#### **Assignment 5:** Cable Tension

# **Objective**

To develop an algorithm and write a Fortran program to calculate the tension in a cable.

### **Description**

A 200 kg object is to be hung from the end of a rigid 3 meter horizontal pole of negligible weight, as shown in Figure 1. The pole is attached to a wall by a pivot and support by a 3 meter cable attached to the wall at a higher point. The tension on the cable is given by the equation:

$$T = \frac{Wl_c l_p}{d\sqrt{(l_c^2 - d^2)}}$$

where: T is the tension on the cable, W is the weight of the object,  $l_c$  is the length of the cable,  $l_p$  is the length of the pole and d is the distance along the pole at which the cable is attached.

## Complete the following:

- 1. Using this information write an algorithm for a Fortran program to determine the distance d, at which to attach the cable to the pole in order to <u>Minimise</u> the tension on the cable. To do this, the program should calculate the tension on the cable at 0.1 meter intervals from d = 0.5m to d = 2.8m and locate the <u>position d</u> that produces the <u>Minimum Tension</u>. Write the tension t and position d to an output data file. This file should also include the Minimum Tension,  $T_{\min}$  at the corresponding position d.
- 2. Write the program for the solution to the problem
- 3. Import the output data file into MS Excel<sup>TM</sup>, then:
  - a. Tabulate the tension and position data, giving the data to 2 decimal points.
  - b. Plot a graph of the tension against position (see example in Figure 2)
- 4. Mark the Minimum Tension on the graph.

#### Report

The report should include the following:

- 1. Algorithm for the solution to the problem
- 2. Fortran program
- 3. Table of data (Position; Tension)
- 4. Excel graph of tension against position, with the min tension highlighted
- 5. State the Min Tension and position at corresponding point

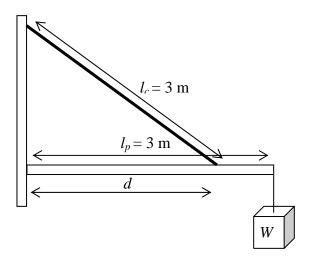


Figure 1: Weight suspended from a rigid bar supported by a cable

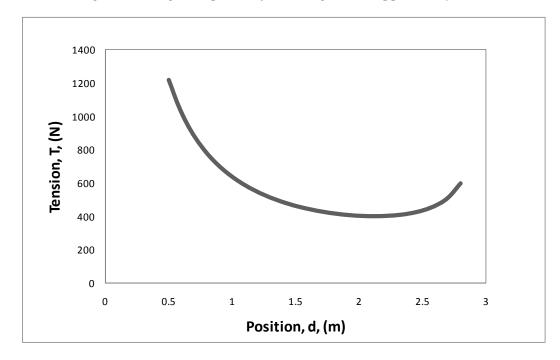


Figure 2: Sample graph Tension vrs Position