

$$2.66) (a) P(\text{Unsafe Conditions of graveyard shift} \cup \text{Human Error of graveyard shift}) \\ = 0.02 + 0.3 \\ = 0.32$$

$$(b) P(\text{Human Error of Day} \cup \text{Human Error of Evening} \cup \text{Human Error of graveyard}) \\ = 0.32 + 0.25 + 0.3 \\ = 0.87$$

$$(c) P(\text{U.C of Day} \cup \text{U.C of Evening} \cup \text{U.C of graveyard}) \\ = 0.05 + 0.06 + 0.02 \\ = 0.13$$

$$(d) P(\text{probability of accident in evening} \cup \text{probability of accident graveyard shift}) \\ = (0.06 + 0.25) + (0.02 + 0.3) \\ = 0.63$$

$$2.82) (a) P(\text{at least one member vote}) \quad (b) P(\text{wife vote} | \text{given husband vote}) \\ = (0.2 - 0.15) + (0.28 - 0.15) + 0.15 \\ = 0.33 \quad = \frac{0.15}{0.2} \\ = 0.75$$

$$(c) P(\text{husband vote} | \text{wife not vote}) \\ = \frac{0.2 - 0.15}{1 - 0.28} \\ = \frac{5}{72}$$

$$(b) P(B' \cap C) = P(A \cap B' \cap C) + P(A' \cap B' \cap C) \\ = P(C | A \cap B') P(B' | A) P(A) \\ + P(C | A' \cap B') P(B' | A') P(A') \\ = (0.8)(1 - 0.75)(0.3) + (0.9)(1 - 0.2)(1 - 0.3) \\ = 0.564$$

2.90)

$$(c) P(C) = P(A \cap B \cap C) + P(A \cap B' \cap C) + P(A' \cap B \cap C) \\ + P(A' \cap B' \cap C) \\ = 0.045 + 0.06 + 0.21 + 0.504 = 0.819$$

$$(a) P(A \cap B \cap C) = P(A \cap B) \cdot P(C | A \cap B) \\ = 0.225 \cdot 0.2 \\ = 0.045$$

$$(d) P(A | B' \cap C) = \frac{P(A \cap B' \cap C)}{P(B' \cap C)} = \frac{0.06}{0.564} \\ = 0.1064$$

$$2.100) p = \frac{\text{number of malfunction caused by other human errors in station C}}{\text{total number of malfunction caused by other human errors}}$$

$$= \frac{5}{7+7+5} = \frac{5}{19}$$

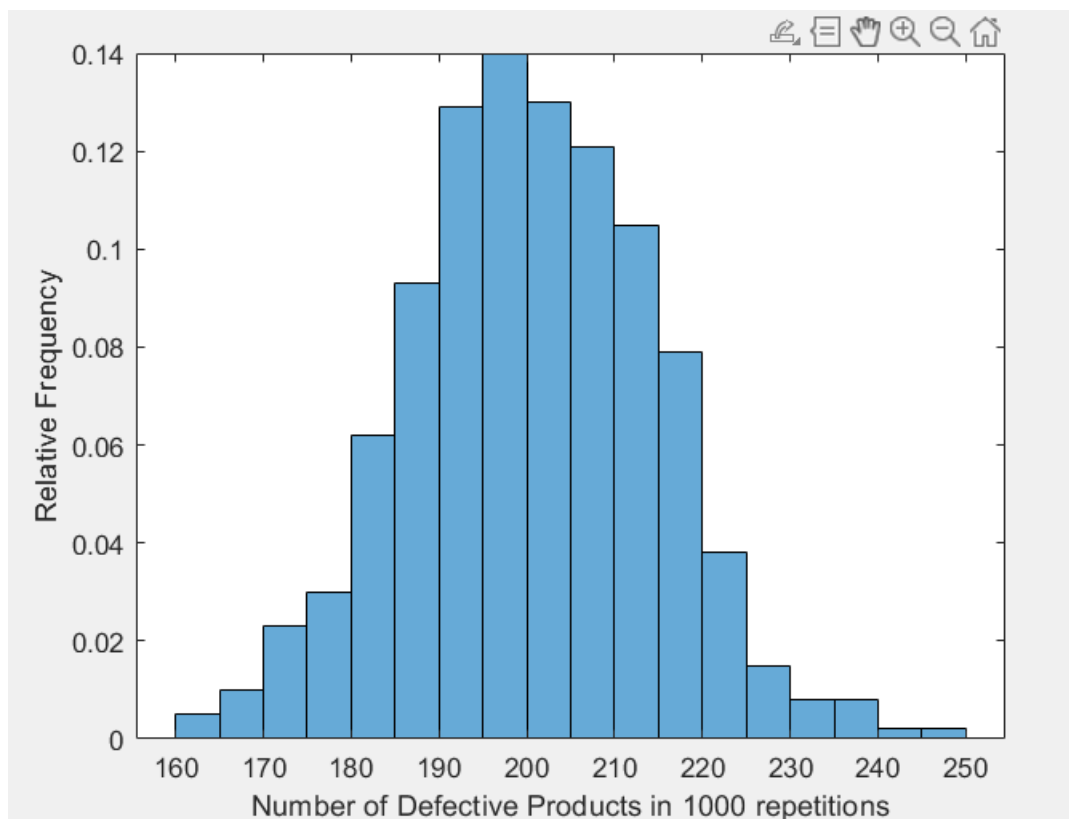
$$2.126(a) p = \frac{\text{total number of worker found a job in new company in same field and is union member}}{\text{total number of worker found a job in new company in same field}}$$

$$= \frac{13}{13+10} = \frac{13}{23}$$

$$(b) p = \frac{\text{total number of unemployed of union member}}{\text{total number of union member}}$$

$$= \frac{2}{40+13+4+2} = \frac{2}{59}$$

1(b)



1(c)

```
>> HW2_1c
    0.1936    0.2129    0.1888    0.2129    0.1969    0.2058    0.2020    0.2108    0.2020    0.1987
>>
```

By using `disp()` function or `.mat` file, I get the result like the above. Comparing with the theoretical value shown in Example 2.42 that is $10/49$, approximately is 0.2041, the minimum and maximum from result above are 0.1888 and 0.2129 respectively and the deviation/error percentage is under 10%. Hence, the result above is considered as acceptable result.