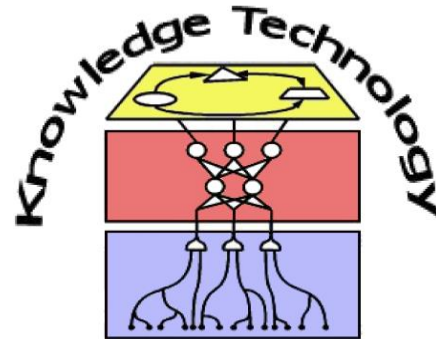


Hierarchical Control for Bipedal Locomotion using Central Pattern Generators and Neural Networks

Sayantan Auddy

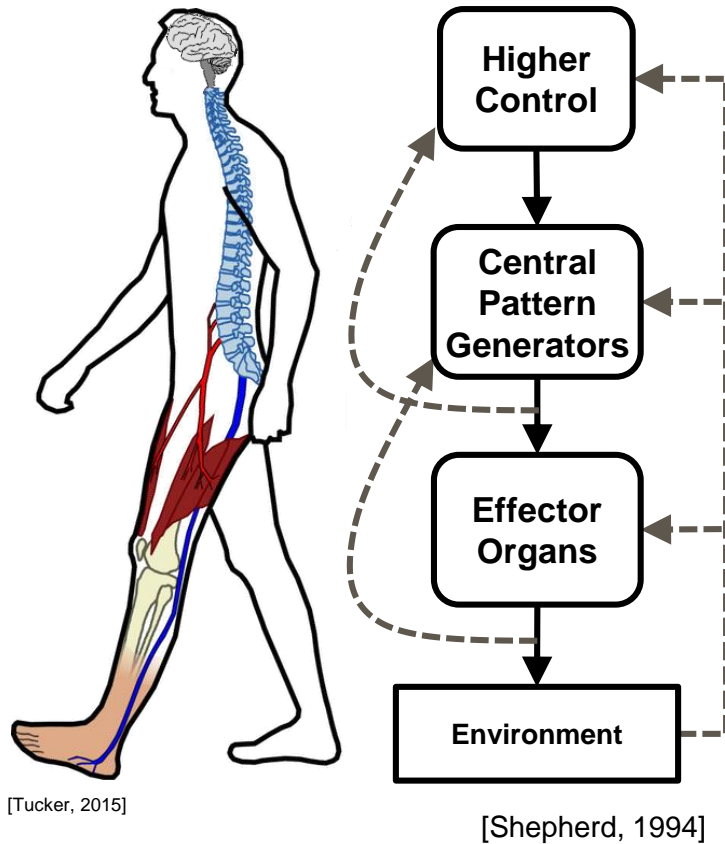
Adviser: Dr. Sven Magg



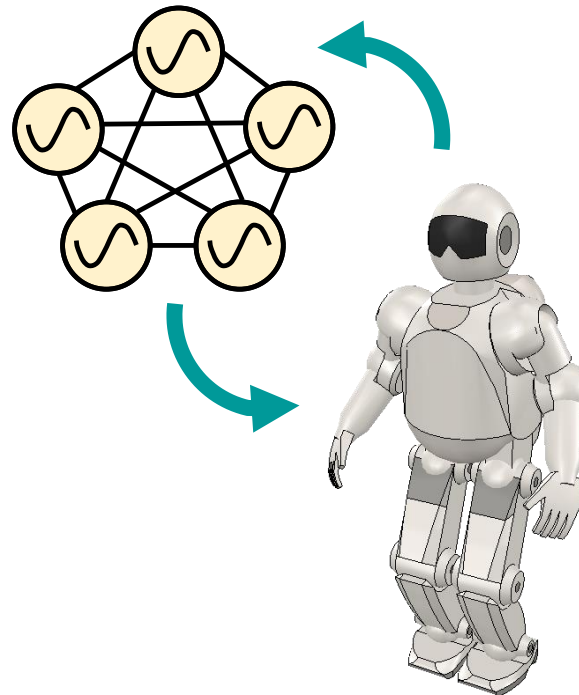
<http://www.informatik.uni-hamburg.de/WTM/>

Motivation

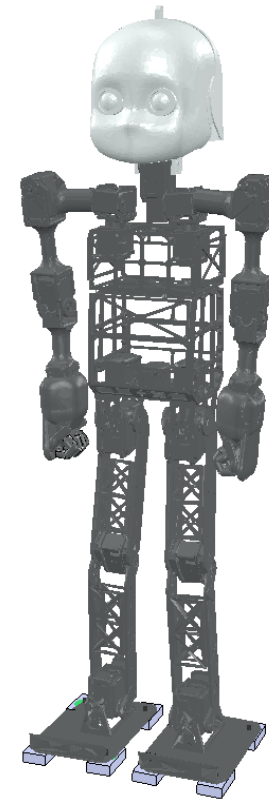
Biological Inspiration



Central Pattern Generator based approaches



Walking algorithm for the NICO robot



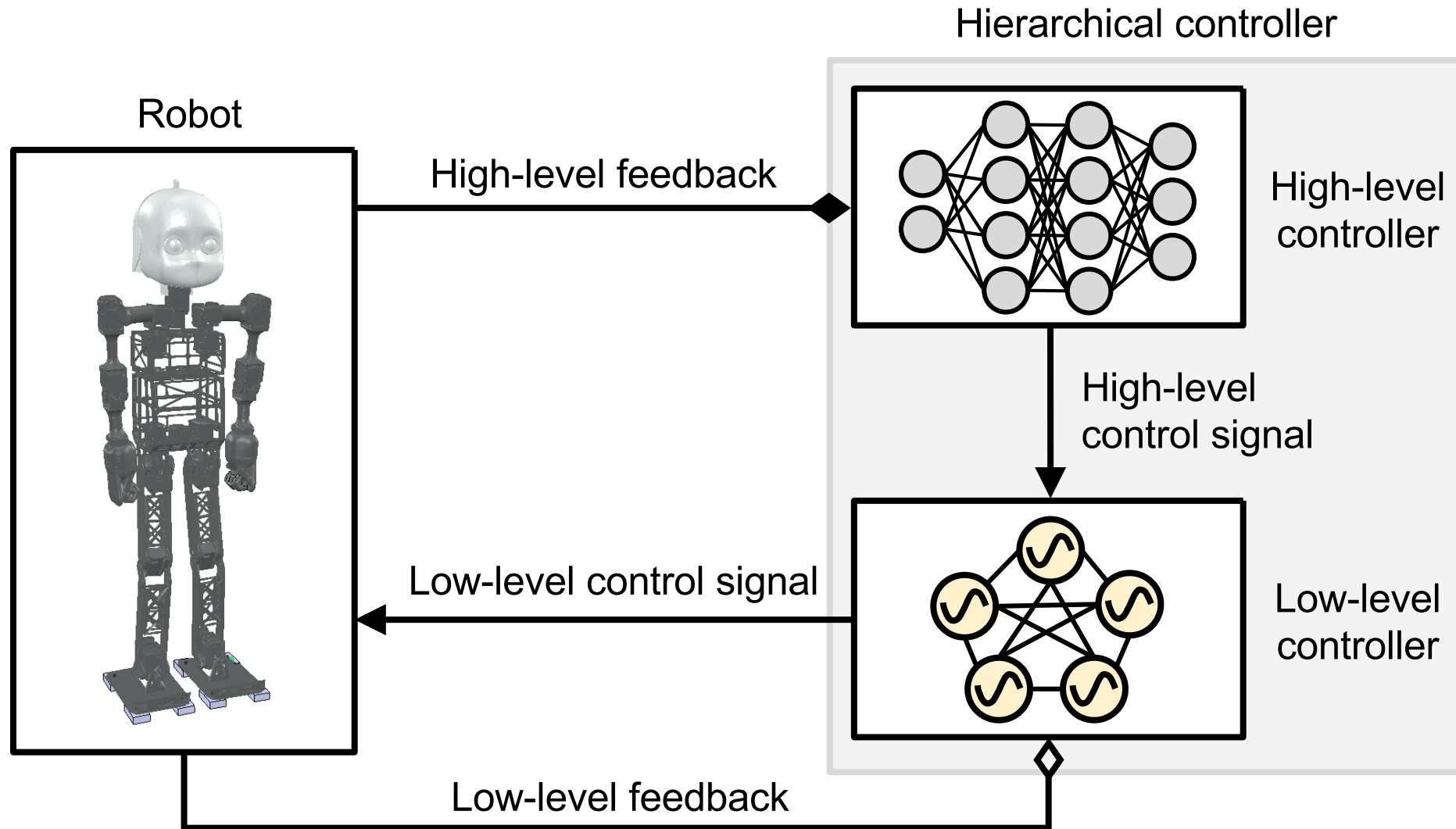
Outline

- Motivation
- Research Questions
- Architecture
- Low-level Control Experiments
- High-level Control Experiments
- Conclusion and Future Work

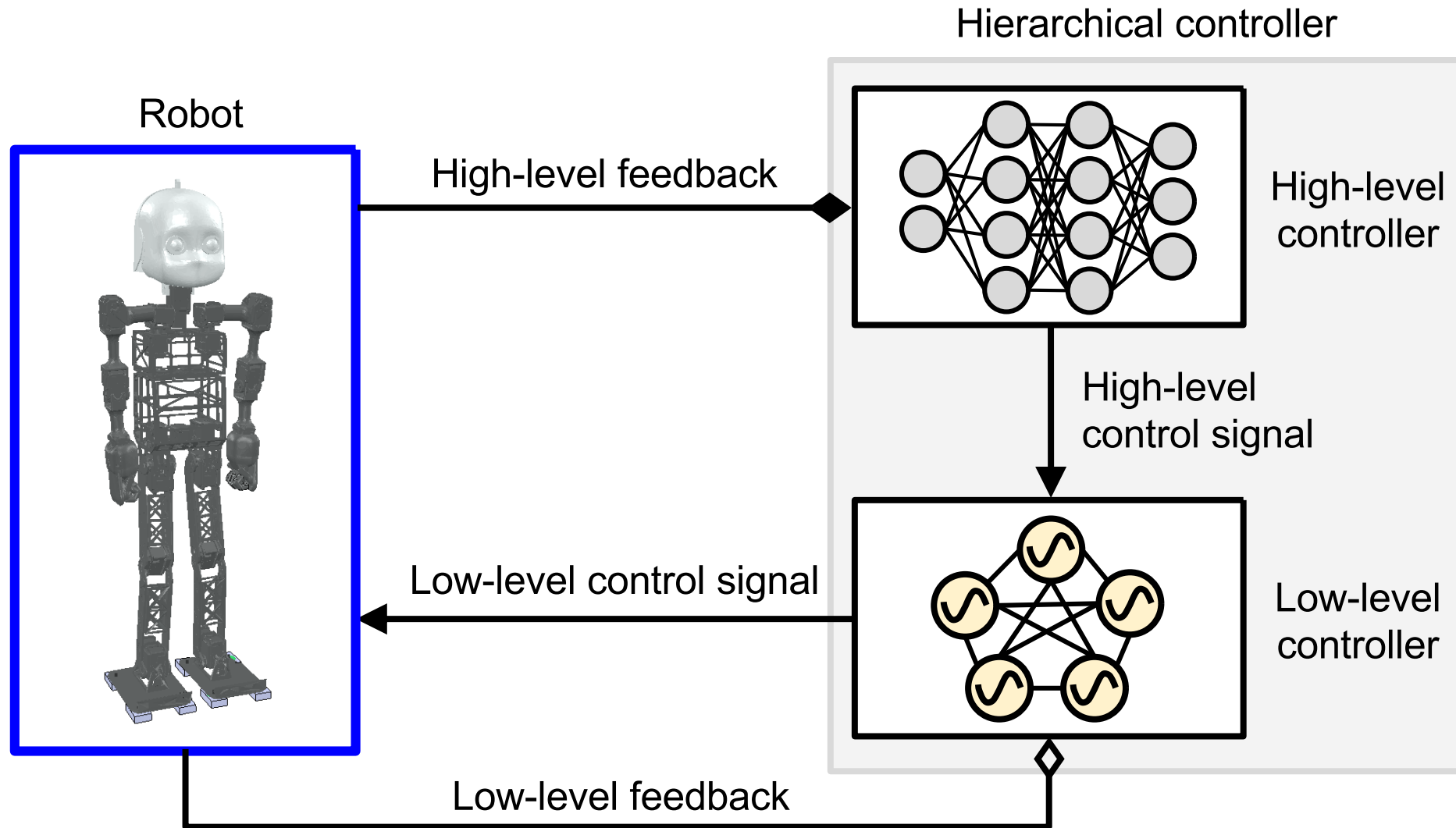
Research Questions

- Can bipedal locomotion be achieved by using a **low-level CPG-based controller** modulated by a **high-level neural network controller**, and is such a control mechanism beneficial for walking?
- Do **feedback mechanisms** for CPGs **improve the gait**?
How do different feedback mechanisms **compare** against each other?

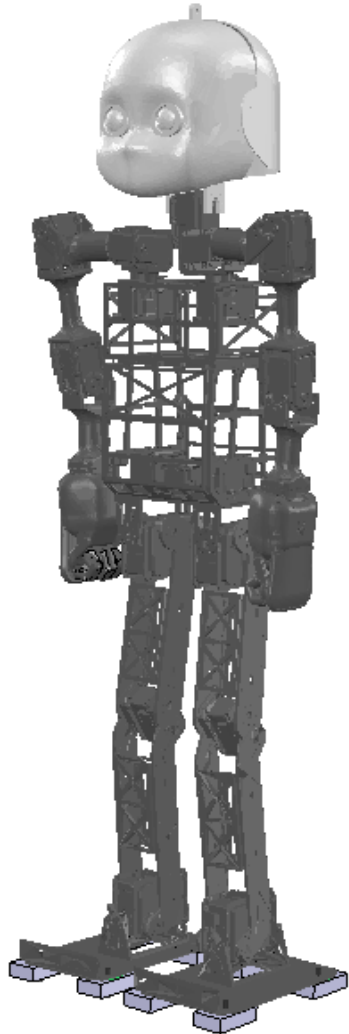
Architecture Overview



Architecture Overview

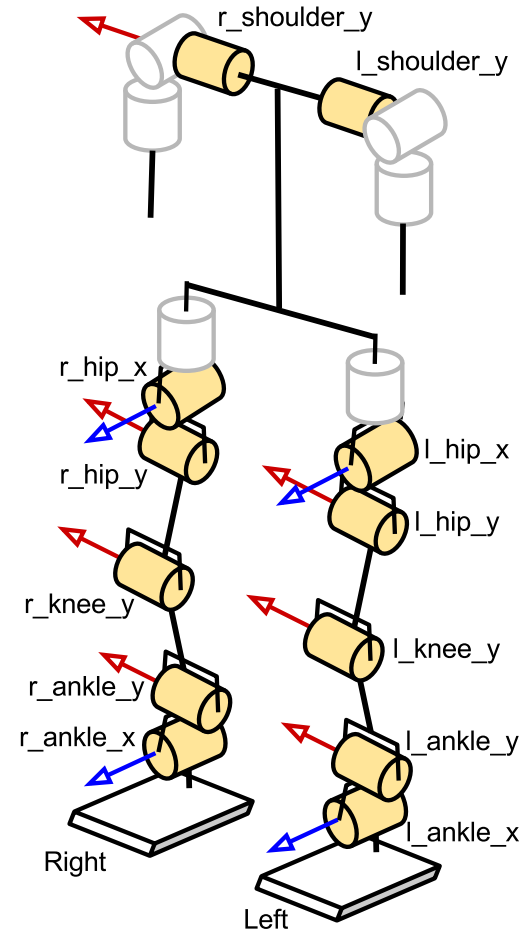


Robot

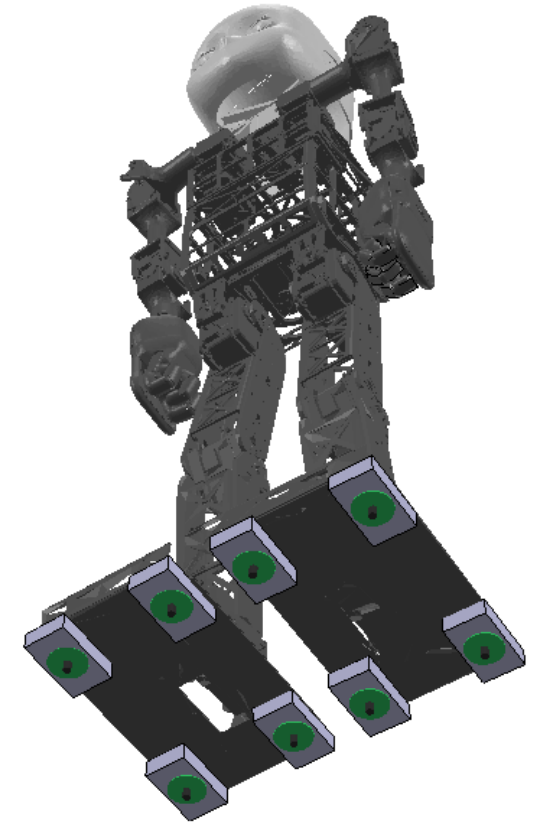


NICO robot used in simulation

[Kerzel, 2017]

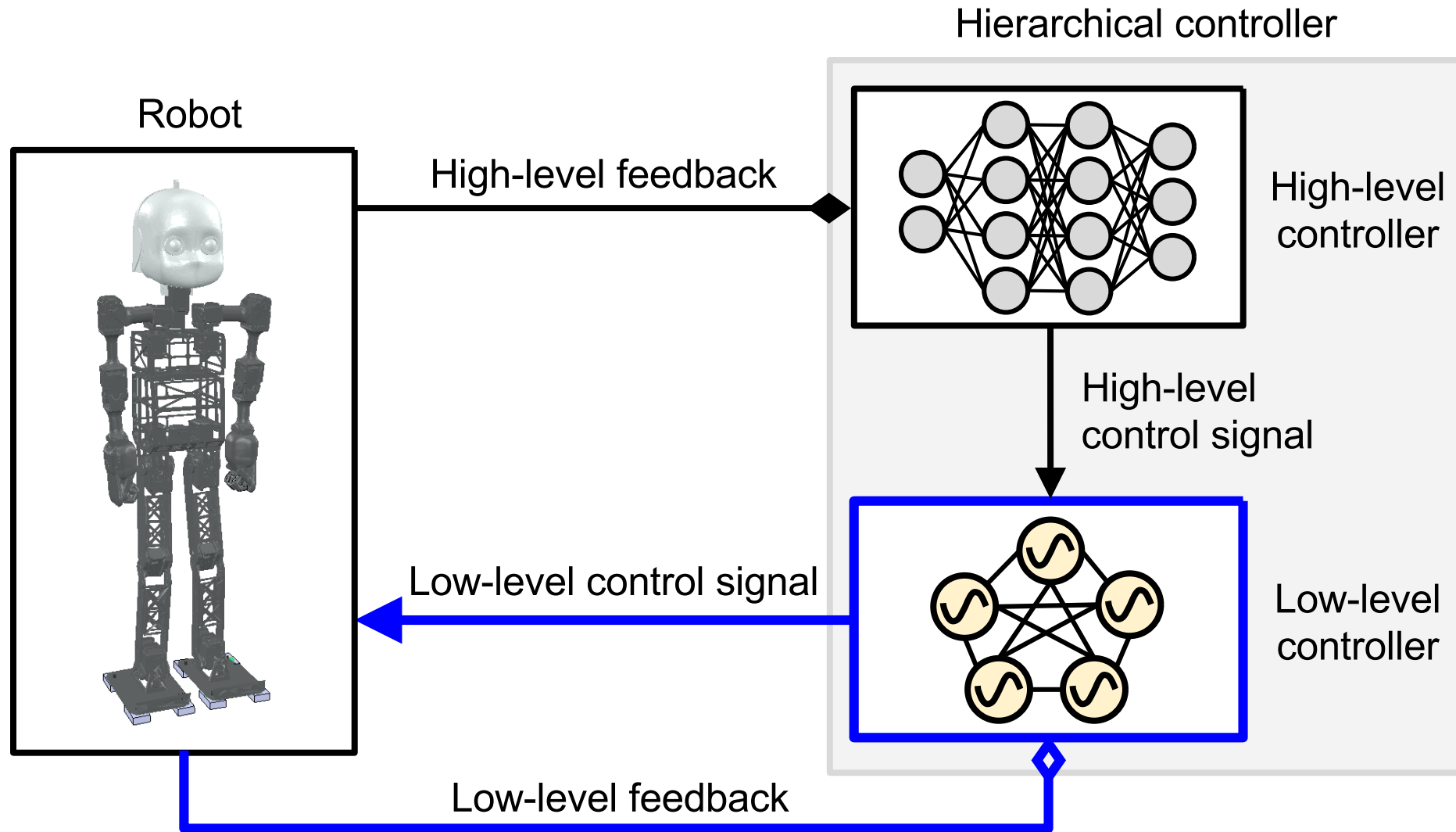


10 leg joints, 2 shoulder joints

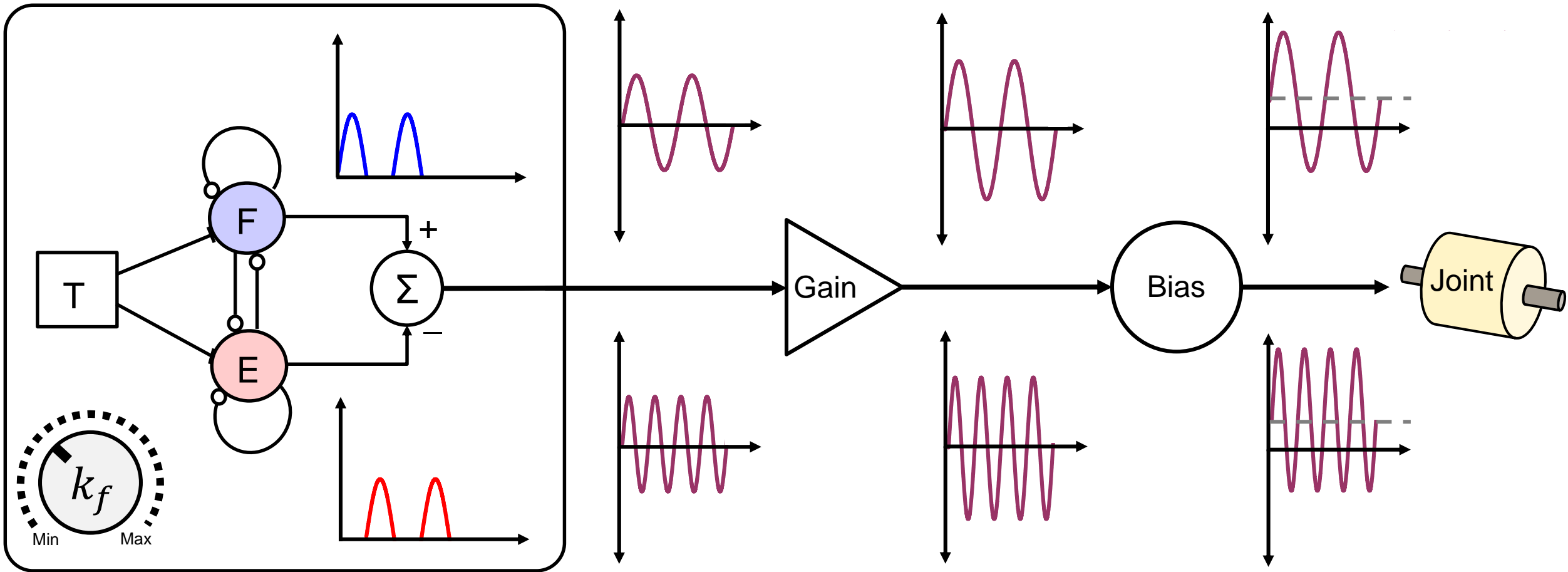


Force sensors added

Architecture Overview



Central Pattern Generator - Matsuoka Oscillator



[Matsuoka, 1985, 1987]

[Kamimura, 2005]

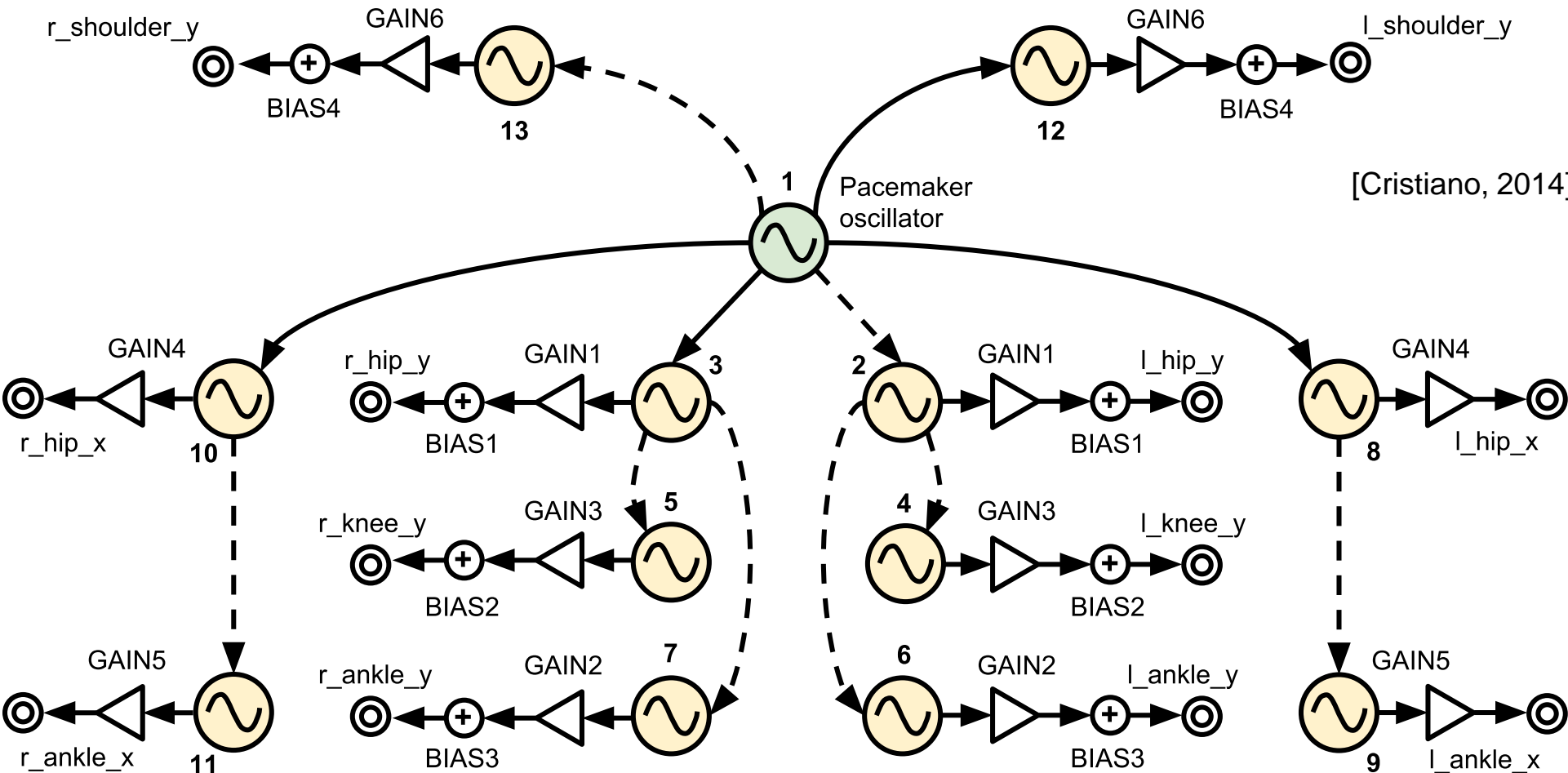
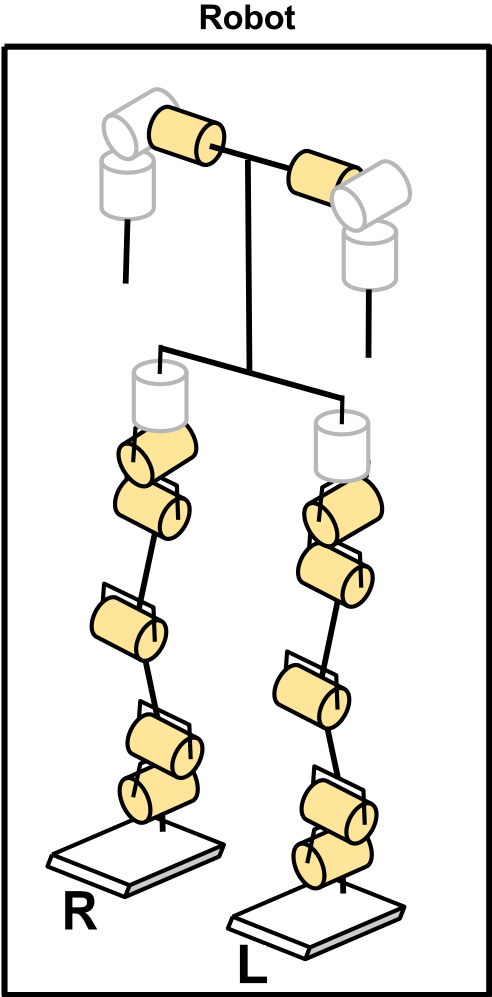
[Cristiano, 2014]

Gain → Amplitude

Bias → Mean position

k_f → Frequency

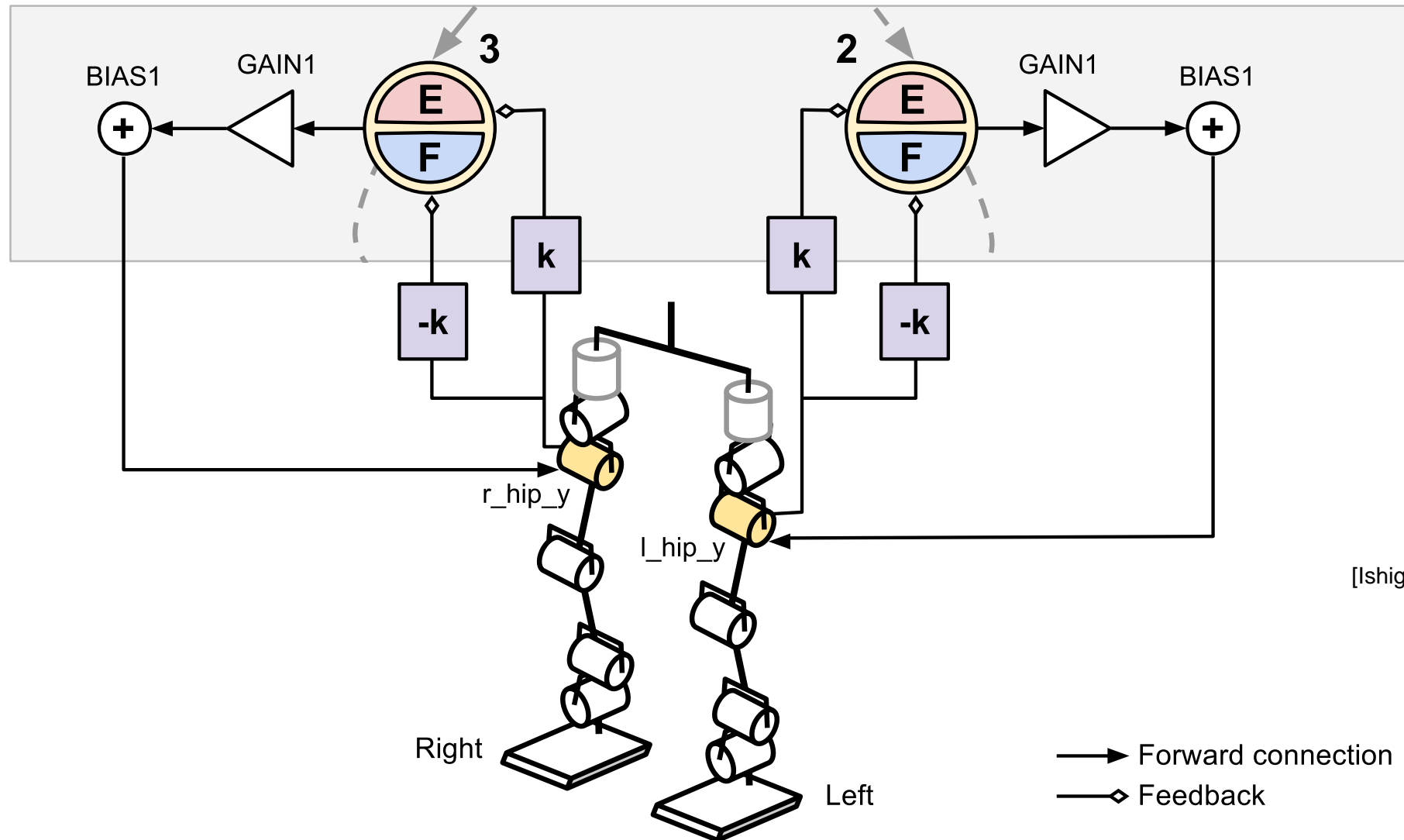
Low-level Controller



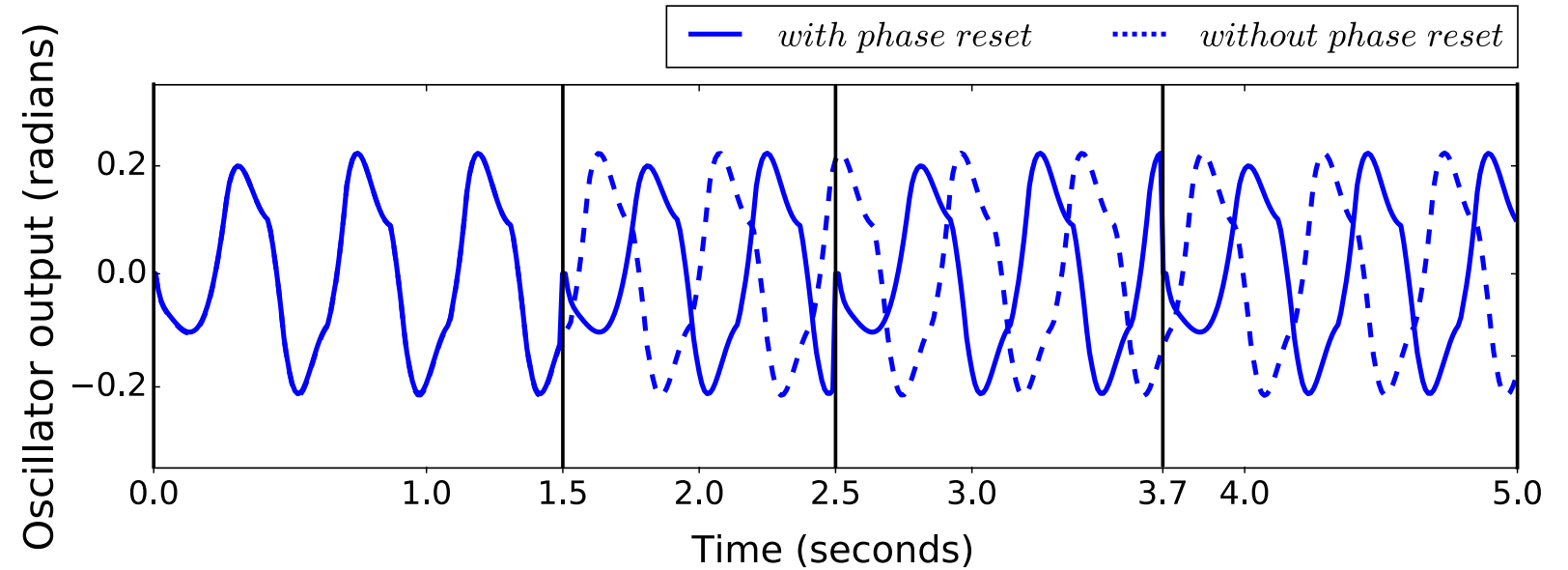
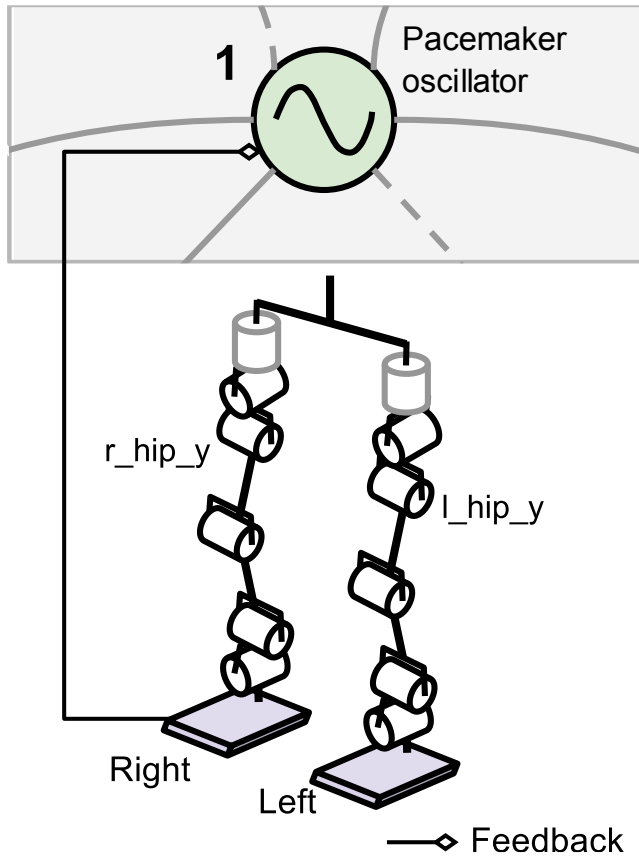
[Cristiano, 2014]

k_f	GAIN1	GAIN2	GAIN3	GAIN4	GAIN5	GAIN6	BIAS1	BIAS2	BIAS3	BIAS4
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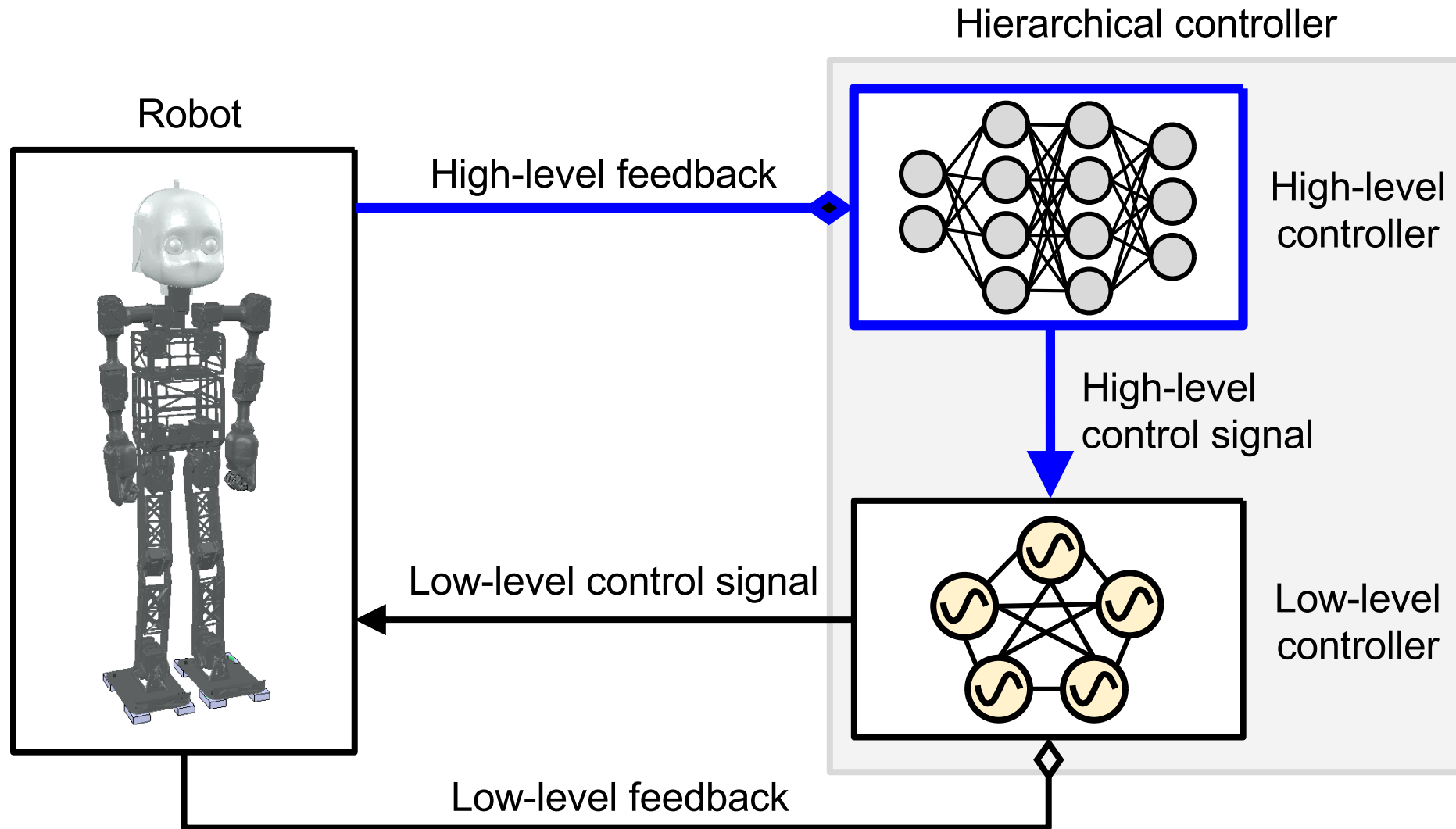
Low-level Feedback: Angle Feedback



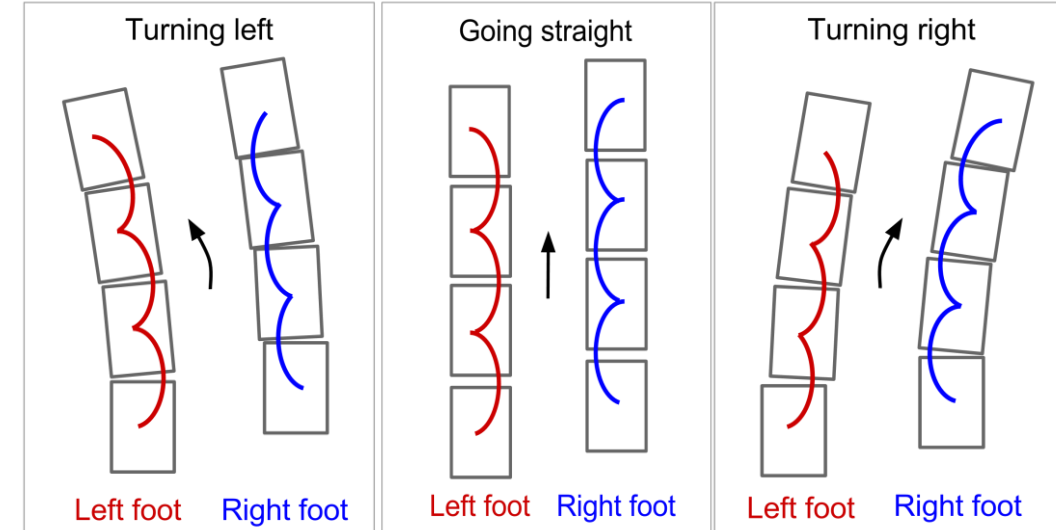
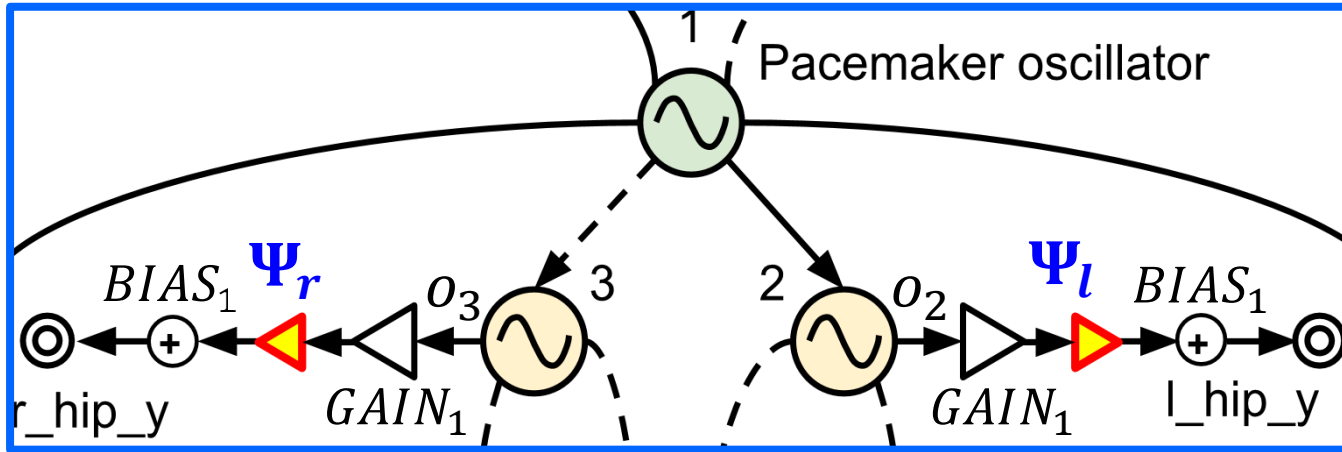
Low-level Feedback: Phase Reset



Architecture Overview



High-level Controller: Turning Mechanism

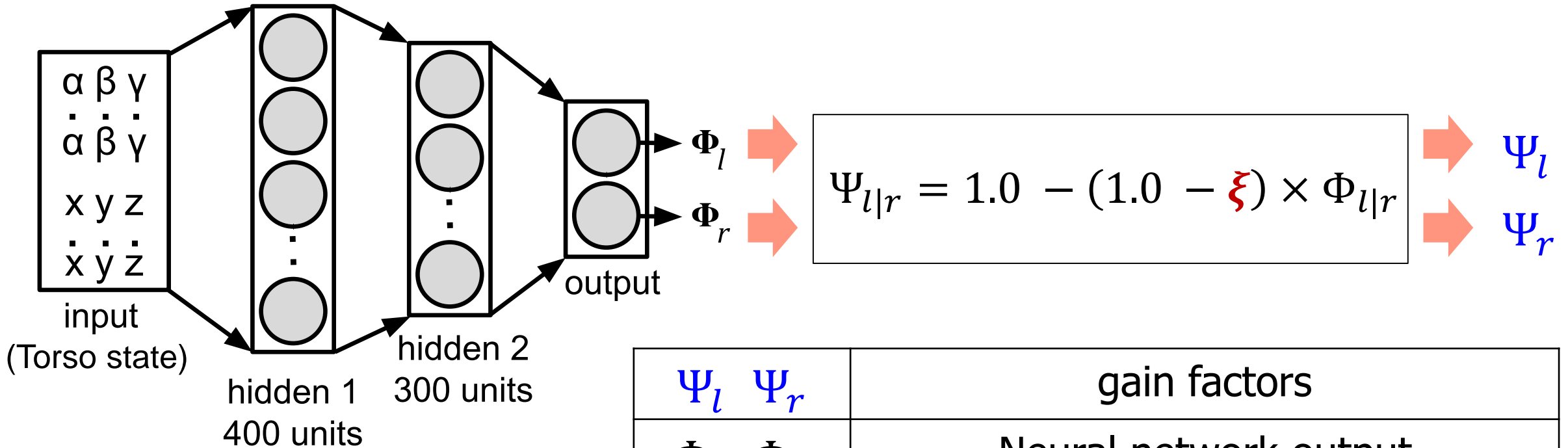


$$l_hip_y = o_2 \times \Psi_l \times GAIN_1 + BIAS_1$$

$$r_hip_y = o_3 \times \Psi_r \times GAIN_1 + BIAS_1$$

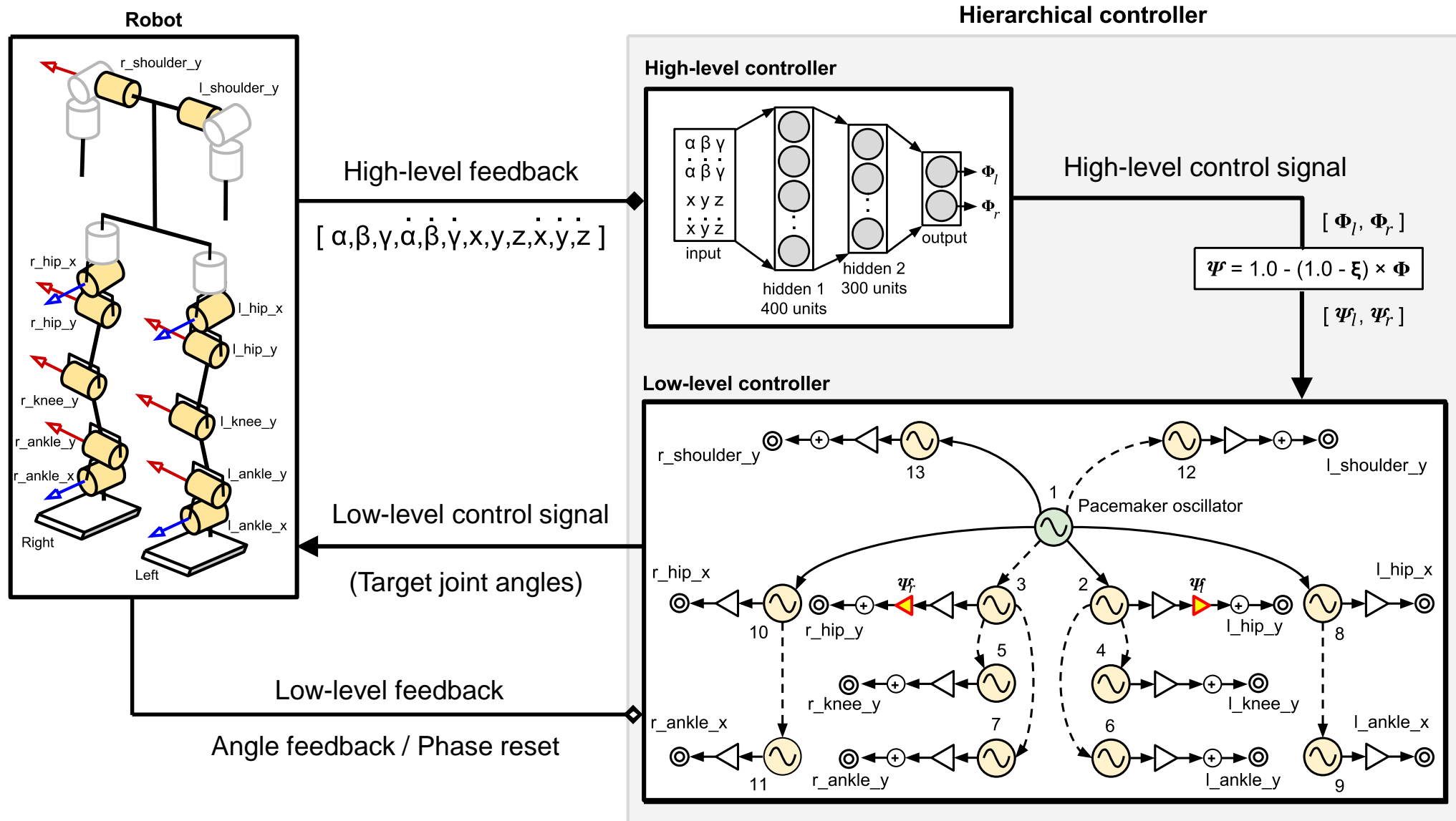
$$\Psi_l > \Psi_r \quad \Psi_l = \Psi_r \quad \Psi_l < \Psi_r$$

High-level Controller: Neural Network



Ψ_l Ψ_r	gain factors
Φ_l Φ_r	Neural network output
ξ	Controls influence of Neural Network 1.0 – No influence 0.0 – High influence

Architecture Details



Low-level Control – Experimental Setup

Chromosome Structure

Open Loop	k_f	GAIN1	GAIN2	GAIN3	GAIN4	GAIN5	GAIN6	BIAS1	BIAS2	BIAS3	BIAS4	
Angle Feedback	k_f	GAIN1	GAIN2	GAIN3	GAIN4	GAIN5	GAIN6	BIAS1	BIAS2	BIAS3	BIAS4	k
Phase Reset	k_f	GAIN1	GAIN2	GAIN3	GAIN4	GAIN5	GAIN6	BIAS1	BIAS2	BIAS3	BIAS4	

Genetic Algorithm Parameters

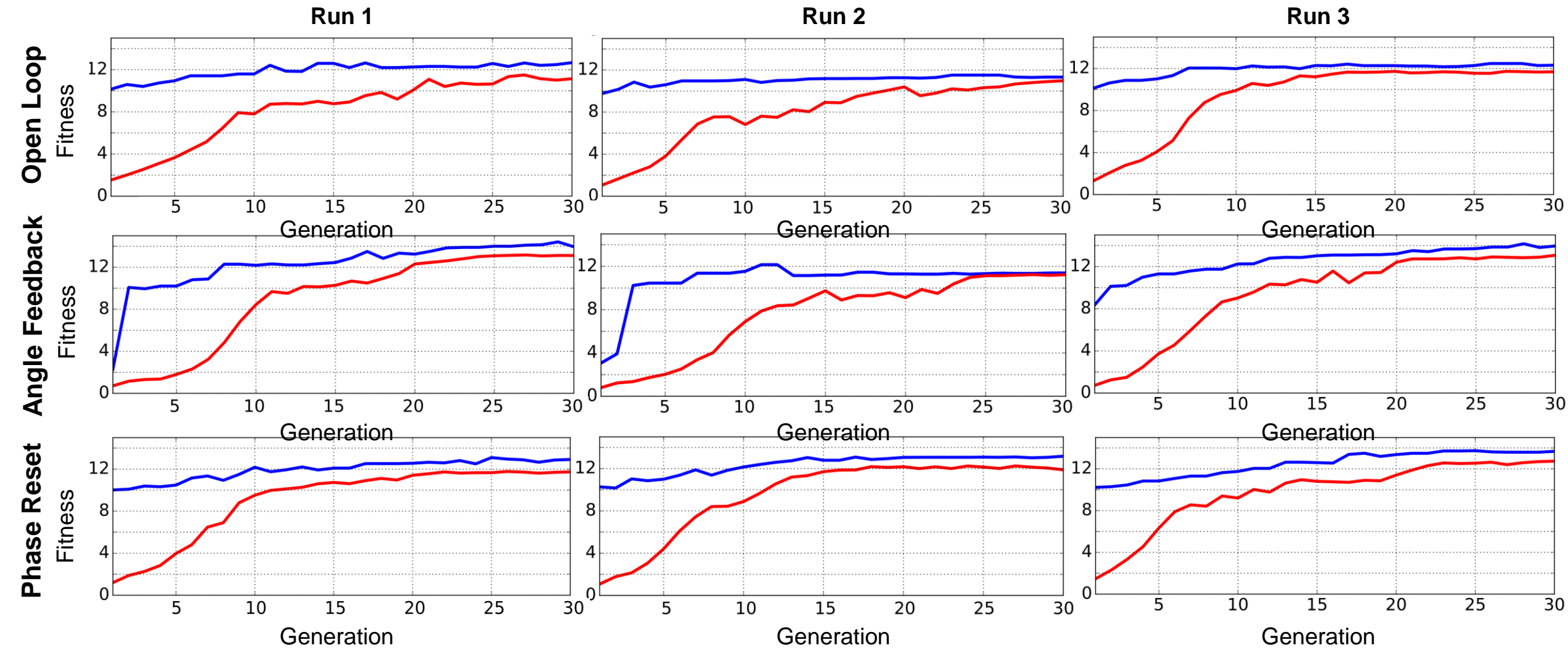
Population size	200 (20 seconds each)
Generations	30 (3 runs)
Selection	Tournament selection (size=3)
Crossover	2-point crossover (\mathbb{P} =80%)
Mutation	Number from a Gaussian distribution (\mathbb{P} =10%)

Fitness function

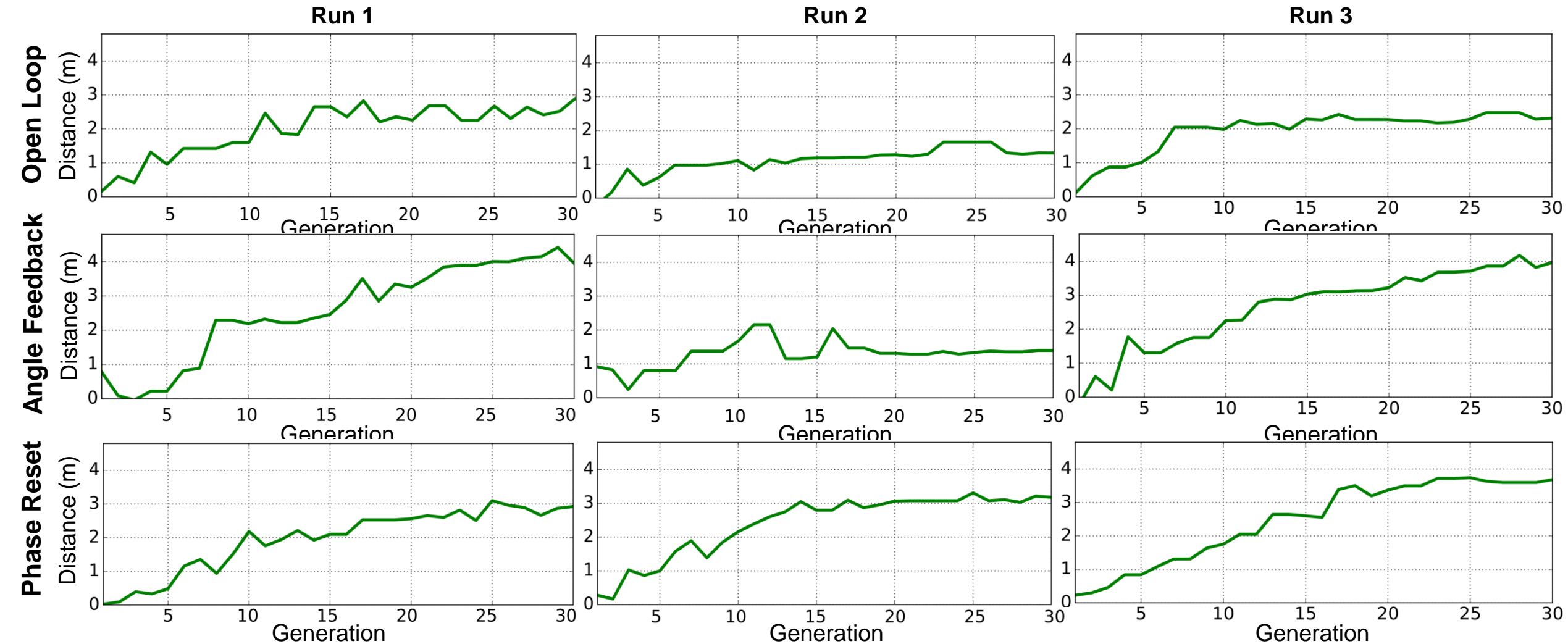
$$f = distance_x + (0.5 \times t_{up})$$

Low-level Control Optimization Results – Fitness

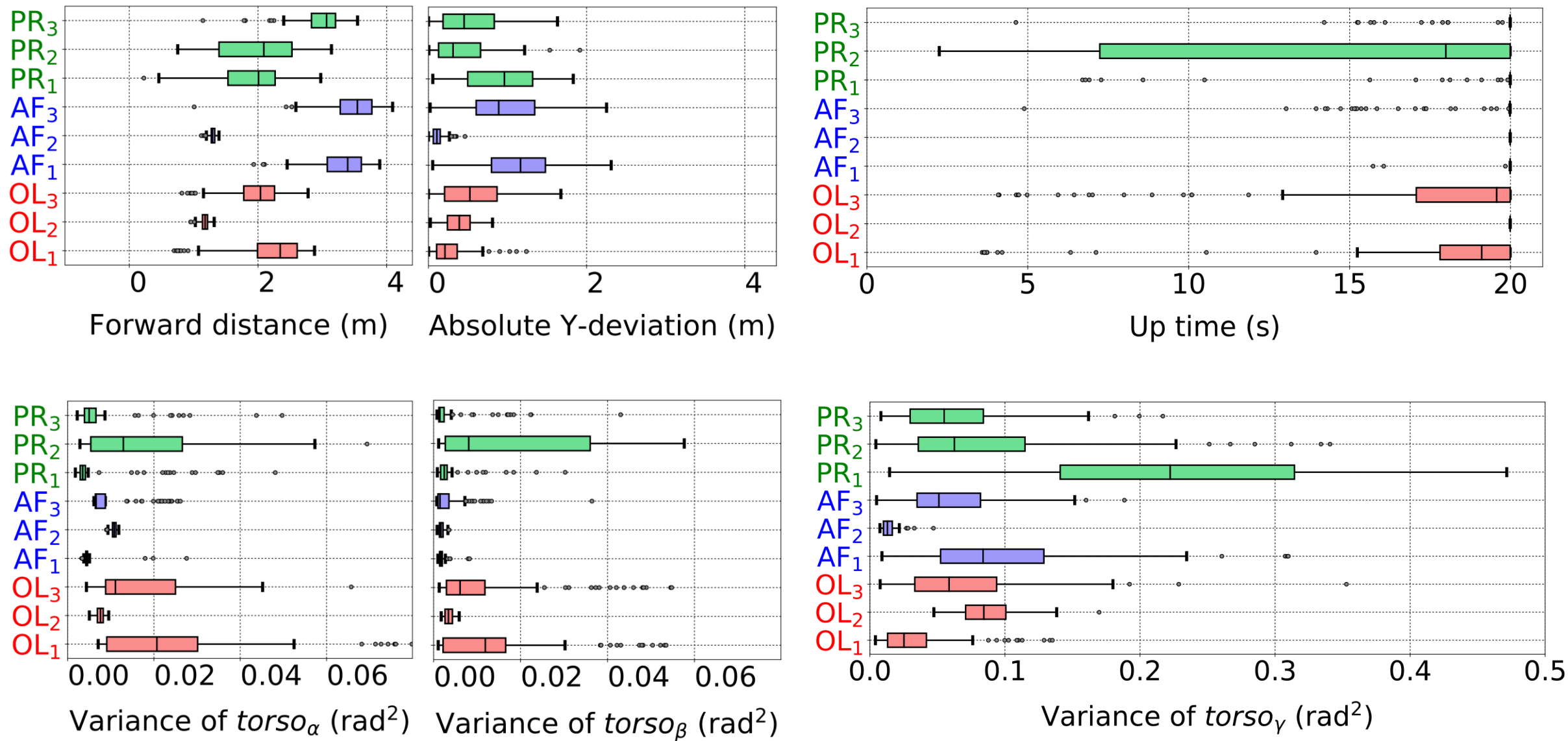
— Max. Fitness — Avg. Fitness



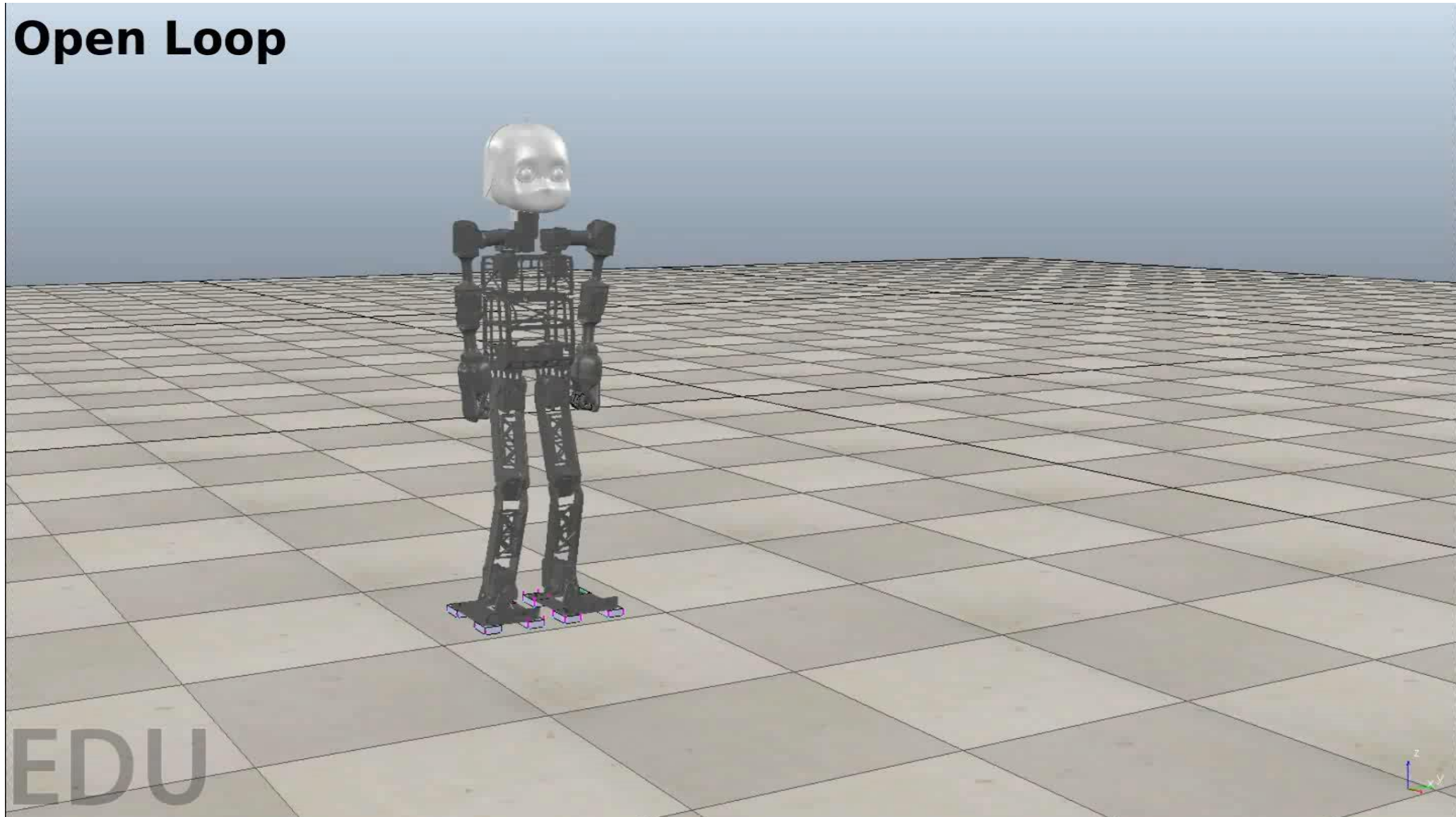
Low-level Control Optimization Results– Distance



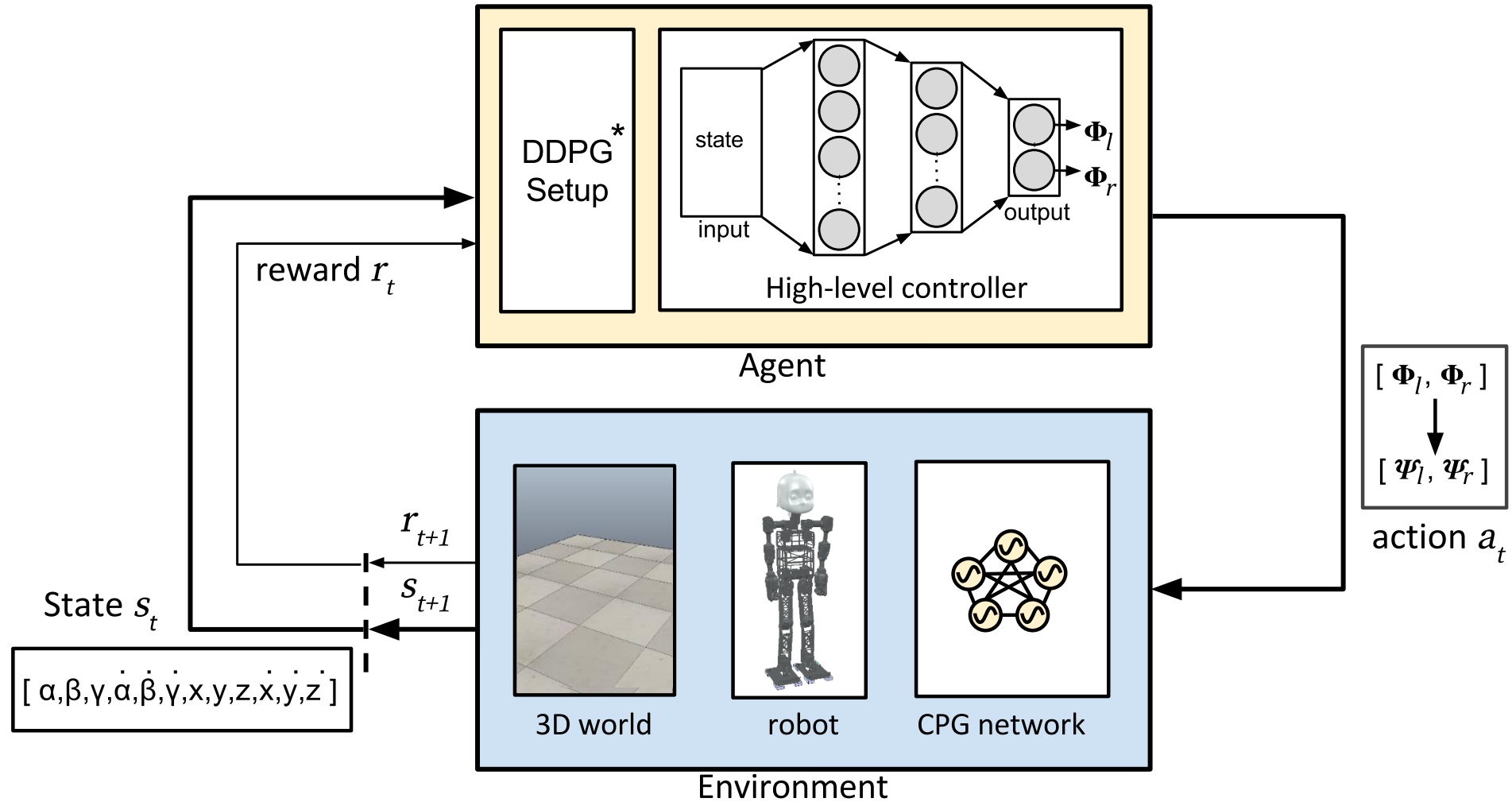
Gait Evaluation Test Results



Low-level Control – Videos



High-level Control - Setup

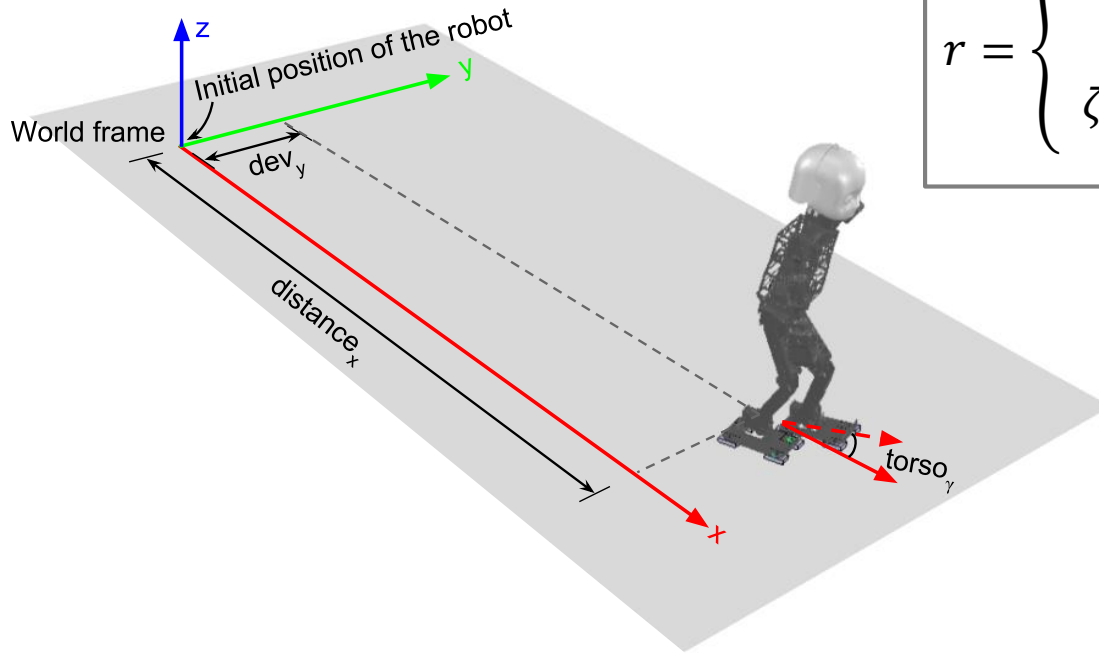


* Deep Deterministic Policy Gradient Algorithm
[Lillicrap, 2015]

High-level Control – Training Setup

Reward Function

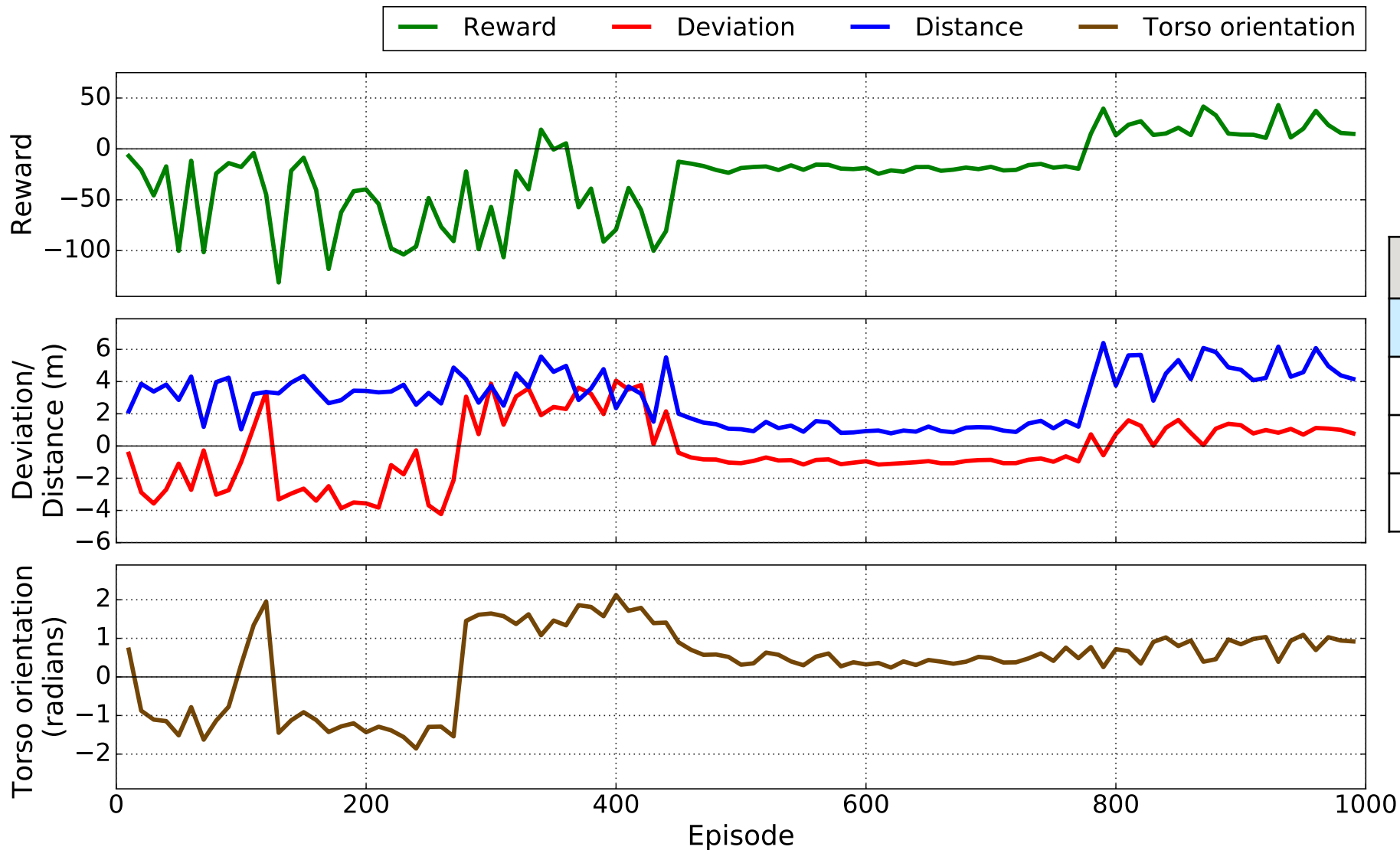
$$r = \begin{cases} -100 & \text{if the robot falls} \\ \zeta_{dev}(-dev_y^{abs}) + \zeta_{dist}(distance_x) + \zeta_{\gamma}(-torso_{\gamma}^{abs}) & \text{otherwise} \end{cases}$$



$\Psi_l \ \Psi_r$	gain factors
$\Phi_l \ \Phi_r$	Neural network output
ξ	Controls influence of Neural Network 1.0 – No influence 0.0 – High influence

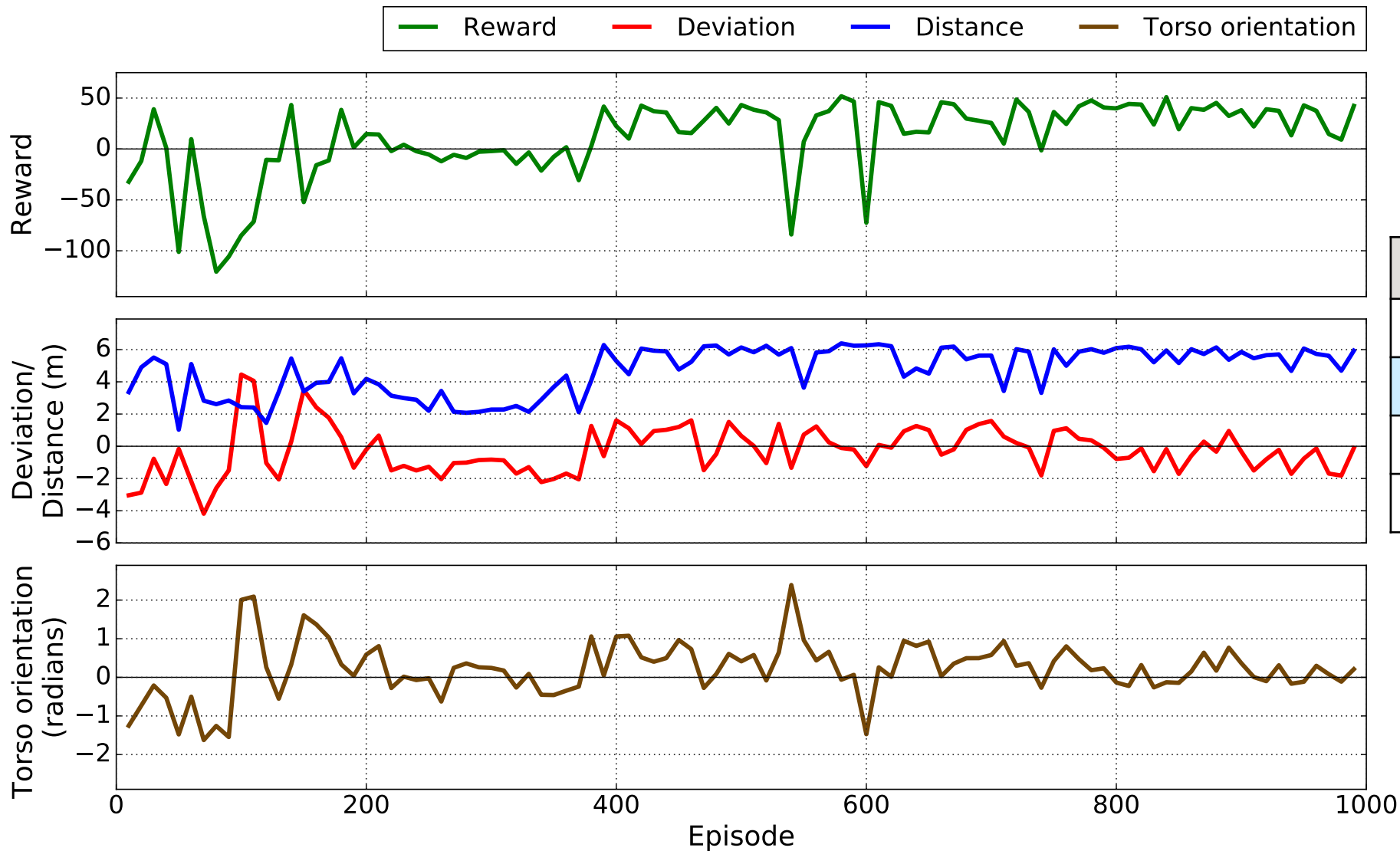
Setup	ζ_{dev}	ζ_{dist}	ζ_{γ}	ξ
<i>Setup 1</i>	1.0	0.5	1.0	0.1
<i>Setup 2</i>	1.0	0.5	1.0	0.4
<i>Setup 3</i>	1.0	0.3	1.0	0.1
<i>Setup 4</i>	1.0	0.3	1.0	0.4
<i>Setup Control</i>	No high-level control			

High-level Control – Training Results of Setup 1



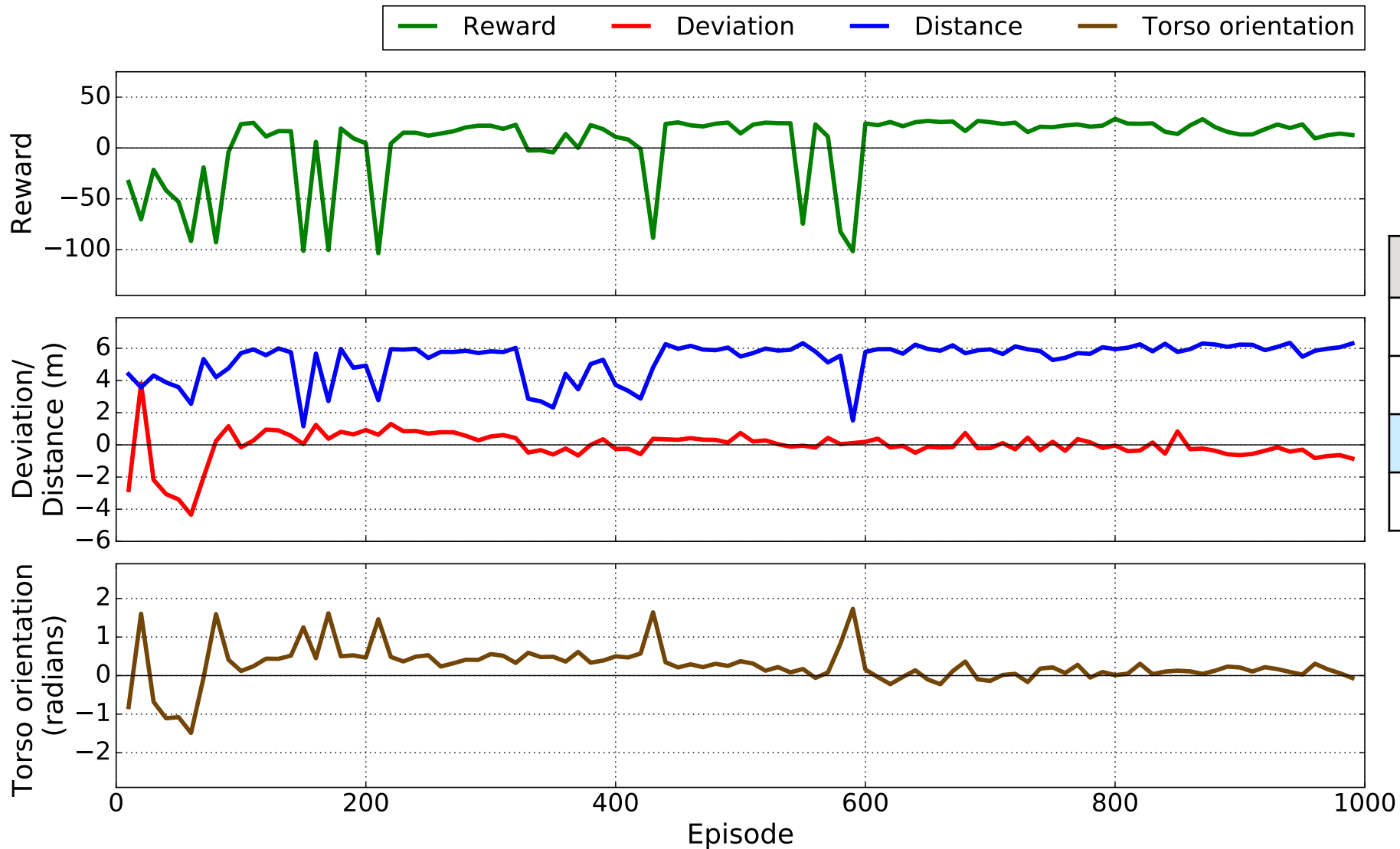
Setup	ζ_{dev}	ζ_{dist}	ζ_{γ}	ξ
<i>Setup 1</i>	1.0	0.5	1.0	0.1
<i>Setup 2</i>	1.0	0.5	1.0	0.4
<i>Setup 3</i>	1.0	0.3	1.0	0.1
<i>Setup 4</i>	1.0	0.3	1.0	0.4

High-level Control – Training Results of Setup 2



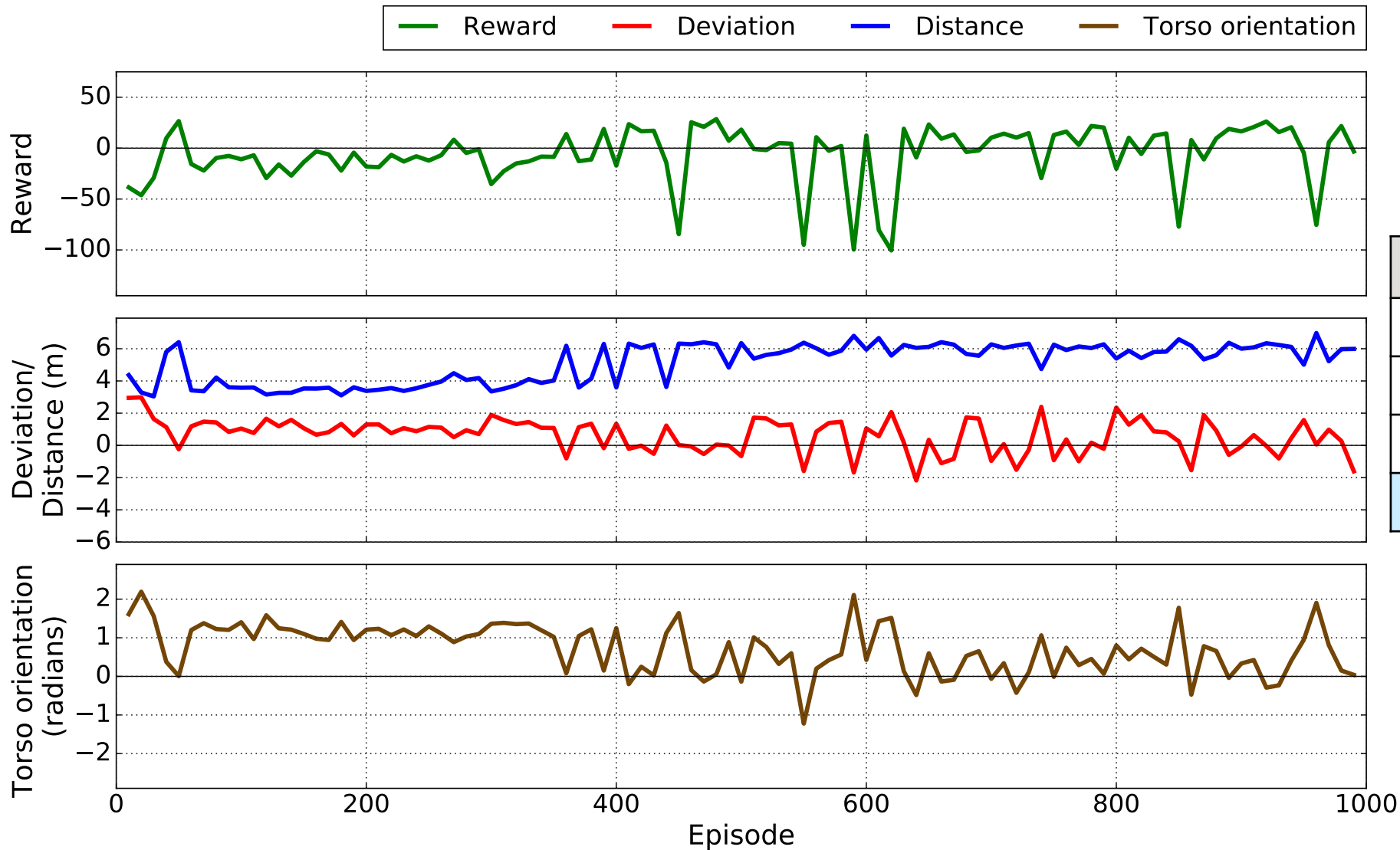
Setup	ζ_{dev}	ζ_{dist}	ζ_{γ}	ξ
Setup 1	1.0	0.5	1.0	0.1
Setup 2	1.0	0.5	1.0	0.4
Setup 3	1.0	0.3	1.0	0.1
Setup 4	1.0	0.3	1.0	0.4

High-level Control – Training Results of Setup 3



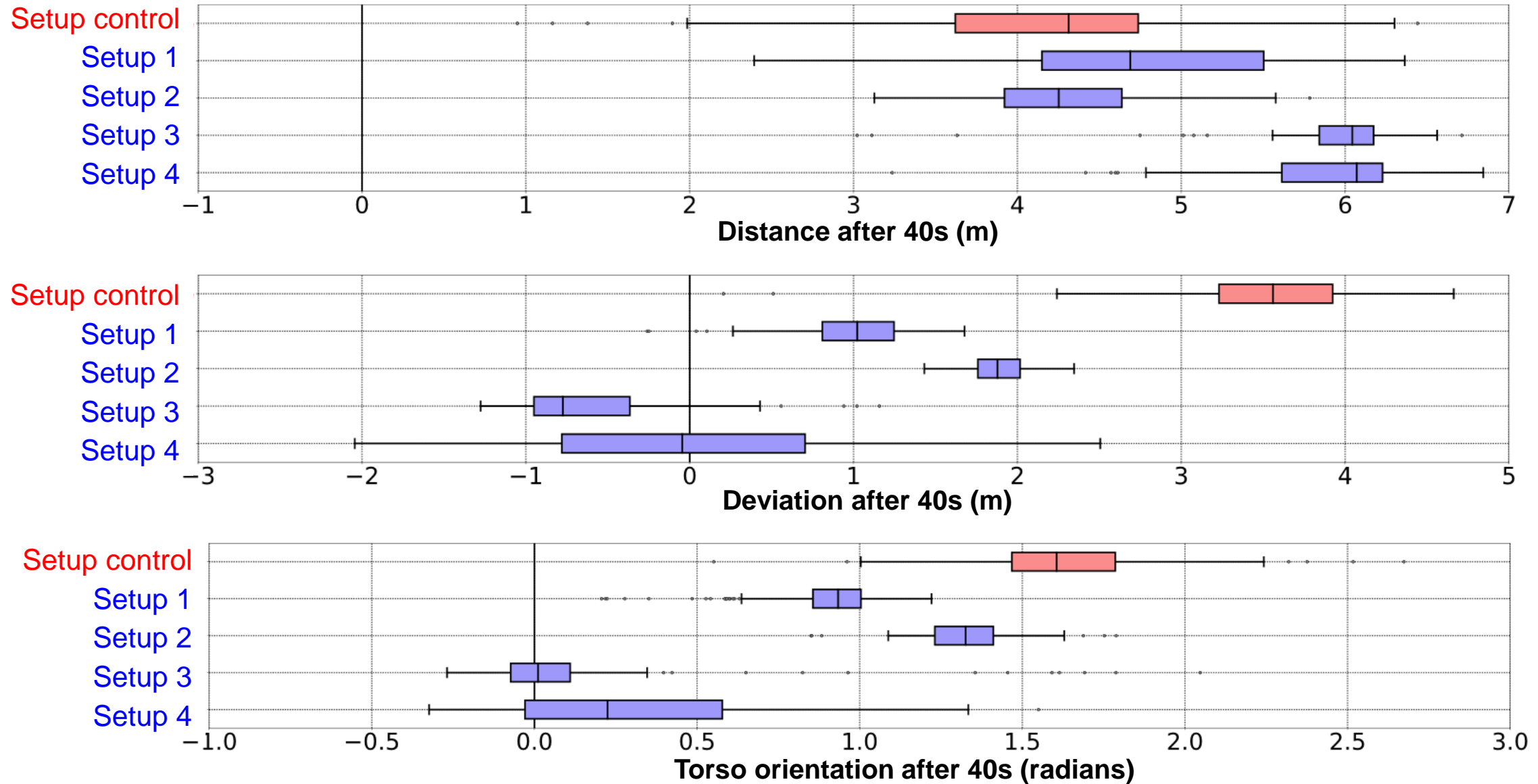
Setup	ζ_{dev}	ζ_{dist}	ζ_{γ}	ξ
Setup 1	1.0	0.5	1.0	0.1
Setup 2	1.0	0.5	1.0	0.4
Setup 3	1.0	0.3	1.0	0.1
Setup 4	1.0	0.3	1.0	0.4

High-level Control – Training Results of Setup 4



Setup	ζ_{dev}	ζ_{dist}	ζ_{γ}	ξ
<i>Setup 1</i>	1.0	0.5	1.0	0.1
<i>Setup 2</i>	1.0	0.5	1.0	0.4
<i>Setup 3</i>	1.0	0.3	1.0	0.1
<i>Setup 4</i>	1.0	0.3	1.0	0.4

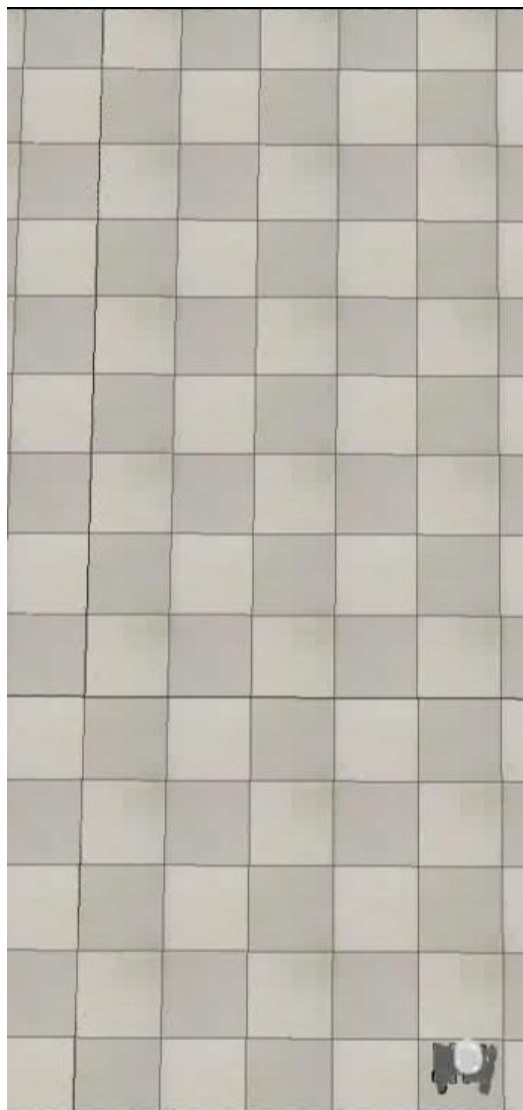
High-level Control – Test Results



High-level Control – Videos

All videos: 2.5x

Control Setup



Setup 1



Setup 2



Setup 3



Setup 4



Conclusion

Summary

- Bio-inspired hierarchical controller for bipedal locomotion
- Low-level CPG controller optimized by a genetic algorithm
- Feedback mechanisms compared
- High-level neural network controller trained using reinforcement learning

Contribution

- High-level controller can improve the performance of CPG network
- Low-level feedback improves performance
- Hierarchical, modular controller – not tightly coupled to a particular robot

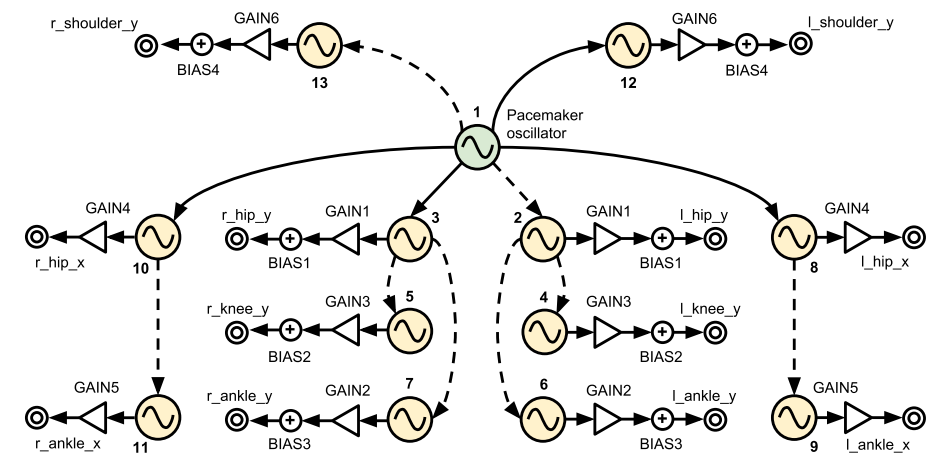
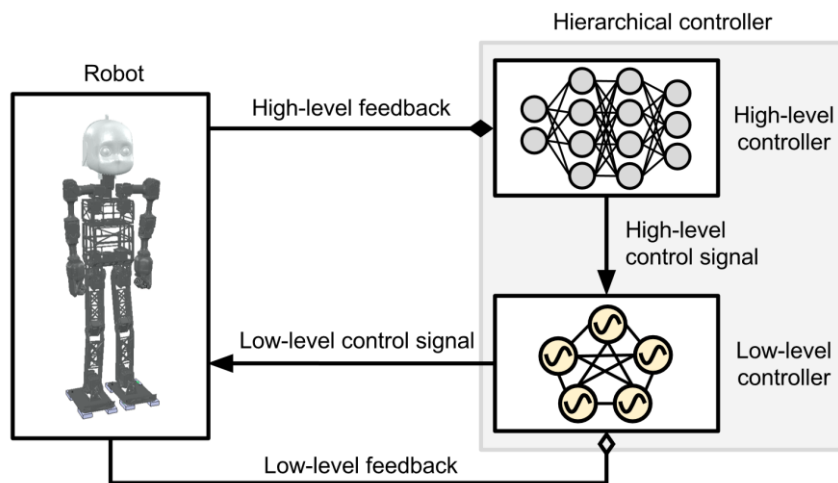
Future work

- Improve turning mechanism
- Combining low-level feedbacks
- Balance control
- Implementation on the physical robot

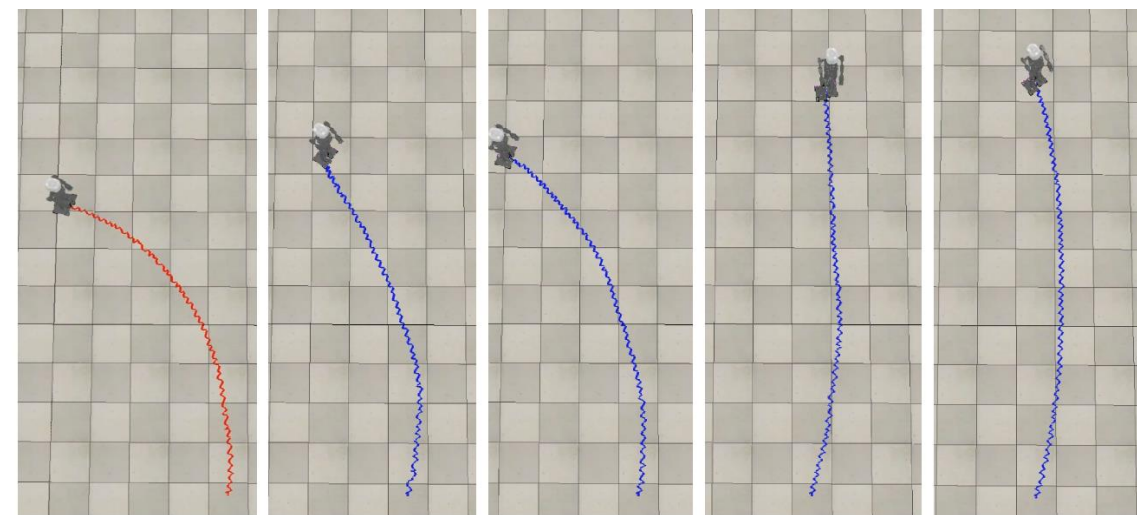
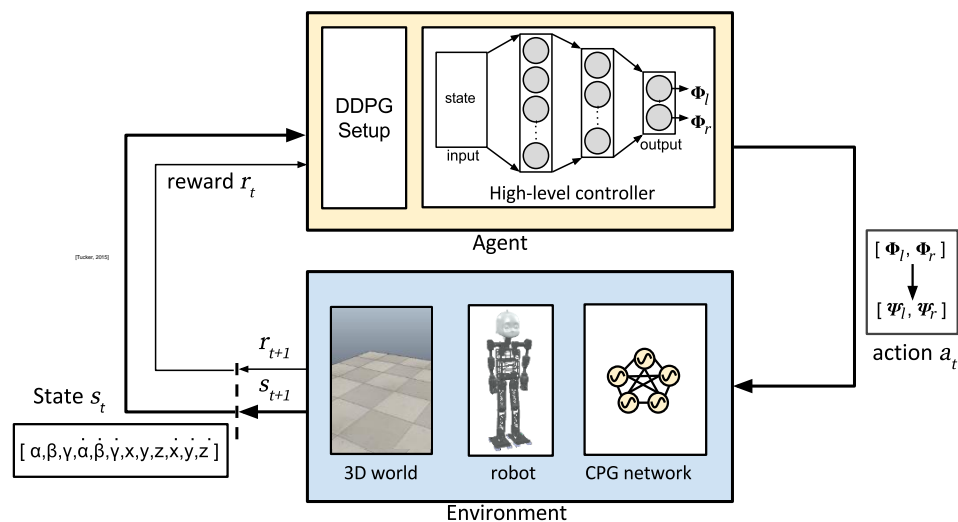
Thank you for your attention

Literature

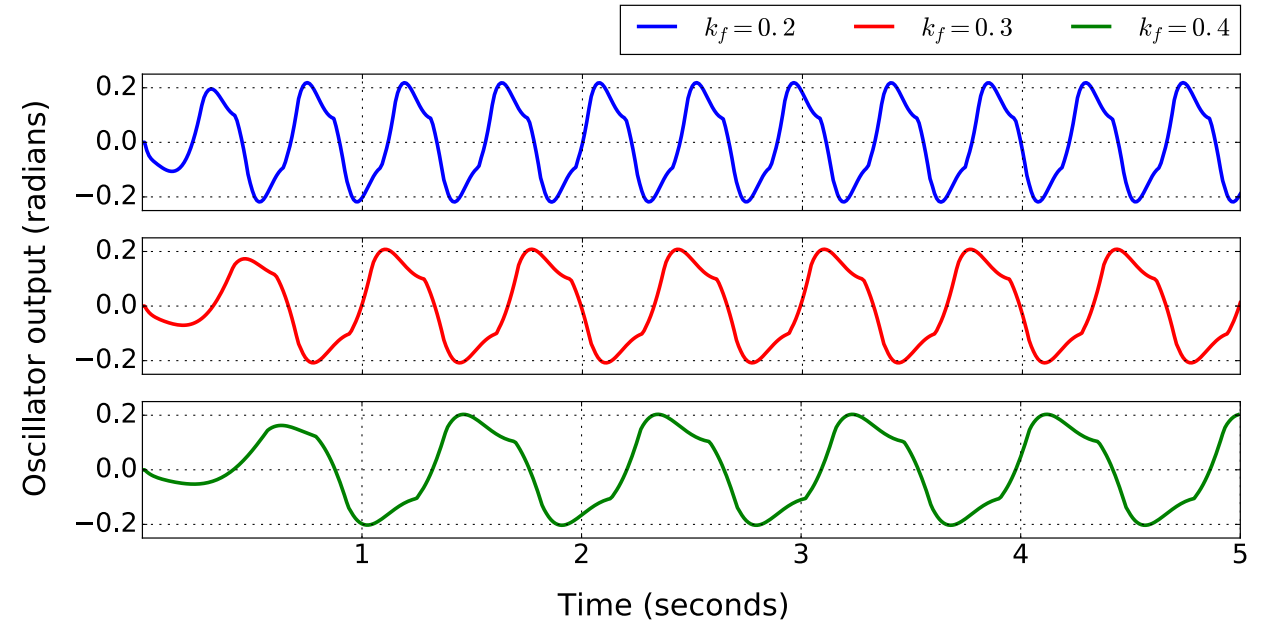
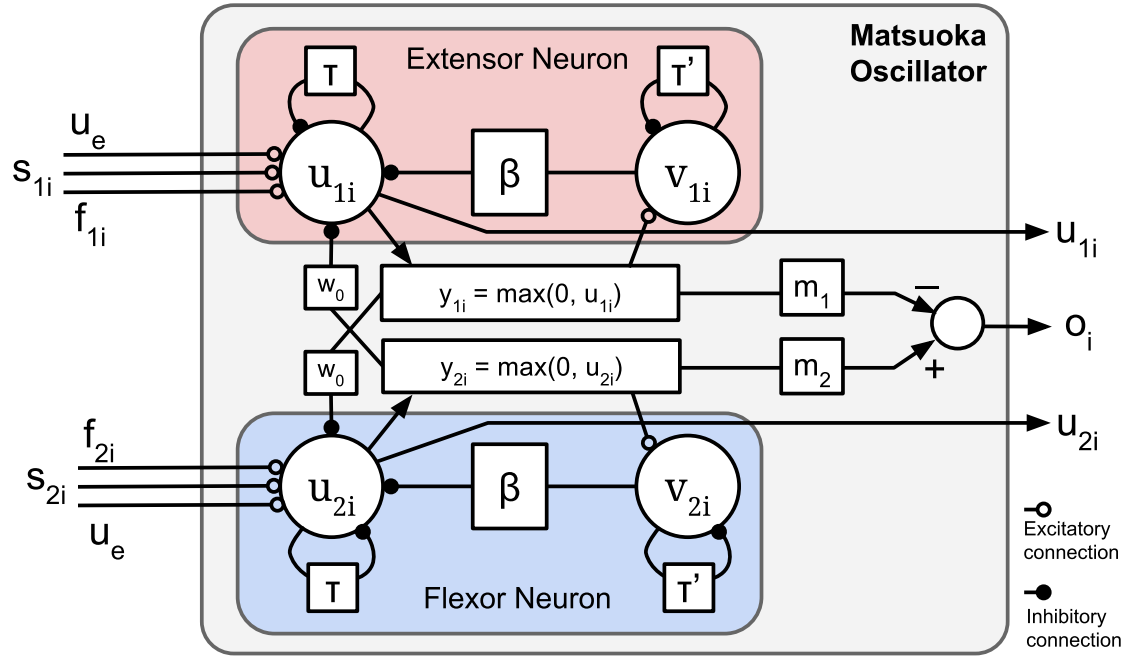
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Questions?



Matsuoka Oscillator Details



$$\begin{cases} \tau \dot{u}_{1i} = -u_{1i} - w_0 y_{2i} - \beta v_{1i} + u_e + f_{1i} + s_{1i} \\ \tau' \dot{v}_{1i} = -v_{1i} + y_{1i} \end{cases}$$

$y_{1i} = \max(0, u_{1i})$ and $i = 1, \dots, num$

$$o_i = -m_1 y_{1i} + m_2 y_{2i}$$

$$\begin{cases} \tau \dot{u}_{2i} = -u_{2i} - w_0 y_{1i} - \beta v_{2i} + u_e + f_{2i} + s_{2i} \\ \tau' \dot{v}_{2i} = -v_{2i} + y_{2i} \end{cases}$$

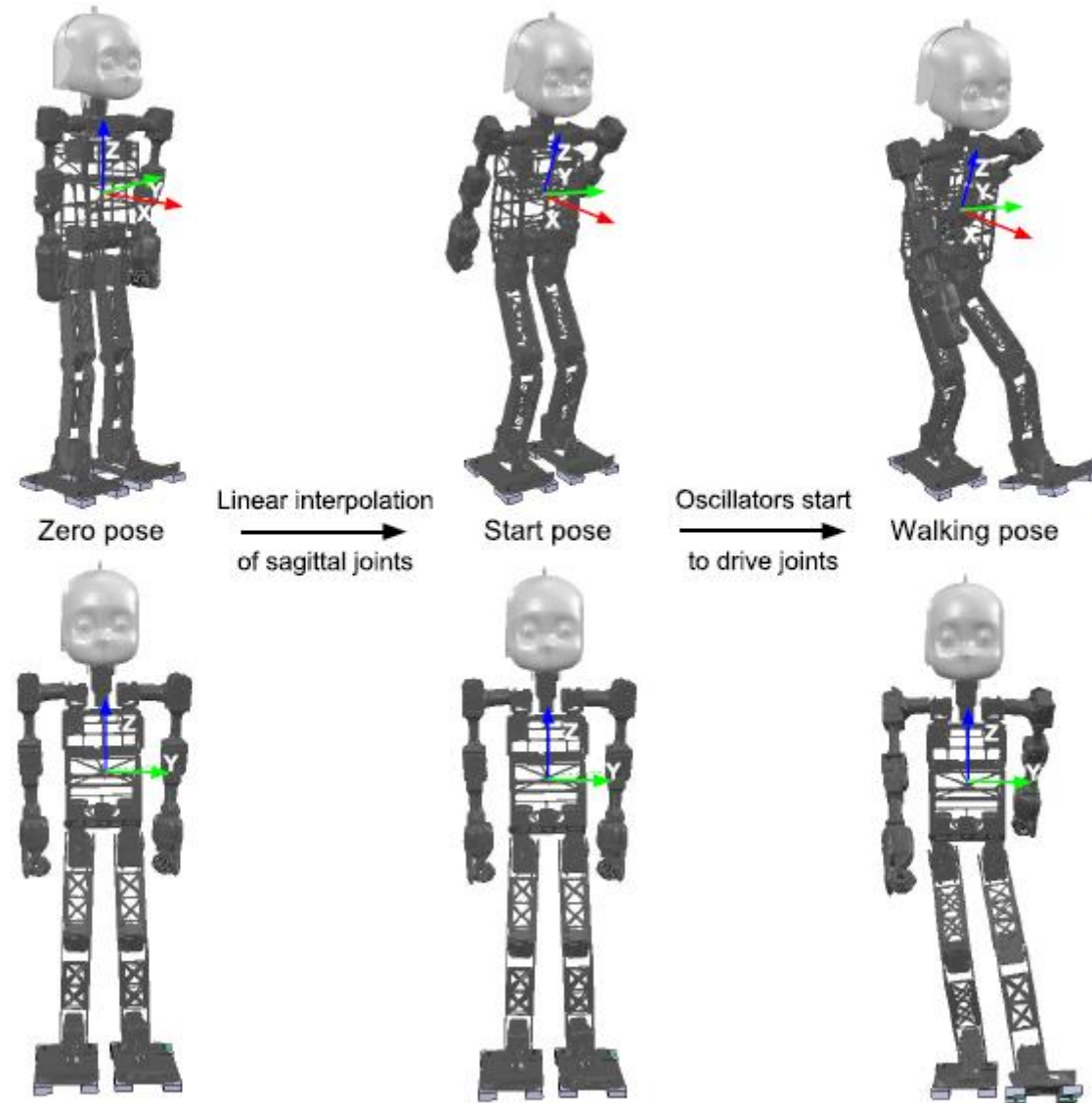
$y_{2i} = \max(0, u_{2i})$ and $i = 1, \dots, num$

$\tau = \tau_0 k_f$
 $\tau' = \tau'_0 k_f$

$$s_{1i} = w_{ij} u_{1j}$$

$$s_{2i} = w_{ij} u_{2j}$$

Bias Position



Genetic Algorithm - Chromosomes

	Open loop			Angle feedback			Phase reset		
	run 1	run 2	run 3	run 1	run 2	run 3	run 1	run 2	run 3
k_f	0.4488	0.8144	0.4470	0.2258	0.7594	0.3178	0.3158	0.2840	0.2496
GAIN1	0.4167	0.7825	0.6213	0.5178	0.7708	0.3777	0.6792	0.4846	0.5626
GAIN2	0.1692	0.3372	0.0866	0.0101	0.0813	0.0234	0.0134	0.0469	0.0174
GAIN3	0.1861	0.0489	0.2071	0.0245	0.1381	0.0132	0.1478	0.0236	0.0140
GAIN4	0.6941	0.6607	0.7099	0.4555	0.8223	0.4567	0.4343	0.3094	0.3939
GAIN5	0.1372	0.0636	0.0818	0.2146	0.0223	0.2019	0.2060	0.2936	0.1845
GAIN6	0.5818	0.7723	0.4866	0.8918	0.2309	0.3309	0.3598	0.0883	0.9518
BIAS1	-0.1634	-0.0666	-0.1714	-0.1538	-0.0046	-0.0519	-0.1332	-0.2375	-0.3392
BIAS2	0.0356	0.3010	0.4983	0.1841	0.0895	0.0963	0.4287	0.2509	0.2576
BIAS3	-0.0147	-0.1895	-0.2999	-0.0973	-0.1217	-0.1156	-0.2780	-0.1445	-0.1045
BIAS4	0.0175	0.1774	0.0575	0.0107	0.5806	0.4814	0.5847	0.2630	0.0775
k	NA	NA	NA	0.7654	-0.6130	1.5364	NA	NA	NA

DDPG Algorithm

