

→ Mnemonics — combination of high & low  
ex of middle level — Assembly language  
C — high & middle level because of Pointers  
Concept it is also a middle level (deals with address)

To interact with Computer we need language

→ low — binary

Middle — C

high — Python, C, Java

Compiler — execution fast (not given directly where the error occur)

entire Program Compile at once

Interpreter — given directly, where the error will occur

→ (1) Documentation (Comments)

(1) Import

(2) d = b

(2) Package

(3) B = S

Syntax

(4) Class

(5) I

5) main

Semantics: meaning of the symbol (or words)

Data types: specific type of data

Paradigm: style of writing the Program

(or) ways of writing the Program

Paradigm 2 types : (1) Imperative  
(2) Declarative

## (1) Imperative - What to do

```

graph TD
    PP[Programming Paradigms] --- PParadigm[Procedural P-Paradigm]
    PP --- FParadigm[Functional F-Paradigm]
    PP --- OOPs[Object-oriented OOPs]

```

all  
 Java  
 C/C++/C#  
 Python

S-System

## (2) Declarative - How to do

## Optimise the Imperative Code

(ii) logical

## (e) Functional Programming

```

graph TD
    A[Database Programming] --> B[Relational]
    A --> C[Non-relational]
  
```

## higher order functions

Takes input as a function, and also  
outputs as a function.

It is use in big data Technologies

$$\underline{\text{ex:}} \quad f(g(h(x)))$$

$$y = h(x)$$

$$z = g(y)$$

$$f(z)$$

→ lambda

## (1) interfaces

## in Versions

## (a) abstract

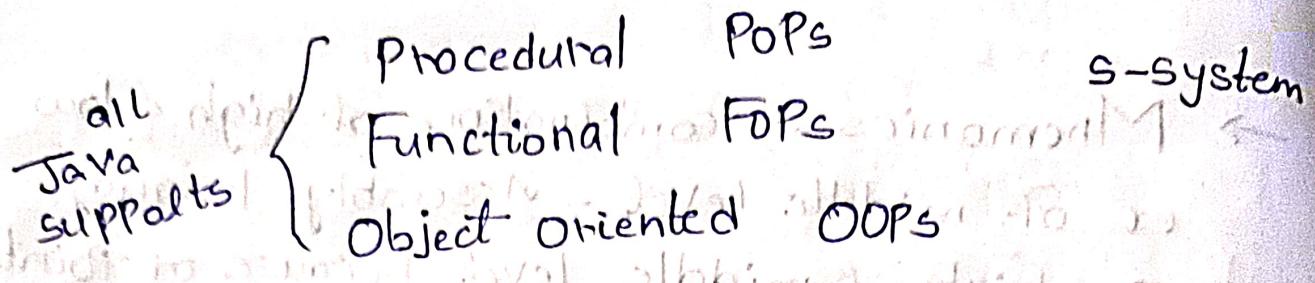
## Database

columns  
Tables)

## Non-relational

Java is not fully object-oriented because of 2 reasons

# (1) Imperative - What to do



## (2) Declarative - How to do

optimise the Imperative Code

(1) logical

(2) Functional Programming

3) Database Programming

relational  
Non-relational

higher order functions

Takes input as a function and also  
output as a function.

It is used in big data Technologies

ex:  $f(g(h(x)))$

step 1  
 $y = h(x)$

step 2  
 $z = g(y)$

step 3  
 $f(z)$

→ lambda

(1) interfaces

in Versions

(2) abstract

Database

relational  
(Tables)

Non-relational

Java is not fully object oriented  
because of 2 reasons

(1) we can't create objs for primitive data types

(2) when using static keyword the memory is already reserved.  
(no obj creation)

Static block: for entire block for a variable it keeps memory  
At compile time memory reservation we don't need object.  
we don't need an object to access.  
we have wrapper class for creating objects for int, float, char

int → Integer() class

float → Float()

char → Character()

create object by using wrapper class

Integer il = new Integer(20);

→ Control statements

do while - atleast once execute

while - check condition first

for each - traverse through directly with elements

for loop → by using index

Break, Continue → Jump statements

## Functions

same task performed multiple

times with different inputs

Control statements - Control the flow of execution

Access modifier

Public - access everywhere

Private - same class

Protected - same directory

Default - same package

Private - not specified

## Data Types

Primitive

int

float

char

long

Non Primitive

Derived

String

Array

Function

User Defined

User defined

their own d.

Class

Objects

enum

in c structures

& Union also example

Basic building blocks of Programming language

(1) Source Code

(2) Algorithm

(3) Flow chart

## Wrapper classes in Java

A wrapper class in Java is a class whose object wraps and contains primitive data types. We can wrap a primitive value into a wrapper class object.

### Need

- (1) They convert primitive data types into objects. Objects are needed if we wish to modify the arguments passed into a method.
  - (2) The classes in `java.util` package handles only objects and hence wrapper classes help in this case also.
  - (3) DS in the collection framework, such as `ArrayList` & `Vector` store only objects.
- wrapper classes allow primitive data types to be used as objects.

Primitive Data Type	Wrapper class
---------------------	---------------

char	Character
------	-----------

byte	Byte
------	------

short	Short
-------	-------

int	Integer
-----	---------

long	Long
------	------

float float

double Double

boolean Boolean

## 1. Autoboxing:

The automatic conversion of primitive

types to the objects of their corresponding wrapper classes is known as autoboxing.

For ex - Conversion of int to Integer,

long to Long , double to Double etc,

## 2. Unboxing

It is just the reverse process of autoboxing. Automatically converting an object of a wrapper class to its corresponding primitive types is known

as unboxing . For example -

Conversion of Integer to int , Long to long , Double to double , etc.

### Predefined methods

`toString()`: Value of given integer type argument

`valueOf()`: Value of given Primitive type

`equals()`: checks

`CompareTo()`: Compares

`intValue()`: return wrapper object's value as integer

`doubleValue()`: returns the wrapper object's value

`equals( )`: Determines if the supplied object

## \* ValueOf method:

To create a wrapper object for a given primitive or String, There are 3 types of valueOf() methods:

A) Wrapper ValueOf (String s): Every wrapper class except Character class contains a static ValueOf() method to create wrapper class object for a given string.

B) Wrapper ValueOf (String s, int radix): Every integral wrapper class Byte, Short, Integer, Long contains the valueOf() method to create a wrapper object for a given string with specified radix a given range of radix is 2 to 36.

C) Wrapper ValueOf (primitive P): Every wrapped class including the character class contains the following method to create a wrapper object for given primitive type

## toString() Method

We can use the toString() method to convert the wrapper object of primitive to String. few forms of toString() method

(A) Public String toString(): Every wrapper class contains the following toString() method to convert wrapped object to string type

B. `toString()` (Primitive P): Every wrapper class including the character class contains the following static `toString()` method to convert primitive to string.

C. `toString()` (Primitive P, int radix);

Integer and Long classes contain the following `toString()` method to convert primitive to specified radix string.

## Task-2

List of all types of Data Types & mention size of memory To store.

Data Types	Memory	Range
Boolean	1 bit	True or false
Byte	8 bit - 1 byte	-128 to 127
Char	16 bits - 2 bytes	Character
Short	16 bits - 2 bytes	-32,768 to 32,767
int	32 bits - 4 bytes	-2,147,483,648 to 2,147,483,647
long	64 bits - 8 bytes	-9,223,372,036,854,776 to 9,223,372,036,854,775,807
float	32 bits - 4 bytes	6 - 7 decimal digits
double	64 bits - 8 bytes	15 to 16

### Task-3

Access Modifiers	Within Class	Within Package	Outside Package	outside sub class
Public	✓	✓	✓	✓
Private	✓	✗	✗	✗
Protected	✗	✗	✗	✗
Default	✓	✓	✗	✗

### Task-4

#### Types of Recursions

Recursion:

The process in which a function calls itself directly or indirectly is called recursion and the corresponding function is called recursive function.

Two types of recursions

(1) Direct Recursion

(2) Indirect Recursion.

Direct Recursion:

These can be 4 types

Tail Recursion: If a recursive function calling itself and that recursive call is the last statement in the function, after that call the recursive function performs nothing.

Time Complexity:  $O(n)$  may vary for other

Space Complexity:  $O(n)$

Head Recursion: If a recursive function calling itself and that recursive call is the first statement in the function.

There's no statement, no operation before the call. The function doesn't have to perform any operation at the time of calling; all operations are done at returning time.

Time Complexity:  $O(n)$

Space Complexity:  $O(n)$

Tree Recursion:

If a recursive function calling itself for one time then it's known as

Linear Recursion. Otherwise if a recursive function calling itself for more than one time then it's known

as Tree Recursion.

Time Complexity:  $O(2^n)$

Space Complexity:  $O(n)$

Nested Recursion: A recursive function will pass the parameter as a recursive call. That means "recursion inside recursion".

→ favourite Number (or) not  
Q1 if it is divisible by 3 it's My fav  
if it divisible by 5 it's Your fav  
if it both divisible by 3 & 5 its our fav  
if it neither divisible by 3 & 5 its Not fav  
at now  $n=9$

```
if ( $n \% 3 == 0$ ) : if ( $n \% 3 == 0 \&\& n \% 5 == 0$ )  
    printf("My favorite"); else  
else if ( $n \% 5 == 0 \&\& n \% 3 != 0$ ) my fav  
    printf("Your favorite"); else no fav  
else if ( $n \% 3 == 0 \&\& n \% 5 == 0$ )  
    printf("Our favorite");  
else  
    printf("Not favorite");
```

We should not give that if Condition first Because it doesn't goes to next condition if it was true so, also we can write nested if statement (blankink)

$n=9$

if ( $n \% 3 == 0$  &&  $n \% 5 == 0$ ) {

    printf ("our favorite");

}

else if ( $n \% 3 == 0$ ) {

    also printf ("my favorite");

if ( $n \% 3 == 0$ )

if ( $n \% 5 == 0$ )

    else if ( $n \% 5 == 0$ ) {

        out fav printf ("your favorite");

nested if (not &&) used.

    else {

        printf ("not a favorite");

}

return 0;

{ "pid: 010" } thriving

→  $123 / 10 = 12$  }  $(0 < d)$  \* if we want to  
 $2145 / 10 = 214$  remove n digits  
 $245 / 100 = 2$  from last then  
 $4578 / 100 = 45$  divide with  $10^n$

$\%$  → remainder  
 / → quotient

\* if  $2 \% 3 = 1$  means 3) 2 ( can't  
 the answer will be 1 if dividend  
 is < divisor it gives dividend.

→

$$132 \% 10 = 2 \quad \text{if we want}$$
$$132 \% 100 = 32 \quad \text{to retrieve n digits from}$$
$$78647 \% 100 = 47 \quad \text{last, then do}$$
$$78647 \% 1000 = 647 \quad \% \text{ by } 10^n$$

Q11 your given with 3 distinct numbers  
Find which is greatest.

```
int a=15;  
int b=42;  
int c=9;  
if (a>b && a>c) {  
    printf ("a is big");  
}
```

```
else if (b>c) {  
    printf ("b is big");  
}
```

```
else {  
    printf ("c is big");  
}  
return;
```

(6R)

Printf ("%d", a>b && a>c ? a : b>c ? b : c);

in java

`Math.max(a, b, c);`

Q11. Reverse of a number:

`int a = 676745;`

we don't know  
exact no. of  
iterations but  
know & use  
stop & use  
while loop.

`int r = 0;`

`while (a != 0) {`

`int d = a % 10; (retrieve last digit)`

`r = r * 10 + d;`

`a = a / 10; (eliminate last digits)`

`printf("%d.%d", r); retrieved  
 return 0; first digit.`

ans (547676)

→ write for negative → -67674

if we give

op : -47676.

→ we don't know the range then  
Integer.MIN\_VALUE (It gives very  
low range last integer value)

Integer.MAX\_VALUE (It gives highest values)

→ Lectode  $\exists \oplus$  (more charges in before one)  
 r should be in range  $[2^{31}, 2^{31}-1]$  then  
 long r=0;  
 at last if ( $r < \underline{\text{Integer.MIN\_VALUE}}$ )  
 {  
 r > Integer.MAX\_VALUE,  
 between 0;  
 } else if  
 { between (int)r; }

→ printing Positive (0), Negative (0) Zeros, with  
 out using if else statements.  
 Use switch statement.

num = 15;  
 Compares here & give  
 0 to -1 (0) & go to  
 that case is  
 executed

```

switch (Integer.parseInt(num, 0)) {
  case 0 : SOP ("Zero"); break;
  case 1 : SOP ("Positive");
  case -1 : SOP ("Negative");
  default : SOP ("Unexpected");
}
  
```

Default: SOP ("Unexpected");

olp Positive

→ Printing Intck Day & : (Is it weekday or weekend);

String day = "mon";

switch (day) {

case "mon":

System.out.println("weekday");

break;

Case "tue":

S.O.P ("weekday"); break;

case "wed":

S.O.P ("weekday");

;

case "sun":

S.O.P ("Week End!!");

break;

Default :

S.O.P ("Not Expected");

→ Switch Expression (o) ↗ expression (→)

To reduce code they introduced this concept  
Switch Expression. \* (New update in java)

day = "Sun";

String result = switch (day) {

To Point result Case "mon" → "weekday";

ans stated: Case "tue" → "Tuesday";

"Second Day!!"

Case "sun" → "Weekend!!"

default → "Unexpected";

} ; important (Because this is expression)

S.O.P(result); → Printing result.

O/P Week End!!

This is introduced from 14<sup>th</sup> Version  
Onwards

java -version → 11 (in Cmd)

→ To Reduce Above Code -----

P.S.V(s.arg[0]) {

day = "sun"

String res = switch(day) {

Case "mon", "tue", "wed", "thu", "Fri" →

"weekday";

Case "sat", "sun" → "weekEnd";

default → "Unexpected";

} ; };

S.O.P("res");

}

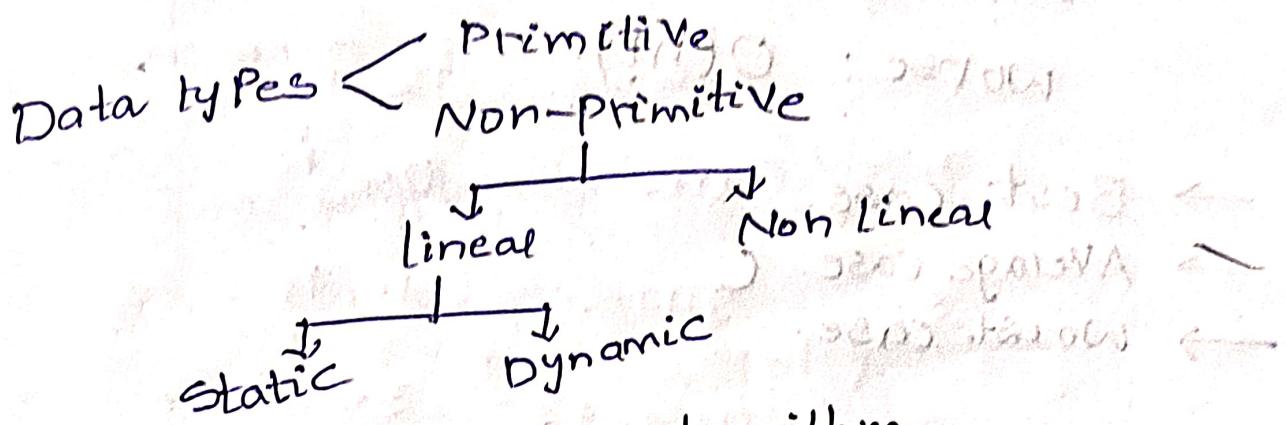
H.W In HackerRank Complete the course

"Java lesson" ← "Java Basic".

# \* Data Structures and Algorithms \*

Data - Collection of raw facts.

information: Process data, adding meaning  
to data.



→ characteristic of algorithm

well-defined inputs

well-defined outputs

clear & Unambiguous

Finite-ness

Feasible

Language Independent

How to Analyze an algorithm

Time

Space

Network Capability

Power Consumption

CPU Registers

→ different types of time complexity

1) Constant —  $O(1)$

2) Logarithmic —  $O(\log(n))$

Linear -  $O(n)$  no. of steps increase w.r.t. input size

Log-Linear -  $O(n \log(n))$

Quadratic -  $O(n^2)$  Polynomial -  $O(n^p)$

Exponential -  $O(2^n)$

worse:  $O(n!)$

→ Best case

→ Average case

→ Worst case

→  $\text{for } (i=0; i < n; i++) \{$        $n = 10$   
          Statement;       $i = 0$       str ✓  
           $\} \quad \dots; \quad i = 10$       str ✓  
           $n$  steps       $i = 10$       str ✗  
So Time Complexity  $O(n)$

→  $\text{for } (i=0; i < n; i++) \{ \rightarrow n$   
           $\text{for } (j=0; j < i; j++) \{ \rightarrow n \times n$   
           $\} \quad \dots \text{ str};$

Time Complexity  $O(n^2)$

→  $\text{for } (i=0; i < n; i++) \{$   
           $\text{for } (j=0; j < i; j++) \{ \quad i \quad j \quad \text{statement}$   
           $\} \quad \dots; \quad \text{str}; \quad 0 \quad X \quad o \quad o$   
           $\} \quad \dots; \quad \cancel{\text{str}}; \quad 1 < 0 \quad 0 < 1 \quad \checkmark$   
           $\} \quad \dots; \quad \cancel{\text{str}}; \quad 1 < 1 \quad 1 < 1 \quad X$   
           $\} \quad \dots; \quad \cancel{\text{str}}; \quad 2 < 0 \quad 0 < 2 \quad \checkmark$   
           $\} \quad \dots; \quad \cancel{\text{str}}; \quad 2 < 2 \quad 2 < 2 \quad \checkmark$

$$i \rightarrow \alpha n + 2$$

$$j \rightarrow \frac{n(n+1)}{2} (n) \text{ (in for loop)} \\ \text{so } \propto n$$

$$\text{Sum} \rightarrow \frac{n(n+1)}{2}$$

X

$$\alpha n + 2 + \frac{n^3 + n^2}{2} + \frac{n^2 + n}{2}$$

Time Complexity  $O(n^3)$

$$(i=1) \quad \dots \quad \dots$$

i      j      + at times

0      0      0

1      0 ✓      1

$$(1+1) \times 1 = 2$$

✓

$\alpha < 2$       + at first iteration       $n = \frac{n(n+1)}{2}$

$$n = \frac{(1+1)k}{2}$$

0 ✓

1 ✓

2 ✓

3 X

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$\Rightarrow P = 0$

for ( $i=1$ ;  $P \leq n$ ;  $i++$ ) {

$P = P + i;$

}

$i$

$$P + \frac{1+2+3+\dots+n}{2} + \dots$$

$1$

$$0+1+2+\dots+n$$

$2$

$$0+1+2+ \dots + n$$

$3$

$$0+1+2+3+ \dots + n$$

$1$

$$0+1+2+3+ \dots + n$$

$1$

$$0+1+2+3+ \dots + n$$

$$0+1+2+3+ \dots + n$$

$$0+1+2+3+ \dots + n$$

$$0+1+2+3+ \dots + n$$

Condition fails when  $P > n$

$$\frac{k(k+1)}{2} > n$$

$$\frac{k^2+k}{2} > n$$

$$k^2 > n$$

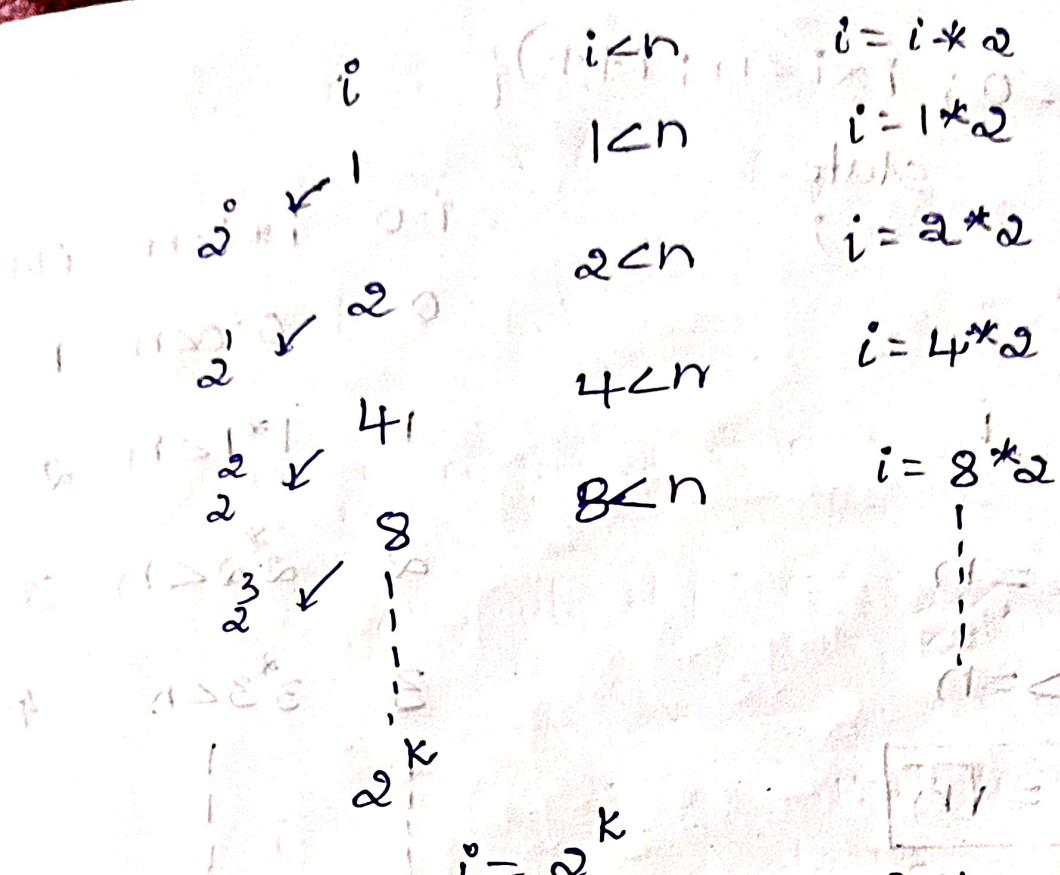
$$k > \sqrt{n}$$

Time Complexity  $O(\sqrt{n})$

$\rightarrow$  for ( $i=1$ ;  $i < n$ ;  $i = i * 2$ ) {

stmt;

}



The condition fails when

$$\frac{\log n}{\log 2} = \log_2 n \quad i \geq n$$

(1)  $i = 2^k \geq n$  (applying log on b-s)

+ no. of steps taken  $\leq k \geq \log_2 n$   
Time complexity was  $O(\log n)$

$\rightarrow$  for ( $i=n$ ;  $i>=1$ ;  $i=i/2$ ) {  
  stat--.

Condition fails when

$$(i \leq 1) \rightarrow (i=n/2) \rightarrow \frac{n}{2} \geq 1 \rightarrow i = \frac{n}{4}$$

$$\frac{n}{2^k} \leq 1 \rightarrow i = n/4 \rightarrow \frac{n}{4} \geq 1 \rightarrow i = \frac{n}{8}$$

$$\log n \leq \log_2 K$$

$$k = \log_2 n$$

Time Complexity =  $O(\log n)$

$\rightarrow \text{for } (i=0; i < n; i++) \{$

state - -  
-- j;

}

i

$i \geq n$

$k^2 \geq n$

$$K = \sqrt{n}$$

$i=0 \quad i < n \quad i++$

$0 \quad 0 < n \quad 1$

$1 \quad 1 < n \quad 2$

$2 \quad 2 < n \quad 3$

$3 \quad 3 < n \quad 4$

$|$   
 $|$   
 $|$   
 $|$   
 $K$   
 $k^2$

Time Complexity  $O(\sqrt{n})$

$\rightarrow \text{for } (i=0; i < n; i++) \{ \} O(n)$

$\text{for } (j=0; j < n; j++) \{ \} O(n)$

$$T \cdot c = O(n)$$

$\rightarrow *$  if  $O(n) + O(n^2)$  means  
 $\max(O(n), O(n^2))$

Time Complexity was  $O(n^2)$

$\rightarrow \text{for } (i=0; i < m; i++) \{ \}$   $\longrightarrow m$   
 for ( $j=i$ ;  $j < n$ ;  $j = j * 2$ ) { }  $\left. \begin{array}{l} \text{stmt;} \\ \dots; \end{array} \right\} \log_2 n (m)$

Time Complexity  
 $O(m \log n)$

$$= 2m + \cancel{\log_2 n} + \underline{\log_2 n}(m) \quad (1)$$

$$= (m \log_2 n) \cancel{(n \log_2)} \log_2 \quad (1)$$

$\rightarrow P = 0;$   
 for ( $i=1$ ;  $i < n$ ;  $i = i * 2$ ) { }  $\log_2 n$

$i++;$

for ( $j=1$ ;  $j < P$ ;  $j = j * 2$ ) { }  $\log_2 P$   
 state;

$i$   $i < n$   $P++$   $i = i * 2$   $\log_2 n$   
 $i$   $i < n$   $P++$   $i = i * 2$   
 $i$   $i < n$   $P++$   $i = i * 2$

$i$   $i < n$   $P++$   $i = i * 2$   
 $i$   $i < n$   $P++$   $i = i * 2$

$i$   $i < n$   $P++$   $i = i * 2$   
 $i$   $i < n$   $P++$   $i = i * 2$

$i = 2^K$   $i < n$   $P++$   $i = i * 2$   
 $i = 2^K$   $i < n$   $P++$   $i = i * 2$

$i >= 17$  Condition fails

$$\omega^k >= n \quad \text{for } P = k \quad P, K \text{ times came}$$

$$K = \log_2 n \Rightarrow P = \frac{\log n}{K}$$

for 2nd loop  $\rightarrow \log_2 p \Rightarrow \log(\log n)$

$$T.C = \log(\log_2 n) \quad \cancel{\cancel{\cancel{}}}$$

same as 1st for loop

$$f(n) = \log_2 n + \log(\log_2 n)$$

$$f(n) = \log(\log n)$$

→ function fun(N) {  
    if (N == 0) {  
        Recursive function

```
Print ("Hello Vignan!!");
```

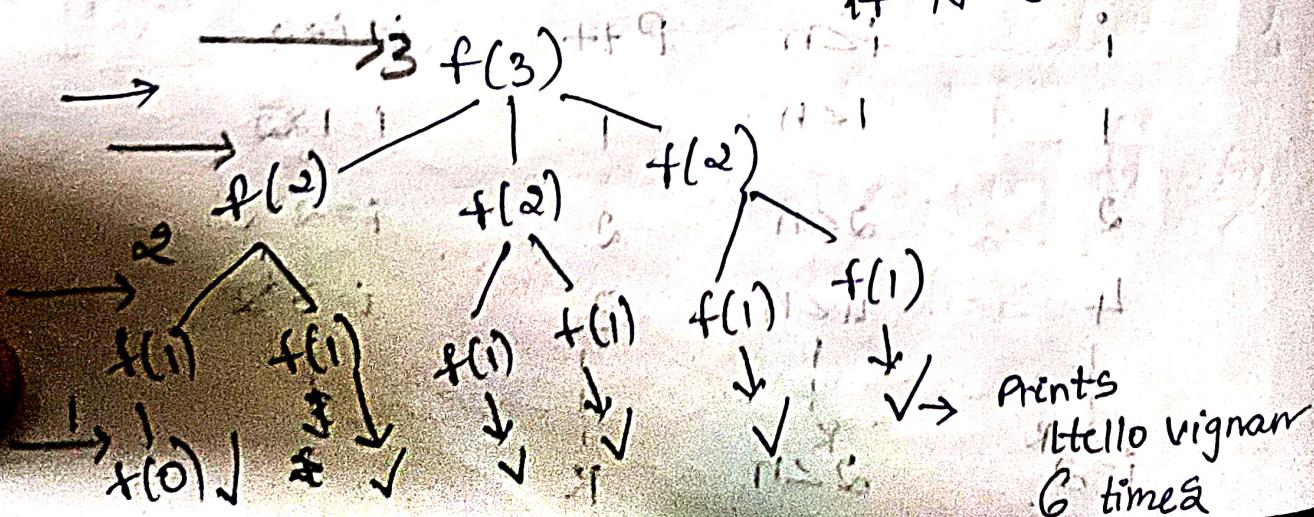
letter; i.e.  $(-i)$  proj.

} for ( $i=0$ ;  $i < N$ ;  $i++$ ) {

```
i = fun(N-1); i) < 0;  
} } ; ans[i];
```

fun(3)

if  $N=2$



$$f(3) = 3 \times 2 \times 1$$

when Recursive function given then represent as Recursive Tree.

If if condition it checks  $N == 0$  if not it goes to for loop,  $N-1, (3-1) \Rightarrow 2$ ,  $f(\alpha)$  calls 3 times, Next, if Condition goes  $N == 0 (\omega == 0) \times 60$  it goes to for loop  $(N-1)(\omega-1) = 1, 1$  calls 2 times.

$$\rightarrow \text{for } (i=0; i < n; i++) \rightarrow O(n)$$

$$\text{for } (i=0; i < n; i = i+2) \rightarrow O(n)$$

$$\text{for } (i=n, i > 1; i--) \rightarrow O(n)$$

GCD algo

while ( $m \neq n$ ) {

if ( $m > n$ ) {

$m = m - n;$

$O(m/n)$

else {

$n = n - m;$

$m=16$

$m \neq n$

$16 \neq n$

$14 = n$

$12 = n$

$10 = n$

$8 = n$

$6 = n$

$4 = n$

$2 = n$

$n=2$

$m > n$

$16 > n$

$12 > n$

$10 > n$

$8 > n$

$6 > n$

$4 > n$

$2 > n$

$16 - 2 = 14$

$14 - 2 = 12$

$12 - 2 = 10$

$10 - 2 = 8$

$8 - 2 = 6$

$6 - 2 = 4$

$4 - 2 = 2$

$\frac{16}{2} = 8$

if  $m=16, n=4$

$\left( \begin{array}{c} 12 \\ 8 \\ 4 \end{array} \right) \frac{16}{4} = 4$

$\frac{m}{n}$  times the loop executes

fun(n) {

if ( $n == 1$ )

return  $n$ ;

else

return  $n + fun(n-1);$

$fun(5);$

linear Recursion

$fun(5)$

num ↎

5 recursive calls

stored in another memory  
location

5

$5 + f(4)$

9

$4 + fun(3)$

12

$5 + 4 + 3$

$3 + fun(2)$

14

$5 + 4 + 3 + 2$

15

$2 + fun(1)$

This is linear Space Complexity

Space Complexity  $O(n)$

Quadratic Space Complexity type

$$\begin{bmatrix} 1 & 2 & 3 & 4 \\ 5 & 6 & 7 & 8 \end{bmatrix}$$

$2 \times 4$

Transpose then

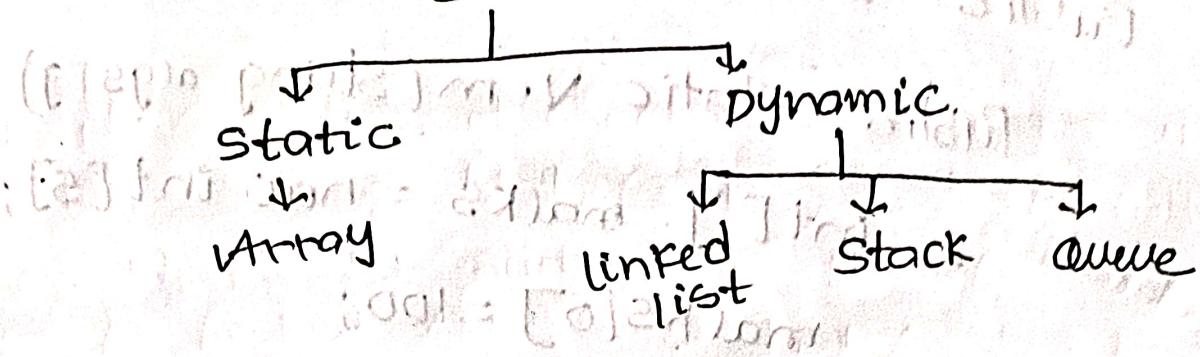
$$\begin{bmatrix} 1 & 5 \\ 2 & 6 \\ 3 & 7 \\ 4 & 8 \end{bmatrix}$$

$4 \times 2$

The Space is  $m \times n$

if  $m=n$  then space complexity is  $O(n^2)$

## Linear



- C → Creation  
A → Addition  
R → Retrieval  
V → Verification  
U → Update  
D → Delete

→ in Netbeans if we want main method

then type PSVM-(tab)

→ in eclipse type main (then directly give main method).

→ Array → 1) 1 Dimensional

2) Multi Dimensional

declaration of array:

→ datatype[arrayname] = new datatype[size];

0	1	2	3	4
1000	1004	1008	1010	1012

initially with declaring it stores zero

size of declaration 3 pairs of  
size

→ Package ac;

Public class ArraysPrac {

Public static void m(String args[]) {

declaration int[] marks = new int[5];

marks[0] = 100;

initialization marks[1] = 98; Just given  
student marks  
S.O.P (marks[0]);

} } S.O.P (marks[1]);

→ It is not good way for taking  
each student marks so,

for (int i=0; i < marks.length; i++)

S.O.P (marks[i] + " ");

O/P 100 98 10 0 0

→ Instead of initializing every student  
marks, make the program user friendly  
we can write as

int [] marks = new int [] {100, 98, 91,

declaring & initialising in one line 85, 75};

→ Read from user  
Scanner sc = new Scanner(System.in);

int size = sc.nextInt();

for(i=0; i < size; i++) {

a[i] = sc.nextInt();

→ In Codechef 2 problems, max & largest and second largest sum.

→ 2 sum Problem in LeetCode.

→ 2 sum Problem in LeetCode.  
→ any 2 numbers sum is equal to target.

for(i=0; i < n; i++) {

for(j=i+1; j < n; j++) {

if(a[i] + a[j] == target)

{ return new int[] {i, j}; }

}

}

return new int[] {};

↓  
if not pairs exist then return null.

→ In LeetCode max product of two elements in array

H.W → solved 26th Problem in LeetCode [Remove duplicates]

→ Q11 80 - in LeetCode - Remove Duplicate Array

→ H.W 9

→ 11 - Q11 in LeetCode

➤  $\{1, 2, 3\}$  → No. of cols are not equal in each row.

➤  $\{4, 5\}$  → Jagged array

$\{6\}$

declaration :- `int [][] arr = new int[3][];`

➤  $\{1, 2, 3\}$

$\{4, 5, 1\}$

➤  $\{6, 5, 1\}$

`int [][] arr = new int[3][3];`

➤ Initialization

`int [][] arr = new int [][] {{1, 2}, {3, 4}};`

Printing: (row wise)

`for (int [] row : arr) {  
 S.O.P (Arrays.toString (row));  
}`

O/P       $[1, 2]$

$[3, 4]$

Initialization in Jagged array

`int [][] arr2 = new int [3][];`

`arr2[0] = new int [] {1, 2, 3, 4, 5};`

`arr2[1] = new int [] {6, 7, 8};`

`arr2[2] = new int [] {9};`

Printing row wise Jagged array

`for (int [] row : arr2) {  
 S.O.P (Arrays.toString (row));  
}`

✓	✓	✓	✓	
✓	✓	✓		
✓				
✓	✓	✓	✓	
✓	✓	✓	✓	✓

→ This memory wasted  
so we go with jagged array

→ Super Matrix:

forward diagonal sum > backward  
diagonal sum

→ Super-Duper Matrix:

forward diagonal sum = backward diagonal sum

→ Duper Matrix

forward diagonal sum < backward diagonal sum

→ Code for above scenario:

```

→ Scanner sc = new Scanner(System.in);
int rows = sc.nextInt();
int cols = sc.nextInt();
int [][] arr = new int [rows][cols];
for (int r=0; r<rows; r++){
    for (int c=0; c<cols; c++){
        arr[r][c] = sc.nextInt();
    }
}
int fsum = 0; bsum = 0;
for (int r=0; r<rows; r++){
    for (int c=0; c<cols; c++){
        if (r==c){
            fsum += arr[r][c];
        }
    }
}
for (int r=0; r<rows; r++){
    for (int c=0; c<cols; c++){
        if (r+c==cols-1){
            bsum += arr[r][c];
        }
    }
}
System.out.println("Forward sum: " + fsum);
System.out.println("Backward sum: " + bsum);

```

if ( $r+c == \text{rows}-1$ ) {

$\text{bsum} += \text{arr}[r][c]$ ;

}

if ( $fsum == bsum$ ) {

    S.O.P ("superDuper");

}

else if ( $fsum > bsum$ ) {

    S.O.P ("Super");

}

else

    S.O.P ("Dupel");

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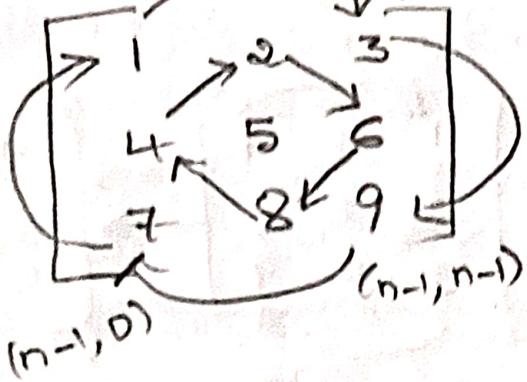
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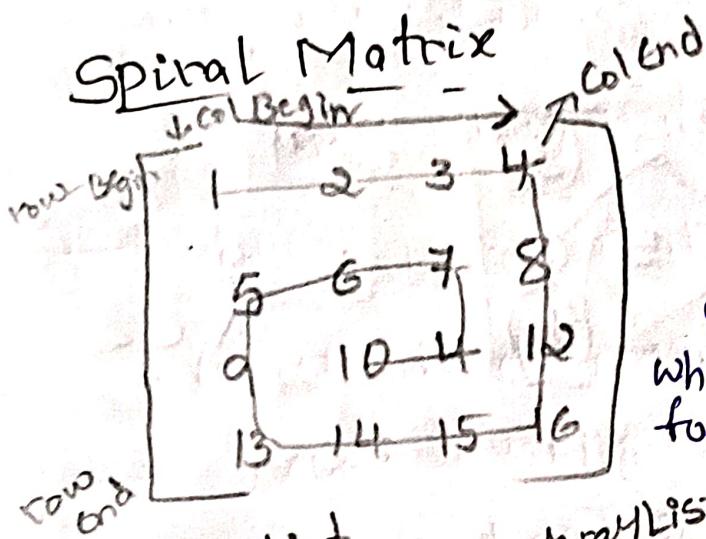
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48



rotate image



rowBegin = 0,

ColBegin = 0

RowEnd = Mat.length - 1

ColEnd = Mat[0].length - 1

while (rowBegin <= rowEnd && ColBegin <= ColEnd)

for (j = ColBegin; j <= ColEnd; j++)

{ ans.add(Mat[rowBegin][j]); }

rowBegin++; } →

for (i = rowBegin; i <= rowEnd; i++) {

mat[i][ColEnd]; } ↓

} ColEnd--;

} RowEnd--;

if (rowBegin <= rowEnd) {

for (j = ColEnd; j >= ColBegin; j--) {

mat[rowEnd][j]; } ←

rowEnd--;

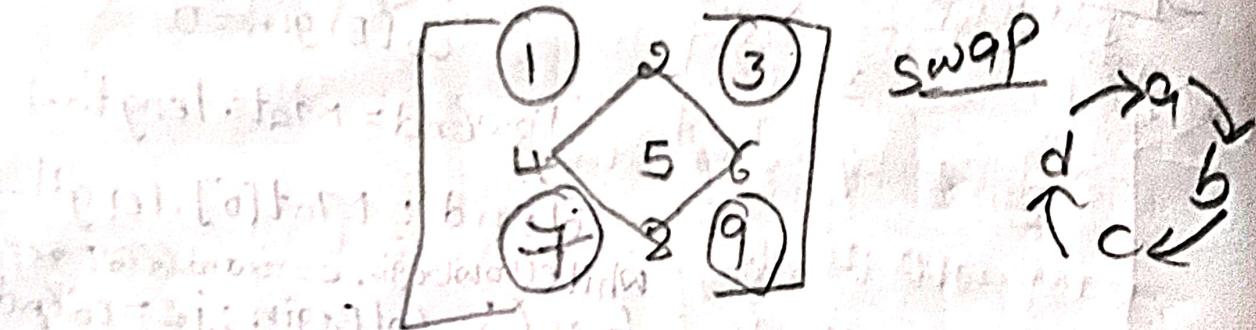
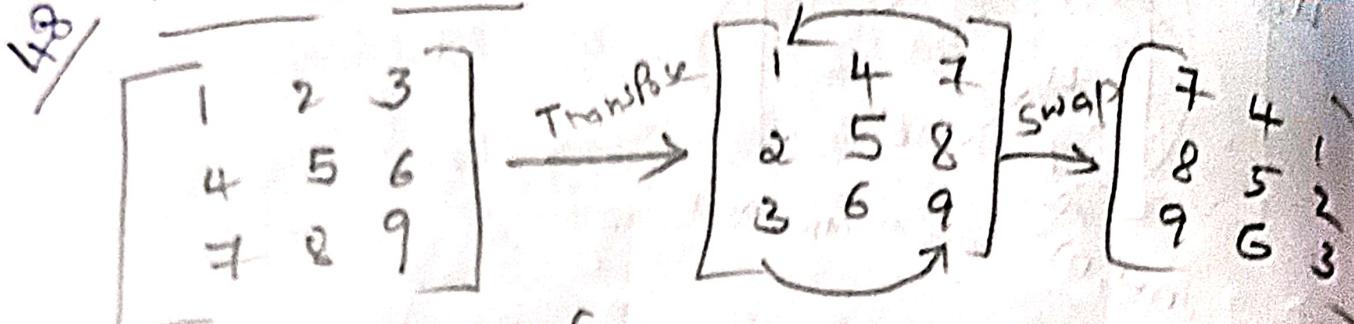
} if (ColBegin <= ColEnd) { } ←

for (i = RowEnd; i >= rowBegin; i--) { } ←

mat[i][ColBegin]; } ←

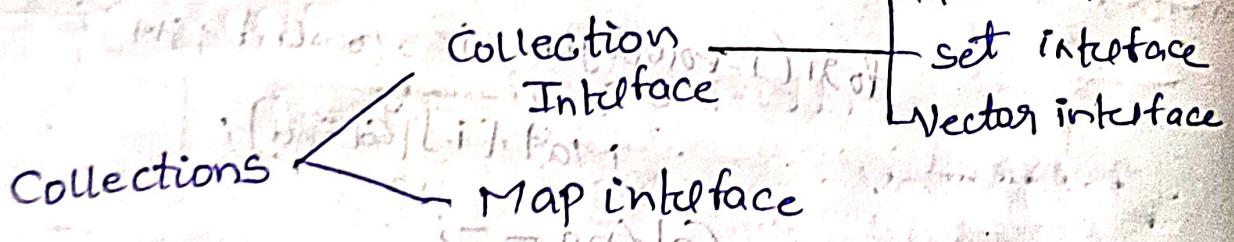
ColBegin++; } ←

rotate image :-



→ Collections :-

Interfaces Provided are



Classify all the collection based on implementation style

We have 4 styles

→ Array Based implementation

→ Node Based implementation

→ Tree Based implementation

→ Hash Based implementation

From 1.5 Version, we have collections

Java 5 introduced Collections API, which provides a unified interface for working with various collection types.

ArrayList

LinkedList

Vector

Stack

ArrayQueue

PriorityQueue

Treeset

HashSet

Collections

LinkedHashSet

HashTable

HashMap

TreeMap

LinkedHashMap

Java has initially Vector class.

Hierarchy of Collection Interface

Iterable  
<interface>

Collection  
<interface>

Queue  
<interface>

Deque  
<interface>

PriorityQueue  
<class>

ArrayList  
<class>

LinkedList  
<class>

Vector  
<class>

Stack  
<class>

ArrayQueue  
<class>

LinkedList  
<class>

HashMap  
<class>

LinkedHashMap  
<class>

HashSet  
<class>

TreeSet  
<class>

Set  
<interface>

SortedSet  
<interface>

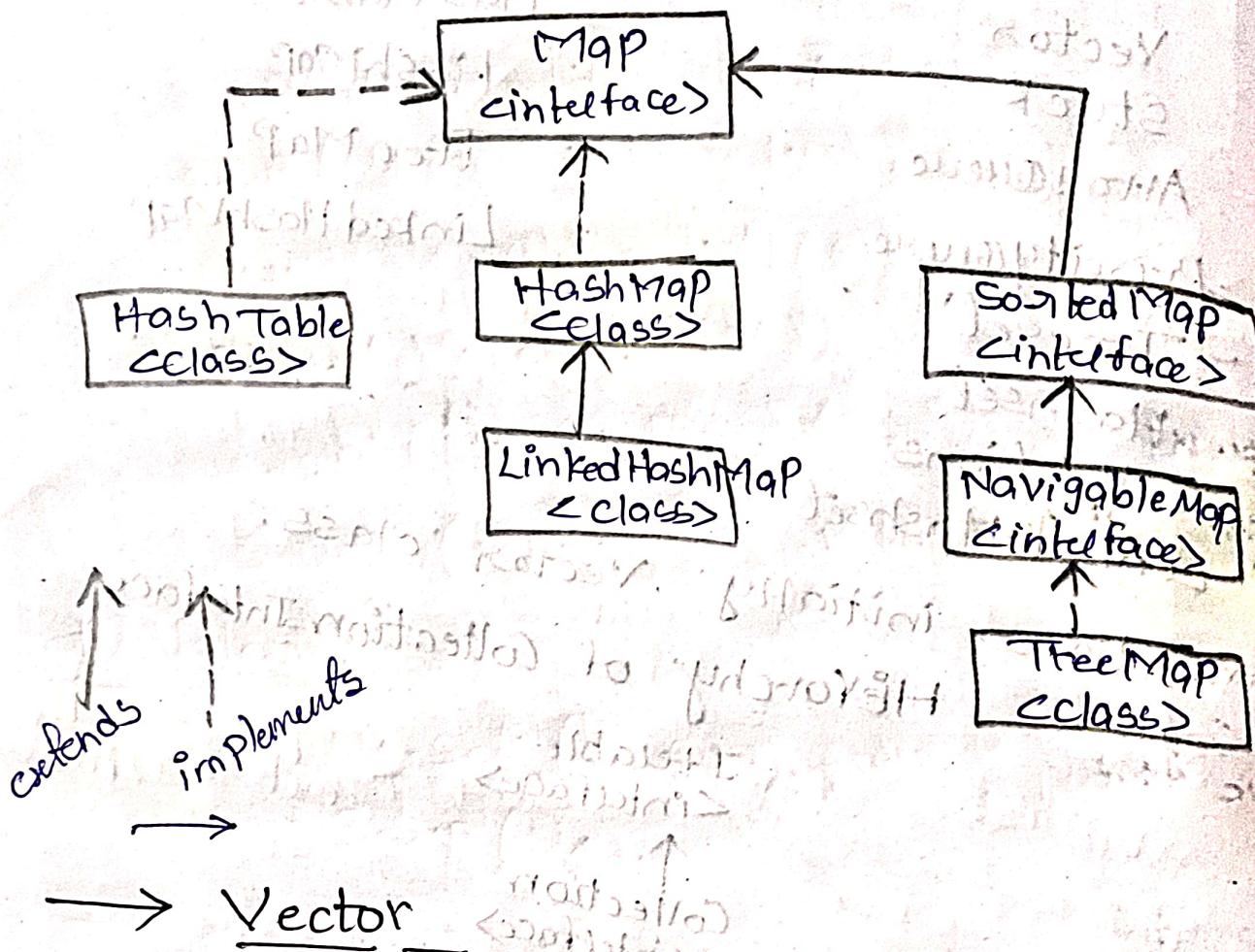
NavigableSet  
<interface>

Treeset  
<class>

Classify all the collections based on their implementation style

a) method name | example | significance

## Hierarchy of Map Interface



P.S. VM(string args[]){

only single element      `Vector v1 = new Vector();`

S.O.P(v1);

v1.add(10);

v1.add(20); index

v1.add(1, 50);

S.O.P.(v1);

10 50 20

O/P

To add more than 1 element

`v1.addAll()` method used

Collection  
Vector  
example

adding  $v_2$  to  $v_1$

$v_2 = \text{new Vector2}()$

$v_1.add(10)$

$v_1.add(20)$

$v_1.add(30)$

$s.o.p(v_1);$

Clone-Copy

Contains

ContainsAll

elementAt(int i)  $v_1.elementAt(i);$

equals

$s.o.p(v_1);$

added at last

get first occurrence OLP :- 10 50 20 100 200 300

index of OLP if  $v_1.addAll(3, v_2)$  then

get class

class name of collection

OLP 10 50 20 100 200 300

\* Retrieval of Values from Vector

→ LastIndexof()

throw error in not found element

splitIterator()

ListIterator()

SubList(int i, int i1)

→ index 1-3 means it gives elements upto them.

toString() → convert to string

given index, object.

add(4) →

clear()

add Element()

CopyInto()

for Each

copy (String) op word or str to hi

(e)  $v_1.add(4)$  and  $v_2.add(4)$

transferred bits of position in last value added

## Retrieval

$v_1.get(4)$

S.O.P (v<sub>1</sub>.firstElement());

S.O.P (v<sub>1</sub>.lastElement());

S.O.P (v<sub>1</sub>.elementAt(5));

S.O.P (v<sub>1</sub>.elements(1));

S.O.P (v<sub>1</sub>.contains(200));  $\rightarrow$  True

S.O.P (v<sub>1</sub>.containsAll(v<sub>2</sub>));  $\rightarrow$  True

## Update:

v<sub>1</sub>.set(0, 500); index 0 updated with 500

S.O.P (v<sub>1</sub>);

$\rightarrow$  S.O.P (v<sub>1</sub>.subList(1, 5)); b/w 1-5 it gives

$\rightarrow$  Deletion: throws error if not found

v<sub>1</sub>.remove(5);  $\rightarrow$  throws error if not found

v<sub>1</sub>.removeElementAt(2);

S.O.P (v<sub>1</sub>);

$\$ v_1.removeAll(v_2)$  removes elements from v<sub>1</sub>

v<sub>1</sub>.clear(); All elements removed

default capacity is 10.

If want to change capacity then

Vector v<sub>1</sub> = new Vector(5);

10	20	30	40	50
----	----	----	----	----

 If trying to add 6<sup>th</sup> element

Then the capacity update by double to Present Capacity  
 $\frac{10}{10} \times 2 = 20$

# Imp Points to remember

## For Vector

- 1) What is the default capacity? — 10  
(Capacity when elements are not added)
- 2) What is the initial capacity? — 10
- 3) Does it allow duplicate elements? — Yes
- 4) Does it allow Null values? Yes
- 5) Does it maintain the insertion order? Yes
- 6) Does it maintain the sorted order? No  
Before adding only it finds position to add
- 7) Does it offer the random access of elements? Yes
- 8) Is it synchronised? Yes
- 9) What is it good at? memory dynamically increase

→ the memory doubled when we adding for 1 element remaining wasted so, we introduced ArrayList to overcome remaining all same (vector & array list) except memory.

Memory is efficiently used ArrayList

void add(int index, Object obj)

controlled addition (insertion)

## ArrayList:

```

ArrayList marks = new ArrayList();
No Generics marks.add(97);
marks.add(86);
marks.add("Vikky");
    }
}
    }]
```

↓

In place of Marks they enter name; when we try to add, it not possible.

So, Generics ↓

restrict the use of other type

### \* With Generics:

\* ArrayList<Integer> marks1 = new ArrayList<Integer>();  
 O/P: [ ]  
 marks1.add(1)      waste of time  
 [97, 86] if we want to remove at right side  
 we can

ArrayList<Integer> marks1 = new ArrayList<Integer>();  
 Now if we try to add string  
 then we can't give giving error like incompatible type

## Dimensional Collection:

Collection with in Collection

`ArrayList < ArrayList < Integer >> scores = new  
ArrayList < ArrayList < Integer >>();`

`scores.add(marks);` → before or  
`scores.add(marks1);` → before or  
`s.O.P(scores);`

O/P `[ [ 97, 86, 98 ] ] [ 1, 2 ]`

This is the drawback.

→ Total Program:

```
ArrayList < Integer > marks = new ArrayList < >();
marks.add(89);
marks.add(90);
marks.add(99);
ArrayList < Integer > ids = new ArrayList < >();
ids.add(189);
ids.add(176);
ids.add(193);
ArrayList < ArrayList < Integer >> s = new
ArrayList < ArrayList < Integer >>();
s.add(marks);
s.add(ids);
s.O.P(s);
```

# Customized Genetics - Creating our own Genetics

## class Student {

String name;

int id;

char grade;

Student (String name, int id, char grade) {

this.name = name;

this.id = id;

this.grade = grade;

} } class Practise { }

P.S.V.m (String args[]) { }

ArrayList <student> students = new ArrayList();

student s1 = new student ("alpha", 10, 'A');

student s2 = new student ("Beta", 20, 'B');

students.add (s1);

students.add (s2);

for (int i=0; i<2; i++) {

s.o.p (students.get(i).name);

ArrayList <ArrayList <string>> names = new  
ArrayList ();

(EPT 13550) ArrayList <string> v1;

ArrayList <vector <string>> namesS = new  
ArrayList ();

namesS.add (v1);

namesS.add (v3);

## Collection interface:-

The Collection interface is the interface which is implemented by all classes in the collection framework. It declares the methods that every collection will have.

### List interface:

List interface is the child interface of Collection interface. It inherits a list data structure in which we can store the ordered collections of objects. It has duplicate values.

- List interface is implemented by the classes ArrayList, LinkedList, Vector & Stack.

```
ArrayList list1 = new ArrayList();
```

```
list<data-type> list2 = new LinkedList();
```

```
list<data-type> list1 = new Vector();
```

```
list<data-type> list3 = new Stack();
```

```
list<data-type> list4 = new Stack();
```

- There are various methods in list interface that can be used to insert, & delete, access the elements from the list.

### Queue interface:

- \* Queue interface maintains the first-in-first-out order. It can be defined as an ordered list that is used to hold the elements which are about to be processed. These are various classes like Priority Queue, & ArrayDeque which implements the queue interface.

Queue<string> q<sub>1</sub> = new PriorityQueue(),  
Queue<string> q<sub>2</sub> = new ArrayDeque(),  
Set Interface

Set Interface in Java is present in java.util package. It extends the Collection interface. It represents the unordered set of elements which doesn't allow us to store the duplicate items.  
Set is implemented by HashSet, LinkedHashSet & TreeSet.

Set<datatype> s<sub>1</sub> = new HashSet<datatype>;  
Set<datatype> s<sub>2</sub> = new LinkedHashSet<datatype>();  
Set<datatype> s<sub>3</sub> = new TreeSet<datatype>();

Map Interface: Map interface in Java is a part of Java Collections Framework. It represents a mapping b/w a set of keys & their corresponding values. No duplicate keys, each key can map to at most to at most one value.

Map<T, T> hm = new HashMap<T, T>();

Map<T, T> tm = new TreeMap<T, T>();

Method name	Example	Significance
add (E e)	List.add ("Apple")	Adds an element to a Collection (List, Set, Queue)
remove (obj o)	List.remove("Apple")	Remove the 1st occurrence of Specified element
contains(obj)	Set.contains("Apple")	Checks if the collection contains the specified element
size()	List.size(), queue.isEmpty()	Returns the no.of elements
isEmpty()	list.clear()	Checks if the collection is empty
clear()	list.clear()	Removes all elements from the collection
get (int index)	List.get(0)	Retrieves the element at the specified index in a list
set(int index, E e)	List.set (0, "Apple")	Replaces the element at specified index in list
indexof (obj o)	List.indexOf("Apple")	Returns index of 1st occurrence
toArray()	obj [] arr = List.toArray()	Converts the collection into an array
push (E e)	stack.push("Apple")	Adds an element to the top of a Stack
POP()	Stack.pop()	removes the top element.

```
→ class Practise {
    P.S.V.m( String args[] ) {
        ArrayList<Session> s = new ArrayList<>();
        Session h1 = new Session(1, "DAA", "A");
        Session h2 = new Session(2, "CC", "M");
        Session h3 = new Session(3, "TOC", "B");
        s.add(h1);
        s.add(h2);
        s.add(h3);
        for (int i=0; i<3; i++) {
            System.out.println(s.get(i).subName + " → " + s.get(i).facName);
        }
    }
}
```

```
Class Session {
    int hour;
    String subName;
    String facName;
}

Session( int hour, String subName,
         String facName )
```

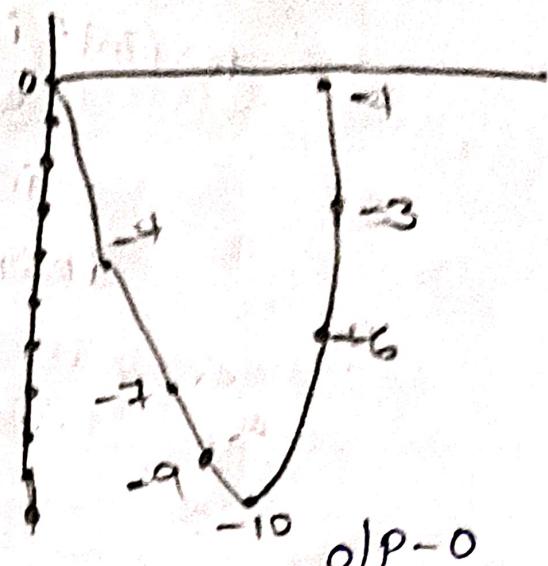
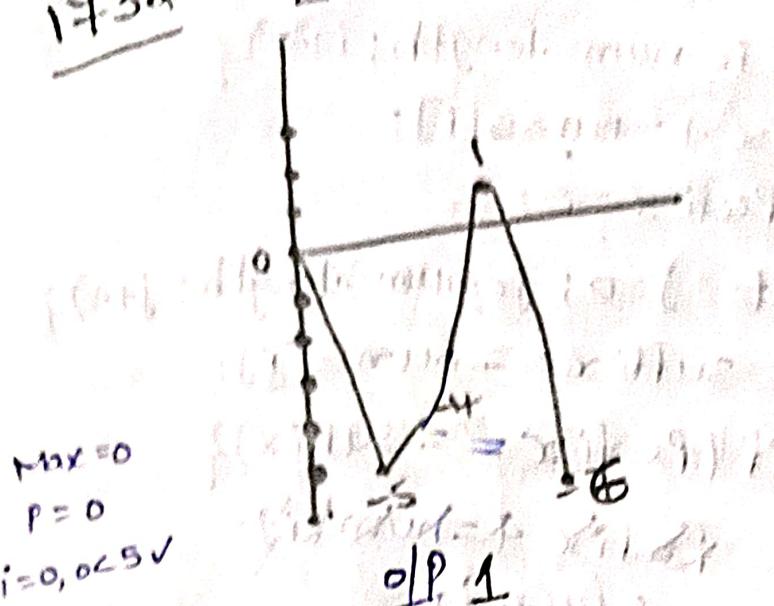
DAA → A  
CC → M

```
this.hour = hour;
this.subName = subName;
this.facName = facName;
```

17.32

$$[-3, 1, 5, 0, -1]$$

$$[-4, -3, -2, -1, 4, 3, 2]$$



$$\text{MaxAlt} = 0$$

$$\text{Prefixsum} = 0$$

```
for (i=0 ; i < gain.length ; i++) {
```

$$\text{Prefixsum} += \text{gain}[i]$$

```
if (Prefixsum > maxAlt) maxAlt = Prefixsum
```

$$\text{MaxAlt} = \text{Prefixsum}$$

Math.max(-, -)

between MaxAlt;

8 : 1+1 = 9, Pivot

$$[1, 4, 3, 6, 5, 6]$$

$$\text{Total sum} = 28$$

$$[4, 7, 3, 6, 5, 6]$$

$$28 - 1 = 27 \Rightarrow 1 \neq 27$$

$$27 - 7 = 20 \rightarrow 7 \neq 20$$

$$\text{Suffix} = 28 - 1 = 27$$

$$20 - 3 = 17 \rightarrow \\ 17 - 6 = 11$$

$$\text{Suffix} = 27 - 7 = 20$$

$$20 - 3 = 17$$

$$\text{Prefix} = 8 + 3 = 11$$

$$\text{Suffix} = 17 - 6 = 11$$

```

int suffix = 0
for (int i=0; i<nums.length; i++) {
    suffix += nums[i];
}

int prefix = 0;
for (int j=0; j<nums.length; j++) {
    prefix += nums[j];
}

if (prefix == suffix) {
    Prefix + = num[i];
    return i;
}

```

### Tracing

$[1, 7, 3, 6, 5, 6]$        $P_{prefix} = 1$

$$S = 0, \quad i = 0, \quad 0 < 6 \checkmark$$

$$S += 1 + 0 \Rightarrow 1$$

$$i = 1, \quad 1 < 6 \checkmark$$

$$S = 1 + 7 = 8$$

$$\sum \text{all } \text{nums} = 28$$

$$P = 0$$

$$i = 0, \quad i < 6 \checkmark$$

$$S = 28 - 1 \Rightarrow 27$$

$$27 == 0 \times$$

$$i = 1, \quad 1 < 6 \checkmark$$

$$S = 27 - 7 = 20$$

$$20 == 1$$

$$P = 1 + 7 = 8$$

$$i = 2, \quad 2 < 6 \checkmark$$

$$S = 20 - 3$$

$$17 == 17$$

$$17 == 8 \times$$

$$P = 8 + 3 = 11$$

$$i = 3, \quad 3 < 6 \checkmark$$

$$S = 17 - 6$$

$$11 == 11 \checkmark$$

$$11 == 11 \checkmark$$

$\rightarrow$  Sum of array except Self.

```

S = 0
for (int i=0; i<num.length; i++) {

```

```

    S += nums[i];

```

```

for (int i=0; i<num.length; i++) {
    num[i] = S - nums[i];
}

```

Product of array except itself

Q38: Product of array except itself  
class Solution {  
 public int[] product(int[] nums) {  
 int n = nums.length;  
 int[] result = new int[n];  
 result[0] = 1;  
 for (int i=1; i<n; i++) {  
 result[i] = result[i-1] \* nums[i-1];  
 }  
 int suffix = 1;  
 for (int i=n-1; i>=0; i--) {  
 result[i] = result[i] \* suffix;  
 suffix \*= nums[i];  
 }  
 return result;  
 }  
}

(continues)  
int[] prefix = new int[n];  
int[] suffix = new int[n];  
prefix[0] = 1;  
for (int i=1; i<n; i++) {  
 prefix[i] = prefix[i-1] \* nums[i-1];  
}  
suffix[n-1] = 1;  
for (int i=n-2; i>=0; i--) {  
 suffix[i] = suffix[i+1] \* nums[i+1];  
}  
for (int i=0; i<n; i++) {  
 nums[i] = suffix[i] \* prefix[i];  
}  
return nums;  
}

## → Strings :-

String Pool

{ immutable }  
heap memory

String literal

String s1 = "Vignan";

String s2 = "Vignan";

S.O.P (s1)

Here content same for s1 & s2 and then it doesn't allocate different memory. It allocate same memory for both.

→ Check  $s1 == s2$  equal o/p: True  
checks address location equal or not  
if change one variable means it effect other so strings are immutable

→ Using string class

String s3 = new String ("Guntur");

String s4 = new String ("Guntur");

These 2. Contents stored in different byt new means new memory allocated  
S.O.P (s3 == s4) o/p false.

## Methods of string

Check	Position	Manipulate	char
✓ Contains()	✓ length();	trim()	charAt() ✓
✓ equals()	✓ indexof()	toUpperCase()	
equalsIgnoreCase()	lastIndexOf()	toLowerCase()	
startsWith() ✓	CompareTo()	Concat() ✓	
endsWith() ✓	CompareToIgnoreCase()	replace() ✓	
		substring() ✓	

P.S.V.m(String args[]){

String s = new String ("Vignan University");

S.O.P (s.contains("vignan")); O/P True

S.O.P (s.contains("V")); O/P True

S.O.P (s.contains("Ganvi")); O/P false

String s2 = new String ("Vignan");

String s3 = new String ("Vignan");

S.O.P (s2.equals(s3)); O/P - True

S1 = "Vignan"  
S2 = "vignan" S1.O.P (s1.equalsIgnoreCase(s2)) True

S2 = "vignan" (ignore caps) equal (ignore caps) True  
S.O.P (s2.startsWith("Vi")); True

Java 1.3 version S.O.P (s2.startsWith("Gnan")); False

S.O.P (s2.startsWith("gnan")); True

S.O.P (s2.endsWith("gnan")); False

S.O.P (s2.endsWith("vignan"));

String s4 = new String ("vignan");

S.O.P (s1.length()); → 3 (first occurrence)

S.O.P (s1.indexOf('n')) → 3 (last occurrence)

S.O.P (s1.lastIndexOf('h'));

S.O.P (s2.compareTo(s3)); → 0 (equal s2 & s3)

S.O.P (s2.compareTo(s4)); → -3 & ASCII value

S.O.P (s2.compareToIgnoreCase(s4))

S.O.P (s2.compareToIgnoreCase(s4)); → 0 V-V ignore

if a & b are same then (a) < (b) & vice versa

$s_2 = \text{Vignan}$

String s<sub>4</sub> = new String("Hyd");

S.O.P(s<sub>4</sub>.trim()); O/P = Hyd (without spaces)

S.O.P(s<sub>4</sub>.toUpperCase()); HYD

S.O.P(s<sub>4</sub>.toLowerCase()); hyd

S.O.P(s<sub>2</sub>.concat(s<sub>4</sub>)); Vignan hyd

S.O.P(s<sub>2</sub>.replace('n', 'm')); Vignam

S.O.P(s<sub>2</sub>.substring(2)); gnan (from 2)

S.O.P(s<sub>2</sub>.substring(2, 5)); gna (2-5)

S.O.P(s<sub>2</sub>.charAt(5)); n

### Useful Method

ValueOf()

isEmpty()

isBlank() "Space" gives True or False

isBlank(" ") gives True

isBlank(" ") gives False

toCharArray()

isEmpty("no space")

isBlank means ("Space") gives True or False

S = "Vignan University guntur";

s.split(" ") → splits where Space is there

O/P ["Vignan", "University", "guntur"]

if (s == "vignan") → converted to char

ch [] = {'v', 'i', 'g', 'n', 'a', 'n'};

→

char [] chars = s1.toCharArray();

for (char c : chars)

s.out(c); O/P v i g n a r

→

String s5 = new String("Vignan University  
Guntur");

String [] words = s5.split(" ");

for (String word : words) {

s.out(word);

(Mutable)  
if we change  
it remains  
same

## String Buffer & String Builder

append()

deleteCharAt()

insert()

getChars()

setCharAt()

replace()

delete()

reverse()

StringBuffer sb1 = new StringBuffer("vignan");

sb1.append("University"); O/P  
vignan University

sb1.append("Guntur", 0, 3); Vignan gun  
only gun append at last

sb1.insert(6, "Hyderabad");

S.O.P(sb1);

O/P vigan Hyderabad University  
gun

→ sb1.insert(6, "Hyderabad", 0, 6);

S.O.P(sb1); Vigan Hyderabad University  
gun

sb1.setCharAt(3, 'm');

S.O.P(sb1)

O/P vigan Hyderabad University  
gun

sb1.delete(0, 10);

→ O-Q (not print)

O/P er University gun

→ String Buffer & String builder difference

synchronous

Asynchronous

Faster

## String Programs

Read char by char

Print

ASCII

uppercase

lowercase

Digit

Digit

Remove spaces

Count

uppercase

lowercase

Digit

Vowels

Any char

New String

Reverse

Palindrome

only Digits

only chars

Reverse case

Encoding

Read word by word

Print

Each word

Starting

with specific

char

Word length

find word

longest

Count

count words

Count Specific

words

words length

starting with

specific char

New String

Capital

swap

word

Delete

word

Edit word

→ class Main {  
 public static void main(String args[]) {  
 Scanner sc = new Scanner(System.in);  
 String s = sc.next();  
 char c = sc.next().charAt(0);  
 System.out.println(s.startsWith(Character.toString(c)));

O/P hello  
 h  
 true

→ String str = sc.nextLine();  
 char[] chars = str.toCharArray();  
 l = 0;  
 r = str.length() - 1; → converting string to char array  
 while (l < r) {

y t i s r e v i n u | char temp = char[l];  
 Driven by p i t y | char [l + 1] = char[r]; } swapping  
 ↑ ↑ ↑ ↑ ↑ ↑ where overlap stop. char[r - 1] = temp;  
 if & no swap char[r - 1] = temp;

Madam pointing so point Arrays. toString(chars));  
 to same position = O(n) time  
 subsequence (part 2) part 2

→ Palindrome

str = "civic"  
 i i v i c ↑ ↑

l = 0  
 r = str.length() - 1;  
 while (l < r) {

if (str.charAt(l) != str.charAt(r)) {

    return false;

    l++;

    r--;

} else {

    return true;

}

→ A - Z      65 - 90

a - z      97 - 122

0 - 9      48 - 57

'\n'      0

→ Count specific words

class Main {

    public static void main (String [] args) {

        Scanner sc = new Scanner (System.in);

        String s = sc.nextLine();

        String c = sc.nextLine();

        Count = 0;

        String [] w = s.split ("\\s+");

        for (String word : w) {

            if (word.equalsIgnoreCase (c)) {

                Count ++;

}

    }

}

Q1P  
hello vignon hello  
hello.

2

Checking by  
using 2 pointers  
approach  
until middle if  
the chars same  
then Palindrome

H.W

Input, a: d# a @ m  
Palindrome?

Encoding a string - changing the string

```

public class Stringproto {
    static String encode(String str, int k) {
        String encodedString = "";
        for (char c : str.toCharArray()) {
            encodedString += (char)(c + k);
        }
        return encodedString;
    }

    public static void main(String[] args) {
        System.out.println(encode("ABC", 2));
    }
}

```

O/P  
EIJ

→ Valid Palindrome (Q5)

```

int l=0, r=str.length()-1;
while(l < r) {
    while(!Character.isLetterOrDigit(str.charAt(l)))
        l++;
    while(!Character.isLetterOrDigit(str.charAt(r)))
        r--;
    if(Character.toLowerCase(str.charAt(l)) !=
       Character.toLowerCase(str.charAt(r)))
        return false;
    l++;
    r--;
}
return true;
}

```

387: First unique character in a string

```

→ int n = s.length();
    for (int i=0; i<n; i++) {
        int freq = 0;
        for (int j=0; j<n; j++) {
            if (s.charAt(i) == s.charAt(j))
                freq++;
        }
        if (freq == 1)
            return i;
    }
    return -1;
}

```

But Time Complexity  $O(n^2)$

Time limit exceeded

Reduce Time:

$a-z \rightarrow 26$  letters, so size 26 constant

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25
	b	c	D	E	f	g	h	i	j	K	L	M	n	O	P	Q	R	S	T	U	V	W	X	Y	Z

ex: "loveleetcode"

Take another array & take the frequency of every character in the array

for 'a' position ' $a-a=0$ '

b index  $\rightarrow b-a=1 \leftarrow (\text{index})$

Corresponding letter - 'a'  $\rightarrow$  we get index of Corresponding letter

we have to check first occurrence of letter having freq 1.

```
int a[] = new int[26];
for (char ch : s.toCharArray()) {
    a[ch - 'a']++;
}
for (int i = 0; i < s.length(); i++) {
    if (a[s.charAt(i) - 'a'] == 1) {
        return i;
    }
}
```

Monday  
→

```
Package memory;
Public class Student {
    int orgID = 1234;
    String orgName = "Vignan Universe";
    int noOfDepts = 4;
    double netWorth = 500.00;
    static String chairman = "Dr. Lara";
    Public static void main(String[] args) {
        int SID = 420;
        String sName = "chitti";
        String sDept = "CSE";
        Student s1 = new Student();
        S. O. P (s1.getNetWorth ());
        s1.getOrgName ();
        Student s2 = new Student();
        s2.getDetails (SID);
    }
    Public double getNetWorth () {
        return netWorth;
    }
    Public String getOrgName () {
        return orgName;
    }
    Public static void getDetails (int SID)
    {
    }
}
```

ROM

168M13

1MB

PAM

## Heap Area

Objects

String literals

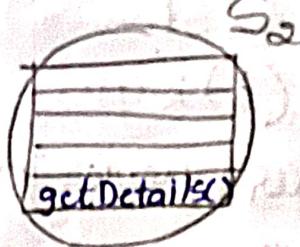
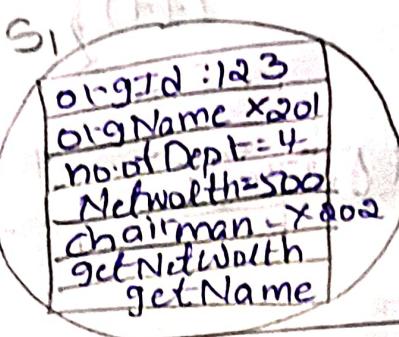
arrays

Object = Instance Variables + Methods

String Pool

String literals

x201	Vignan University
x202	Dr. Lavel
x203	Chitti
x204	CSE



## Local Variables

## Reference Variables

### Stack Frames(TL)

getOrgName()

getNetWorth()

SID	4-00
BName	Chitti
SDept	CSE

### PermGen/MetaSpace

#### Class structure

#### Static Variables

#### Static Methods

#### Static blocks

### Method Area

chairman  
getDetails()

Package memory;

Public class MemoryManagement {  
    Void run(int i) {  
        System.out.println(i);  
        i++;  
        run(i);  
    }  
    Public static void main(String[] args),  
        up to hell gear  
        // new MemoryManagement().run();  
    int size=100;  
    for(int i=0; i < Integer.MAX\_VALUE;  
        i++) {  
        S.O.P(i);  
        int[] arr=new int[size];  
        size \*= 2;  
    }  
}

Tuesday

class Student {

String name;

int age;

int id;

Public Student (String name, int age,  
                  int id) {

this.name = name;

this.age = age;

this.id = id;

}

```
public String toString() {
    return "Student {" + "name = " + name + '\'' +
           "age = " + age + ", id = " + id +
           '}';
}

public class main {
    public static void main(String[] args) {
        Student student = new Student("Alice",
                                        20, 123);
        String info = student.info();
        System.out.println(info);
    }
}
```

• Works fine, seems to download to cache  
• Priority download to local storage  
 { download = 2015-01-11

updation:

Package recursion;

Public class function {

Static Student updateInfo(Student s)

s.cgpa = 9.9f;

s.address = "Bihar, India";

return;

Public static void main (String [] args){

Student s1 = new Student();

S.O.P ("Original Information");

S.O.P (s1.SID);

S.O.P (s1.SName);

S.O.P (s1.cgpa);

S.O.P (s1.address);

updateInfo(s1);

S.O.P ("Updated information");

S.O.P (s1.SID);

S.O.P (s1.SName);

S.O.P (s1.cgpa);

S.O.P (s1.address);

Just add all &  
Just subtract  
that num from  
Total Sum

\* Sum of elements of array except itself.

Just update import java.util.ArrayList;

Public class Function {

Static ArrayList<Integer> updateArray(ArrayList<Integer> arr) {

```

int sum=0
for (int i=0; i<arr.size(); i++) {
    sum += arr.get(i);
}
for (int i=0; i<arr.size(); i++) {
    arr.set(i, sum-all.get(i));
}
return all;
}

```

↓  
subtract  
summing right side

P.S. \1 (string args[]) {

```

ArrayList <Integer> nums = new ArrayList();

```

```

    nums.add(1);

```

```

    nums.add(2);

```

```

    nums.add(4);

```

```

    nums.add(3);

```

```

    nums.add(5);

```

```

    S.O.P (nums);

```

```

    S.O.P (updateArray(nums));
}

```

Complex task → divided into simple task →  
 all simpler task having same work then use  
 recursion

1) Base Condition → (finite (where to stop))

2) Recursive Call

Recursive (or) Recurive

Calling same function itself

Package Recursion

Public class RecursionExample {

    Static Void PrintNum1() {

        S.O.P(1);

    Static Void PrintNum2() {

        S.O.P(2);

    Static Void PrintNum3() {

        S.O.P(3);

P.S. V.m. { }

PrintNum1();

PrintNum2();

PrintNum3();

} calling functions

(More) So, if i call first function, the first will call second, second - third ---

then

Public class RecursionExample {

    Static Void PrintNum1() {

        S.O.P(1);

    PrintNum2();

    Static Void PrintNum2() {

        S.O.P(2);

    PrintNum3();

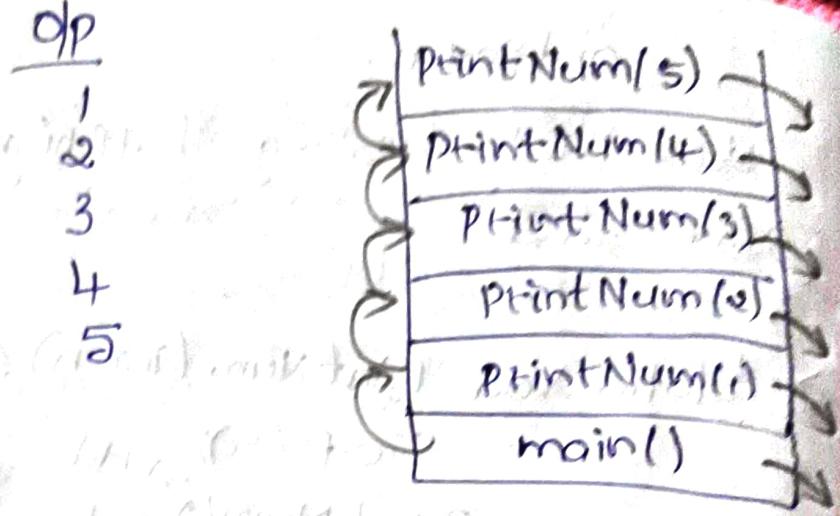
and so on ...

Here print & calling happening. all are returning  
(Same task) [pythontutorial.com](http://pythontutorial.com)

→ static void PrintNum(int n){  
    S.O.P(n);  
    PrintNum(n+1); ↴ here it should  
    . . .  
    static void PrintNum5(){ ← so, do increment  
        S.O.P(5); ← so just  
    } ← put n+1  
    P.S.V.m(stl arg){  
        PrintNum(1);  
    }  
}

→ Give base Condition to stop infinite loop

Public Class RecursionExample {  
    Static void PrintNum(int n){  
        if (n==5){ } ← Base Condition  
        { S.O.P(n); }  
        return; }  
    S.O.P(n);  
    PrintNum(n+1);  
}  
Static void PrintNum5(){  
    S.O.P(5); ← Recursive Call  
    P.S.V.m(stl arg){  
        PrintNum(1);  
    }  
}



→ Fibonacci

$$0, 1, 1, 2, 3, 5, 8, \dots$$

I need  $n^{\text{th}}$  Fibonacci

$$\text{fib}(N) = \text{fib}(N-1) + \text{fib}(N-2)$$

recurrence relation

$$\text{fib}(3) = \text{fib}(2) + \text{fib}(1)$$

$$\text{fib}(2) = \text{fib}(1) + \text{fib}(0)$$

$$\rightarrow \text{fib}(1) = \text{fib}(0) + \text{fib}(-1)$$

we have no  $-1$  so this is  
the base condition, we stop here

$$\text{fib}(0) = \text{fib}(-1) + \text{fib}(-2) \times$$

→

```

int fib(int n) {
    if (n <= 0) {
        return n;
    }
    return fib(n-1) + fib(n-2);
}

```

$\rightarrow \text{fib}(A)$   $\rightarrow \text{call}$

$\text{fib}(4) \checkmark$

go to function

$4 < 2 \times$

$\text{fib}(4)$

$\text{fib}(3)$

$\text{fib}(2)$

$3 < 2 \times$

$\text{fib}(2)$

$2 < 2 \times$

$\text{fib}(1)$   $\text{fib}(0)$

$1 < 2$

(1)

1 is final

$1 < 2$

(1)

$\text{fib}(1) + \text{fib}(0)$

(1)

(0)

First Complete the  
Left Part -

after right  
Part]

blue - 1  
black - 2

$\rightarrow \text{fib}(5)$

$\text{fib}(5)$

$\text{fib}(4)$

$\text{fib}(3)$

$\text{fib}(3)$

$\text{fib}(2)$

$\text{fib}(1)$

$\text{fib}(2)$

$\text{fib}(1)$

(1)

$\text{fib}(1)$

$\text{fib}(0)$

(1)

$\text{fib}(1)$

$\text{fib}(0)$

(1)

$\text{fib}(1)$

$\text{fib}(0)$

(0)

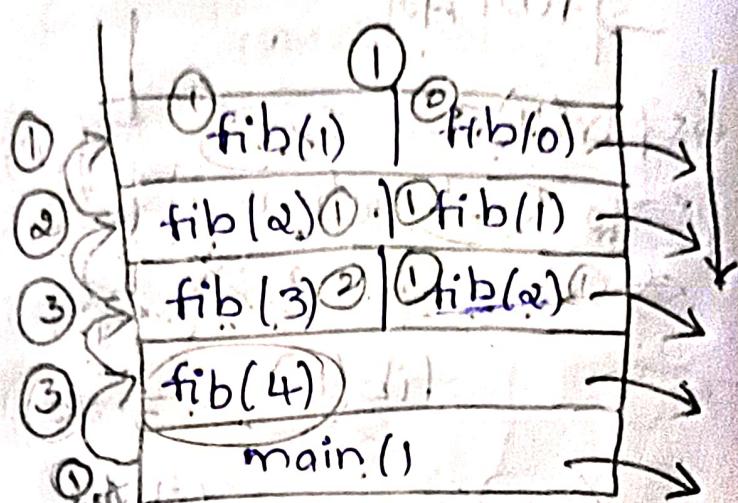
$\text{fib}(0)$

$\text{fib}(-1) \times$

## Stack

first it will assign memory  
after assigning it will  
execute from top of  
stack  $\rightarrow \text{fib}(1) + \text{fib}(0) \Rightarrow 1$

here  $\text{fib}(2)$  value 1,  
 $\text{fib}(1) + 0$  completed means  
 $\text{fib}(2)$  also completed then  
go to  $\text{fib}(1) \rightarrow$  value is 1  
(add)  $1+1 \Rightarrow 2$ ,  $\text{fib}(3)$  value is 2 ---



$\rightarrow$  void PrintNum(int n) {

if ( $n == 3$  ||  $n == 0$ ) {

SOP(n);

return;

} PrintNum(n+1);

SOP(n);

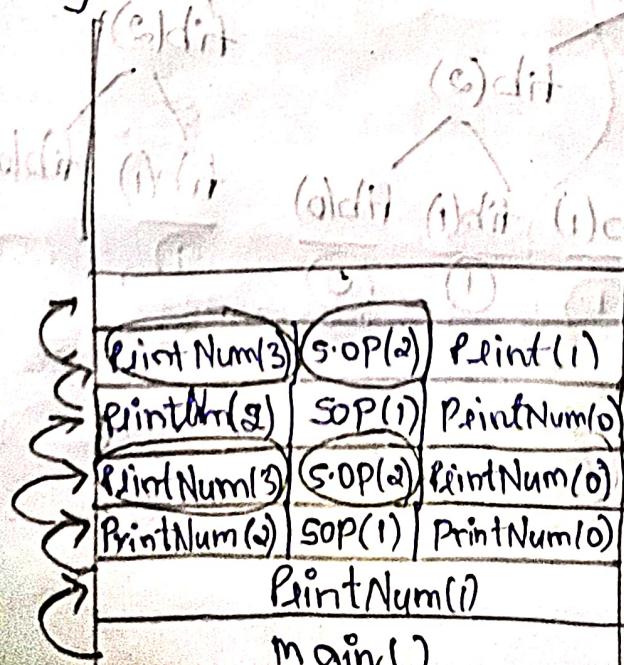
PrintNum(n-1);

main() {

PrintNum(1);

Stack:

3  
2  
3  
2



3 statement  
2 second step  
call to

(c) dit

(d) dit

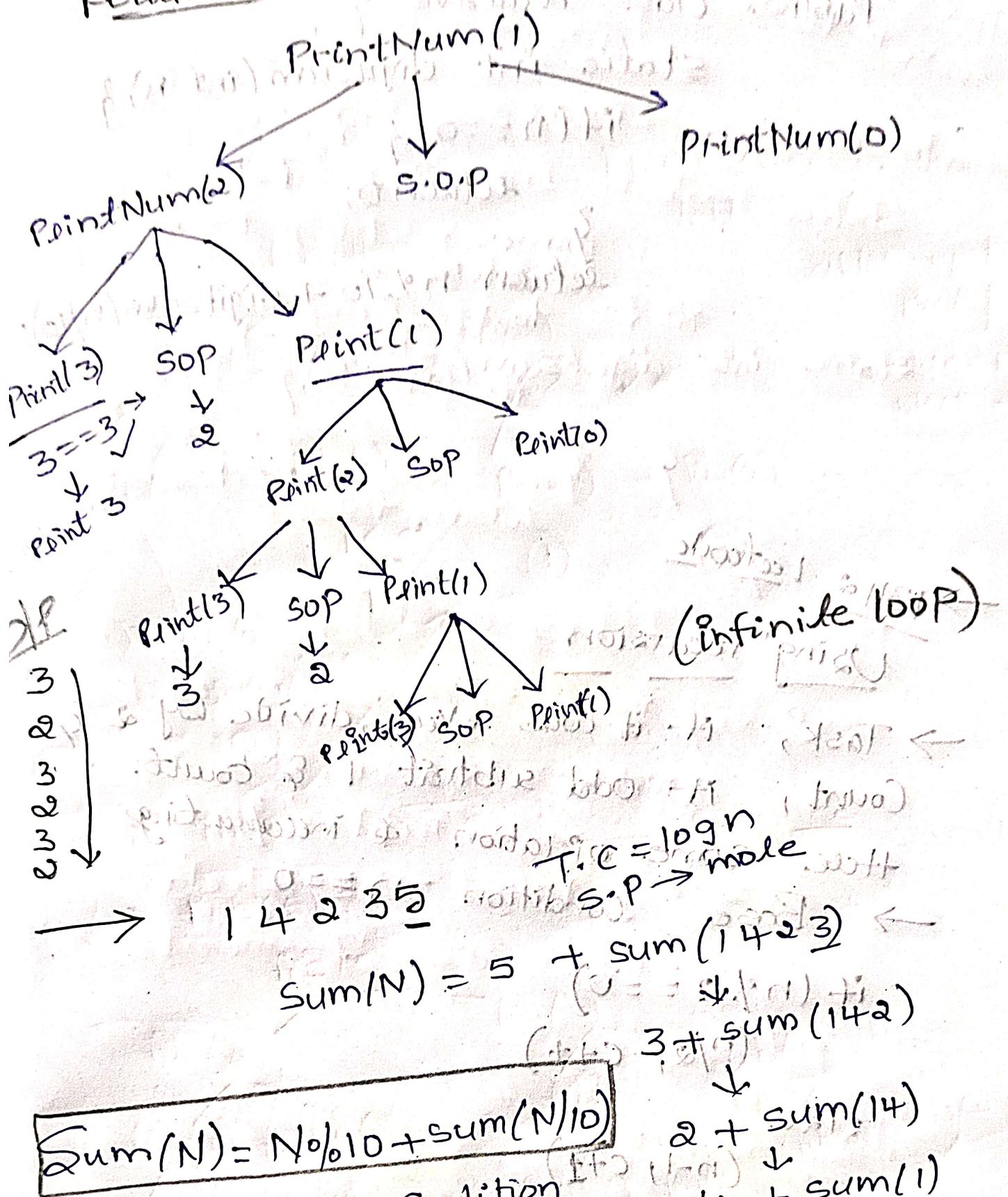
(e) dit

(f) dit

(g) dit

(h) dit

1



Here, the base condition  
checks it

Here the base is  
ex, if we reach '0' it  
had added all.

→ Recursive relation :  $\{ (f, p), (f, q) \}$  is said

```
Public class Recursive {  
    static int digitsum(int n) {
```

```
        if (n == 0) {
```

```
            return 0;
```

```
}
```

```
        return n % 10 + digitsum(n / 10);
```

```
    static int digitsum(int n) {
```

```
}
```

→ 1342 Leetcode

Using recursion

→ Task, if it was even, divide by 2 &  
Count, if odd subtract 1 & count.

Here some operation & incrementing  
Base Condition  $n = 0$

→ Base Condition

if ( $n \% 2 == 0$ )

( $n / 2$ , cnt++)

else

( $n - 1$ , cnt++)

CountSteps(n) {

helper(n, 0);

}

helper(n, cnt) {

if ( $n == 0$ )

return cnt;

if ( $n \% 2 == 0$ )

return helper( $n/2$ , cnt + 1);

return helper( $n - 1$ , cnt + 1);

}

{ (method: int) } (cont.)

static boolean isPowerof(int n) {

if ( $n == 0$ )

return false;

else if ( $n == 1$ )

return true;

else if ( $n \% 2 != 0$ )

return false;

return isPowerof( $n/2$ );

}

double

Static x. isPower (double x, int n) {

int k = n > 0 ? n : -1 \* n;

double res = 0;

for (int i = 1; i <= len; i++) {

res \*= x;

return res;

}

g.s. v.m. { }

S.O. P. Power(3, 2)

if (3, 2)

271

326

342

→ 1823 LectCode  
Convert to recursion  
Linear Approach :-

## Linear Approach :-

→ Public class Linear search {

```
public class Solution {
    static boolean linearSearch(String[] names, String target) {
        int steps = 0;
        for (String name : names) {
            steps++;
            if (name.equals(target)) {
                return true;
            }
        }
        return false;
    }
}
```

```

for (String name : names) {
    steps += 1;
    if (name == target) {
        return true;
    }
    → S.O.P("iter": steps);
    return false;
}

```

P. s.Vim (string args[ ]) {

String[ ] names = { "Priya", "Halshita",  
"Nihari", "Nandu", "Minakshi",  
"Rujitha" };

String target = "ISreeleela";

S.O. P (LinearSearch(names, target));

fliegende Fledermaus mit rot abgerundetem Kopf und  
Körper

O/P : 6  
false

```
Static int LinealSearch (string [] names,  
                        string target) {  
    for (int i=0; i< nums.length; i++) {  
        if (nums[i] == target) {  
            return i;  
        }  
    }  
    return -1;
```

→ No. of occurrences

```
static ArrayList<Integer> findOccurrences(String[]  
    names, String target){  
    ArrayList<Integer> res = new ArrayList();  
    for (int i=0; i<names.length; i++)  
        if (names[i] == target)  
            res.add(i);  
    return res;  
}
```