pyre 1.0

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Introduction



- pyre is a strategy for
 - managing code complexity
 - integrating third party tools and libraries into a coherent whole
 - empowering the end-user to make critical decisions about the composition of an application while minimizing the risk of compromising its integrity
- pyre extends object oriented ideas
 - abstract base classes become protocols
 - appropriately decorated classes become components
 - design and implement by contract
- pyre is also a powerful computational environment with rich services
 - application configuration
 - launching and staging in serial, parallel, distributed modes
 - logging and monitoring
 - special services for interacting with users via the production of structured documents
 - think html for web applications, remote UIs
 - name and filesystem abstractions
 - powerful lazy evaluation mechanisms
 - seamless access to database back-ends without the need for direct access using embedded SQL or similar techniques

Monte Carlo integration

let f be sufficiently well behaved in a region $\Omega \subset \mathbb{R}^n$ and consider the integral

$$I_{\Omega}(f) = \int_{\Omega} f \tag{1}$$

- the *Monte Carlo* method approximates the value of the integral in Eq. 1 by sampling f at random points in Ω
- \triangleright let X_N be such a sample of N points; then the Monte Carlo estimate is given by

$$I_{\Omega}(f; X_N) = \Omega \cdot \langle f \rangle = \Omega \frac{1}{N} \sum_{x \in X_N} f(x)$$
 (2)

where $\langle f \rangle$ is the sample mean of f, and Ω is used as a shorthand for the volume of the integration region. Details in [1, 2]; see [3] for an excellent pedagogical introduction.

- the approximation error falls like $1/\sqrt{N}$
 - rather slow
 - but dimension independent!

Implementation strategy

- computer implementations require a pseudo-random number generator to build the sample
- \blacktriangleright most generators return numbers in (0,1) so
 - ightharpoonup find a box B that contains Ω
 - ightharpoonup generate *n* numbers to build a point in the unit \mathbb{R}^n cube
 - stretch and translate the unit cube onto B
- \triangleright the integration is restricted to Ω by introducing

$$\Theta_{\Omega} = \begin{cases} 1 & x \in \Omega \\ 0 & \text{otherwise} \end{cases}$$
 (3)

to get

$$I_{\Omega}(f) = \int_{R} \Theta_{\Omega} f \tag{4}$$

Recasting Monte Carlo integration

- \triangleright there are now two classes of points in the sample X_N
 - ightharpoonup those in Ω
 - and the rest
- let \hat{N} be the number of sample points in Ω ; Eq. 2 becomes

$$I_{\Omega}(f;X_N) = \Omega \frac{1}{\tilde{N}} \sum_{x \in X_{\tilde{N}}} f(x)$$
 (5)

▶ let *B* be the volume of the sampling box; observe that the volume of the integration region can be approximated by

$$\Omega = \frac{\tilde{N}}{N}B\tag{6}$$

and the sum over the points $x \in X_{\tilde{N}}$ can be extended to the entire sample X_N by using the filter Θ_{Ω}

$$I_{\Omega}(f; X_N) = B \frac{1}{N} \sum_{x \in X_N} \Theta_{\Omega} f(x)$$
 (7)

Requirements



to summarize, the Monte Carlo approximation is computed from

$$I_{\Omega}(f; X_N) = B \frac{1}{N} \sum_{x \in X_N} \Theta_{\Omega} f(x)$$
 (8)

using

- ightharpoonup an implementation of the function f to be integrated over Ω
- ightharpoonup an *n*-dimensional box *B* that contains Ω
- ▶ a good pseudo-random number generator to build the sample $X_N \in B$
- ▶ a routine to test points $x \in X_N$ and return false if they are exterior to Ω and true otherwise

to sum the values of the integrand on points interior to Ω , and scale by the volume of the bounding box *B* over the sample size *N*

- essentially a reduction
 - should be straightforward to implement in parallel
 - rich enough structure to be a non-trivial pyre application

A trivial script



estimating π using Monte Carlo integration over a quarter disk

```
9 # get access to the random munber generator functions
10 import random
11 # sample size
12 N = 10 * * 5
13 # initialize the interior point counter
14 interior = 0
15 # integrate by sampling some number of times
16 for i in range(N):
    x = random.random()
  v = random.random()
  # check whether it is inside the unit quarter circle
    if (x*x + y*y) \le 1.0: # no need to waste time computing the sgrt
        # update the interior point counter
        interior += 1
  # print the result:
25 print ("\pi: {:.8f}".format (4*interior/N))
```

Components and protocols



- ▶ a design pattern that enables the assembly of applications out of interchangeable parts, under the control of the *end user*
 - protocols are abstract specifications of application requirements
 - components are concrete implementations that satisfy requirements
- inversion of control:
 - the binding of implementations to specifications happens at runtime, under the control of the end user
- the user
 - controls the application state through configuration files, the user interface, the command line
 - specifies components using simple URIs
- the goal is to isolate contributors from each other as much as possible, and provide a coherent and usable strategy for composing non-trivial applications

Small steps: properties

let's step back and contemplate a simpler problem

```
ı class Disk:
    # public state
    radius = 1 # default value
    center = (0,0) # default value
   # interface
    def interior(self, points):
        . . .
```

what do we have to do to tie instances of Disk with information in some configuration file?

```
[ disk1 ]
 center = (-1,1); leave {radius} alone
[ disk2 ]
radius = .5
center = (1,1)
```

or, equivalently, from the command line

```
gauss.py --disk1.center=(1,1) --disk2.radius=.5 --disk2.center=(-1,1)
```

Components



- informally, classes are software specifications that establish a relationship between state and behavior
 - we have syntax that allows us to specify these very close to each other
- ► *instances* are containers of state; there are special rules
 - that grant access to this state
 - allow you to call functions that get easy access to this state
- components are classes that specifically grant access to some of their state to the end user
 - the public data are the *properties* of the component
- rule 1: components have properties



A trivial component

pyre provides support for writing components

```
import pyre

class Disk(pyre.component):

# public state
radius = pyre.properties.float(default=1)
radius.doc = 'the radius of the disk'

center = pyre.properties.array()
center.default = (0,0)
center.doc = 'the location of the center of the circle'

# interface

interface

import pyre

# interface

import pyre

# interface

# interface
```

- why bother specifying the type of component properties?
 - command line, configuration files, dialog boxes, web pages: they all gather information from the user as strings
 - we need *meta-data* so we can convert from strings to the intended object

The names of things



- in order to connect components to configurations, we need explicit associations
 - component instances have unique names
 - component classes have unique family names
 - namespace management: components belong to packages

```
import pyre

class Disk(pyre.component, family="gauss.shapes.disk"):

# public state
radius = pyre.properties.float()
radius.default = 1
radius.doc = 'the radius of the disk'

center = pyre.properties.array()
center.default = (0,0)
center.doc = 'the location of the center of the circle'
...
```

and here are a couple of component instances

```
left = Disk(name='disk1')
right = Disk(name='disk2')
```

Configuration



- rule 2: components have names
- the package name is deduced from the component family name
 - it is the part up to the first delimiter
- pyre automatically loads configuration files whose name matches the name of a package
- there's even a way to override the default values that the developer hardwired into the class declaration

```
[ gauss.shapes.disk ] ; use the family name
radius = 2 ; to override the defaults
center = (-1,-1) ; for all instances of disk

[ disk1 ] ; the name of an instance
center = (-1,1) ; leave {radius} alone

[ disk2 ] ; the name of another instance
radius = .5
center = (1,1)
```

Recap: what we know so far

- pyre components are evolved python objects
 - the factories have family names, the instances have names
 - these names are unique strings in hierarchical namespaces delimited by periods
 - collections of components form packages implicitly, based on the topmost level in their namespace
- components have properties that are under the control of the user
 - they look and behave like regular attributes
 - they are typed to enable conversions from strings
 - they have default values and other metadata
- configuration is partly about assigning values to component properties
 - a requirement for supporting user interfaces
 - intuitive syntax for the command line
 - ▶ simple configuration files inspired by the Microsoft Windows .ini format
- configuration is automatically handled by the framework and requires no explicit involvement on the part of the component author

Configuration files



- currently, there are two file formats for configuration information
 - .cfg: the format in the examples
 - .pml: an XML based format that is a bit more powerful but not as user friendly
- pyre looks for configuration files in the following places
 - explicitly provided on the command line
 - gauss.py --config=sample.cfg
 - the current directory
 - the .pyre subdirectory of the current user's home directory
 - a special subdirectory wherever pyre is installed

in order of priority

- settings on the command line have the highest priority, and override each other from left to right
- when a property is assigned a value multiple times, the highest priority setting wins
 - the framework keeps track of all changes in the value of properties and the source of the assignment, so if a property doesn't end up with the value you expected, you can get its complete history

Properties



- properties make sense for both classes and instances
 - the class holds the default value that gets used in case the component instance does not have explicit configuration
 - each instance gets its own private value when it gets configured
 - identical to regular python attributes
- there is support for
 - ▶ simple types: bool, int, float, str
 - containers: tuple, array
 - higher level: date, time, inputfile, outputfile, inet
 - units dimensional
 - easy enough to implement your own; the requirements are very simple
- metadata:
 - doc: a simple and short documentation string
 - default: the default value, in case the user doesn't supply one
 - converters: a chain of preprocessors of the string representation
 - normalizers: a chain of post-processors of the converted value
 - validators: a tuple of predicates that get called to ensure the property value satisfies the specified constraints
 - vou can add your own; the framework passes them through to your component



Units

- dimensional properties have units
- the low level support is in pyre.units
 - full support for all SI base and derived units
 - all common abbreviations and names from alternative systems of units
 - correct arithmetic; proper handling of functions from math

```
1 from math import cos

2 from pyre.units.SI import meter, second, radian

3 

4 A = 2.5 * meter

5 t = 1.5 * second

6 \omega = 4.2 * radian/second

7 

8 x = A * \cos(\omega * t)
```

if the units in the argument to \cos do not cancel, leaving a pure float behind, an exception is raised; x has dimensions of meters

Connecting components

the real power is in wiring components to other components

```
import pyre

class MonteCarlo(pyre.component, family="gauss.integrators.montecarlo"):

    """

A Monte Carlo integrator
    """

# public state
samples = pyre.properties.int(default=10**5)
region = ????
...
```

- ▶ MonteCarlo should be able to specify what constitutes an acceptable region
- ▶ Disk should be able to advertise itself as being an acceptable region
- the user should have natural means for specifying that she wants to wire an instance of Disk as the region of integration
- and be able to configure that particular instance of Disk in a natural manner
 - the framework should check the consistency of this assignment

Protocols



▶ the component version of an abstract base class is the *protocol*

```
10 import pyre
13 class Shape (pyre.protocol, family="gauss.shapes"):
      @classmethod
      def pyre_default(cls, **kwds):
         from .Ball import Ball
         return Ball
      @pyre.provides
      def measure(self):
      @pyre.provides
      def contains(self, points):
```



Declaring compatibility with a protocol

Disk can inform the framework that it intends to implement Shape

```
import pyre
from .Shape import Shape
class Disk (pyre.component, family="gauss.shapes.disk", implements=Shape):
   . . .
```

- an exception is raised if Disk does not conform fully to Shape
 - missing methods or missing attributes
- also, proper namespace design simplifies many things for the user
 - Shape declared its family as gauss. shapes
 - Disk declared its family as gauss. shapes. disk
- we'll see how later when it's time to put all this together

Specifying assignment requirements

MonteCarlo can now specify it expects a Shape compatible object to be assigned as its region of integration

```
import pyre
from .Shape import Shape

dclass MonteCarlo(pyre.component, family="gauss.integrators.montecarlo"):
    """
A Monte Carlo integrator
    """

# public state
samples = pyre.properties.int(default=10**5)
region = Shape()
...
```

the default value is whatever Shape returns from its pyre_default class method

Component specification

- and now for the real trick: converting some string provided by the user into a live instance of Disk, configuring it, and attaching it to some MonteCarlo instance
- the syntax is motivated by URI, the universal resource identifiers of the web; the general form is

```
<scheme>://<authority>/<path>#<identifier>
```

where most of the segments are optional

- if your component is accessible from your python path, you could specify
 - import:gauss.shapes.disk
- if your component instance is somewhere on your disk, you would specify

```
file:/tmp/shapes.py/disk
```

in either case, disk is expected to be a name that resolves into a component class, a component instance or be a callable that returns one of these

The user does the wiring

with our definition of MonteCarlo, an appropriately structured package gauss on the python path, and the following configuration file

```
[ gauss.shapes.disk ] ; change the default values for all disks
radius = 1
center = (0,0)

[ mc ] ; configure our Monte Carlo integrator instance
region = import:gauss.shapes.disk
...
```

the following python code in some script sample.py

```
1 ...
2 mc = MonteCarlo(name="mc")
3 ...
```

builds a MonteCarlo instance and configures it so that its region of integration is a Disk instance; similarly, from the command line

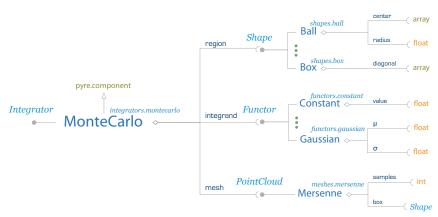
```
sample.py --mc.region=import:gauss.shapes.disk
```

or, thanks to the consistency in our namespace layout, simply

```
sample.py --mc.region=disk
```

A non-trivial example

- gauss: an extensible numeric integration package
 - specify protocols and components
 - identify the configurable state
 - implement component behavior in terms of the specified protocols

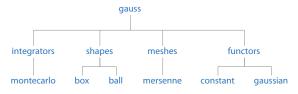


Implementation strategy

- key abstractions:
 - functor: encapsulation of a function in a class; our integrands will be functors
 - shape: a spatial domain; we will use these to specify the region of
 - integration
 mesh: a discretization of the domain of integration; meshes provide the
 - locations at which we sample integrands
 - integrator: the implementation of a particular integration algorithm
- each one of these will turn into a protocol
 - ▶ that spells out all the obligations imposed on concrete realizations
- the various package components
 - will provide concrete implementations of all the obligations
 - and specify their public state: what can be delegated to the end user

Namespace design

we are now in a position to assemble the package gauss; let's start by laying out the package namespace



- and try to use this layout for both the logical and physical structure
 - the top level is our package name
 - the internal nodes become the names of interfaces and subdirectories
 - the leaves are the component family names and the names by which the component factories are accessible

The shapes package

in order to make the directory gauss/shapes a python package, we need to create the special file gauss/shapes/__init__.py

```
Package that contains definitions of geometrical shapes

"""

12

13 # the interfaces

14 from .Shape import Shape as shape

15

16 # the components

17 from .Ball import Ball as ball

18 from .Box import Box as box
```

- the import statements
 - use *local* imports to make sure that we are accessing the correct modules
 - create local names for the classes declared inside the named modules
- the net effect is to simplify access to the components

```
from gauss.shapes import box, ball
```

Shapes



▶ the Shape protocol in gauss/shapes/Shape.py

```
10 import pyre
13 class Shape(pyre.protocol, family="gauss.shapes"):
      @classmethod
      def pyre_default(cls, **kwds):
         from .Ball import Ball
         return Ball
      @pyre.provides
      def measure(self):
      @pyre.provides
      def contains(self, points):
```

From disks to spheres in d dimensions

- for the simple shapes, such as boxes and disks, it is easy to generalize to arbitrary dimensions
 - for our purposes, this is useful mostly as an exercise in operating on containers
- \blacktriangleright the volume of a sphere of radius r in d dimensions is given by

$$\mu_d(r) = \frac{\pi^{\frac{d}{2}}}{\Gamma\left(\frac{d}{2} + 1\right)} r^d$$

for even d

$$\mu_d(r) = rac{\pi^{rac{d}{2}}}{\left(rac{d}{2}
ight)!}r^d$$

for odd d

$$\mu_d(r) = rac{2^{rac{d+1}{2}}\pi^{rac{d-1}{2}}}{d!!}r^d$$

Ball - traits

the implementation of Ball in gauss/shapes/Ball.py

```
9 # access the framework
10 import pyre
12 from .Shape import Shape
14 # declaration
15 class Ball (pyre.component, family="gauss.shapes.ball", implements=Shape):
     # public state
     center = pyre.properties.array(default=(0,0))
     center.doc = "the location of the center of the ball"
     radius = pyre.properties.float (default=1)
     radius.doc = "the radius of the ball"
```

Ball - interface



the implementation of Ball.measure

```
# interface
@pyre.export
def measure (self):
   import functools, operator
   # get \pi
   from math import pi as \pi
   # compute the dimension of space
   d = len(self.center)
   # for even {d}
   if d % 2 == 0.
      # for even $d$
      normalization = functools.reduce(operator.mul, range(1, d/(2+1)))
      return \pi ** (d//2) * self.radius**d / normalization
   # for odd {d}
   normalization = functools.reduce(operator.mul, range(1, d+1, 2))
   return 2**((d+1)/(2) * \pi**((d-1)/(2) / normalization
```



Ball - more interface

the implementation of Ball.contains

```
@pyre.export
def contains (self, points):
   # cache the center of the ball
  center = self.center
   # compute the radius squared
  r2 = self.radius**2
  # for each point
   for point in points:
      # compute the distance from the center
      d2 = sum((p - r)**2 for p, r in zip(point, center))
      # check whether this point is inside or outside
      if r2 >= d2:
         yield point
   # all done
  return
```





the implementation of Box in gauss/shapes/Box.py

```
10 import pyre
12 from .Shape import Shape
  # declaration
  class Box (pyre.component, family="qauss.shapes.box", implements=Shape):
     # public state
     intervals = pyre.properties.array(default=((0,1),(0,1)))
     intervals.doc = "the extent of the box along each axis"
```



Box - interface

the implementation of Box.measure

```
# interface

@pyre.export

def measure(self):

"""

Compute my volume

"""

# get functools and operator

import functools, operator

# compute and return the volume

return functools.reduce(

operator.mul,

((right-left) for left,right in self.intervals))
```



Box - more interface

the implementation of Box.contains

```
@pyre.export
def contains (self, points):
   intervals = self.intervals
   for point in points:
      # for each cöordinate
      for p, (left, right) in zip (point, intervals):
         if p < left or p > right:
            break
      # if we got here all tests passed, so
     else:
         # this one is on the interior
         vield point
   # all done
  return
```



The meshes package

again, we need the special file gauss/meshes/_init_.py in order to turn gauss/meshes into a python package

```
9 """
10 Package that contains the implemenations of point clouds
11 """
12
13 # the interfaces
14 from .PointCloud import PointCloud as cloud
15
16 # the components
17 from .Mersenne import Mersenne as mersenne
```



Point clouds

▶ the PointCloud protocol in gauss/meshes/PointCloud.py

```
10 import pyre
13 class PointCloud(pyre.protocol, family="gauss.meshes"):
      @classmethod
      def pyre default(cls, **kwds):
         from .Mersenne import Mersenne
         return Mersenne
      @pyre.provides
      def points(self, count, box):
```

PYRE.

Generating points with the Mersenne Twister RNG

▶ in gauss/meshes/Mersenne.py

```
10 import pyre
11 import random
12 import itertools
14 from .PointCloud import PointCloud
16 class Mersenne (pyre.component, family="gauss.meshes.mersenne", implements=PointCloud):
      seed = pyre.properties.int(default=None)
      seed.doc = "initialization for the random number generator"
      @pyre.export
      def points(self, count, box):
         rng = self.rng.uniform
         starmap = itertools.starmap
         intervals = box.intervals
         while count > 0:
```



The functors package

the package initialization file in gauss/functors/_init_.py

```
14 from .Functor import Functor as functor
16 # the components
17 from .Constant import Constant as constant
18 from .Gaussian import Gaussian as gaussian
19 from .One import One as one
```

Functors



the Functor protocol in gauss/functors/Functor.py

```
import pyre
# declaration
class Functor(pyre.protocol, family="gauss.functors"):
   @classmethod
   def pyre_default(cls, **kwds):
      from .Constant import Constant
      return Constant
   # interface
   @pyre.provides
   def eval(self, points):
```



The Constant functor

in gauss/functors/Constant.py

```
10 import pyre
12 from .Functor import Functor
   class Constant (pyre.component, family="gauss.functors.constant", implements=Functor):
      value = pyre.properties.float(default=1)
      value.doc = "the value of the constant functor"""
      @pyre.export
      def eval(self, points):
         value = self.value
         for point in points: yield value
```



the declaration of the traits

A non-trivial functor

```
10 import pyre
12 from .Functor import Functor
   class Gaussian (pyre.component, family="gauss.functors.gaussian", implements=Functor):
      Component that implements the normal distribution with mean \muand variance \sigma^2
          q(x; \mu, \sigma) = \frac{1}{\sqrt{2\pi}} \sigma^2 e^{-\frac{\pi}{2}} e^{-\frac{\pi}{2}}
      \muand \sigmaare implemented as component properties so that Gaussian can conform to the
      functor interface. See gauss.interfaces.functor for more details.
      mean = pyre.properties.array(default=[0])
      mean.doc = "the mean of the gaussian distribution"
      mean.aliases.add("\mu")
      spread = pyre.properties.float (default=1)
      spread.doc = "the variance of the gaussian distribution"
      spread.aliases.add("\sigma")
```



► the implementation of eval

A non-trivial functor – continued

```
@pyre.export
def eval(self, points):
   from math import exp, sqrt, pi as \pi
   \mu = self.\mu
   \sigma = self.\sigma
   normalization = 1 / sqrt(2*\pi) / \sigma
   scaling = 2 * \sigma * * 2
   for x in points:
       r2 = sum((x_i - \mu_i) **2 \text{ for } x_i, \mu_i \text{ in } zip(x, \mu))
       yield normalization * exp(- r2 / scaling)
   return
```



The integrators package

the package initialization file in gauss/integrators/__init__.py

```
from .Integrator import Integrator as integrator
16 # the component
17 from .MonteCarlo import MonteCarlo as montecarlo
```



Integrators

▶ in gauss/integrators/Integrator.py

```
10 import pyre
13 class Integrator(pyre.protocol, family="gauss.integrators"):
      from ..shapes.Shape import Shape as shape
      from ..functors.Functor import Functor as functor
      region = shape()
      region.doc = "the region of integration"
      integrand = functor()
      integrand.doc = "the functor to integrate"
      @classmethod
      def pyre_default(cls, **kwds):
         from .MonteCarlo import MonteCarlo
         return MonteCarlo
      @pyre.provides
      def integrate(self):
```

The Monte Carlo integrator

▶ in gauss/integrators/MonteCarlo.py

```
10 import pyre
13 from .Integrator import Integrator
14 from .. functors import functor
15 from ..meshes import cloud
16 from ..shapes import shape, box, ball
20 class MonteCarlo (pyre.component, family="gauss.integrators.montecarlo", implements=Integrator):
      samples = pyre.properties.int(default=10**5)
      samples.doc = "the number of integrand evaluations"
      box = shape(default=box)
      box.doc = "the bounding box for my mesh"
      mesh = cloud()
      mesh.doc = "the generator of points at which to evaluate the integrand"
      region = shape(default=ball)
      region.doc = "the shape that defines the region of integration"
      integrand = functor()
      integrand.doc = "the functor to integrate"
```



The Monte Carlo integrator – continued

the implementation of integrate

```
# interface
@pyre.export
def integrate(self):
    """

Compute the integral as specified by my public state
    """

compute the normalization
normalization = self.box.measure()/self.samples
    # get the set of points
points = self.mesh.points(count=self.samples, box=self.box)
    # narrow the set down to the ones interior to the region of integration interior = self.region.contains(points)
# sum up and scale the integrand contributions
integral = normalization * sum(self.integrand.eval(interior))
# and return the value
return integral
```



Top level – the gauss package

the package initialization file in gauss/__init__.py

```
17 from . import functors, integrators, meshes, shapes, util
20 def copyright():
      return _gauss_copyright
   def license():
      return _gauss_license
34 def version():
      return _gauss_version
```

Checking that all is ok

assuming that the directory gauss is somewhere on the python path, we are now ready to check that everything works

```
mga@pythia:~/tmp>python3.3
2 Python 3.3.0 (default, Sep 29 2012, 08:16:08)
3 [GCC 4.2.1 Compatible Apple Clang 3.1 (tags/Apple/clang-318.0.58)] on darwin
4 Type "help", "copyright", "credits" or "license" for more information.
5 enabling readline
6 >>> import gauss
7 >>> mc = gauss.integrators.montecarlo()
8 >>> mc.samples
9 100000
10 >>> mc.box.intervals
((0, 1), (0, 1))
12 >>> mc.region
43 <gauss.shapes.Ball.Ball object at 0x1068d0610>
14 >>> mc.region.radius
15 1.0
16 >>> mc.region.center
17 (0, 0)
18 >>> mc.integrand
19 <gauss.functors.Constant.Constant object at 0x10634b5d0>
20 >>> mc.integrand.value
21 1.0
22 >>> 4 * mc.integrate()
23 3.13464
```

More on configuration files

- there are a few more pieces of functionality that we haven't covered
 - assignments involving expressions and references
 - wiring shortcuts for properly designed package namespaces
 - having multiple configurations for the same property in a given file
 - wiring a facility to a specific, perhaps preëxisting component
- here is a configuration file that uses all of them

```
one = 1
  [ mc ] ; configure our Monte Carlo integrator instance
  samples = 10**6
  region = ball#frisbee ; equivalent to import: gauss.shapes.ball#frisbee
  integrand = constant ; equivalent to import: qauss.functors.constant
  [ gauss.functors.constant # mc.integrand ] ; if mc.integrand is a constant
9 value = {one}
  [ gauss.functors.gaussian # mc.integrand ] ; if mc.integrand is a gaussian
12 \text{ mean} = (0, 0)
13 spread = {one}/3
```



Creating an application

applications are the top level component managers

```
# externals
11 import pyre
12 import gauss
14 # the application
  class Quad (pyre.application):
     # public state
     samples = pyre.properties.int(default=10**5)
     integrator = pyre.facility(interface=gauss.integrator)
     @pyre.export
     def main(self, *args, **kwds):
        self.integrator.samples = self.samples
        integral = self.integrator.integrate()
        # print the answer
        print("integral = {}".format(integral))
       # return success
       return 0
```



Auto-launching

instantiating and launching the application

```
54 # main
55 if __name__ == "__main__":
66  # externals
57  import sys
58  # instantiate the application
59  q = Quad(name='quad')
60  # run it and return its exit code to the os
```

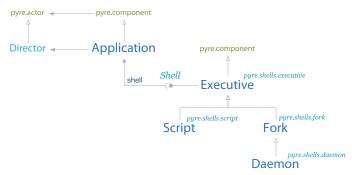
a sample configuration file

```
8 ; application settings
9 [ quad ]
10 samples = 10**6
11
12 ; cconfiguration for the integrator
13 [ gauss.integrators.montecarlo # quad.integrator ]
14 box.intervals = ((-1,1), (-1,1))
15 region = ball
16 integrand = constant
17
18 ; when the integrand is the constant functor
19 [ gauss.functors.constant # quad.integrator.integrand ]
20 value = 1
```



The application component

▶ the shell hierarchy in pyre



our Quad derives from Application, so it has a shell



Parallel integration

the mpi entry point

```
@pyre.export
def main_mpi(self, *args, **kwds):
    # access the mpi package
    import mpi
# find out how many tasks were launched
size = mpi.world.size
# find out my rank
rank = mpi.world.rank
# figure out how many samples to do and pass that on to my integrator
self.integrator.samples = self.samples / size
# integrate: average the estimates produced by each task
integral = mpi.sum(self.integrator.integrate())/size
# node 0: print the answer
if rank == 0: print("integral = {}".format(integral))
# all done
return 0
```

- the mpi package is part of the pyre distribution
 - handles initialization and finalization of MPI
 - simplifies most of the "overhead" activities
 - provides an OO veneer

Running in parallel

minor modifications to the configuration file...

```
9 [ quad ]
10 samples = 10 * *6
13 [ gauss.integrators.montecarlo # quad.integrator ]
14 box.intervals = ((-1,1), (-1,1))
15 region = ball
16 integrand = constant
  [ gauss.functors.constant # quad.integrator.integrand ]
20 value = 1
23 [ guad ]
24 shell = mpi
  [ mpi.shells.mpirun # quad.shell ]
27 \text{ tasks} = 8
28 launcher = openmpirun
```

References I



- [1] J. M. Hammersley. Monte Carlo methods for solving multivariable problems. *Ann. New York Acad. Sci.*, 86:844–874, 1960.
- [2] C. W. Ueberhuber. *Numerical Computation 2: Methods, Software, and Analysis*, chapter on Monte Carlo Techniques, pages 124–125 and 132–138. Springer-Verlag, 1997.
- [3] S. Weinzierl. Introduction to Monte Carlo methods. 2000. URL http://arxiv.org/abs/hep-ph/0006269.