Department of Engineering Science Instructor: Chi-Hua Yu

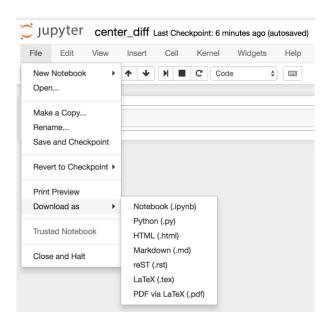
# Lab 8 Programming, Due 10:00, Wednesday, April 27<sup>th</sup>, 2022

#### 注意事項:

- 1. Lab 的時間為授課結束(Lab 當天 10:00)。
- 2. Lab 的分數分配:出席 20%, Lab 分數 100%, Bonus 20%。
- 3. 請儘量於 Lab 時段完成練習,完成後請找助教檢查,經助教檢查後沒問題者請用你的學 號與 Lab number 做一個檔案夾 (e.g., N96091350\_Lab8, 將你的全部 ipynb 檔放入檔案夾, 壓縮後上傳至課程網站 (e.g., N96091350\_Lab8.zip)。
- 4. 上傳後即可離開。
- 5. 未完成者可於隔日 11:55 pm 前上傳至 Moodle,惟補交的分數將乘以 0.8 計,超過期限後不予補交。
- 6. Bouns 只需要在每週四的 11:55 pm 上傳即可。

## Lab Submission Procedure (請仔細閱讀)

1. You should submit your Jupyter notebook and Python script (\*.py, in Jupyter, click File, Download as, Python (\*.py)).



- 2. Name a folder using your student id and lab number (e.g., n96081494\_lab1), put all the python scripts into the folder and zip the folder (e.g., n96081494\_lab1.zip).
- 3. Submit your lab directly through the course website.

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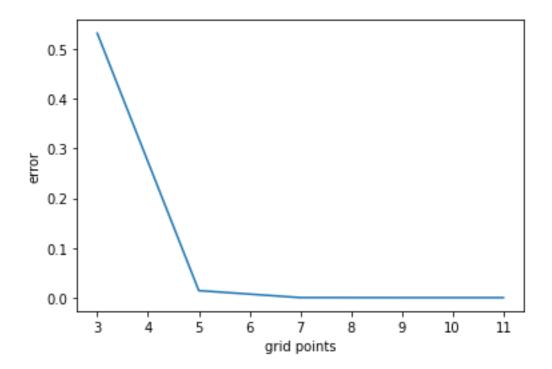
1. (50%) Name your Jupyter notebook Simpson\_rule.ipynb and Python script Simpson \_rule.py. Use Simpson's rule to approximate  $\int_0^{\pi} e^{\sin(x)} dx$  and compare this value to the exact value of 6.208758035711. Compare the error of the approximation with the exact value using grid points in the range 3 to 12 according to **Simpson's rule**. Please print the minimum error and plot the error of grid points

```
def function(x):
    f = np.exp(np.sin(x))
    return f

a = 0
b = np.pi
h = (b - a) / (n - 1)
x = np.linspace(a, b, n)
f = function(x)
```

# Below is the running example:

minimum error: 1.0880791458056649e-05



#### **Numerical Method**

## **National Cheng Kung University**

Department of Engineering Science

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2. (50%) Name your Jupyter notebook Euler\_method.ipynb and Python script Euler\_method.py. The differential equation  $\frac{df(t)}{dt} = e^{-2t}$  with initial condition  $f_0 = -\frac{1}{2}$  has the exact solution  $f(t) = -\frac{1}{2}e^{-2t}$ . Approximate the solution to this initial value problem between zero and 1 in increments of 0.1 using the explicit Euler formula. Please plot the difference between the approximated solution and the exact solution.

# Below is the running example:

