机器学习与数据挖掘

Machine Learning & Data Mining

权小军 教授

中山大学数据科学与计算机学院

quanxj3@mail.sysu.edu.cn

浅谈搜索与推荐



浅谈搜索与推荐







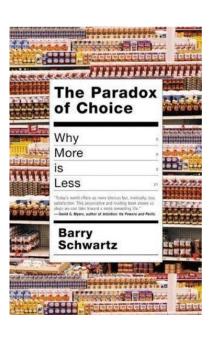


Lecture 18 Recommender Systems I

1. What is a Recommender System?

Information overload





Information overload occurs when you have too much information about a task or issue to effectively understand it, or make a decision on how to solve it.

Information overload

Here are some more highlights regarding the information produced online (Bonardi, 2018):

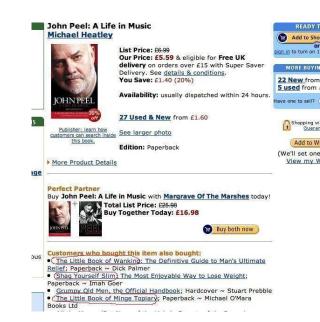
- 2.5 quintillion bytes of data are produced every day;
- It would take an average user 200,000 years to read all information produced online;
- Over 103 million spam emails are sent every day;
- 456,000 tweets are sent daily.

Search Engine and Recommender System

The value of recommendations

- Netflix: 2/3 of the movies watched are recommended
- Google News: recommendations generate 38% more clickthrough
- Amazon: 35% sales from recommendations
- Choicestream: 28% of the people would buy more music if they found what they liked.

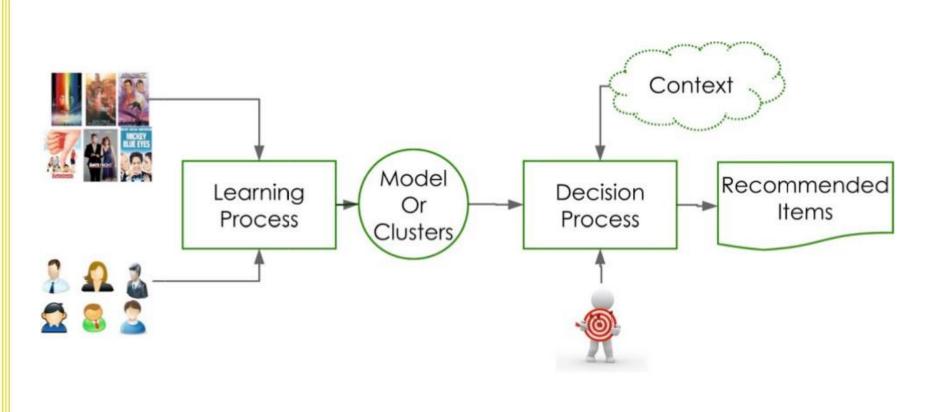




The "Recommender problem"

- Estimate a utility function that automatically predicts how a user will like an item.
- Based on:
 - Past behavior
 - Relations to other users
 - Item similarity
 - Context
 - 0 ...

Two-step process



Offline

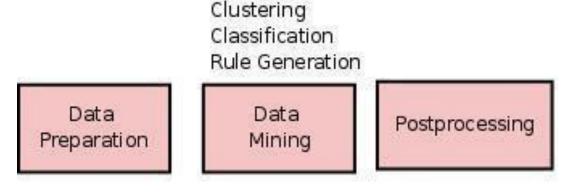
Online

Approaches to Recommendation

- □ Collaborative Filtering: Recommend items based only on the users past behavior
 - User-based: Find similar users to me and recommend what they liked
 - Item-based: Find similar items to those that I have previously liked
- Content-based: Recommend based on item features
- Personalized Learning to Rank: Treat recommendation as a ranking problem
- Demographic: Recommend based on user features
- Social recommendations (trust-based)
- □ Hybrid: Combine any of the above

Recommendation as data mining

The core of the Recommendation Engine can be assimilated to a general data mining problem:



Feature selection
Dimensionality Reduction
Normalization
Data Subsetting

Filtering Visualization Pattern Interpretation

Formal Model

- X = set of Customers
- S = set of Items
- Utility function $u: X \times S \rightarrow R$
 - R = set of ratings
 - R is a totally ordered set
 - e.g., 0-5 stars, real number in [0,1]

Utility Matrix

	Avatar	LOTR	Matrix	Pirates
Alice	1		0.2	
Bob		0.5		0.3
Carol	0.2		1	
David				0.4

Key Problems

- (1) Gathering "known" ratings for matrix
 - How to collect the data in the utility matrix
- (2) Extrapolate unknown ratings from the known ones
 - Mainly interested in high unknown ratings
 - We are not interested in knowing what you don't like but what you like
- (3) Evaluating extrapolation methods
 - How to measure success/performance of recommendation methods

(1) Gathering Ratings

Explicit

- Ask people to rate items
- Doesn't work well in practice people can't be bothered
- Crowdsourcing: Pay people to label items

Implicit

- Learn ratings from user actions
 - E.g., purchase implies high rating
- What about low ratings?

(2) Extrapolating Utilities

- Key problem: Utility matrix U is sparse
 - Most people have not rated most items
 - Cold start:
 - New items have no ratings
 - New users have no history
- Three approaches to recommender systems:
 - 1) Content-based2) CollaborativeToday!

 - 3) Latent factor based

Content-based Recommender Systems

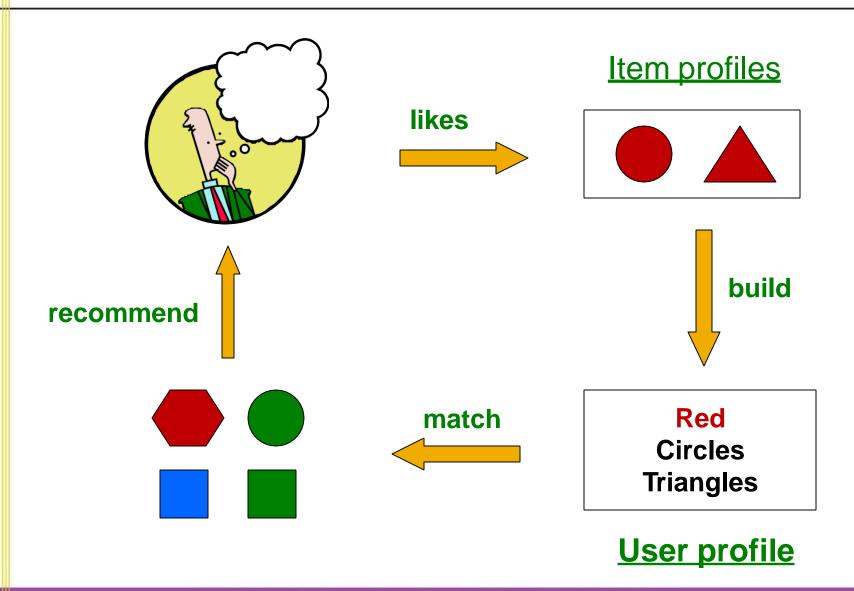
Content-based Recommendations

 Main idea: Recommend items to customer x similar to previous items rated highly by x

Example:

- Movie recommendations
 - Recommend movies with same actor(s), director, genre, ...
- Websites, blogs, news
 - Recommend other sites with "similar" content

Plan of Action



Item Profiles

- For each item, create an item profile
- Profile is a set (vector) of features
 - Movies: author, title, actor, director,...
 - Text: Set of "important" words in document
- How to pick important features?
 - Usual heuristic from text mining is TF-IDF (Term frequency * Inverse Doc Frequency)
 - Term ... Feature
 - Document ... Item

TF-IDF

$$f_{ij}$$
 = frequency of term (feature) i in doc (item) j

$$TF_{ij} = \frac{f_{ij}}{\max_k f_{kj}}$$

Note: we normalize TF to discount for "longer" documents

 n_i = number of docs that mention term i

N = total number of docs

$$IDF_i = \log \frac{N}{n_i}$$

TF-IDF score: $w_{ij} = TF_{ij} \times IDF_i$

Doc profile = set of words with highest TF-IDF
scores, together with their scores

User Profiles and Prediction

User profile possibilities:

- Weighted average of rated item profiles
- Variation: weight by difference from average rating for item
- •••

Prediction heuristic:

Given user profile x and item profile i, estimate

$$u(\mathbf{x}, \mathbf{i}) = \cos(\mathbf{x}, \mathbf{i}) = \frac{\mathbf{x} \cdot \mathbf{i}}{||\mathbf{x}|| \cdot ||\mathbf{i}||}$$

Pros: Content-based Approach

- +: No need for data on other users
- +: Able to recommend to users with unique tastes
- +: Able to recommend new & unpopular items
 - No first-rater problem
- +: Able to provide explanations
 - Can provide explanations of recommended items by listing content-features that caused an item to be recommended

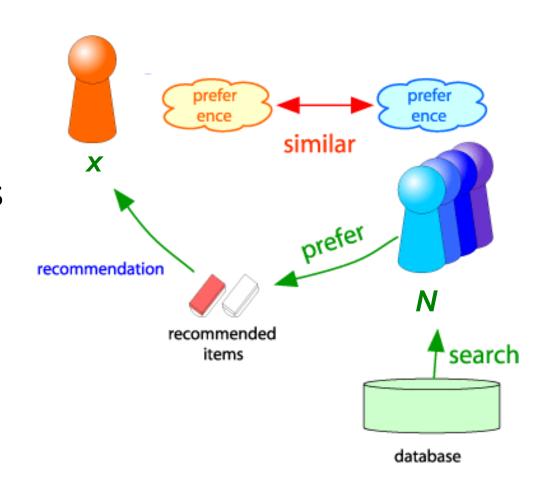
Cons: Content-based Approach

- -: Finding the appropriate features is hard
 - E.g., images, movies, music
- -: Recommendations for new users
 - How to build a user profile?
- -: Overspecialization
 - Never recommends items outside user's content profile
 - People might have multiple interests
 - Unable to exploit quality judgments of other users

Collaborative Filting

Collaborative Filting

- Consider user x
- Find set N of other users whose ratings are "similar" to x's ratings
- Estimate x's ratings based on ratings of users in N



Finding "Similar" Users

$$r_x = [*, _, _, *, *, ***]$$
 $r_y = [*, _, **, **, _]$

- Let r_x be the vector of user x's ratings
- Jaccard similarity measure
 - Problem: Ignores the value of the rating

 r_x , r_y as sets: $r_x = \{1, 4, 5\}$ $r_v = \{1, 3, 4\}$

Cosine similarity measure

$$sim(\boldsymbol{x}, \boldsymbol{y}) = arccos(\boldsymbol{r}_{\boldsymbol{x}}, \boldsymbol{r}_{\boldsymbol{y}}) = \frac{r_{\boldsymbol{x}}r_{\boldsymbol{y}}}{||r_{\boldsymbol{x}}|| \cdot ||r_{\boldsymbol{y}}||}$$

- r_x , r_y as points: $r_x = \{1, 0, 0, 1, 3\}$ $r_y = \{1, 0, 2, 2, 0\}$
- Problem: Treats missing ratings as "negative"
- Pearson correlation coefficient
 - S_{xy} = items rated by both users x and y

$$sim(x,y) = \frac{\sum_{s \in S_{xy}} (r_{xs} - \overline{r_x}) (r_{ys} - \overline{r_y})}{\sqrt{\sum_{s \in S_{xy}} (r_{xs} - \overline{r_x})^2} \sqrt{\sum_{s \in S_{xy}} (r_{ys} - \overline{r_y})^2}}$$

Rating Predictions

From similarity metric to recommendations:

- Let r_x be the vector of user x's ratings
- Let N be the set of k users most similar to x who have rated item i
- Prediction for item s of user x:

$$r_{xi} = \frac{1}{k} \sum_{y \in N} r_{yi}$$

$$r_{xi} = \frac{\sum_{y \in N} s_{xy} \cdot r_{yi}}{\sum_{y \in N} s_{xy}}$$
Shorthand:
$$s_{xy} = sim(x, y)$$

- Other options?
- Many other tricks possible...

Item-Item Collaborative Filtering

- So far: User-user collaborative filtering
- Another view: Item-item
 - For item i, find other similar items
 - Estimate rating for item *i* based on ratings for similar items
 - Can use same similarity metrics and prediction functions as in user-user model

$$r_{xi} = \frac{\sum_{j \in N(i;x)} S_{ij} \cdot r_{xj}}{\sum_{j \in N(i;x)} S_{ij}}$$

 s_{ij} ... similarity of items i and j r_{xj} ...rating of user u on item j N(i;x)... set items rated by x similar to i

	1	2	3	4	5	6	7	8	9	10	11	12
1	1		3			5			5		4	
2			5	4			4			2	1	3
3	2	4		1	2		3		4	3	5	
4		2	4		5			4			2	
5			4	3	4	2					2	5
6	1		3		3			2			4	

- unknown rating

- rating between 1 to 5

11	C	Δ	rc
U	5	L	ı

		1	2	3	4	5	6	7	8	9	10	11	12
	1	1		3		?	5			5		4	
	2			5	4			4			2	1	3
movies	3	2	4		1	2		3		4	3	5	
Ε	4		2	4		5			4			2	
	5			4	3	4	2					2	5
	6	1		3		3			2			4	

- estimate rating of movie 1 by user 5

users														
		1	2	3	4	5	6	7	8	9	10	11	12	sim(1,m)
	1	1		3		?	5			5		4		1.00
	2			5	4			4			2	1	3	-0.18
movies	<u>3</u>	2	4		1	2		3		4	3	5		<u>0.41</u>
Ε	4		2	4		5			4			2		-0.10
	5			4	3	4	2					2	5	-0.31
	<u>6</u>	1		3		3			2			4		<u>0.59</u>

LICARC

Neighbor selection:

Identify movies similar to movie 1, rated by user 5

Here we use Pearson correlation as similarity:

- 1) Subtract mean rating m_i from each movie i $m_1 = (1+3+5+5+4)/5 = 3.6$ row 1: [-2.6, 0, -0.6, 0, 0, 1.4, 0, 0, 1.4, 0, 0.4, 0]
- 2) Compute cosine similarities between rows

33

ш		Δ	rc
U	_	$\overline{}$	J

	1	2	3	4	5	6	7	8	9	10	11	12	sim(1,m)
1	1		3		?	5			5		4		1.00
2			5	4			4			2	1	3	-0.18
<u>3</u>	2	4		1	2		3		4	3	5		<u>0.41</u>
4		2	4		5			4			2		-0.10
5			4	3	4	2					2	5	-0.31
<u>6</u>	1		3		3			2			4		<u>0.59</u>

Compute similarity weights:

$$s_{1,3}$$
=0.41, $s_{1,6}$ =0.59

users

	1	2	3	4	5	6	7	8	9	10	11	12
1	1		3		2.6	5			5		4	
2			5	4			4			2	1	3
<u>3</u>	2	4		1	2		3		4	3	5	
4		2	4		5			4			2	
5			4	3	4	2					2	5
<u>6</u>	1		3		3			2			4	

Predict by taking weighted average:

$$r_{1.5} = (0.41^{2} + 0.59^{3}) / (0.41 + 0.59) = 2.6$$

$$r_{ix} = \frac{\sum_{j \in N(i;x)} s_{ij} \cdot r_{jx}}{\sum s_{ij}}$$

CF: Common Practice

Before:
$$r_{xi} = \frac{\sum_{j \in N(i;x)} S_{ij} r_{xj}}{\sum_{j \in N(i;x)} S_{ij}}$$

- Define similarity s_{ii} of items i and j
- Select k nearest neighbors N(i; x)
 - Items most similar to i, that were rated by x
- Estimate rating r_{xi} as the weighted average:

$$r_{xi} = b_{xi} + \frac{\sum_{j \in N(i;x)} s_{ij} \cdot (r_{xj} - b_{xj})}{\sum_{j \in N(i;x)} s_{ij}}$$

baseline estimate for r_{xi}

$$\boldsymbol{b}_{xi} = \boldsymbol{\mu} + \boldsymbol{b}_x + \boldsymbol{b}_i$$

- μ = overall mean movie rating
- b_x = rating deviation of user x= $(avg. rating of user x) - \mu$
 - \mathbf{b}_i = rating deviation of movie \mathbf{i}

Item-Item vs. User-User

	Avatar	LOTR	Matrix	Pirates
Alice	1		0.8	
Bob		0.5		0.3
Carol	0.9		1	0.8
David			1	0.4

- In practice, it has been observed that <u>item-item</u> often works better than user-user
- Why? Items are simpler, users have multiple tastes

Pros/Cons of Collaborative Filtering

+ Works for any kind of item

No feature selection needed

- Cold Start:

Need enough users in the system to find a match

- Sparsity:

- The user/ratings matrix is sparse
- Hard to find users that have rated the same items

- First rater:

- Cannot recommend an item that has not been previously rated
- New items, Esoteric items

- Popularity bias:

- Cannot recommend items to someone with unique taste
- Tends to recommend popular items

Hybrid Methods

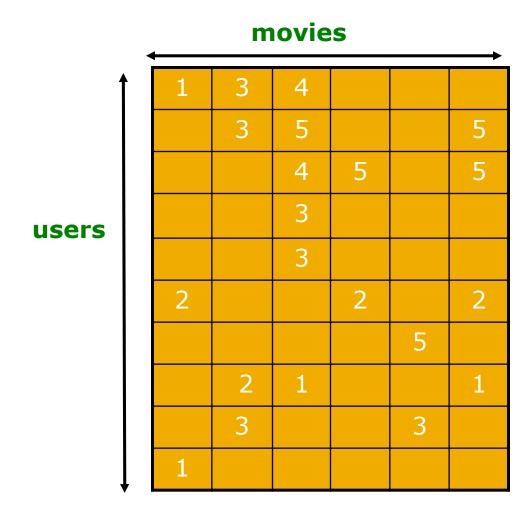
- Implement two or more different recommenders and combine predictions
 - Perhaps using a linear model
- Add content-based methods to collaborative filtering
 - Item profiles for new item problem
 - Demographics to deal with new user problem

Remarks & Practical Tips

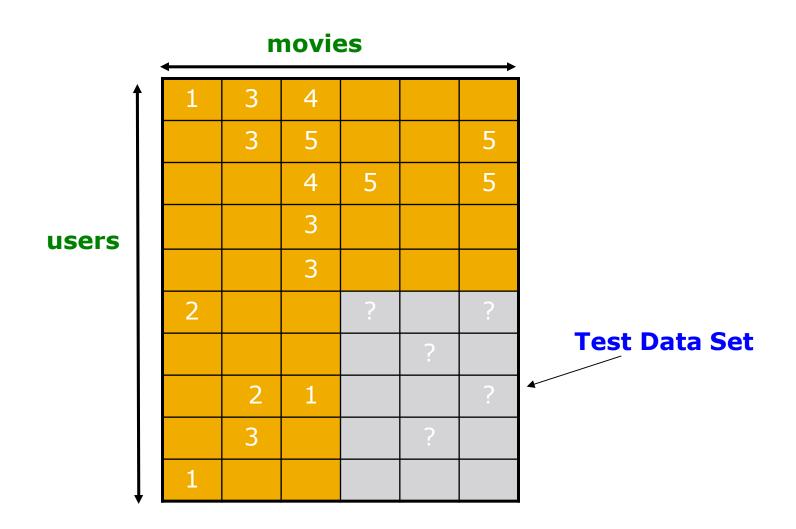
Evaluation

- Error metrics
- Complexity / Speed

Evaluation



Evaluation



Evaluating Predictions

- Compare predictions with known ratings
 - Root-mean-square error (RMSE)
 - Precision at top 10:
 - % of those in top 10
 - Rank Correlation:
 - Spearman's correlation between system's and user's complete rankings
- Another approach: 0/1 model
 - Coverage:
 - Number of items/users for which system can make predictions
 - Precision:
 - Accuracy of predictions
 - Receiver operating characteristic (ROC)
 - Tradeoff curve between false positives and false negatives

Problems with Error Measures

- Narrow focus on accuracy sometimes misses the point
 - Prediction Diversity
 - Prediction Context
 - Order of predictions
- In practice, we care only to predict high ratings:
 - RMSE might penalize a method that does well for high ratings and badly for others

Collaborative Filtering: Complexity

- Expensive step is finding k most similar customers: O(|X|)
- Too expensive to do at runtime
 - Could pre-compute
- Naïve pre-computation takes time O(k · | X |)
 - X ... set of customers
- We already know how to do this!
 - Near-neighbor search in high dimensions (LSH)
 - Clustering
 - Dimensionality reduction

Tip: Add Data

Leverage all the data

- Don't try to reduce data size in an effort to make fancy algorithms work
- Simple methods on large data do best

Add more data

e.g., add IMDB data on genres

More data beats better algorithms

http://anand.typepad.com/datawocky/2008/03/more-data-usual.html

The Netflix Prize

Training data

- 100 million ratings, 480,000 users, 17,770 movies
- 6 years of data: 2000-2005

Test data

- Last few ratings of each user (2.8 million)
- Evaluation criterion: root mean squared error (RMSE)
- Netflix Cinematch RMSE: 0.9514

Competition

- 2700+ teams
- \$1 million prize for 10% improvement on Cinematch

In-class question

How to address the ranking/recommendation cheat problem on JD/Tmall?

Acknowledgement

CS246: Mining Massive Datasets, Stanford University

Thank you!

权小军 中山大学数据科学与计算机学院