

SYMPY

[6]: from sympy import *

[7]: x, y = symbols('x y')

[8]: 3*x - x + 1 + x*y/x

[8]: 2x + y + 1





[14]: 2.82842712474619

SIMPLIFICATION

[15]: expand((x-1)**2)

[15]: $x^2 - 2x + 1$

[16]: factor(x**2 - 1)

[16]: (x-1)(x+1)

[17]: $simplify(x^{**}2/(x + x^{**}3))$

[17]: $\frac{x}{x^2+1}$

RESOLUTION D'EQUATIONS [18]: solve(x**2+x-2, x) [18]: [-2, 1] [19]: solve([x+2*y-7, x-y-1], [x, y]) [19]: {x: 3, y: 2} [20]: roots(x**3-3*x**2-9*x+27, x) [20]: {-3: 1, 3: 2} [21]: nsolve(cos(x)-x, x, (0, 1)) [21]: 0.739085133215161

INEGALITES

[22]: reduce_inequalities($x^{**}2-1 \ge 0$, x)

[22]: $(1 \leq x \wedge x < \infty) \lor (x \leq -1 \wedge -\infty < x)$

ETUDE DE FONCTIONS [23]: def f(x): return 2*x**2-3 [24]: f(3) [24]: 15 [25]: f(x+1) [25]: 2(x+1)² - 3 [26]: limit(f(x), x, 0) [26]: -3 [27]: limit(f(x), x, oo)

[27]: ∞

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[28]: limit(1/x, x, 0, '-')

[28]: -∞

[29]: diff(f(x), x)

[29]: 4x

[30]: diff(f(x), x, 2)

[30]: 4

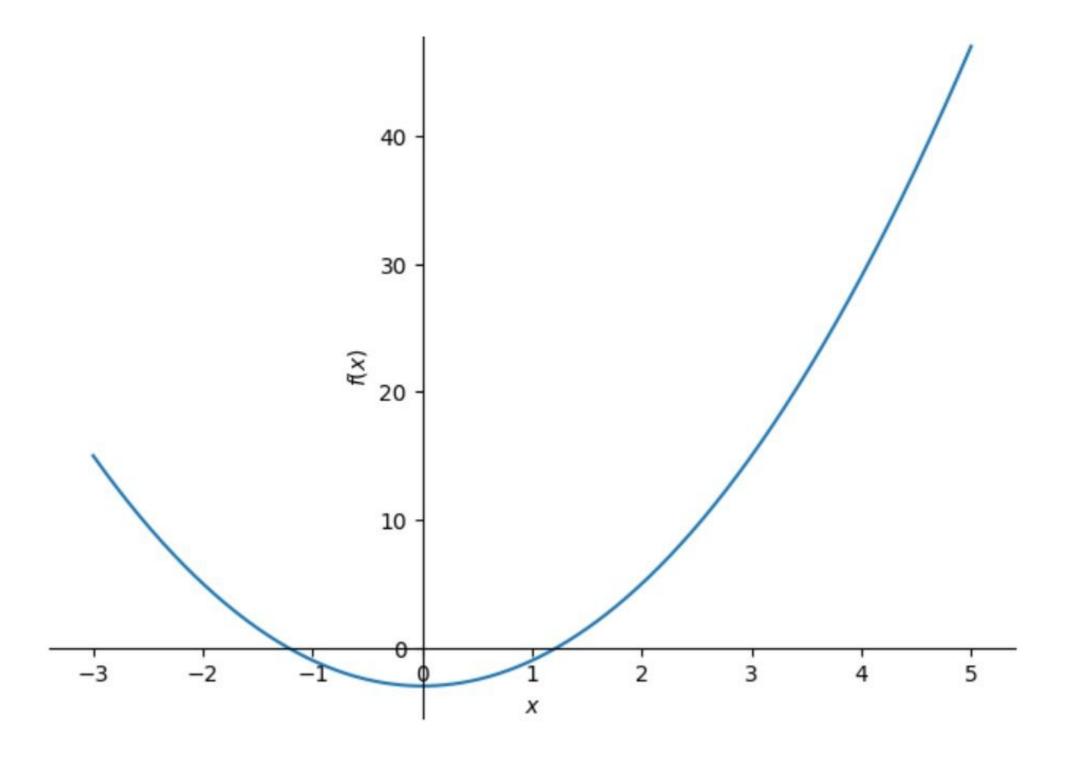
[31]: is_convex(x**2, x)

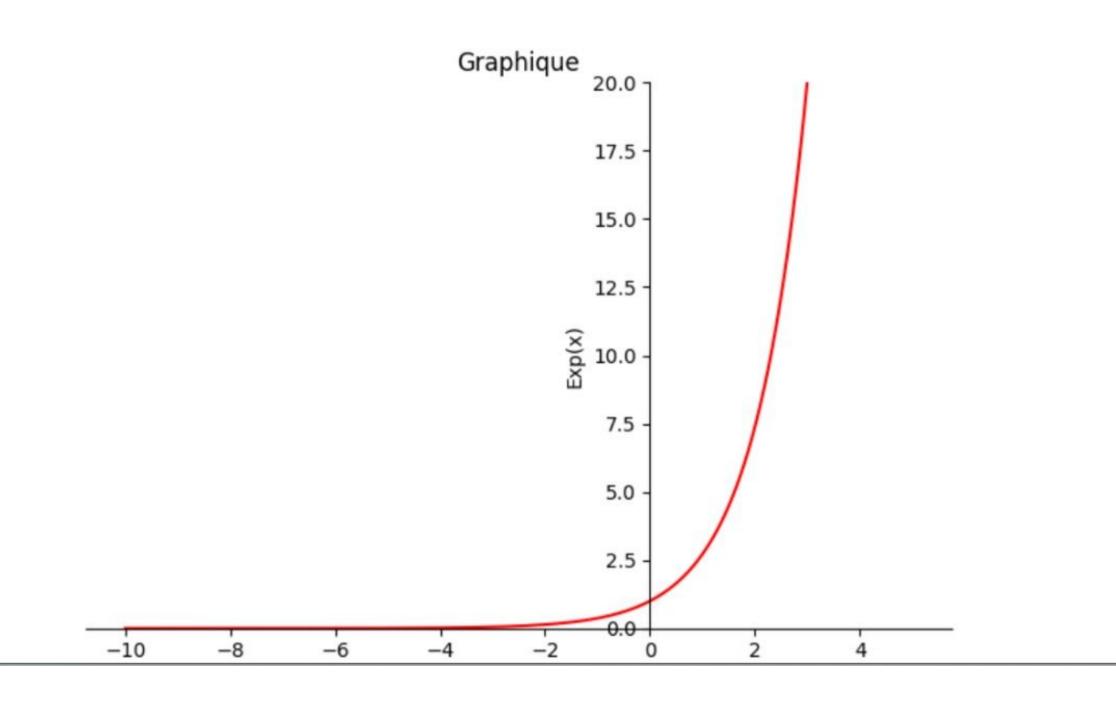
[31]: True

[32]: is_convex(x**3, x)
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[32]: is_convex(x**3, x)
[32]: False
[33]: is_convex(x**3, x,
                domain = Interval(0, oo))
[33]: True
[34]: integrate(f(x), x)
[34]: \frac{2x^3}{3} - 3x
[35]: integrate(f(x), (x, 0, 1))
[35]: -\frac{7}{3}
[36]: series(exp(x), x, 0, 4)
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[36]: $1+x+rac{x^2}{2}+rac{x^3}{6}+O\left(x^4
ight)$





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[48]: Matrix(derive_by_array(f(x,y), [x,y]))
[48]: \begin{bmatrix} -2x+y \\ x \end{bmatrix}
[49]: hessian(f(x,y), (x,y))
\begin{bmatrix} 49 \end{bmatrix} : \begin{bmatrix} -2 & 1 \\ 1 & 0 \end{bmatrix}
[53]: det(hessian(f(x,y), (x,y)))
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[53]: -1

