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Regular Falsi

QI

```
x0 = Input["Enter first guess: "];
x1 = Input ["Enter scond guess: "];
Nmax = Input["Enter maximum of iterations : "];
eps = Input["Enter the value of covergence parameter: "];
Print["x0=", x0];
Print["x1=", x1];
Print["Nmax=", Nmax];
Print["epsilon=", eps];
f[x_] := Cos[x];
Print["f(x) := ", f[x]]; If[N[f[x0] * f[x1]] > 0,
 Print["These values does not satisfy the IVP so change the values "],
 For [i = 1, i \le Nmax, i++, a = N[x1 - f[x1] * (x1 - x0) / (f[x1] - f[x0]), 16];
  If [Abs[x1-x0/2] < eps, Return[N[a, 16]], Print[i, "the iteration value is:", N[a16]];
   Print["Estimated error is: ", N[x1 - x0, 16]];
   If [f[a] * f[x1] > 0, x1 = a, x0 = a]];
 Print["Root is: ", N[a, 16]];
 Print["Estimated eror is:", N[x1 - x0, 16]]];
Plot[f[x], \{x, -1, 3\}]
x0=1
x1=2
Nmax=20
epsilon=\frac{1}{1000000}
f(x) := Cos[x]
1the iteration value is:a16
Estimated error is: 1.0000000000000000
```

2the iteration value is:a16

Estimated error is: 0.435095624108422

3the iteration value is:a16

Estimated error is: 0.006074198643440

4the iteration value is:a16

Estimated error is: 0.000182248761967

5the iteration value is:a16

Estimated error is: 0.00018224774012

6the iteration value is:a16

Estimated error is: 0.00018224774012

7the iteration value is:a16

Estimated error is: 0.0001822477401

8the iteration value is:a16

Estimated error is: 0.0001822477401

9the iteration value is:a16

Estimated error is: 0.0001822477401

10the iteration value is:a16

Estimated error is: 0.000182247740

11the iteration value is:a16

Estimated error is: 0.000182247740

12the iteration value is:a16

Estimated error is: 0.000182247740

13the iteration value is:a16

Estimated error is: 0.000182247740

14the iteration value is:a16

Estimated error is: 0.00018224774

15the iteration value is:a16

Estimated error is: 0.00018224774

16the iteration value is:a16

Estimated error is: 0.00018224774

17the iteration value is:a16

Estimated error is: 0.0001822477

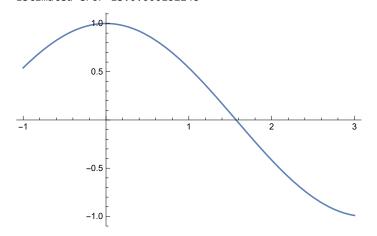
18the iteration value is:a16

Estimated error is: 0.0001822477

19the iteration value is:a16

Estimated error is: 0.0001822477

```
20the iteration value is:a16
Estimated error is: 0.000182248
Root is: 1.570796327
Estimated eror is:0.000182248
```

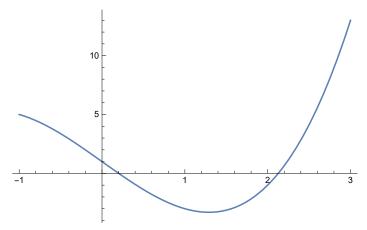


Q2

```
x0 = Input["Enter first guess: "];
x1 = Input ["Enter scond guess: "];
Nmax = Input["Enter maximum of iterations : "];
eps = Input["Enter the value of covergence parameter: "];
Print["x0=", x0];
Print["x1=", x1];
Print["Nmax=", Nmax];
Print["epsilon=", eps];
f[x_] := x^3 - 5 * x + 1;
Print["f(x) := ", f[x]]; If[N[f[x0] * f[x1]] > 0,
 Print["These values does not satisfy the IVP so change the values "],
 For [i = 1, i \le Nmax, i++, a = N[x1-f[x1]*(x1-x0)/(f[x1]-f[x0]), 16];
  If \left[ Abs \left[ x1 - x0/2 \right] < eps, Return \left[ N[a, 16] \right], Print [i, "the iteration value is:", N[a16]]; \right]
   Print["Estimated error is: ", N[x1 - x0, 16]];
   If [f[a] * f[x1] > 0, x1 = a, x0 = a];
 Print["Root is: ", N[a, 16]];
 Print["Estimated eror is:", N[x1 - x0, 16]]];
Plot[f[x], \{x, -1, 3\}]
```

x0=1 x1=2 x1=2x1=2

These values does not satisfy the IVP so change the values



Q3

```
x0 = Input["Enter first guess: "];
x1 = Input ["Enter scond guess: "];
Nmax = Input["Enter maximum of iterations : "];
eps = Input["Enter the value of covergence parameter: "];
Print["x0=", x0];
Print["x1=", x1];
Print["Nmax=", Nmax];
Print["epsilon=", eps];
f[x_] := Cos[x] - x * e^x;
Print["f(x):=", f[x]]; If[N[f[x0] * f[x1]] > 0,
 Print["These values does not satisfy the IVP so change the values "],
 For [i = 1, i \le Nmax, i++, a = N[x1-f[x1]*(x1-x0)/(f[x1]-f[x0]), 16];
  If \left[ Abs \left[ x1 - x0/2 \right] < eps, Return \left[ N[a, 16] \right], Print \left[ i, \text{"the iteration value is:", N[a16]} \right];
   Print["Estimated error is: ", N[x1 - x0, 16]];
   If [f[a] * f[x1] > 0, x1 = a, x0 = a];
 Print["Root is: ", N[a, 16]];
 Print["Estimated eror is:", N[x1 - x0, 16]]];
Plot[f[x], \{x, -1, 3\}]
```

$$x0=1$$

$$epsilon = \frac{1}{1000000}$$

$$f(x) := -e^{x} x + Cos[x]$$

