#### TASK:3

Implementation of A \* Algorithm to find the optimal path using Python by following constraints.

## 3(A) A\* Algorithm

**Aim :** To implement of A \* Algorithm to find the optimal path using Jupiter notebook.

## Algorithm:

Step 1: start

**Step 2:** Place the starting node into open and find its f(n) [start node] value.

**Step 3:** Remove the node from OPEN, having the smallest f(n) value, if it is x goal node, then stop and return to success.

**Step 4:** Else remove the node from OPEN, and find all its successors.

**Step 5:** Find the f(n) value of all the successors, Place them into OPEN and place the removed node into close **Step 6:** Go to step 2.

Step 7: Exit.

## Program:

```
def aStarAlgo(start_node, stop node):
  open set = set([start node]) closed set = set() g = {} # store
  distance from starting node parents = {} # parents contain an
  adjacency map of all nodes
  # distance of starting node from itself is zero g[start_node]
  = 0
  # start node is the root node, so it has no parent nodes
  # so start node is set to its own parent node parents[start node]
  = start node
  while len(open set) > 0:
     n = None
     # node with the lowest f() is found for
     v in open_set:
       if n is None or g[v] + heuristic(v) < g[n] + heuristic(n): n
          = v
     if n == stop node or n is None or Graph_nodes[n] is None:
```

```
break
  else:
     for m, weight in get neighbors(n):
       # nodes 'm' not in open set and closed set are added to open set
       # n is set as its parent if m not in open set
       and m not in closed set:
          open set.add(m)
          parents[m] = n g[m]
          = g[n] + weight
       # for each node m, compare its distance from start i.e g(m)
       # to the from start through n node else:
          if g[m] > g[n] + weight: #
            update g(m) g[m] = g[n]
            + weight # change parent
            of m to n parents[m] = n
            # if m is in closed set, remove and add to
            open set if m in closed set: closed set.remove(m)
            open set.add(m)
  # remove n from the open set and add it to
  closed set # because all of its neighbors were
  inspected open set.remove(n) closed set.add(n)
if n is None: print('Path does
  not exist!') return None
# if the current node is the stop node,
# then we begin reconstructing the path from it to the start node if
n == stop node:
  path = [] while
  parents[n] !=
  path.append(n) n =
  parents[n]
  path.append(start node
            path.reverse()
  print('Path
                  found:',
  path) return path
```

```
None
# define function to return neighbors and their distances from the passed node def
get_neighbors(v):
  if v in Graph_nodes:
     return Graph_nodes[v] else:
     return None
# for simplicity, we'll consider heuristic distances given #
and this function returns heuristic distance for all nodes
def heuristic(n):
  h dist = {
     'A': 11,
     'B': 6,
     'C': 5,
     'D': 7,
     'E': 3,
     'F': 6,
     'G': 5,
     'H': 3,
     'I': 1,
     'J': 0 } return
  h dist[n]
# Describe your graph here Graph nodes
= {
  'A': [('B', 6), ('F', 3)],
  'B': [('A', 6), ('C', 3), ('D', 2)],
  'C': [('B', 3), ('D', 1), ('E', 5)],
  'D': [('B', 2), ('C', 1), ('E', 8)],
  'E': [('C', 5), ('D', 8), ('I', 5), ('J', 5)],
```

print('Path does not exist!') return

'F': [('A', 3), ('G', 1), ('H', 7)],

'G': [('F', 1), ('I', 3)],

```
'H': [('F', 7), ('I', 2)],
'I': [('E', 5), ('G', 3), ('H', 2), ('J', 3)], }
```

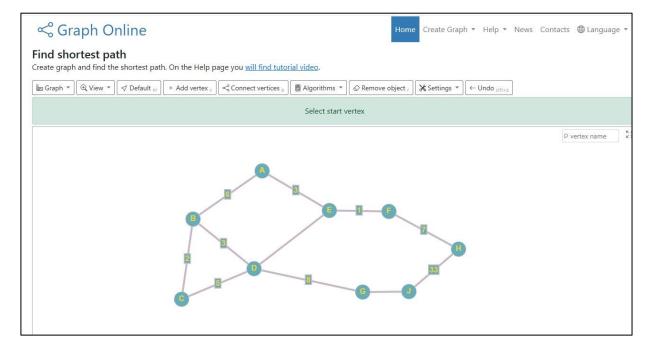
print("Following is the A\* Algorithm:") aStarAlgo('A',
'J')

# **Output:**

```
Python 3.12.1 (tags/v3.12.1:2305ca5, Dec 7 2023, 22:03:25) [MSC v.1937 64 bit (AMD64)] on win32 Type "help", "copyright", "credits" or "license()" for more information.

= RESTART: C:/Users/Student/AppData/Local/Programs/Python/Python312/ait 7.py Following is the A* Algorithm: Path found: ['A', 'F', 'G', 'I', 'J']

>>> |
```



#### **Result:**

Thus the Implementation of A \* Algorithm to find the optimal path using Python Was successfully executed and output was verified.

#### 3(B) – Simplified A\* Algorithm.

**Aim:** To implement the simplified A\*Algorithm using Jupiter notebook.

## Algorithm:

Step 1: start.

**Step 2:** place the starting node into open and find its f(n) value

**Step 3:** Remove the node from OPEN, having the smallest f(n) value, if it is a goal node, then stop and return to success.

Step 4: else remove the node from OPEN, and find all its successors

**Step 5:**Find the f(n) value of all the successors, Place them into OPEN and place the removed node into close **Step 6:** Go to step 2.

Step 7: Exit.

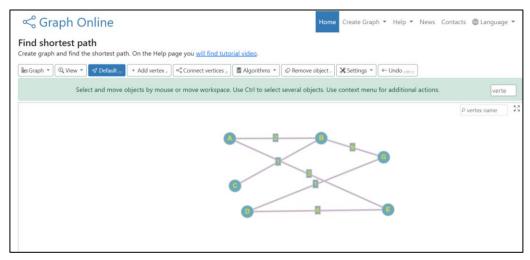
## Program:

```
def aStarAlgo(start node, stop node):
  open set = set([start node]) closed set = set() g = \{\} # store
  distance from starting node parents = {} # parents contain an
  adjacency map of all nodes
  # distance of starting node from itself is zero g[start_node]
  = 0
  # start node is the root node, so it has no parent nodes
  # so start node is set to its own parent node parents[start node]
  = start node
  while len(open set) > 0:
     n = None
     # node with the lowest f() is found for
     v in open set:
       if n is None or g[v] + heuristic(v) < g[n] + heuristic(n): n
          = \mathbf{v}
     if n == \text{stop node} or n is None or n not in Graph nodes:
       break
     else:
       for m, weight in get neighbors(n):
          # nodes 'm' not in open set and closed set are added to open set
```

```
# n is set as its parent if m not in open set
       and m not in closed set:
          open set.add(m)
          parents[m] = n g[m]
          = g[n] + weight
       # for each node m, compare its distance from start i.e g(m)
       # to the from start through n node else:
          if g[m] > g[n] + weight: #
            update g(m) g[m] = g[n]
            + weight # change parent
            of m to n parents[m] = n
            # if m is in closed set, remove and add to
            open set if m in closed set: closed set.remove(m)
            open set.add(m)
  # remove n from the open set and add it to
  closed set # because all of its neighbors were
  inspected open set.remove(n) closed set.add(n)
if n is None: print('Path does
  not exist!') return None
# if the current node is the stop node,
# then we begin reconstructing the path from it to the start node if
n == stop node:
  path = []
  while parents [n] != n:
     path.append(n) n =
     parents[n]
  path.append(start node
             path.reverse()
  print('Path
                   found:',
  path) return path
print('Path does not exist!') return
None
```

```
# define function to return neighbors and their distances from the passed node def
get_neighbors(v):
  if v in Graph nodes:
     return Graph nodes[v]
  else: return None
# for simplicity, we'll consider heuristic distances given #
and this function returns heuristic distance for all nodes
def heuristic(n):
  h dist = {
     'A': 11,
     'B': 6,
     'C': 99,
     'D': 1,
     'E': 7,
     'G': 0 }
  return
  h dist[n]
# Describe your graph here Graph nodes
= {
  'A': [('B', 2), ('E', 3)],
  'B': [('A', 2), ('C', 1), ('G', 9)],
  'C': [('B', 1)],
  'D': [('E', 6), ('G', 1)],
  'E': [('A', 3), ('D', 6)],
  'G': [('B', 9), ('D', 1)]
}
print("Following is the A* Algorithm:") aStarAlgo('A',
'G')
```

# **Output:**



## **Result:**

Thus the implementation of the simplified A\*Algorithm using Jupiter notebook was successfully executed and output was verified.