

canadianPostalCode: /<sup>^</sup>[ABCEGHJ-NPRSTVXY]\d[ABCEGHJ-NPRSTV-Z] \d[ABCEGHJ-NPRSTV-Z]\d\$/,

visa: /<sup>^</sup>4\d{12}\d{3}}?\$/,

masterCard: /<sup>^</sup>(5[1-5]\d{14}|222[1-9]\d{12}|22[3-9]\d{13}|2[3-6]\d{14}|27[01]\d{13}|2720\d{12})\$/,

notThreeEndingInOO: /<sup>^</sup>(?![\p{L}]oo\$)\p{L}\*\$/iu,

divisibleBy16: /<sup>^</sup>(0|00|000|[01]\*0000)\$/,

eightThroughThirtyTwo: /<sup>^</sup>([89]| [12]\d |3[0-2])\$/,

notPythonPycharmPyc: /<sup>^</sup>(?!pyc\$|python\$|pycharm\$)\p{L}\*\$/u,

restrictedFloats: /<sup>^</sup>[+-]?(\d+\.\d\*|\d\*)([eE][+-]? \d{1,3})\$/,

palindromes2358: /<sup>^</sup>(?:([abc])\1|([abc])[abc]\2|([abc])([abc])[abc]\4\3|([abc])([abc])([abc])([abc])\8\7\6\5)\$/

pythonStringLiterals:

/<sup>^</sup>([fF]?)((?<!\\\)'([<sup>^</sup>\\n]\*\\([<sup>^</sup>\\n]\*)\*)'|(?<!\\\)"([<sup>^</sup>\\n]\*\\([<sup>^</sup>\\n]\*)\*)"|'([<sup>^</sup>\\n]\*\\([<sup>^</sup>\\n]\*)\*?')|'([<sup>^</sup>\\n]\*\\([<sup>^</sup>\\n]\*)\*?')|'abc\\')\$/

}

```
f:
    local.get      0    ;; load input
    i32.const      3    ;; push 3
    i32.mul         ;; 3 * input
    i32.const      1    ;; push 1
    i32.add         3 * input + 1
    local.get      0    ;; load input
    i32.const      1    ;; push 1
```

```

i32.shr_s
local.get      0    ;; load input
i32.const      1    ;; push 1
i32.and         ;; 1 if odd, 0 if even
i32.select      ;; return either n / 2 or 3 * n + 1
end_function

```

x86-64:

f:

```

push    rbp ; save base pointer

mov     rbp, rsp ; rsp to rbp

mov     DWORD PTR [rbp-4], edi

mov     eax, DWORD PTR [rbp-4]

and     eax, 1 ; check parity

test    eax, eax

jne     .L2 ; jump if eax != 0

mov     eax, DWORD PTR [rbp-4]

mov     edx, eax ; eax to edx

shr     edx, 31

add     eax, edx

sar     eax

jmp     .L4 ; jump to end

.L2:

mov     edx, DWORD PTR [rbp-4]

mov     eax, edx ; edx into eax

add     eax, eax ; eax * eax

add     eax, edx ; eax * eax * eax

```

```
add    eax, 1 ; add 1
```

```
.L4:
```

```
pop    rbp ; pop from stack
```

```
ret ; return eax
```

3. Assume it is decidable. Then there is a TM that decides whether  $L(M1)=L(M2)$ , meaning it outputs either yes or no. Make  $M1$  = to a machine that accepts  $M$  and  $w$  as input and  $M$  replaces its input with  $w$  if it accepts  $w$  and leaves it blank otherwise. Make  $M2$  = to a reject machine that rejects anything. So, in some cases,  $L(M1)=L(M2)$  (when  $M1$  doesn't accept  $w$ ) and in other cases they do not equal. This means we decided the halting problem which we know is undecidable so there is a contradiction meaning the original language is undecidable.