# exercises week4

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### Question 4.2

```
df <- foreign::read.dta("http://www.stat.columbia.edu/~gelman/arm/examples/earnings/heights.dta")
# there's some weird coding within the height1 and height2. seems like height 1
# is in feet and height2 is remaining inches. Height seems to be total inches.
# Also, there are two outliers in height2 where values are 98. 2 different
# options on what to do with this data. I think it would be best to delete them
# because there are no values for the earn variable for those observations
# anyways so we wouldn't use them in the regression. I'm also changing the sex
# variable to be coded as 0 or 1 because that is more the norm that I see.

df <- df %>%
    mutate(sex = sex - 1) %>%
    filter(!(is.na(earn)), ! (is.na(height)))
```

#### Part b

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```
# what this does is making the variable centered at 0. They are distances from # the mean. Also have to filter out the NA values because we don't deal with # those until later in the book. When you have 0 height, the average outcome is
```

Table 1: Summary Table Fit 1

	Dependent variable:
	earn
height  Constant	1,563.138***
	(133.448)
	-84,078.320***
	(8,901.098)
Observations	1,379
$\mathbb{R}^2$	0.091
Adjusted R <sup>2</sup>	0.090
Residual Std. Error	18,853.920  (df = 1377)
F Statistic	$137.206^{***} (df = 1; 1377)$
Note:	*p<0.1; **p<0.05; ***p<0.0

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Table 2: Summary Table Fit 2

	Dependent variable:
	earn
avg_height	1,563.138***
	(133.448)
Constant	20,014.860***
	(507.714)
Observations	1,379
$\mathbb{R}^2$	0.091
Adjusted R <sup>2</sup>	0.090
Residual Std. Error	18,853.920  (df = 1377)
F Statistic	$137.206^{***} (df = 1; 1377)$
Note:	*p<0.1; **p<0.05; ***p<0.0

fit\_1 is a regression model predicting earnings from height. The intercept of the model is -84078.3. In

context, this means that a person who is 0 inches tall on average makes -84078.3, however, because nobody is 0 inches tall, this interpretation doesn't really make sense. The height coefficient is 1563.1. In context, this means that as height increases by 1 inch, earnings increase by 1563.1 on average. This coefficient is statistically significant, as it is outside 2 standard errors from 0 (the t statistic is 11.7). This tells us that height matters in predicting earnings. However, the R squared of this model is .09, meaning that the model accounts for about 9% of the variability. This isn't a very high R squared value, telling us that we are leaving out important predictors of earnings.

In order to interpret the intercept from this model as average earnings for people with average height, we should transform the height variable to be centered at its mean. To do this, I created a new variable called avg\_height which is equal to the height variable minus the mean of the height variable. So, a person of average height will have an avg\_height value of 0. This new model (fit\_2) has an intercept of 20014.86, meaning that a person with avg\_height of 0, or a person with average height, makes 20014.86 on average. The avg\_height coefficient is 1563.14. In context, this means that as avg\_height increased by 1, or if a person is an inch taller than the average height, earnings increases by 1563.14 on average. This coefficient is statistically significant, as it is outside 2 standard errors from 0. The R squared for this model is also .09, meaning that the model accounts for about 9% of the variability.

#### Part c

```
# different model combinations
fit_3 <- lm(earn ~ avg_height + sex, data = df)
stargazer(fit_3,type = "latex", title = "Summary Table Fit 3")</pre>
```

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Table 3: Summary Table Fit 3

	Dependent variable:
	earn
avg_height	550.545***
	(184.570)
sex	-11,254.570***
	(1,448.892)
Constant	27,025.500***
	(1,030.387)
Observations	1,379
$\mathbb{R}^2$	0.129
Adjusted R <sup>2</sup>	0.128
Residual Std. Error	18,460.370 (df = 1376)
F Statistic	$101.728^{***} \text{ (df} = 2; 1376)$
Note:	*p<0.1; **p<0.05; ***p<0.01

```
fit_4 <- lm(earn ~ avg_height + sex + avg_height*sex, data = df)
stargazer(fit_4,type = "latex", title = "Summary Table Fit 4")</pre>
```

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	$Dependent\ variable:$
	earn
avg_height	772.431***
	(275.023)
sex	-10,868.300***
	(1,491.646)
avg_height:sex	-403.668
	(370.951)
Constant	26,259.170***
	(1,247.989)
Observations	1,379
$\mathbb{R}^2$	0.130
Adjusted $R^2$	0.128
Residual Std. Error	18,459.130 (df = 1375)
F Statistic	$68.222^{***} \text{ (df} = 3; 1375)$
Note:	*p<0.1; **p<0.05; ***p<0.0

I fit three different models for this question. The first, fit\_3, is a regression model predicting earnings from avg\_height and sex. The second, fit\_4, is a regression model predicting earnings from avg\_height, sex, and the interaction of avg\_height and sex. The third, fit\_5, is a regression model predicting earnings from sex. For reference, sex = 0 is male and sex = 1 is female.

#### fit\_3 interpretation:

- The intercept is 27025.5, meaning that a person of average height and male makes 27025.5 on average.
- The avg\_height coefficient is 550.5, meaning that as avg\_height increases by 1, earnings increase by 550.5 on average, holding sex constant. This coefficient is statistically significant.
- The sex coefficient is -11254.6, meaning that being female decreases earnings by 11254.6 on average, holding avg\_height constant. This coefficient is statistically significant.
- The R squared is .129, meaning that the model accounts for about 12.9% of the variability

#### fit\_4 interpretation:

Table 5: Summary Table Fit 5

	Dependent variable:
	earn
sex	-14,307.020***
	(1,028.646)
Constant	28,926.920***
	(811.859)
Observations	1,379
$\mathbb{R}^2$	0.123
Adjusted R <sup>2</sup>	0.123
Residual Std. Error	18,513.230  (df = 1377)
F Statistic	$193.449^{***} (df = 1; 1377)$
Note:	*p<0.1; **p<0.05; ***p<0.0

- The intercept is 26259.2, meaning that a person of average height and male sex makes 26259.2 on average.
- The avg\_height coefficient is 772.4, meaning that as avg\_height increases by 1, earnings increase by 772.4 on average, holding sex constant. This coefficient is statistically significant.
- The sex coefficient is -10868.3, meaning that being female decreases earnings by 10868.3 on average, holding avg\_height constant. This coefficient is statistically significant.
- The interaction term coefficient is -403.7, meaning that a 1 inch increase in height has an additional 403.7 decrease on earnings if you are female. This interaction is not statistically significant.
- The R squared is .1296, meaning that the model accounts for about 12.99% of the variability

### fit\_5 interpretation:

- The intercept is 28926.9, meaning that a person of average height and male sex makes 28926.9 on average.
- The sex coefficient is -14307, meaning that being female decreases earnings by -14307 on average. This coefficient is statistically significant.
- The R squared is .1232, meaning that the model accounts for about 12.32% of the variability

## model choice

Interestingly, all of these models have very similar R squared values, so it is difficult to decide which model to use based off of that. With that being said, the models which incorporate height and sex (fit\_3 and fit\_4) have slightly higher R squared values, so I am inclined to prefer one of those. In between fit\_3 and fit\_4, it doesn't seem like the interaction adds anything substantial to the model, as the interaction coefficient is not statistically significant, so for parsimony's sake, I would go with fit 3.

#### Part d

See part c for coefficient interpretations.

### Question 4.3

Part a,b,c



