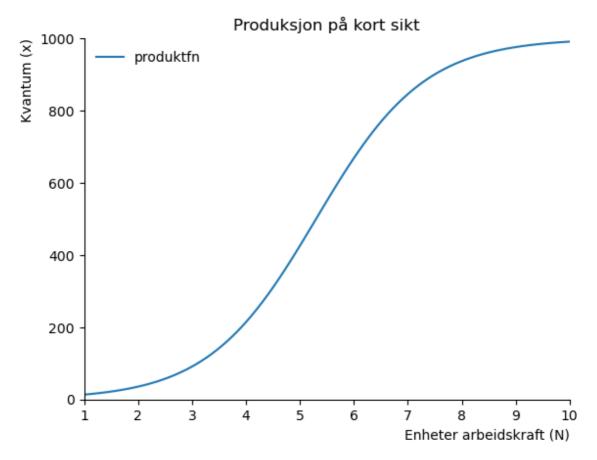
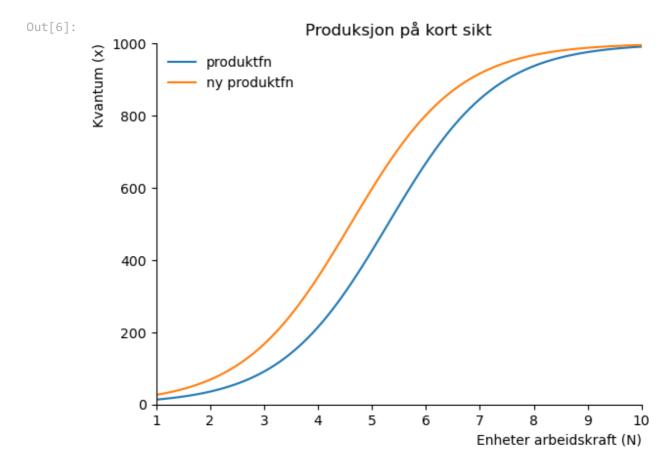
```
In [1]: # importer pakkene som vi trenger
        import numpy as np
        from matplotlib import pyplot as plt
        import sympy as sp
In [2]: # definer symboler
        N, A = sp.symbols('N A', positive=True, real=True)
In [3]: # Vi definerer produktfn
        def prod(c,N,A):
            produksjon=1000*(c.exp(N)/(A+c.exp(N)))
            return produksjon
        prod(sp,N,A)
Out[3]: \frac{3}{A + e^{N}}
In [4]: n=np.linspace(1,10,100)
        fig1, ax = plt.subplots()
        ax.set_ylabel('Kvantum (x)', loc='top')
        ax.set_xlabel('Enheter arbeidskraft (N)', loc='right')
        ax.set(xlim=(1,10))
        ax.set(ylim=(0,1000))
        ax.spines['top'].set_color('none')
        ax.spines['right'].set_color('none')
        # plott funksjonen
        ax.plot(n, prod(np,n,200), label='produktfn')
        # tittel
        ax.set_title('Produksjon på kort sikt')
        #vis navnene:
        ax.legend(loc='best',frameon=False);
```



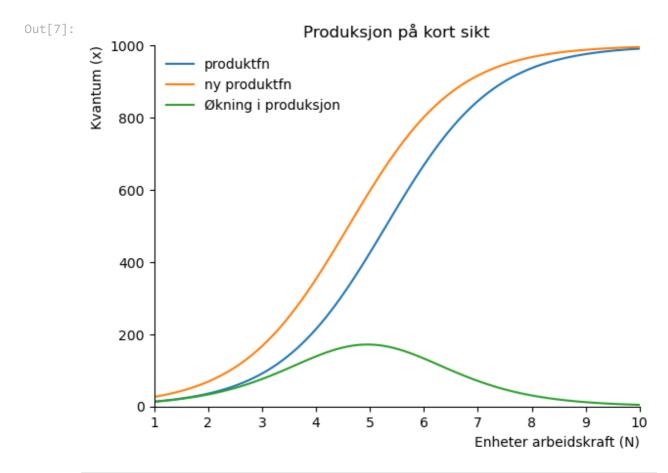
```
In [ ]: # skriv ditt svar her
    l = sp.simplify(sp.diff(prod(sp,N,200),N))
    display(l)
    l2 = sp.lambdify((N), 1)

In [6]: ax.plot(n, prod(np,n,100), label='ny produktfn')
    ax.legend(loc='best',frameon=False)
    fig1
```



```
In [5]: # økning i produksjon fra å ta i bruk den nye teknologien
def increase(c,N):
    return (prod(c,N,100)-prod(c,N,200))
```

```
In [7]: ax.plot(n, increase(np,n), label='Økning i produksjon')
ax.legend(loc='best',frameon=False)
fig1
```



```
increase_d=sp.simplify(sp.diff(increase(sp,N),N))
increase_d
```

Out[8]: $\frac{100000 \cdot (100000 - e^{2 N}\right)}{e^{4 N} + 600 e^{3 N} + 130000 e^{2 N} + 12000000 e^{N} + 400000000}$

```
In [9]: sol=sp.solve(increase_d,N)[0]
sol
# dette gir N som maksimerer produksjonssøkningen
```

Out[9]: \$\displaystyle \log{\left(100 \sqrt{2} \right)}\$

In [10]: float(sol)

Out[10]: 4.951743776268064

In [11]: increase(sp,float(sol))

Out[11]: \$\displaystyle 171.57287525381\$