Practical

2(a) --> Secant Method Prakhar Khugshal || 20211441 || B Sc Hon Computer science ||

```
x0 = Input["Enter first guess: "];
x1 = Input ["Enter scond guess: "];
Nmax = Input["Enter maximum of iterations : "];
eps = Input["Enter the value of covergence parameter: "];
Print["x0=", x0];
Print["x1=", x1];
Print["Nmax=", Nmax];
Print["epsilon=", eps];
f[x] := Cos[x];
Print["f[x]:=", f[x]]
For [i = 1, i \le Nmax, i++,
  x2 = N[x1 - (f[x] /. x \rightarrow x1) * (x1 - x0) / ((f[x] /. x \rightarrow x1) - (f[x] /. x \rightarrow x0))];
  If [Abs [x1 - x2] < eps, Return [x2], x0 = x1; x1 = x2];
  Print["In", i, "th number of iterations the root is :", x2];
  Print["estimated error is: ", Abs[x1 - x0]]];
Print["root is : ", x2];
Print["Estimated error is :", Abs [x2 - x1]];
Plot[f[x], \{x, -1, 3\}]
```

x0=1

x1=2

Nmax=20

$$epsilon = \frac{1}{1000000}$$

f[x]:=Cos[x]

In1th number of iterations the root is :1.5649

estimated error is: 0.435096

In2th number of iterations the root is :1.57098

estimated error is: 0.0060742

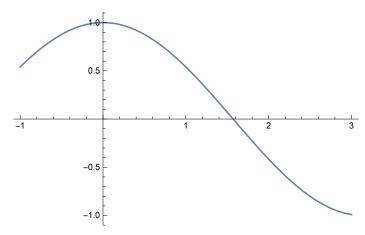
In3th number of iterations the root is :1.5708

estimated error is: 0.000182249

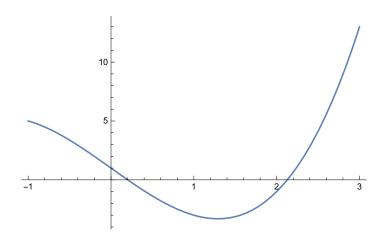
Return[1.5708]

root is : 1.5708

Estimated error is :1.02185 \times 10 $^{-9}$



```
x0 = Input["Enter first guess: "];
x1 = Input ["Enter scond guess: "];
Nmax = Input["Enter maximum of iterations : "];
eps = Input["Enter the value of covergence parameter: "];
Print["x0=", x0];
Print["x1=", x1];
Print["Nmax=", Nmax];
Print["epsilon=", eps];
f[x_] := x^3 - 5 * x + 1;
Print["f[x]:=", f[x]]
For [i = 1, i \le Nmax, i++,
  x2 = N[x1 - (f[x] /. x \rightarrow x1) * (x1 - x0) / ((f[x] /. x \rightarrow x1) - (f[x] /. x \rightarrow x0))];
  If [Abs [x1 - x2] < eps, Return [x2], x0 = x1; x1 = x2];
  Print["In", i, "th number of iterations the root is :", x2];
  Print["estimated error is: ", Abs[x1 - x0]]];
Print["root is : ", x2];
Print["Estimated error is :", Abs [x2 - x1]];
Plot[f[x], \{x, -1, 3\}]
x0=1
x1 = 2
Nmax=20
epsilon = \frac{1}{1000000}
f[x] := 1 - 5x + x^3
In1th number of iterations the root is :2.5
estimated error is: 0.5
In2th number of iterations the root is :2.09756
estimated error is: 0.402439
In3th number of iterations the root is :2.12134
estimated error is: 0.0237786
In4th number of iterations the root is :2.12859
estimated error is: 0.0072456
In5th number of iterations the root is :2.12842
estimated error is: 0.000166952
Return[2.12842]
root is : 2.12842
Estimated error is :8.77361 \times 10^{-7}
```



```
In[1]:= x0 = Input["Enter first guess: "];
    x1 = Input ["Enter scond guess: "];
    Nmax = Input["Enter maximum of iterations : "];
    eps = Input["Enter the value of covergence parameter: "];
    Print["x0=", x0];
    Print["x1=", x1];
    Print["Nmax=", Nmax];
    Print["epsilon=", eps];
    f[x_{-}] := Cos[x] - x * Exp[x];
    Print["f[x]:=", f[x]]
    For [i = 1, i \le Nmax, i++,
      x2 = N[x1 - (f[x] /. x \rightarrow x1) * (x1 - x0) / ((f[x] /. x \rightarrow x1) - (f[x] /. x \rightarrow x0))];
      If [Abs [x1 - x2] < eps, Return [x2], x0 = x1; x1 = x2];
      Print["In", i, "th number of iterations the root is :", x2];
      Print["estimated error is: ", Abs[x1 - x0]]];
    Print["root is : ", x2];
    Print["Estimated error is :", Abs [x2 - x1]];
    Plot[f[x], {x, -1, 3}]
```

x0=1

x1=2

Nmax=20

epsilon=1. \times 10⁻⁶

 $f[x] := -e^x x + Cos[x]$

In1th number of iterations the root is :0.832673

estimated error is: 1.16733

In2th number of iterations the root is :0.728779

estimated error is: 0.103894

In3th number of iterations the root is :0.562401

estimated error is: 0.166377

In4th number of iterations the root is :0.524782

estimated error is: 0.0376189

In5th number of iterations the root is :0.518014

estimated error is: 0.00676874

In6th number of iterations the root is :0.517759

estimated error is: 0.0002547

In7th number of iterations the root is :0.517757

estimated error is: 1.50138×10^{-6}

Out[11]= **Return** [**0.517757**]

root is: 0.517757

Estimated error is $:3.22103\times10^{-10}$

