# Some Timestamping Protocol Failures

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### Abstract

Protocol failures are presented for two timestamping These failures emphasize the importance and difficulty of implementing a secure protocol even though there exist secure underlying algorithms. As well, they indicate the importance of clearly defining the goals for a protocol. For the scheme of Benaloh and de Mare (Eurocrypt '93), it is shown that although an indication of time can be included during the computation of the timestamp, the verifiation of the timestamp does not allow for the recovery of this temporal measure. For the scheme of Haber and Stornetta (Journal of Cryptology '91), we demonstrate how a collusion attack between a single user and a timestamping service allows for the backdating of timestamps. This attack is successful despite the claim that the timestamping service need not be trusted. For each of these schemes we discuss methods for improvement. protocol failure, timestamp, notary, **Keywords:** temporal authentication, absolute, relative, nonrepudiation, adjudication.

# 1 Introduction

There currently exist many "believed to be strong" cryptographic algorithms. Privacy can be obtained through the application of an encryption function (whether it be of the public key or secret key variety). Authenticity can be obtained through the application of keyed hash functions (for the secret key case) or digital signatures (for the public key case) (see [10] for examples).

Failures do not usually occur from the complete break of an underlying algorithm but are more often the result of poorly implementing the algorithms, i.e., a poor protocol design. The literature is filled with examples of protocols designed using strong cryptographic primitives yet susceptible to the simplest of attacks [12, 4]. The use of a notary is currently receiving a great deal of attention for its application to digital communications, e.g., [2, 3]. Timestamping is the simplest form of a notary, essentially involving only an authentic appendage of time to a document. (A stronger form of notary might perform such operations as verifying the signature on a submitted document or even verifying the form or content of the signed data.) Just as with other protocols, a timestamping protocol uses (believed to be) secure primitives such as hash functions and digital signatures and must be designed with clear and secure objectives in mind, e.g., [1].

# 1.1 Outline of Results

The purpose of this paper is to provide (what we hope will be) a modest foundation upon which further work in the area of temporal authentication (e.g. timestamping) can be performed. We emphasize the need for such work by identifying two protocols that contain minor failures, resulting from a lack of specification for the stamping and verification procedures.

We identify both absolute and relative temporal authentication and their corresponding verification measures. In Section 3 we discuss how the inclusion of time in the production of a timestamp in the scheme of Benaloh and de Mare [7] (the provision of an absolute timestamp) is not recoverable during stamp verification (a process which performs only a relative measure). Some methods for rectifying this shortcoming are discussed.

Section 4 presents the collusion attack to the scheme of Haber and Stornetta [8]. We demonstrate how the use of only an absolute temporal measure (in a scheme that is intended to provide both absolute and relative temporal authentication) allows the backdating of documents. Several methods for preventing this attack are discussed. We conclude with some further comments and generalizations in Section 5.

### 2 Model

Let u represent a user in a distributed system with unique identification  $ID_u$  who would like to obtain a timestamp s for a message y. Two components in any

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timestamping scheme are the Stamping Protocol (SP) and the Verification Protocol (VP) (similar to those presented by Benaloh and de Mare [6] and mentioned briefly by Haber and Stornetta [8]).

STAMPING PROTOCOL (SP) Initiated by the user requesting a timestamp, the protocol takes the document y as input and produces an absolute and/or relative timestamp s.

VERIFICATION PROTOCOL (VP) Initiated by a user c challenging the temporal position of a particular y (whose position is defined by the stamp s). User u submits the timestamp capsule consisting of y along with the stamp s as well as any other relevant information (e.g., x where y = h(x)) to c. c verifies the authenticity of the temporal stamp s with respect to the message y.

A method for resolving disputes is also required for a timestamping scheme. The need for such an adjudication protocol was recognized by Merkle [11] for signature schemes, but seems to have been absent in most of the current literature related to timestamping. Although we briefly mention adjudication throughout, a thorough treatment of the topic is beyond the scope of this paper.

#### 2.1 Definitions

Just as we can provide for the data integrity and message authentication of a document y, a timestamping protocol provides for the temporal authentication of y. Informally, this is the provision of a temporal notion for y that can at some later time, be authentically recovered and verified. Such a concept is useful, for example, in aiding the provision of non-repudiation of digital signatures. The timestamping of a message signed with a particular private signature key allows for the determination of whether the signed message existed before or after the expiry or reported compromise of the corresponding public verification key.

A protocol provides data integrity of a message y if it ensures that the message has not been altered in an unauthorized manner since its latest authorized alteration. Message authentication (data-origin authentication) is provided when a party is assured of the source (i.e., entity authorized to alter y) of a given message. Temporal authentication (transaction authentication in [10]) combines message authentication with the notion of uniqueness and timeliness of messages. Note here that the authentication of the message y will result in the production of a timestamp z which will be some function of both the message z (which itself may be the function of some document) along with a piece of data from which the temporal position of z can be inferred. Thus, although the same

y may be stamped many times, each timestamp for y is unique since each will have a unique temporal interpretation (though see special case below). The combination of y with its timestamp, plus any other relevant information comprises the timestamp capsule (or simply time capsule).

We can view the application of a timestamp as an instance of a larger, ongoing timestamping protocol. Indeed, the uniqueness of a particular stamp is measured in relation to other stamps produced via alternate instances of the protocol. Each such instance is referred to as a round. More than one document can be stamped during a given round though only a single timestamp is produced. Within a given round, the temporal ordering of the messages is not necessarily important. Thus, the same message submitted twice during the same round may receive an identical stamp associated with each submission. In practice, the length of the round may be determined either by fixing an upper bound of the number of messages that will be jointly stamped in the round or on the amount of time that is allowed to elapse before a stamp is output.

We elaborate on what is meant by the timelineness of messages by distinguishing two types of temporal authentication. Absolute temporal authentication is provided if an absolute timestamp is associated with a message. An absolute timestamp positions the message at a particular point in time, based upon the time given by a trusted, mutually agreed upon source. An absolute timestamp can be either explicit or implicit. An (explicit) absolute timestamp (the default) has the precise time directly recoverable or verifiable from the timestamp. An implicit absolute timestamp contains information from which the precise time can be uniquely determined. For example, an implicit absolute timestamp might be constructed using the closing values from several stocks. The belief being that one can uniquely determine the time at which this information was generated, from this stock information.

Relative temporal authentication is provided if a relative timestamp is associated with a message. A relative timestamp positions a message at some general point in time relative to messages stamped before and after it. The ordering of these stamps is a partial ordering. If any two stamps are comparable, the set of stamps form a total order or chain. We refer to this set as a temporal chain (or temporal order) since elements of the set are comparable based on their temporal interpretation. Note here that we can discuss orderings of stamps versus the ordering of a document/stamp pair. This distinction is relevant in cases where several documents are input to produce a single timestamp.

Although the resultant stamps from each round form a total order, it is not necessarily the case that the documents within a given round are ordered. *Hybrid temporal authentication* is provided if both an absolute and relative timestamp are associated with a message.

There are two measures by which the temporal authentication of y can be verified. The absolute (temporal) measure determines the placement of y with respect to a particular time, e.g. determining the time at which a digital signature may have been applied to a given document. The relative (temporal) measure determines the placement of y relative to other y', e.g. determining the precedence relationship between two patent claims. We say that a document y' has been backdated (backstamped) if a temporal measurement infers that y' was stamped before y when in fact, the timestamp for y' was constructed after the timestamp for y. A similar definition follows for forward dating (forward stamping).

### 3 Decentralized Timestamping

Benaloh and de Mare [7] present a protocol which allows the resultant timestamp for a round to be computed in such a manner that an on-line, centralized entity is not required for the computation of the resultant timestamp. We demonstrate here that the constructed timestamp does not allow for an absolute temporal measure during its verification, even though such information is suggested for optional inclusion during stamp construction.

Let n=pq be the product of two primes. The construction of n may be undertaken via a trusted outside source, a special purpose physical device, or a secure multiparty computation (selection of p and q is described in [7]). During round r, a value x is first agreed upon (e.g. the current date), from which the starting seed  $x_0=x^2 \mod n$  is obtained. The scheme proceeds by having users use modular exponentiation as an accumulator where the  $y_i$ 's are hashed documents that are broadcast within a given round. We have the resultant timestamp  $a_r=x_0^{y_1y_2...y_m} \mod n$  whereby  $u_i$  maintains  $\{z_i=x_0^{y_1...y_{i-1}y_{i+1}...y_m} \mod n, y_i\}$  as his timestamp capsule. Notice that the size of the partial accumulation,  $z_i$ , is independent of the number of submissions made during the round.

# 3.1 Verification - Where's the Time?

Responding to a challenge by c,  $u_i$  would demonstrate that  $z_i^{y_i} \mod n$  was indeed equivalent to  $a_r$  modulo n (the task of cheating this procedure is discussed in [7]). A relative measure would involve determining the position of  $a_r$  relative to the stamps

produced by other rounds (and is discussed in Section 3.2).

However, notice that although an absolute time may have been included in the stamp computation (i.e., by setting x to be the current date), no such absolute measure is available to the challenger for timestamp verification. Even if  $u_i$  had x, he could not demonstrate that it contributed to the computation of  $a_r$  (unless of course he also stored  $y_1, \ldots, y_m$  — but the whole point of the scheme is to not have to store all of the submissions). Hence, the inclusion of the current date as described in the stamp construction, serves no purpose.

Benaloh and de Mare describe their scheme as a closed system. In other words, each user maintains their own copy of  $a_r$  and there is no apparant requirement for any form of centralized storage. However, such a scheme makes for difficult adjudication in case of any disputes. More practically, we might simply have the  $a_r$  authentically stored by a central storage facility.

### 3.2 Providing a Temporal Measure

A simple way to allow for an absolute temporal measure during the verification protocol is to authentically store  $a_r$  along with t. Use of a hash by computing  $a'_r = h(a_r, t)$  and storing  $a'_r$  and t allows for increased storage efficiency. However, there may be additional overhead for such a decentralized protocol for users to agree upon a time t.

In an earlier work of Benaloh and de Mare [6], the authors introduced the concept of rounds. Using rounds is claimed to provide for increased efficiency at the cost of a loss of granularity as multiple documents are used to produce a single stamp. The provision of a relative temporal measure would allow users to demonstrate a precedence ordering for documents submitted in distinct rounds. This will necessitate that users from one round are aware of the timestamp from other rounds (since relative authentication requires a relation between stamps in order to show precedence). This could be accomplished by a widespread publication (e.g., newspaper) of the stamps for each round as suggested by Merkle [11] (though not directly in the context of timestamping) and as well by Bayer, Haber and Stornetta [5], provided that it can be done authentically.

For example, if  $a_r$  is the originally obtained timestamp, we let  $a'_r = h(a_r, a_{r-1})$  be the published value where h is a collision resistant hash function. A similar linking scheme was suggested by Benaloh and de Mare [6], though there, the linking was done for timestamps produced by an individual user, not the result

of a round computation. This is essentially the scheme suggested used by Bayer, Haber and Stornetta [5] for linking their rounds. A number theoretic alternative to the hash linking is given by Just [9].

# 4 Centralized Timestamping

Haber and Stornetta [8] present the following protocol for timestamping a digital document x. It uses a central timestamping service T that requires no record-keeping. Here, r denotes the rth round, where 1 document is stamped per round.

- 1. u sends  $y_r = h(x_r)$  and  $ID_r = ID_u$  to T, where  $x_r$  is the original message belonging to  $u_r$  that is hashed with the collision resistant hash h for privacy as well as decreased submission size.
- 2. T computes the certificate  $z_r$  for this rth submission, namely  $z_r = sig_T(C_r)$ , where

$$C_r = (r, t_r, ID_r, y_r; L_r),$$
  

$$L_r = (t_{r-1}, ID_{r-1}, y_{r-1}, H(L_{r-1})),$$

H is a second collision resistant hash function and  $t_r$  is the (absolute) time of the submission.  $L_r$  is referred to as the *linking information* and contains the respective information pertaining to the submission from the previous round.

3. Upon receiving the next request for a stamp from user v, T sends the timestamp capsule  $(z_r, ID_{r+1} = ID_v)$  to u who verifies that the timestamp has been computed properly.

To challenge a timestamp, u would give the timestamp capsule  $(z_r, ID_{r+1})$  to the challenger who first verifies that  $z_r$  is a valid signature. To verify that there hasn't been a collusion with T, the challenger contacts  $ID_{r+1}$  and obtains  $(z_{r+1}, ID_{r+2})$  where

$$z_{r+1} = sig_T(r+1, t_{r+1}, ID_{r+1}, y_{r+1}; L_{r+1})$$

and checks that  $L_{r+1}$  contains both  $y_r$  and  $H(L_r)$ . As well, the challenger can also check  $ID_{r+2}$ 's stamp or go backwards with  $ID_{r-1}$  (as it is included in  $L_r$ ). It is assumed that the collision resistance of H prevents T from either backdating or forward dating documents (see [8]). Thus, verification of a challenge mainly consists of verifying that a challenged document belongs to some apparantly legitimate temporal chain.

We note here that the HS scheme is actually a hybrid scheme, and not just a relative stamping scheme since explicit times  $t_i$  are included in each timestamp. Indeed, the verification process determines the position of only a single document rather than the relative positioning of a number of challenged documents

(thereby not taking full advantage of its ability to provide relative temporal authentication). We therefore assume that if  $z_{i-1}$ ,  $z_i$  and  $z_{i+1}$  are stamps that are consecutively linked in a temporal chain and the respective absolute times associated with each are  $t_{i-1}$ ,  $t_i$  and  $t_{i+1}$ , then  $t_{i-1} < t_i < t_{i+1}$ . We make this assumption for the successful running of the protocol, i.e., we assume that any challenger that moves along the chain will check that the times will follow the same temporal order as the stamps to which they are associated.

#### 4.1 Attack

A fake chain attack is recognized by Haber and Stornetta [8], where they claim that

the only possible spoof is to prepare a fake chain of time-stamps, long enough to exhaust the most suspicious challenger that one anticipates.

Since each timestamp requires a signature by T, this attack would presumably require a collaboration with T. This attack might appear not that difficult to implement except for the fact that for assigning fake stamps, a number of additional collaborators would be required. After all, a suspicious challenger might only be convinced of the legitimacy of a chain if a large number of distinct participants are contacted for verification.

In the following, we present a new attack whereby one can collude with T and partially insert a single false stamp into a valid chain of stamps. In this way, only a small fake chain need be produced, that can be "fused" into the valid chain (though only one end of the fake chain is connected to the valid chain). This fake chain is the lower chain in Figure 1. The attack demonstrates that an untrusted, centralized T with no record-keeping is not sufficient for providing the claimed level of security.

The attack proceeds with user  $u_i$  colluding with T to backstamp a document  $y_i$  (with corresponding stamp  $z_i$ ). Referring to Figure 1, we see how  $z_i$  should appear immediately after  $z_{i-1}$ , i.e., normal running of the protocol assumes that additions take place at the end of the valid chain. However, as in the figure,  $z_i$  is placed immediately after  $z_j$ . What advantage does this give us? Suppose that  $z_j$ ,  $z_{j+1}$  and  $z_{i-1}$  contained the respective times  $t_j$ ,  $t_{j+1}$  and  $t_{i-1}$  where  $t_j < t_{j+1} < t_{i-1}$ . If we were to place the stamp  $z_i$  (corresponding to document  $y_i$ ) in its correct place (i.e., after  $z_{i-1}$ ), we would have to associate a time  $t_i > t_{i-1}$  with it. By placing it immediately after  $z_j$ , we can assign any time  $t_i$  to  $y_i$  (in stamp  $z_i$ ) such

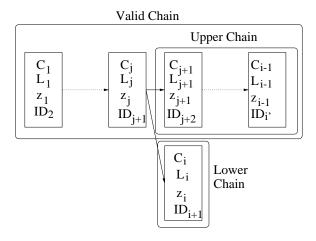


Figure 1: Fork in the temporal chain of documents. Each of the smaller rectangles represents the timestamp capsules for a user. The valid chain is an example of what might be produced from a normal running of the Haber/Stornetta protocol.

that  $t_i > t_j$ . Since  $t_j < t_{i-1}$ , we have backstamped  $y_i$  by assigning it a time earlier than the time associated with the most recently stamped document.

Subsequent to the linking of  $y_i$  in this new chain, all future stamp requests can either be added in the lower chain (i.e., after  $y_i$  whereby  $ID_{i'}$  in the upper chain could simply be assigned  $ID_i$ ; see Figure 1), or alternately added to first the lower then the upper chain (whereby  $ID_{i'}$  in the upper chain would be assigned  $ID_{i+2}$ ; see Figure 1). The latter technique ensures that challenges can proceed in the forward direction for documents contained in the upper chain (though how a challenger would even know when a chain is supposed to end when moving forward must be considered). However, it does require that the stamps for two documents will have the same round number associated with them (i.e., the same r). This is under the assumption that consecutive stamps must have consecutive round numbers associated with them. This is discussed further in Section 4.3.

Now that we have produced  $z_i$  (from submission  $y_i$ ), suppose that someone were to challenge  $z_i$ . If they proceed forward with their challenge, they will not discover any faults since documents are subsequently, legitimately stamped after  $z_i$ . However, if the challenger proceeds backwards, they will see that the owner of  $z_j$ , namely  $u_j$  was previously given  $ID_{j+1}$  by T, whereas the challenger expects  $u_j$  to have  $ID_i$ . But there are still some options for our attacker:

1. T and  $u_i$  can also collude with  $u_j$  to get him to keep  $ID_i$  instead of  $ID_{i+1}$ . This requires a single

additional collusion which is still much less work than the fake chain attack.

2. Have  $ID_{j+1} = ID_i$ . This can be accomplished by having  $u_i$  periodicly stamp (possibly meaningless) documents. Subsequent to this,  $u_i$  can backstamp (with T's help) at any point where his dummy documents are.

The second option is clearly more favourable since no additional colluding partners are required. Additional considerations for these options are discussed in Section 4.3.

# 4.2 Analysis

Although we can cheat this hybrid scheme with respect to its underlying application of an absolute time, this attack is not successful when the scheme is treated as a truly relative stamping scheme. In other words, we cannot backstamp to show the precedence of one stamp over another unless the verification protocol performs this comparison based only on the absolute times associated with the timestamps for the respective documents. There is no relationship between stamps that are solely on the upper or lower chains here. For example there does not exist a relative temporal relationship between the stamps  $z_{j+1}$  and  $z_i$  as they are not linked together (i.e., via a series of directed edges).

More specifically, a relative comparison of stamps  $z_{j+1}$  and  $z_i$  would involve starting at  $z_i$  (w.l.o.g.) and successively challenging documents along the chain from  $z_i$  until  $z_{j+1}$  is reached. The direction taken to arrive at the other stamp would determine the order of precedence. This is the type of verification technique specified by Pinto and Freitas [13].

Let us further examine why this attack is successful. Let  $f: P \to P$  be a function where P is the set of all possible timestamp capsules. For example, from Figure 1, we have  $p_1 \in P$  belonging to  $u_1$ , where  $p_1 = \{C_1, L_1, z_1, ID_2\}$ . Then  $p_2 = f(p_1) = \{C_2, L_2, z_2, ID_3\}$ . As long as H is collision resistant, the assumption is that f is a one-to-one function.

The claim of Haber and Stornetta [8] was that T need not be trusted since an attack would require finding a collision for H. From our attack, we can in fact state the following.

**Lemma 1** The collision-resistance of H does not imply that trust in T is not required for the provision of valid timestamps in the Haber/Stornetta timestamping scheme.

In fact, if T is dishonest, then f is not necessarily a function at all – it is a relation. For example, from

Figure 1 we have that  $f(p_j) = p_{j+1}$  as well as  $f(p_j) = p_i$ . Therefore, rather than forming a total order, the set P of timestamp capsules forms a partial order. Let each stamp be a vertex in a graph with an edge from stamp  $z_i$  to stamp  $z_j$  if  $z_i$  was stamped before  $z_j$  and one can follow a directed chain from  $z_i$  to  $z_j$  (or vice-versa). Rather than exclusively forming a single chain, we form a tree, directed from the root. We have a tree (and hence no cycles) since each vertex has no more than a single incoming edge (dictated by the collision resitance of H), but can have more than one outgoing edge (allowing for the creation of multiple paths). Each path from root to leaf is a potentially valid chain which represents a total ordering on its own.

#### 4.3 Attack Detection?

We define a valid state as one in which only a single temporal chain has been produced by T (i.e., the valid chain in Figure 1). Attack detection is the discovery of a state that is not valid. A successful detection allows one to return to a valid state from a non-valid one. For each of the cases discussed here, detection of the attack is not successful unless certain preventative measures are taken and explicitly required during stamp creation and stamp verification. Suggestions for attack prevention are given in Section 4.4.

In item 1 given at the end of Section 4.1, for the next stamp in the "chain",  $u_j$  holds  $ID_{j+1}$  and  $ID_i$  where  $ID_{j+1} \neq ID_i$ .  $ID_{j+1}$  points to the upper chain while  $ID_i$  points to the lower chain. In item 2, this "fork" in the temporal chain is advanced ahead one link. In other words,  $u_j$  holds  $ID_{j+1} = ID_i$  pointing to each of the next stamps. On the other hand,  $u_i$ , possessing a stamp in both the upper and lower chains, holds  $ID_{j+2} \neq ID_{i+1}$ .

Proceeding backward or forward starting from  $u_i$ (in the first case) and  $u_i$  (in the second case) causes no suspicion on the part of the challenger since moving backward continues along the valid chain and for moving forward, it does not matter which chain the challenger is lead on to by  $u_i$  or  $u_i$ . Likewise for approaching either of the stamps held by  $u_i$  and  $u_i$ from earlier stamps. However, consider item 1 (item 2 is analogous) and suppose that stamp  $z_{j+k}$  is currently being challenged where (j + k) < (i - 1) and thus the stamp appears in the upper chain (see Figure 1). Working backwards to  $z_{i+1}$ , the challenger will eventually obtain  $ID_i$  from  $L_{i+1}$  (which is stored by  $u_{i+1}$ ) and hence asks  $u_i$  for his timestamp capsule, namely  $\{z_j, ID'\}$ . Notice that if the challenger were proceeding on the upper chain then he would expect  $ID' = ID_{i+1}$  whereas on the lower chain he would

expect  $ID' = ID_i$ . Notice also that  $u_j$  has no way of knowing which chain the challenger is proceeding on.

However, consider that  $u_j$  may possess many stamps (all presumably along the same chain from the challengers point of view). The challenger will have to inform  $u_j$  about which stamp he wishes to challenge. This may include information which identifies which chain he may be proceeding with his challenge on. (The protocol description given in [8] is not specific enough to determine the exact steps taken during such a challenge.) As well, since the entire capsule (i.e.,  $\{z_j, ID'\}$ ) was not signed by T, there is no reason that any integrity should be expected to be associated with it by any challenger.

A second possible suggestion for detection is that subsequent to the partial insertion of the false (lower) chain (see Figure 1), maintenance of both the upper and lower chains requires that some stamps will share the same corresponding identification (round) number. However, the same identification number will only be shared by stamps that appear on different chains. Stamps will have unique identification numbers relative to the chain that they are on. Therefore, unless two documents are compared for their relative positioning, such number repetition is not detected during a stamp verification. In Section 4.2, we acknowledged that our attack is susceptible to detection should a relative measure be performed. Relative ordering is discussed further in Section 4.4.

A third method for possible detection may involve the following. Depending on how far back  $z_i$  is partially inserted into the valid chain (to produce the lower chain — see Figure 1) the amount of time between the time recorded in the stamp for  $z_i$  and the stamp following  $z_i$  in the lower chain may be uncomfortably large. Consider that stamps following  $z_i$  will likely be stamped with a time that is at least as late as the (actual) current time. Whereas  $z_i$  (since it is being backstamped) will be stamped with a time that is earlier (possibly much earlier) than the (actual) current time.

Once again though, it is difficult to determine how this might be interpreted by a challenger. Should a scheme such as this require that an upper bound be placed on the amount of time that might elapse between the construction of two consecutive stamps? Prior to knowledge of this attack, such an additional constraint would be unmotivated. Given knowledge of this attack, it may still be difficult to enforce.

If it happened that multiple chains were detected and this evidence is given to an adjudicator, then this essentially brings some suspicion on T. At this point, T may claim that his private signature key must have been compromised. Either he can refute having created one temporal chain, or the other or even both. Note that this loss of key scenario is not the same as if we were to have a single chain for which T refutes some or all of the stamps that he produced. In such a case, the adjudicator may have a choice to believe or not believe T and to not accept or to accept the temporal chain. However, in the case given above, the adjudicator does not have this luxury. Even if he choses not to believe T, how can he tell which chain is correct?

We note again here that such malicious action by T may be unlikely, though not impossible. In Section 4.4, we discuss some additional measures that might be taken to limit the extent of such attacks. Though we must also keep in mind that the relevance of our attack is mainly to point out how the assumption that T need not be trusted does not necessarily allow for a secure protocol.

### 4.4 Attack Prevention

The purpose of attack prevention is quite simply to prevent the attack discussed in Section 4.1. Two ways to prevent the aforementioned attack are

- 1. authentic storage of the stamps and/or
- 2. treat the protocol as only a relative scheme.

Storage of the stamps can be maintained by a centralized authority, e.g., possibly the timestamp authority itself. Alternatively, one can make use of a widespread publication of the stamps as suggested by Merkle [11] (though not directly in the context of timestamping) and as well by Bayer, Haber and Stornetta [5].

It is important to realize that the use of newspaper publishing does not simply provide for an extra level of security (should you claim that T need not be trusted) since we have shown the scheme to be insecure without it. With this provision, producing an alternative chain is made more difficult if the one true chain is widely published, e.g., in the local newspaper. As well, notice that providing for such publication of the timestamps is not simply an extra feature that can be added to the protocol since its addition produces an entirely new protocol – i.e., the interactions required for the verification protocol (the main feature of the scheme) appear to be unnecessary in this case.

A relative scheme can take a couple of forms. Firstly, we can use the scheme from Section 4 whereby documents are measured two at a time (so that the precedence relationship can be verified). Recall that the backdating involved creating an alternate chain so that one cannot backdate to show relative precedence

over a document that has already been stamped. Indeed, this can be used as a method of detection as well where the stamps of random users are requested and an attempt is made to try to link them along a path. The success here would depend on factors such as the number of alternate chains produced.

Secondly (as mentioned above), we can combine such a scheme with some form of authentic storage so that documents can be verified one at a time. If a periodic widespread publication is used and users are given sufficient information in their timestamp capsule, one need only show that they are able to reconstruct the path from their timestamp to the authenticly published one (a similar technique is used by Surety Technologies).

For treating the protocol as only a relative scheme (e.g., Pinto and Freitas [13]), there are some drawbacks. First is a loss of fine granularity. It can no longer be determined exactly when a document was timestamped, but rather only when it was timestamped relative to when other documents were timestamped. The second drawback is that more things must be stamped. For the non-repudiation example given at the beginning of the paper, an absolute measure of a signed document can be made by comparing the time in its timestamp with the time of revocation as reported (possibly) by a Certification Authority. For a relative scheme, all such occurrences must be timestamped as well. This also necessitates a single timestamping authority responsible for all such requests. After all, how would one compare the times produced by different timestamping authorities that are producing only relative timestamps?

We note here that an attack such as this is presented relative to the model in which the original scheme was given. For the Haber/Stornetta scheme, the model assumes that the Timestamping Service (T) need not be trusted. We have shown here that a dishonest T can subvert the scheme unless certain precautions are taken. One should not presume however that such an attack is only relevant to the specific Haber/Stornetta scheme. Indeed, one should be careful when designing similar linking schemes. In environments where it is not too unreasonable to trust T, such an assumption, and therefore the attack and preventions, may be unnecessary. As well, allowing trust in T appears to remove the need for the linking and user interactions.

### 4.5 Extended Linking

Modifying the original scheme, Haber and Stornetta [8] present the following. Let

$$L_r = [(t_{r-k}, ID_{r-k}, y_{r-k}, H(L_{r-k})), \dots,$$

$$(t_{r-1}, ID_{r-1}, y_{r-1}, H(L_{r-1}))$$
].

 $ID_r$  is given the list  $(ID_{r+1}, \ldots, ID_{r+k})$  (the identifications of all the users that include  $L_r$  in their linking piece) after k requests have been processed. The motivations for such a scheme being both verification convenience (in that a challenger now need contact only some subset of k users) and storage redundancy (as the loss of a timestamp in the original scheme makes chain verification very difficult). Storage space however, is significantly increased for each user. (Schemes for minimizing this storage increase with the cost of increased interaction with T were given by Pinto and Freitas [13].)

A challenger can now check any of the previous or next k clients to verify the authenticity of a particular stamp. Inserting a document would presumably require finding a k-wise collision for the hash H. However, just as before, we can apply our attack by having  $u_i$  periodicly stamp k consecutive documents (or else require k additional collusions). Though there may be some practical difficulties here (depending on the size of k), similar techniques do follow.

### 5 Conclusion

The purpose of this paper was two-fold. The first is to emphasize that more thorough and specific verification protocols are required and that one ensures that they satisfy the intended goals, e.g., if you include a provision for an (absolute) time during stamp creation, you should be able to identify such a temporal measure during stamp verification. The second (closely related to the first) is to present a model as well as specifically define some of the goals or requirements of a timestamping protocol, e.g., the provision of absolute vs. relative temporal authentication. Notably, one should be careful when setting goals that may be difficult to meet, e.g., assuming that you do not have to trust the centralized entity that is responsible for providing the users with temporal authentication. We hope that the definitions and model given in Section 1 demonstrate the need for such specifications as well as independently provide some much needed foundation for the role of a timestamping authority.

More generally, our goal was to point out again that protocols that use (believed to be) secure underlying algorithms do not necessarily provide an equivalent level of security should they be carelessly implemented. In this way, we make an attempt at warning potential users or implementors that protocol design is very difficult and that precautions (such as the widespread publication of timestamps) that may be thought of as an additional feature to the security of a system, may in fact be necessary in some situations.

# Acknowledgements

Thanks to Paul Van Oorschot for his comments and to Josh Benaloh for answering some questions related to [7]. Thanks also to the anonymous referees for their extremely helpful comments and suggestions.

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