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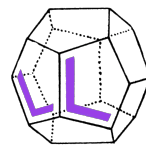
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Chern-Weil Theory

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0. Notes

1. Chern-Weil theory is *differential cohomology*.
2. This reflects a topos bit of 0.
3. One must include the theory of topological \mathbb{R} -modules and topological \mathbb{C} -modules and topological \mathbb{H} -modules.
1. is a colimit involving $\mathbb{Z}[n!^{-1}]$.
2. $\mathbb{R}^{\mathfrak{n}}$ is the set of points of a locale constructed from the inner product on ${}^{\mathfrak{n}}$ as a finite dimensional hilbert space.
3. \mathbb{C} is \mathbb{R}^2 .
4. The inverse function theorem
5. The implicit function theorem
6. The logarithm as an integral
7. The exponential defined on ${}^{\mathfrak{x}}$, $\mathbb{C}^{\mathfrak{x}}$, and $\mathbb{R}^{\mathfrak{x}}$ using the inverse function theorem applied to the logarithm
8. The logarithm defined on particular elementary matrices to a power.
9. The exponential defined on elementary matrices.
10. The elemtnary matrices are to do with the Maurer-cartan form
11. log can proximally-locally be defined as the integral of the Maurer-cartain form $A^{-1}dA$ on GL
12. the correspondence between Lie-algebra valued differential forms on principal bundles and connections on their balanced product over X
13. the topologies of pointwise and uniform convergence respectively
1. The Chern classes
- 2.

...	EXAMPLE2

1. Unicode

Lean 4 uses unicode, and this entails an extensive catalogue of characters to choose from. Here is a list of the unicode characters we will use:

Symbol	Unicode	VSCoDe shortcut	Use
Lean's Kernel			
\times	2A2F	<code>\times</code>	Product of types
\rightarrow	2192	<code>\rightarrow</code>	Hom of types
\langle, \rangle	27E8, 27E9	<code>\langle \rangle</code> , <code>\rangle \langle</code>	Product term introduction
\mapsto	21A6	<code>\mapsto</code>	Hom term introduction
\wedge	2227	<code>\wedge</code>	Conjunction
\vee	2228	<code>\vee</code>	Disjunction
\forall	2200	<code>\forall</code>	Universal quantification
\exists	2203	<code>\exists</code>	Existential quantification
\neg	00AC	<code>\neg</code>	Negation
Variables and Constants			
	1D52, 1D56		Variables and constants
	1D52, 1D56		Variables and constants
$-$	207B		Variables and constants
$0, 1, 2, 3, 4, 5, 6, 7, 8, 9$	2080 - 2089	<code>\0-\9</code>	Variables and constants
$\alpha, \omega, A, \Omega$	03B1-03C9		Variables and constants
Adjunctions			
\rightrightarrows	21C4	<code>\rightrightarrows</code>	Adjunctions
\leftrightharpoons	21C6	<code>\leftrightharpoons</code>	Adjunctions
\cdot	1BC94		Right adjoints
\cdot	0971		Left adjoints
\dashv	22A3	<code>\dashv</code>	The condition that two Functors are adjoint
Miscellaneous			
\sim	223C	<code>\sim</code>	Homotopies
\simeq	2243	<code>\equiv</code>	Equivalences
\cong	2245	<code>\cong</code>	Isomorphisms
∞	221E	<code>\infty</code>	Infinity categories and infinity groupoids

I

Exponentiable locales and exponentiable ∞ -sheaves

1. Exponentiable ∞ -sheaves
2. ...

Proper locales and local homeomorphisms of locales

1. Locally compact is equivalent to exponentiable

1. open/not

2. closed/not

3. universally/not

4. diagonal map/not

5.

Trace and determinant in Hilbert spaces

2. Trace of an operator

1. Given a free module, one can define the trace.

3. Determinant of an operator

1. Given a free module, one can define the determinant.
1. The Weil uniformization theorem
2. Tate's thesis shows that the Γ -function is a local L-function.

Smooth manifolds

Definition (open map of topological spaces):

Definition (immersion of topological spaces):

Theorem (open immersion of topological spaces is an immersion with open image):

$$\tilde{f} : X \rightarrow \tilde{Y}$$

There is a continuous function induced by the universal mapping property of pushout applied to $f \circ \pi_1$ and $f \circ \pi_2$:

Suppose that $\tilde{Y} \rightarrow Y$ is an isomorphism. Then the following are equivalent:

1. f is a local homeomorphism.
2. π_1 and π_2 are local homeomorphisms.

Local homeomorphisms between d-corners

local diffeomorphisms between disjoint unions of d-corners?

1. The étale fundamental group of the real numbers is $\mathbb{Z}/2\mathbb{Z}$.

G-groups and groups under G

G-groups and groups under G

G - ∞ -groups and ∞ -groups under G

Lie-algebras

L^∞ algebras

L^∞ algebras

Formal group laws and Lie-algebras in characteristic 0

1. The BCH formula
2. [Mathoverflow question on ...](#)

Lie-algebra-valued differential forms

Definition 0.0.1. A

Definition 0.0.2.

Both a graded commutative differential graded algebra and a graded commutative differential graded algebra ...

Monoids in complexes.

1. An internal presheaf morphism \mathfrak{z} of an internal category.

2. A cogroup map $f : \Omega^* A \rightarrow \Omega^* \mathbb{R}$, $(f \circ f) \bullet \Delta = \Delta \bullet f$

$\exp :$

L^∞ -algebra valued differential forms

1. Is it natural to make L^∞ -algebra valued differential forms only for differential graded A^∞ -algebras.
Monoid actions in complexes.

Curvature

$\Omega^1(G, \mathfrak{g}) : E_-(\mathfrak{g}) \rightarrow G$ and the Maurer-Cartan form

1. The Maurer-Cartan form is a \mathfrak{g} -valued 1-form on G onto which $\Omega^1(G, \mathfrak{g})$ deformation retracts.
2. $\Omega^1(G, \mathfrak{g}) : E_-(\mathfrak{g}) \rightarrow G$, distinct from the instance of $E_-(\mathfrak{g}) \rightarrow G$ constructed in 1.1.1.1.1.
3. $\omega_G : \Omega^1(G, \mathfrak{g})$
4. curvature

$\Omega^1(P, \cdot) \cong \dots \cong \Omega^1(G, \cdot)$ and the
curvature form

The curvature form

1. In both commutative algebras and modules, CDGAs and CDGMs, $\text{Aut}(X)$ -principal bundles are interesting.
2. Will I eventually only discuss calculus in ...
- 3.

There is an equivalence between:

1. Functors into G -principal bundles
- 2.

III

The first Chern-class

The Chern-homomorphism

The Chern classes

1. Do I need the fundamental theorem of invariant theory?

The Chern roots

The Splitting principle

The cohomology of Grassmanians

Distributions???

...

BIBLIOGRAPHY

