Opérateurs de Dirac cubiques

Groupe de travail GNC – Printemps 2008

20 mars 2008. Alexandre REY ALCANTARA
Théorème de Borel-Weil, version géométrique
[Kna01] [Wal73] [Bot57] [Kos61] [Bot65] [AB68]

27 mars 2008. Jean-Louis Tu
Théorème de Bott-Borel-Weil et K-théorie
[Kna01] [Wal73] [Bot57] [Kos61] [Bot65] [AB68]

03 avril 2008. Nicolas PRUDHON
Opérateur de Dirac-Kostant
[GKRS98] [Kos99] [Lan00] [Agr03] [BGV92]

10 avril 2008. Frédéric ALBERT
Théorème d'indice local de Connes-Moscovici, I
[CM95] [Hig04] [Hig06] [BGV92]

15 mai 2008. Sara AZZALI
Introduction à la K-théorie tordue
[AS04] [FHT03] [FHT05] [FHT07] [Lan00]

29 mai 2008. Nicolas PRUDHON
Théorème d'indice local de Connes-Moscovici, II
[CM95] [Hig04] [Hig06] [BGV92]

19 juin 2008. Tilmann WURZBACHER
Représentations des groupes de lacets et opérateur de Dirac-Ramond
[Lan06] [Lan01] [KS87]

26 juin 2008. Jean-Louis TU
K-théorie tordue et représentations des groupes de lacets
[AS04] [FHT03] [FHT05] [FHT07]

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