DATE: IMPLEMENTATION OF FUZZY CONTROL/ INFERENCE SYSTEM

AIM:

To implementation of fuzzy control/inference system.

DESCRIPTION:

1. Define the Problem:

Clearly define the problem you want to solve using fuzzy logic. Determine the input variables, output variables, and the rules that relate them.

2. Membership Functions:

Define membership functions for each input and output variable. Membership functions describe how each variable can be categorized into fuzzy sets (e.g., "low," "medium," "high").

3. Rule Base:

Create a rule base that specifies the fuzzy logic rules. These rules define how the inputs influence the outputs. For example, "if input A is high and input B is low, then output X is medium."

4. Fuzzy Inference:

Implement the fuzzy inference engine. This engine uses the rules and membership functions to calculate the degree of membership for each rule.

5. Aggregation:

Combine the outputs from each rule using aggregation methods like the maxmin or max-product. This step determines the fuzzy output

6. Defuzzification:

Convert the fuzzy output into a crisp, real-world value. Common methods include centroid, mean of maxima, or weighted average.

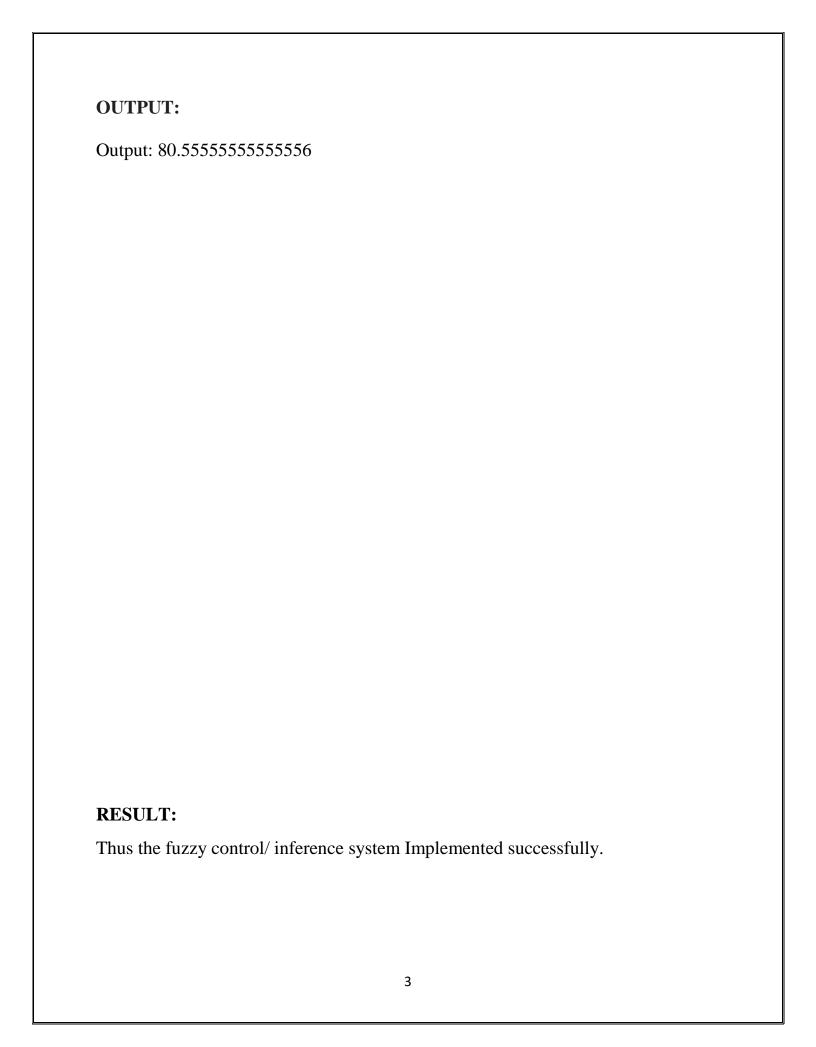
7. Implementation:

Use a programming language (e.g., Python, MATLAB) or a dedicated fuzzy logic library to implement your fuzzy inference system.

8. Testing and Tuning:

Test your system with various inputs and fine-tune the membership functions and rules to improve performance.

```
import numpy as np
import skfuzzy as fuzz
from skfuzzy import control as ctrl
# Define input and output variables with membership functions
input variable = ctrl.Antecedent(np.arange(0, 101, 1), 'input variable')
output_variable = ctrl.Consequent(np.arange(0, 101, 1), 'output_variable')
input_variable['low'] = fuzz.trimf(input_variable.universe, [0, 0, 50])
input variable['medium'] = fuzz.trimf(input variable.universe, [25, 50, 75])
input variable['high'] = fuzz.trimf(input variable.universe, [50, 100, 100])
output_variable['low'] = fuzz.trimf(output_variable.universe, [0, 0, 50])
output variable['medium'] = fuzz.trimf(output variable.universe, [25, 50, 75])
output_variable['high'] = fuzz.trimf(output_variable.universe, [50, 100, 100])
# Define rules
rule1 = ctrl.Rule(input variable['low'], output variable['low'])
rule2 = ctrl.Rule(input_variable['medium'], output_variable['medium'])
rule3 = ctrl.Rule(input_variable['high'], output_variable['high'])
# Create a control system and simulate it
system = ctrl.ControlSystem([rule1, rule2, rule3])
simulation = ctrl.ControlSystemSimulation(system)
# Input values
simulation.input['input_variable'] = 75
# Compute the result
simulation.compute()
# Get the defuzzified output
output = simulation.output['output_variable']
print("Output:", output)
```



EX.NO:2	
DATE:	PROGRAMMING EXERCISE ON CLASSIFICATION
	WITH A DISCRETE PERCEPTRON

AIM:

To Programming the exercise on classification with a discrete perceptron.

DESCRIPTION:

- Creating a simple classification program using a discrete perceptron is a great exercise.
- Here's a Python example using NumPy to implement a discrete perceptron for binary classification.
- In this exercise, we'll classify data points into two classes (0 and 1) based on two input features.
- We define a 'DiscretePerceptron' class with methods for initialization, training, and prediction.
- We create some example data 'x' and corresponding target labels `y'.
- We train the perceptron using the training data.
- We use the trained perceptron to predict the classes of some test data.
- The perceptron makes binary classifications (0 or 1) based on the sign of the weighted sum of input features.
- This is a simplified version of a perceptron. In practice, deep learning frameworks like TensorFlow or PyTorch are used for more complex problems.

```
import numpy as np
# Define the discrete perceptron class
class DiscretePerceptron:
  def init (self, num features):
     # Initialize weights and bias
     self.weights = np.zeros(num_features)
     self.bias = 0
  def train(self, X, y, learning_rate=0.1, epochs=100):
     for epoch in range(epochs):
       for i in range(X.shape[0]):
          prediction = self.predict(X[i])
          error = y[i] - prediction
          self.weights += learning_rate * error * X[i]
          self.bias += learning_rate * error
  def predict(self, x):
     activation = np.dot(self.weights, x) + self.bias
     return 1 if activation >= 0 else 0
# Generate some example data
X = np \cdot array([[0, 0], [0, 1], [1, 0], [1, 1]])
y = np.array([0, 0, 0, 1])
# Create and train the perceptron
perceptron = DiscretePerceptron(num_features=2)
perceptron.train(X, y, learning_rate=0.1, epochs=100)
# Test the perceptron
test_data = np.array([[0, 0], [0, 1], [1, 0], [1, 1]])
predictions = [perceptron.predict(x) for x in test_data]
# Print the predictions
for i, x in enumerate(test_data):
  print(f"Input: {x}, Predicted Class: {predictions[i]}")
```

Input: [0 0], Predicted Class: 0 Input: [0 1], Predicted Class: 0 Input: [1 0], Predicted Class: 0 Input: [1 1], Predicted Class: 1

RESULT:

Thus the Programming exercise on classification with a discrete perceptron executed successfully.

DATE: IMPLEMENTATION OF XOR WITH BACKPROPAGATION ALGORITHM

AIM:

To Implement The XOR With Backpropagation Algorithm.

DESCRIPTION:

- Implementing XOR using a simple feedforward neural network with backpropagation is a classic example in neural network training.
- You can use Python and libraries like NumPy to build this network.
- Here's a basic implementation.
- This code defines a simple feedforward neural network with one hidden layer and uses backpropagation to train it to solve the XOR problem.
- After training, the network can predict the XOR outputs correctly.
- You can adjust the number of hidden neurons, learning rate, and training epochs to experiment with different configurations.

```
import numpy as np
# Define sigmoid activation function and its derivative
def sigmoid(x):
  return 1/(1 + np.exp(-x))
def sigmoid_derivative(x):
  return x * (1 - x)
# Define the XOR dataset
X = np.array([[0, 0], [0, 1], [1, 0], [1, 1]])
y = np.array([[0], [1], [1], [0]])
# Initialize the neural network architecture
input size = 2
hidden size = 4
output\_size = 1
# Initialize weights and biases
np.random.seed(0)
input_layer_weights = np.random.uniform(size=(input_size, hidden_size))
input_layer_bias = np.random.uniform(size=(1, hidden_size))
hidden_layer_weights = np.random.uniform(size=(hidden_size, output_size))
hidden_layer_bias = np.random.uniform(size=(1, output_size))
learning_rate = 0.1
epochs = 10000
# Training the neural network using backpropagation
for epoch in range(epochs):
  # Forward propagation
  input_layer_activation = sigmoid(np.dot(X, input_layer_weights) +
input_layer_bias)
  output_layer_activation = sigmoid(np.dot(input_layer_activation,
hidden_layer_weights) + hidden_layer_bias)
  # Calculate the loss
  loss = y - output_layer_activation
```

```
# Backpropagation
  d output = loss * sigmoid derivative(output layer activation)
  error hidden layer = d_output.dot(hidden layer weights.T)
  d hidden layer = error hidden layer *
sigmoid derivative(input layer activation)
  # Update the weights and biases
  hidden_layer_weights += input_layer_activation.T.dot(d_output) * learning_rate
  hidden layer bias += np.sum(d output, axis=0, keepdims=True) *
learning_rate
  input_layer_weights += X.T.dot(d_hidden_layer) * learning_rate
  input_layer_bias += np.sum(d_hidden_layer, axis=0, keepdims=True) *
learning_rate
# Testing the trained network
input_layer_activation = sigmoid(np.dot(X, input_layer_weights) +
input layer bias)
output_layer_activation = sigmoid(np.dot(input_layer_activation,
hidden_layer_weights) + hidden_layer_bias)
# Print the predictions
print("Predicted Output:")
print(output layer activation)
```

Predicted Output: [[0.05260184] [0.95201005] [0.9513495] [0.05160081]]

RESULT:

Thus the Implementation of XOR With Backpropagation Algorithm executed Successfully.

DATE:

IMPLEMENTATION OF SELF ORGANIZING MAPS FOR A SPECIFIC APPLICATION

AIM:

To Implement the self organizing maps for a specific application.

Description:

- Implementing a Self-Organizing Map (SOM) for a specific application involves defining the architecture of the SOM, training it on your dataset, and then using it for the intended purpose.
- Here's a general outline of the process for implementing a SOM for a clustering application:
- 1. Define the Architecture:
- Determine the input data dimension and the size of the SOM grid (number of rows and columns).
- Decide on the learning rate and neighborhood radius parameters for training.
- 2. Initialize the SOM:
- Initialize the SOM grid with random weights for each neuron in the grid.
- Optionally, you can use techniques like Principal Component Analysis (PCA) to i nitialize weights more effectively.
- 3. Training the SOM:
- Iterate through your dataset and update the weights of neurons based on their pro ximity to the input data points.
- Adjust the learning rate and neighborhood radius over time to enable convergence.
- 4. Visualization (Optional):
- This step helps the SOM learn the data distribution and cluster it effectively.
- Visualize the SOM to understand its learned topology and clusters. Common techniques include U-matrix, Heatmap, and Component Planes.
- 5. Using the Trained SOM:

- Apply the trained SOM to new data to perform clustering or visualization.
- Neurons with similar weight vectors represent similar data points or clusters.
- 6. Tuning and Optimization (Optional):
- Fine-tune the SOM's parameters, such as the learning rate, neighborhood radius, and number of training iterations, to improve performance for your specific application.

plt.show()

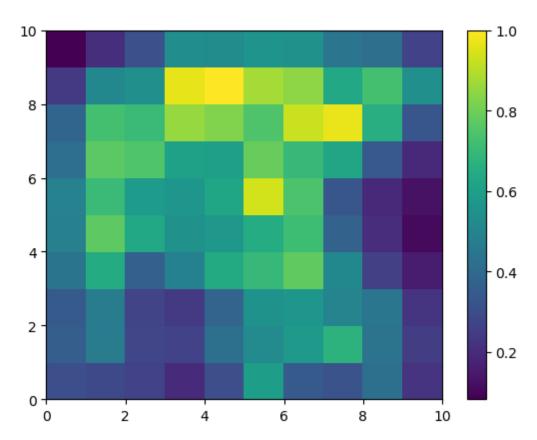
```
from minisom import MiniSom
import numpy as np
import matplotlib.pyplot as plt
```

```
# Define the dataset (replace this with your application-specific data)
data = np.random.rand(100, 2) # Example 2D data

# Define the SOM grid size and initialize the SOM
grid_rows = 10
grid_columns = 10
input_dimensions = data.shape[1]
som = MiniSom(grid_rows, grid_columns, input_dimensions, sigma=1.0, learning_rate=0.5)

# Train the SOM
som.train_random(data, 100) # Adjust the number of iterations as needed

# Visualize the SOM
plt.pcolor(som.distance_map().T)
plt.colorbar()
```



RESULT:

Thus the Implementation of self organizing maps for a specific application.

DATE: PROGRAMMING EXERCISES ON MAXIMIZING A

FUNCTION USING GENETIC ALGORITHM

AIM:

To Programming exercises on maximizing a function using Genetic algorithm.

DESCRIPTION:

- Implementing a genetic algorithm to maximize a function involves defining the genetic operators, initializing a population, and evolving it through generations. Here's a Python example of maximizing a simple function using a genetic algorithm:
- Let's say we want to maximize the function $f(x) = x^2$ over a specified range.
- In this example, we use a genetic algorithm to find the maximum of the function $f(x) = x^2$.
- The population evolves over generations through selection, crossover, and mutation.
- The algorithm iterates for a specified number of generations, and the best solution found is printed at the end.
- You can adjust the parameters, change the objective function, or apply this concept to more complex problems by modifying the genetic operators and representations

```
import random
```

```
# Define the objective function to maximize
def objective function(x):
  return x**2
# Genetic Algorithm Parameters
population\_size = 100
generations = 50
mutation rate = 0.1
crossover_rate = 0.8
range_min = -10
range_max = 10
# Initialize a population with random solutions
population = [random.uniform(range min, range max) for in
range(population_size)]
# Main Genetic Algorithm Loop
for generation in range(generations):
  # Evaluate the fitness of each individual in the population
  fitness_scores = [objective_function(x) for x in population]
  # Select the top-performing individuals
  num_parents = int(population_size * 0.2) # Select top 20%
  parents = [population[i] for i in sorted(range(population_size), key=lambda i:
fitness_scores[i], reverse=True)[:num_parents]]
# Create the next generation through crossover and mutation
children = []
while len(children) < population size:
  parent1, parent2 = random.choice(parents), random.choice(parents)
  if random.random() < crossover_rate:</pre>
     crossover_point = random.randint(0, 1) # Crossover for single float values
    child = parent1 + (parent2 - parent1) * crossover_point
  else:
    child = random.choice(parents)
  if random.random() < mutation_rate:</pre>
     mutation amount = random.uniform(-0.1, 0.1)
```

```
child += mutation_amount
children.append(child)

# Replace the old population with the new generation
population = children

# Find the best solution in the final population
best_solution = max(population, key=objective_function)

print(f"Best solution: x = {best_solution}, f(x)
={objective_function(best_solution)}")
```

Best solution: x = 9.974722518229669, f(x) = 99.49508931567803

RESULT:

Thus the Programming exercises on maximizing a function using Genetic algorithm successfully executed.

DATE: IMPLEMENTATION OF TWO INPUT SINE FUNCTION

AIM:

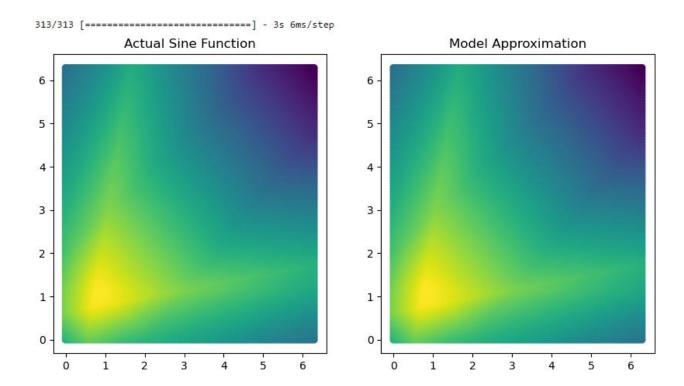
To Implementation of two input sine function.

DESCRIPTION:

- If you want to implement a neural network to approximate a two-input sine function, you can use Python and libraries like TensorFlow or PyTorch.
- Here's a simple example using TensorFlow to create a neural network for this purpose:
- 1. We generate random training data `x` with two input values between 0 and 2 and compute the corresponding output values'y based on the sum of two sine functions.
- 2. We define a simple neural network with two input neurons, one hidden layer with 16 neurons, and one output neuron.
- 3. The model is trained to approximate the sine function using mean squared error as the loss function.
- 4. We create test data 'x_test' to evaluate the model's approximation and visualize the results.

You can adjust the neural network architecture and the training parameters to see how well the model approximates the two-input sine function

```
import numpy as np
import tensorflow as tf
import matplotlib.pyplot as plt
# Generate training data
np.random.seed(0)
X = np.random.rand(1000, 2) * 2 * np.pi # Random inputs between 0 and 2*pi
y = np.sin(X[:, 0]) + np.sin(X[:, 1])
# Define the neural network model
model = tf.keras.Sequential([
  tf.keras.layers.Dense(16, activation='relu', input shape=(2,)),
  tf.keras.layers.Dense(1) # Output layer with one neuron
1)
# Compile the model
model.compile(optimizer='adam', loss='mean_squared_error')
# Train the model
history = model.fit(X, y, epochs=100, verbose=0)
# Generate test data
X_{\text{test}} = \text{np.array}([[x, y] \text{ for } x \text{ in } \text{np.linspace}(0, 2 * \text{np.pi}, 100) \text{ for } y \text{ in})
np.linspace(0, 2 * np.pi, 100)])
y_test = model.predict(X_test)
# Plot the actual sine function and the model's approximation
plt.figure(figsize=(10, 5))
plt.subplot(1, 2, 1)
plt.title("Actual Sine Function")
plt.scatter(X_test[:, 0], X_test[:, 1], c=y_test, cmap='viridis')
plt.subplot(1, 2, 2)
plt.title("Model Approximation")
plt.scatter(X_test[:, 0], X_test[:, 1], c=y_test, cmap='viridis')
plt.show()
```



RESULT:

Thus the Implementation of two input sine function is successfully executed.

EX.NO: 7

DATE: IMPLEMENTATION OF THREE INPUT NON LINEAR FUNCTION

AIM:

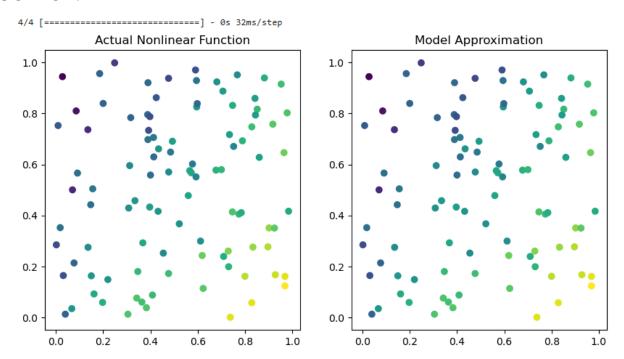
To Implement the Three Input Non Linear Function.

DESCRIPTION:

- Implementing a neural network for a three-input nonlinear function follows a similar approach as the two-input function, but you need to adjust the input dimension and network architecture.
- Here's an example using Python and Tensor Flow to approximate a three-input nonlinear function:
- 1. We generate random training data 'x' with three input values between 0 and 1 and compute the corresponding output values 'y based on a nonlinear function that combines sine, exponential, and cosine functions.
- 2. We define a neural network with three input neurons, two hidden layers with 32 and 16 neurons, and one output neuron.
- 3. The model is trained to approximate the nonlinear function using mean squared error as the loss function.
- 4. We create random test data 'X_test` to evaluate the model's approximation and visualize the results.

You can adjust the neural network architecture and the training parameters to see how well the model approximates the three-input nonlinear function for your specific application.

```
import numpy as np
import tensorflow as tf
import matplotlib.pyplot as plt
# Generate training data for a three-input nonlinear function
np.random.seed(0)
X = np.random.rand(1000, 3) \# Random inputs between 0 and 1 for three
variables
y = np.sin(X[:, 0]) + np.exp(-X[:, 1]) + np.cos(X[:, 2])
# Define the neural network model
model = tf.keras.Sequential([
  tf.keras.layers.Dense(32, activation='relu', input_shape=(3,)),
  tf.keras.layers.Dense(16, activation='relu'),
  tf.keras.layers.Dense(1) # Output layer with one neuron
1)
# Compile the model
model.compile(optimizer='adam', loss='mean_squared_error')
# Train the model
history = model.fit(X, y, epochs=100, verbose=0)
# Generate test data
X_{test} = np.random.rand(100, 3) # Random test inputs
y_test = model.predict(X_test)
# Plot the actual function and the model's approximation
plt.figure(figsize=(10, 5))
plt.subplot(1, 2, 1)
plt.title("Actual Nonlinear Function")
plt.scatter(X_test[:, 0], X_test[:, 1], c=y_test, cmap='viridis')
plt.subplot(1, 2, 2)
plt.title("Model Approximation")
plt.scatter(X_test[:, 0], X_test[:, 1], c=y_test, cmap='viridis')
plt.show()
```



RESULT:

Thus the Implementation of three input non linear function.