424
   Length
               -9.16262
                            2.60904
                                     -3.512 0.000445 ***
   Diameter
                            3.12630 4.970 6.70e-07 ***
               15.53750
               17.95518
                            3.07036
                                     5.848 4.98e-09 ***
   Height
   WholeWeight 0.70865
                            0.34656 2.045 0.040872 *
```

Signif. codes:

0 '*** 0.001 '** 0.01 '* 0.05 '. ' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 4052.1 on 2922 degrees of freedom Residual deviance: 2849.7 on 2916 degrees of freedom

AIC: 2863.7

The input and output should be clear from the listing above and the previous question. Given the following test set:

	Sex	Length	Diameter	Height	WholeWeight	old
1	F	0.530	0.420	0.135	0.6770	
2	М		0.365		0.5160	TRUE
3	I		0.255		0.2050	
4	F		0.415		0.7775	TRUE
5	F	0.535		0.130	0.6845	
6	r F	0.333	0.405		0.4755	TRUE
7	r F					
•	_	0.565	0.440	0.155	0.9395	TRUE
8	F	0.560	0.440	0.140	0.9285	TRUE
9	М	0.665	0.525		1.3380	TRUE
10	М	0.355	0.290	0.090	0.3275	FALSE

The accuracy of this problem is

- (a) $0.5 \times$
- (b) $0.6 \times$
- (c) $0.7 \checkmark$
- (d) 0.8 ×
- (e) 1 K
- 16. A distance metric is an essential measure in both supervised and unsupervised learning methods. Which of the following function is not a distance metric for the vectors x and y?
 - (a) d(x,y) = 1 for all x and y \checkmark
 - (b) d(x,y) = 0 if x = y. Otherwise, d(x,y) = 1
 - (c) Minkowski ⋉
 - (d) Jaccard X
 - (e) Hamming ⋉
- 17. Which of the following will be the Manhattan distance between the two data points [-9, 8, 1, 4] and [1, 4, -6, 9]?
 - (a) 4 ×
 - (b) 26 ✓
 - (c) 13.784049 ×
 - (d) 7.745967 ×
 - (e) 11.527972 ×
- 18. Which of the following is the Minkowski distance with power r=3 between two data points [4,5,6,7,8,9] and [18,17,16,15,14,13]?

- (a) 1842.1070844348967 ⋉
- (b) 54 K
- (c) $23.579652 \times$
- (d) 18.433901 ✓
- (e) 14 K
- 19. Which of the following is IMPOSSIBLE to obtain from the Minkowski distance measure with appropriate power r between two data points [3,2,4,20] and [1,6,5,7]?
 - (a) $0.447104 \checkmark$
 - (b) 20 K
 - (c) 13.784049 K
 - (d) 13.030954 K
 - (e) 13 K
- 20. Which of the following is usually NOT regarded as part of unsupervised learning?
 - (a) association rules \bowtie
 - (b) clustering ⋉
 - (c) dimensionality reduction \bowtie
 - (d) visualisation \bowtie
 - (e) reinforcement learning \checkmark