

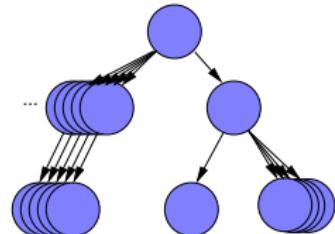
# **02244 Logic for Security Security Protocols Secure Implementation and Typing**

Sebastian Mödersheim

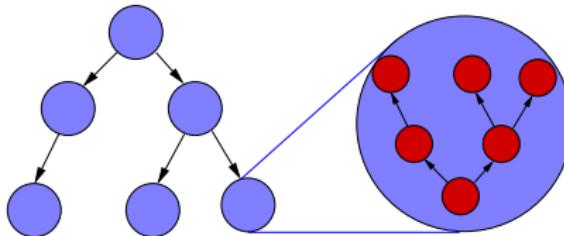
February 23, 2026

# Lazy Intruder: Summary

- Without the **lazy** approach, we would get an infinite search tree because the intruder has often an infinite choice of messages to send.
- We avoid this by using the **lazy intruder**:



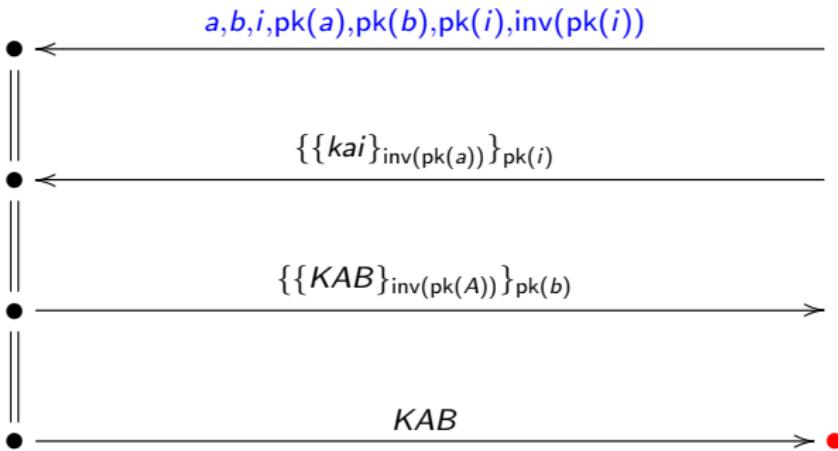
**Layer 1:** a symbolic search tree  
**Layer 2:** constraint solving



# Lazy Intruder: Summary

- Strand: sequence of incoming and outgoing messages from the point of view of the intruder.
- Can the intruder generate all outgoing messages, given all previous incoming messages?
- Analysis of incoming messages:
  - ★ If encrypted: can the intruder decrypt it?
    - ▶ If so, add the result of the decryption as an incoming message at the earliest point where the decryption key is available.
- Outgoing messages:
  - ★ Axiom: Is there any prior incoming message that unifies?
    - ▶ If so, apply the unifier and remove the outgoing message.
  - ★ Compose: Is the message composed with a public function?
    - ▶ If so replace the message with its subterms.
  - ★ There may be several possibilities and all must be followed!
- Solved if all outgoing messages are variables
  - ★ The intruder can always send **something**. Be lazy!

# Last Week's Challenge

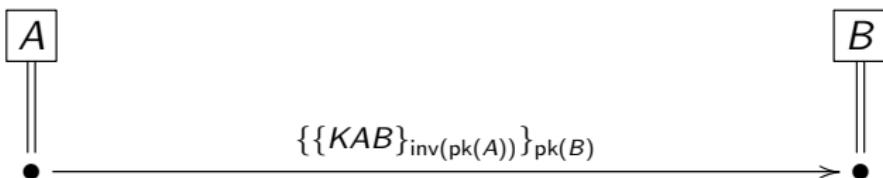


Exercise: show that this constraint has both

- a solution where  $A = i$  (i.e., a normal execution)
- a solution where  $A = a$  (i.e., an attack)

## Last Week's Challenge

Last week's exercise was based on the simple protocol:



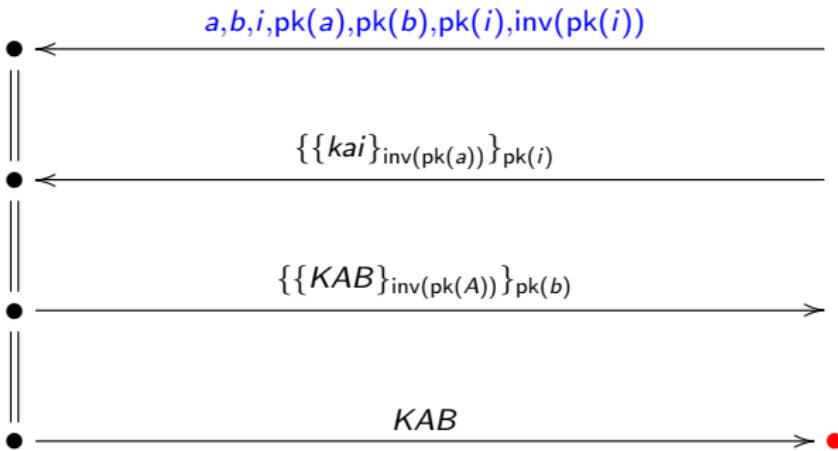
where  $KAB$  is a fresh session key that  $A$  and  $B$  can use thereafter.<sup>1</sup>

---

<sup>1</sup>Note that if you try this in OFMC you get a special attack ...

- unless  $A = B$  is excluded
- because OFMC uses a special algebraic property that  $\{\{M\}_{\text{inv}(K)}\}_K = M$

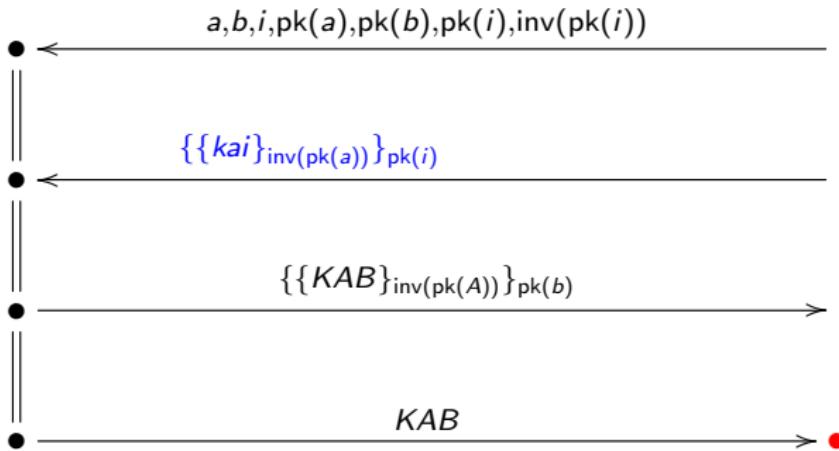
# Last Week's Challenge



Exercise: show that this constraint has both

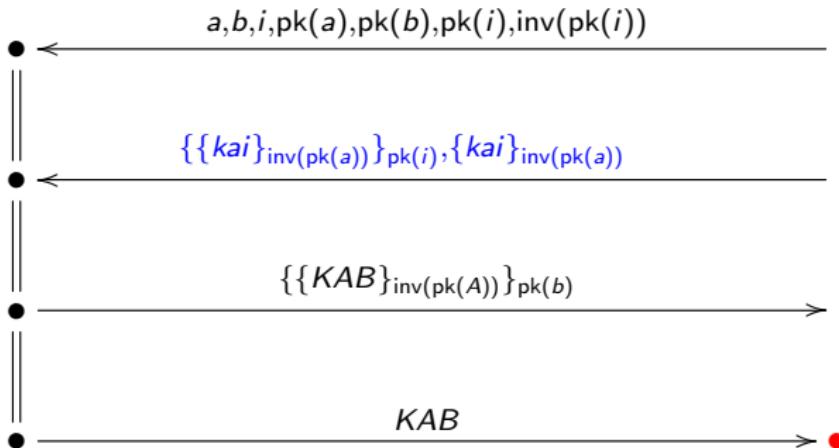
- a solution where  $A = i$  (i.e., a normal execution)
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# Last Week's Challenge



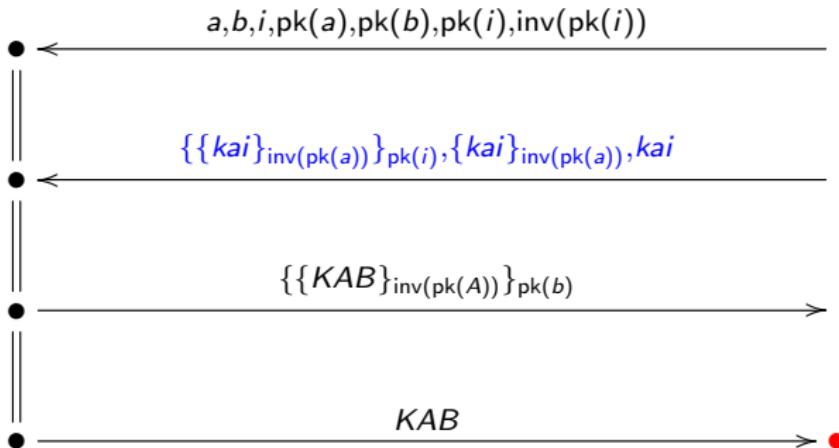
- The incoming message is encrypted with  $\text{pk}(i)$  and the intruder knows  $\text{inv}(\text{pk}(i))$ .

# Last Week's Challenge



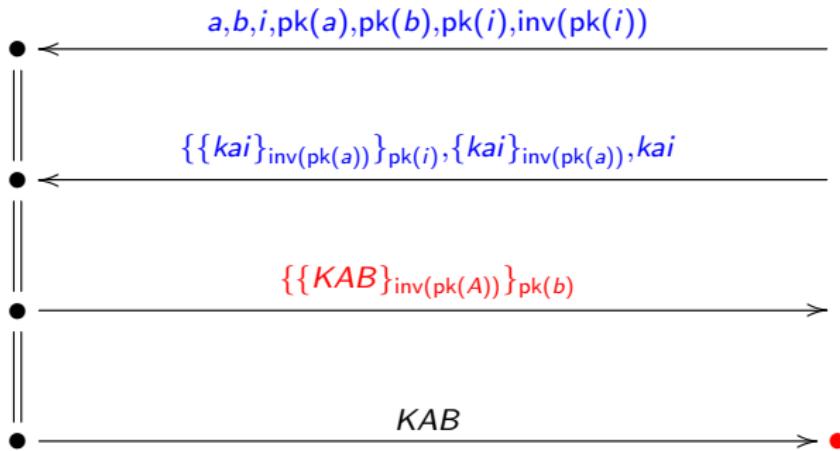
- The incoming message is encrypted with  $\text{pk}(i)$  and the intruder knows  $\text{inv}(\text{pk}(i))$ .
  - ★ Decryption yields  $\{kai\}_{\text{inv}(\text{pk}(a))}$  which is a signature

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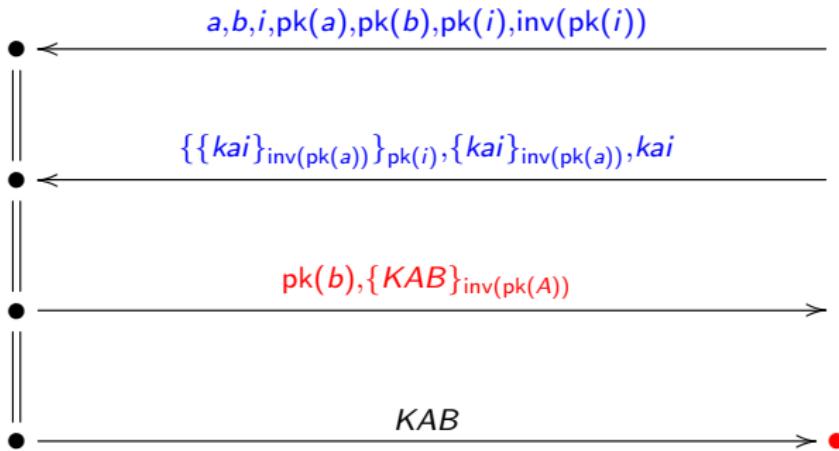
- The incoming message is encrypted with  $\text{pk}(i)$  and the intruder knows  $\text{inv}(\text{pk}(i))$ .
  - ★ Decryption yields  $\{\text{kai}\}_{\text{inv}(\text{pk}(a))}$  which is a signature
    - ▶ So by further analysis, the intruder also learns  $kai$

# Last Week's Challenge



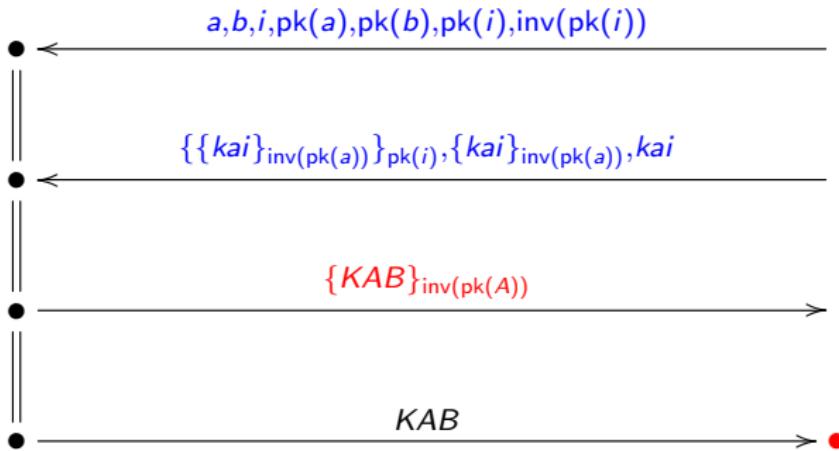
- The **outgoing message** is encrypted with  $\text{pk}(b)$  and the intruder has no such message in his knowledge
  - ★ handle by composition: generate subterms  $\text{pk}(b), \{\{KAB\}_{\text{inv}(\text{pk}(A))}\}$

# Last Week's Challenge



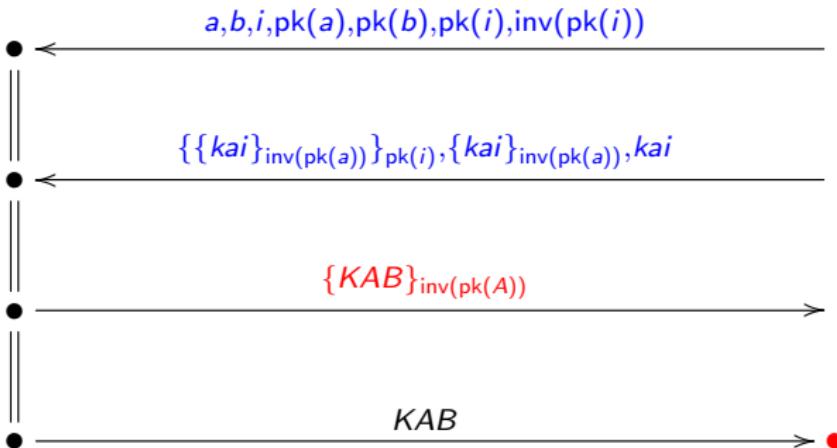
- $\text{pk}(b)$  is easy with axiom.

# Last Week's Challenge



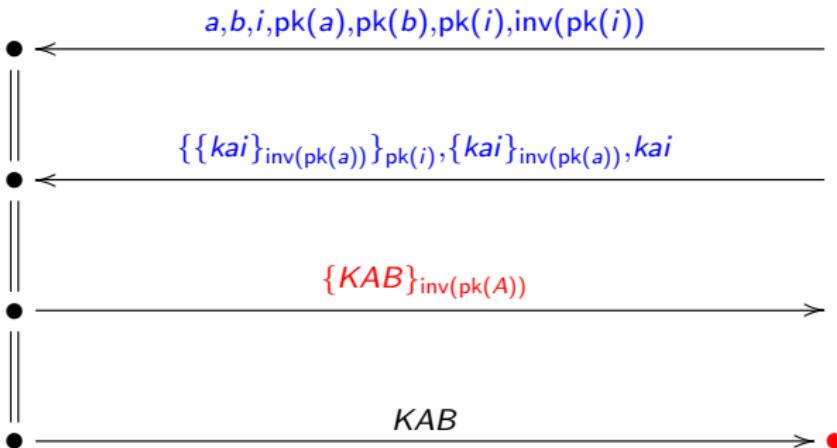
- What about  $\{KAB\}_{\text{inv}(\text{pk}(A))}$ ?

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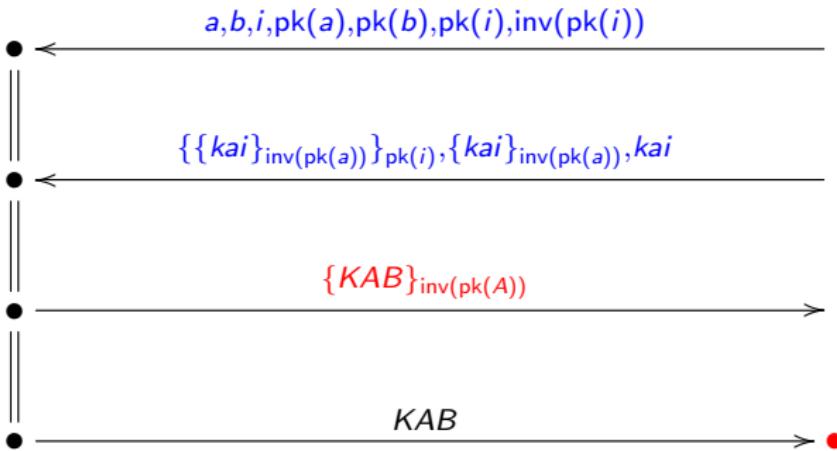
- What about  $\{KAB\}_{\text{inv}(\text{pk}(A))}$ ?
  - ① Compose: construct the subterms
  - ② Axiom: unify with any term in the knowledge that fits

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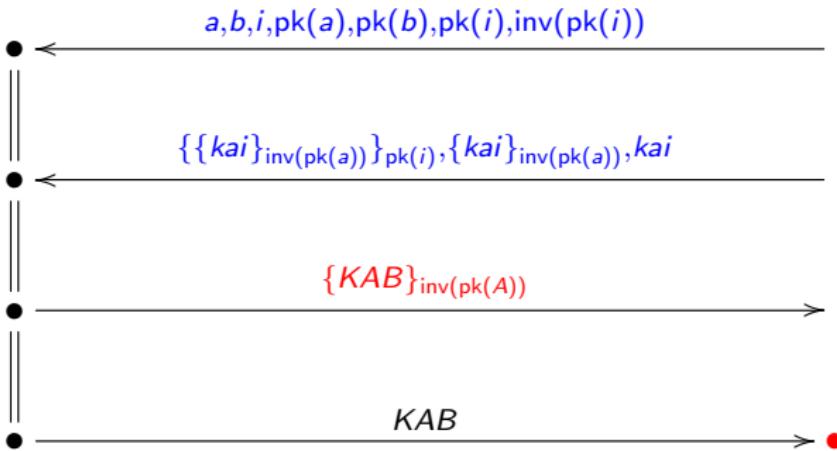
- What about  $\{KAB\}_{\text{inv}(\text{pk}(A))}$ ?
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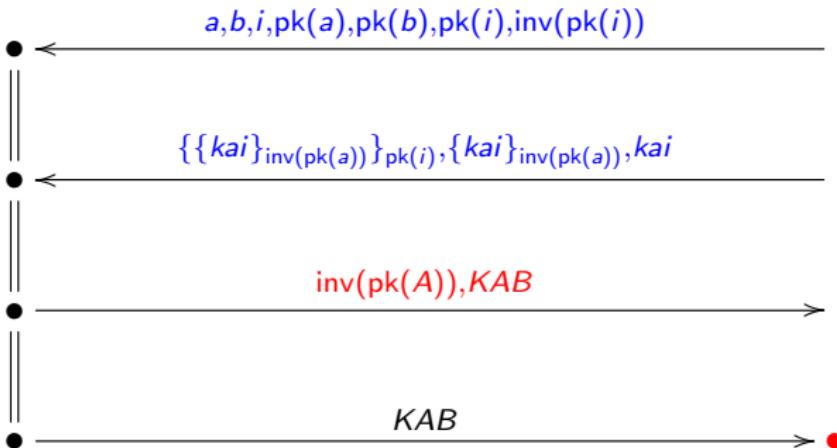
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    - ▶ only choice:  $\{kai\}_{\text{inv}(\text{pk}(a))}$

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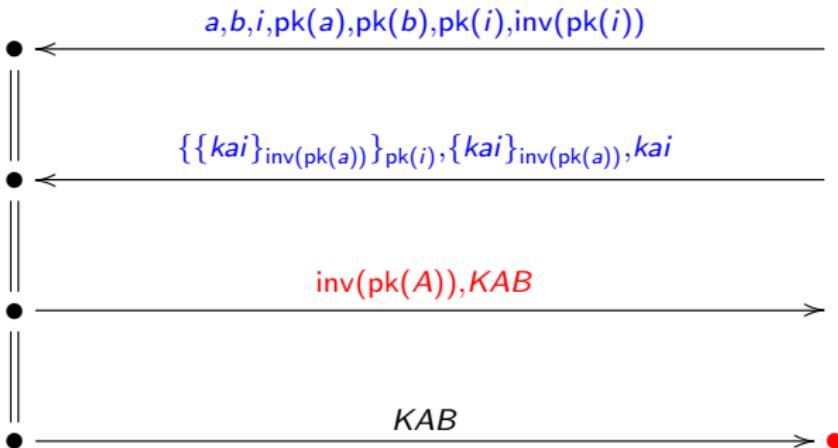
- What about  $\{KAB\}_{\text{inv}(\text{pk}(A))}$ ?
  - ① Compose: construct the subterms:  $\text{inv}(\text{pk}(A)), KAB$
  - ② Axiom: unify with any term in the knowledge that fits
    - ▶ only choice:  $\{kai\}_{\text{inv}(\text{pk}(a))}$  thus  $A = a, KAB = kai.$

# Last Week's Challenge



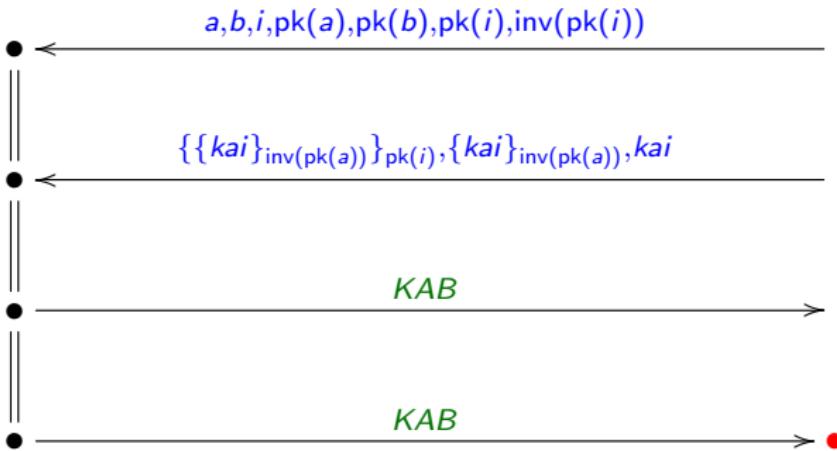
- Using (1) compose for  $\{KAB\}_{\text{inv}(\text{pk}(A))}$ :
  - $i$  signs some message  $KAB$  with some private key  $\text{inv}(\text{pk}(A))$

# Last Week's Challenge



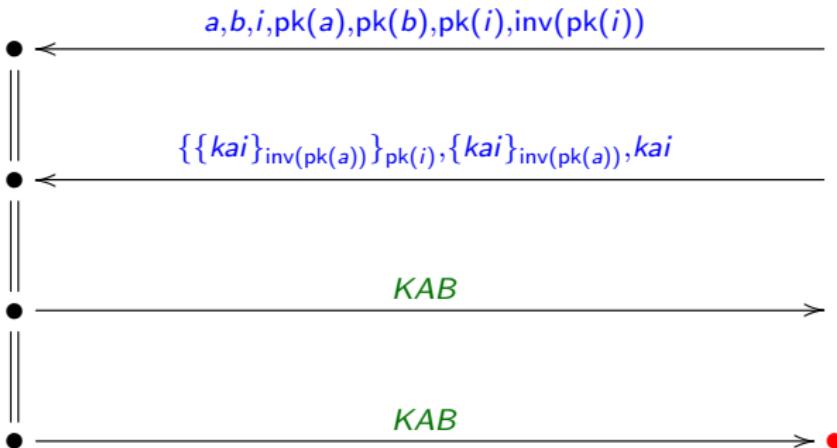
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  - $i$  signs some message  $KAB$  with some private key  $\text{inv}(\text{pk}(A))$
  - $i$  can only has only his own private key:  $\text{inv}(\text{pk}(i))$  thus  $A = i$ .

# Last Week's Challenge



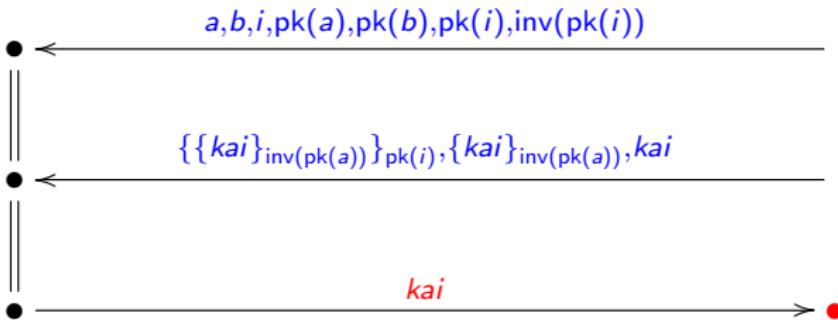
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  - $KAB$  remains lazy: the intruder can use whatever he wants.

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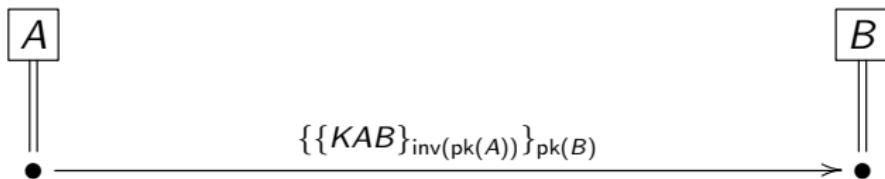
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  - ★  $i$  signs some message  $KAB$  with some private key  $\text{inv}(\text{pk}(A))$
  - ★  $i$  can only have his own private key:  $\text{inv}(\text{pk}(i))$  thus  $A = i$ .
  - ★  $KAB$  remains lazy: the intruder can use whatever he wants.
- This actually is the normal protocol execution with the intruder playing role  $A$ .

# Last Week's Challenge

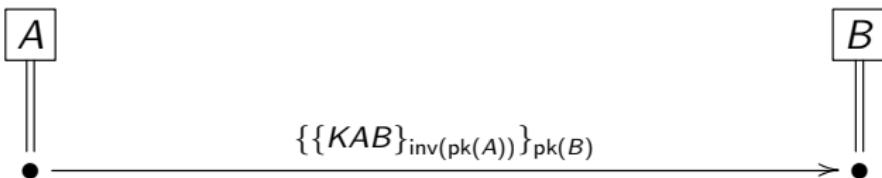


- Using (2) Axiom case ( $A = a, KAB = kai$ )
  - ★ It remains to generate  $kai$  – with Axiom
- This is actually an attack to the protocol.

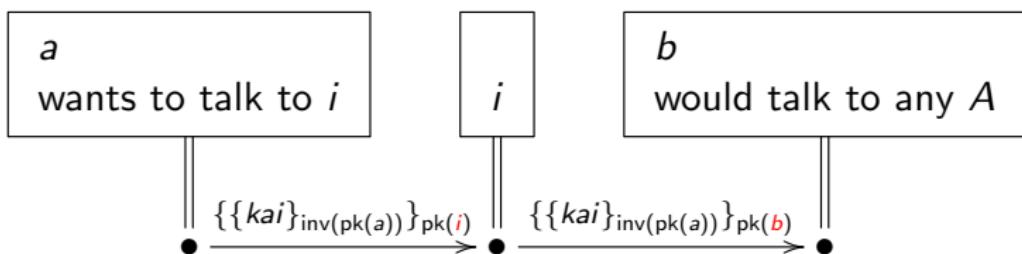
# A Common Mistake...



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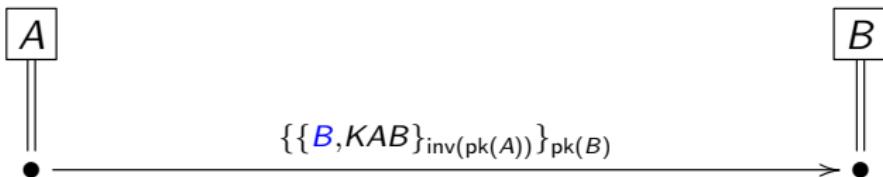
Attack:



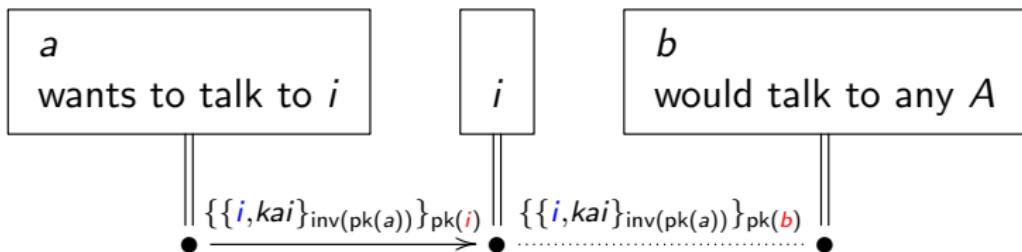
- a thinks:  $kai$  is a secure session key with  $i$  ✓
- b thinks:  $kai$  is a secure session key with  $a$  ✗
  - ★ the intruder knows  $kai$  and  $a$  might have never heard of  $b$ .

# A Common Mistake...

Include the name of the intended recipient in the signature:



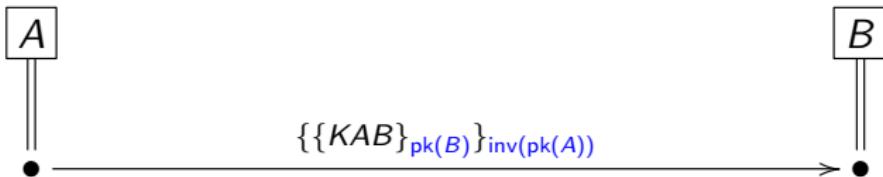
The attack does not work anymore:



- Always be clear what the messages mean!

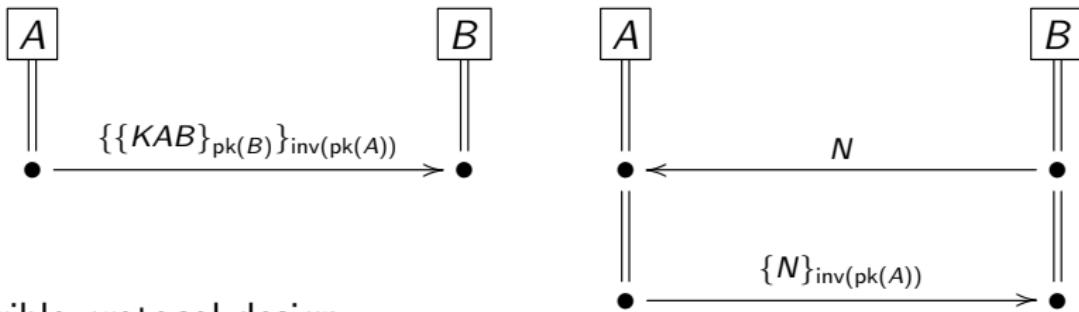
# An Alternative Solution

What about first encrypting and then signing?



- Indeed, this also prevents the attack.
- This violates, however, a common recommendation:
  - ★ Do not design protocols where users must sign encrypted data.
  - ★ Why not?

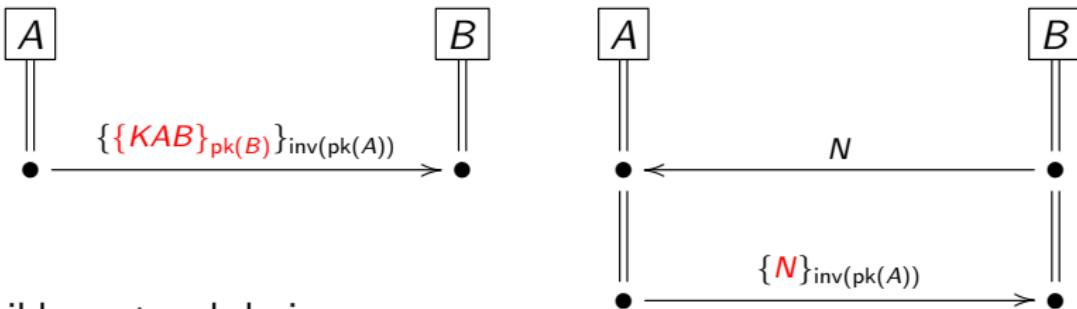
# Mind the Environment



Terrible protocol design:

- while each of these protocols is secure in isolation

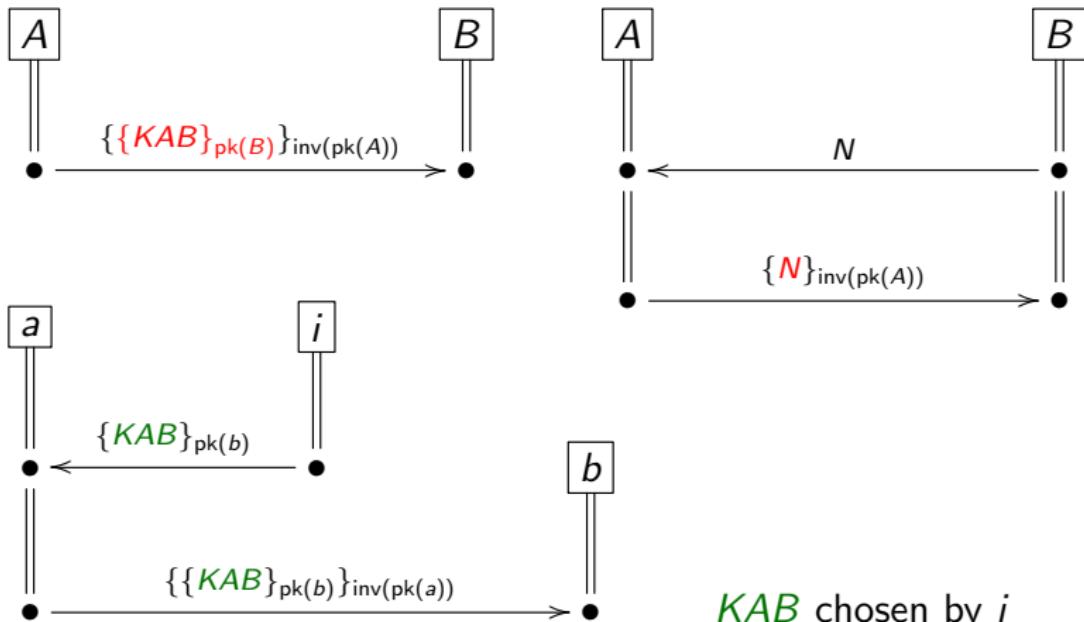
# Mind the Environment



Terrible protocol design:

- while each of these protocols is secure in isolation
- together they break because the **signed messages** don't say what they mean...

# Mind the Environment



Attack/Confusion: *a* runs right protocol, *b* runs left protocol.  
This is called a **type flaw attack**.

# Classics: Otway-Rees [1987]

see OFMC examples/6.3-Sym-Key-TTP/

A->B: M,A,B,{|NA,M,A,B|}sk(A,s)  
B->s: M,A,B,{|NA,M,A,B|}sk(A,s),  
          {|NB,M,A,B|}sk(B,s)  
s->B: M,A,B,{|NA,KAB|}sk(A,s),  
          {|NB,KAB|}sk(B,s)  
B->A: M,A,B,{|NA,KAB|}sk(A,s)

- Actually secure in default **typed** mode.
- Use option **--untyped** to get an attack  
(or remove type declaration for KAB):

ATTACK TRACE:

(x401,1) -> i: M(1),x401,x25,{|NA(1),M(1),x401,x25|}\_(sk(x401,s))  
i -> (x401,1): M(1),x401,x25,{|NA(1),M(1),x401,x25|}\_(sk(x401,s))

# The Problem

$$M, A, B, \{NA, M, A, B\}_{sk(A,s)}$$

...

$$M, A, B, \{NA, KAB\}_{sk(A,s)}$$

- Given that  $M, A, B$  has the same length as  $KAB$
- $i$  can replay the former message in place of the latter

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  - $M, A, B$  is known to the intruder.

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$$M, A, B, \{ \| NA, M, A, B \| \}_{\text{sk}(A,s)}$$

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  - the recipient will accept  $M, A, B$  as the new session key.
  - $M, A, B$  is known to the intruder.
- Designers must make message formats sufficiently different whenever they mean something different!
- Actually, implementations will not just use string concatenation to structure messages.

# Structuring Messages

## Real-world Example: TLS 1.3 Handshake

```
enum { client_hello(1),
       server_hello(2),
       new_session_ticket(4),
       ...
} HandshakeType;

struct {
    HandshakeType msg_type;      /* handshake type */
    uint24 length;              /* remaining bytes in message */
    select (Handshake.msg_type) {
        case client_hello:          ClientHello;
        case server_hello:          ServerHello;
        ...
    };
} Handshake;

uint16 ProtocolVersion;
opaque Random[32];
uint8 CipherSuite[2];      /* Cryptographic suite selector */

struct {
    ProtocolVersion legacy_version = 0x0303;      /* TLS v1.2 */
    Random random;
    opaque legacy_session_id<0..32>;
    CipherSuite cipher_suites<2..2^16-2>;
    opaque legacy_compression_methods<1..2^8-1>;
    Extension extensions<8..2^16-1>;
} ClientHello;
```

# Structuring Messages

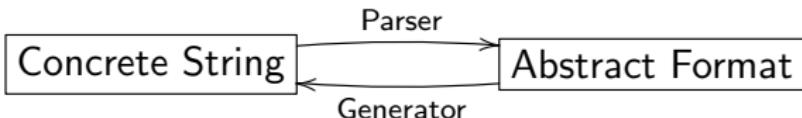
Concrete syntax of message formats, e.g.:

- Record data types (like TLS)
- XML
- JSON
- ...

Abstract syntax of message formats:

- A new **function symbol** for each message format, e.g.  
*client\_hello(random, cipher\_suites, extensions)*
- The **arguments** are simply messages (can be random numbers, agent names, encrypted messages,...)
- The function symbol represents abstractly that there is some concrete way to structure the data.

Concrete and Abstract syntax connected by a **parser** and a **generator**:



# Crypto API

For concrete implementations, we assume a [crypto-library](#):

- `String scrypt(String key, String msg)`  
implements a symmetric encryption (like AES)
- `String dscrypt(String key, String cipher)`  
implements the corresponding decryption algorithm  
will fail if `cipher` is not the result of an encryption with `key`.
- Similar functions for other cryptographic primitives.

We expect that  $dscrypt(k, scrypt(k, m)) = m$ .

[Cryptographic soundness](#) results:

- Roughly: by cryptanalysis the intruder cannot achieve anything that he could not achieve by calls of the crypto-API.
- Can be shown under some restrictions and hardness assumptions  
e.g. [Abadi & Rogaway] [Backes et al.]

# Non-Crypto API

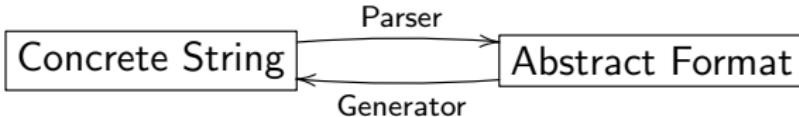
Similarly, we assume a [non-crypto-library](#):

For every format  $f(t_1, \dots, t_n)$ :

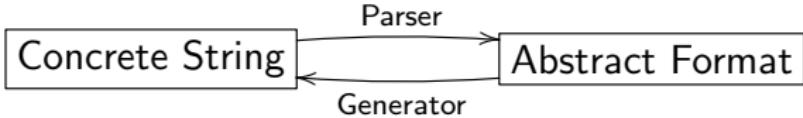
- A corresponding data-type F that has fields for  $t_1, \dots, t_n$
- F parseF(String s) that tries to parse the given string for this format and return a corresponding data structure.
- String generate(F form) that generates a string from the given data structure.

We expect that

- $\text{parseF}(\text{generate}(\text{form})) = \text{form}$   
for every object form of datatype F
- $\text{generate}(\text{parseF}(s)) = s$   
for every string s where  $\text{parseF}(s)$  does not fail.



# Soundness



Desirable properties:

- **Unambiguous**: For a concrete string there is **at most** one way to parse it for a format.
- **Disjointness**: No string can be parsed for more than one format.

A soundness result for the non-crypto API [M.&Katsoris]:

- Similar to the result for soundness of the crypto API
- Roughly: by string manipulation the intruder cannot achieve anything that he could not achieve by calls of the non-crypto-API.
- Requires that formats are unambiguous and pairwise disjoint, and soundness of crypto.

## Formats for Otway Rees

Consider again the Otway-Rees protocol – without the cleartext messages for simplicity:

```
A->B: { | NA , M , A , B | } sk(A , s)
B->s: { | NA , M , A , B | } sk(A , s) ,
        { | NB , M , A , B | } sk(B , s)
s->B: { | NA , KAB | } sk(A , s) ,
        { | NB , KAB | } sk(B , s)
B->A: { | NA , KAB | } sk(A , s)
```

Uses two different message formats:

- NA, M, A, B of type number, number, agent, agent.
- NA, KAB of type nonce, symkey.

We could define two data-formats for this:

- $f1(N, M, A, B)$  with four arguments
- $f2(N, K)$  with two arguments

## Formats for Otway Rees

```
A->B: { | f1(NA,M,A,B) | } sk(A,s)
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s->B: { | f2(NA,KAB) | } sk(A,s),
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B->A: { | f2(NA,KAB) | } sk(A,s)
```

Notes:

- The intruder can construct and deconstruct  $f_1$  and  $f_2$  like concatenations.

# Formats in OFMC

Types: Format f1,f2;

...

Knowledge: A: A,B,sk(A,s);  
B: B,A,sk(B,s);  
s: A,B,sk(A,s),sk(B,s)

Actions:

A->B: M,A,B,{|f1(NA,M,A,B)|}sk(A,s)

B->s: M,A,B,{|f1(NA,M,A,B)|}sk(A,s),{|f1(NB,M,A,B)|}sk(B,s)

s->B: M,{|f2(NA,KAB)|}sk(A,s),{|f2(NB,KAB)|}sk(B,s)

B->A: M,{|f2(NA,KAB)|}sk(A,s)

Goals: ...

- Formats are automatically in the knowledge of every agent, thus also the intruder can apply them.
- Formats are transparent: if the intruder knows  $f1(NB,M,A,B)$  then also  $NB,M,A,B$ .

## Formats for Otway Rees

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Does using formats prevent all type-flaw attacks on Otway-Rees?

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Does using formats prevent all type-flaw attacks on Otway-Rees?

- The intruder can still construct and send messages like  
 $\{ | f1(a,b,i,b) | \} sk(i,s)$
- This message is called **ill-typed** because it contains agents where numbers are expected
- It would actually still be accepted by the server.

## Formats for Otway Rees

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Does using formats prevent all type-flaw attacks on Otway-Rees?

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 $\{ | f1(a,b,i,b) | \} sk(i,s)$
- This message is called **ill-typed** because it contains agents where numbers are expected
- It would actually still be accepted by the server.
- Idea: the intruder cannot really exploit this, because nobody would accidentally read this as an  $f2$  message for instance.

# Message Patterns

- We now give a result for protocols that are **resistant to type flaws** – a notion we need to define.
- For that, we first define what **sub-message patterns** are.

## Definition (Sub-Message-Patterns)

The **sub-message patterns**  $SMP(P)$  of a protocol  $P$  are the least set

- that contains all the protocol messages
- for every message  $f(t_1, \dots, t_n) \in SMP(P)$   
also the sub-messages  $t_1, \dots, t_n$  are in  $SMP(P)$ .
- for every message of the form  $\{m\}_k \in SMP(P)$   
also  $\text{inv}(k) \in SMP(P)$ .

For simplicity, every pair  $m_1, m_2$  can directly be considered as two messages  $m_1$  and  $m_2$ .

Finally, rename all variables such that every two distinct messages  $s, t \in SMP(P)$  have no variables in common.

## Example: Otway-Rees

Messages of the protocol:

$M, A, B, \{ | f_1(NA, M, A, B) | \} sk(A, s),$   
 $M, A, B, \{ | f_1(NA, M, A, B) | \} sk(A, s),$   
 $\{ | f_1(NB, M, A, B) | \} sk(B, s),$   
 $M, \{ | f_2(NA, KAB) | \} sk(A, s), \{ | f_2(NB, KAB) | \} sk(B, s),$   
 $M, \{ | f_2(NA, KAB) | \} sk(A, s)$

Subterms:

$f_1(NA, M, A, B)$

$f_2(NA, KAB)$

$sk(A, s), NA, M, A, B$

## Example: Otway-Rees

Renaming (and removing duplicates)

$SMP(Otway - Rees) = \{$

```
M_1 , A_1 , B_1 ,
{| f1(NA_2 ,M_2 ,A_2 ,B_2 )|} sk(A_2 ,s) ,
{| f1(NB_3 ,M_3 ,A_3 ,B_3 )|} sk(B_3 ,s) ,
{| f2(NA_4 ,KAB_4 )|} sk(A_4 ,s) ,
{| f2(NB_5 ,KAB_5 )|} sk(B_5 ,s) ,
f1(NA_6 ,M_6 ,A_6 ,B_6 )
f2(NA_7 ,KAB_7 )
sk(A_8 ,s) ,
NA_9
}.
```

# Type-Flaw Resistance

## Type-Flaw Resistance

A protocol is called **type-flaw resistant** if the following holds:

- Take any two elements  $s$  and  $t$  of the message patterns that are not variables
- If  $s$  and  $t$  can be unified then  $s$  and  $t$  have the same type.

## Example: Otway-Rees

We have to check only messages that are not variables themselves:

1.  $\{|f1(NA\_2, M\_2, A\_2, B\_2)|\}sk(A\_2, s),$
2.  $\{|f1(NB\_3, M\_3, A\_3, B\_3)|\}sk(B\_3, s),$
3.  $\{|f2(NA\_4, KAB\_4)|\}sk(A\_4, s),$
4.  $\{|f2(NB\_5, KAB\_5)|\}sk(B\_5, s),$
5.  $f1(NA\_6, M\_6, A\_6, B\_6)$
6.  $f2(NA\_7, KAB\_7)$
7.  $sk(A\_8, s),$

## Example: Otway-Rees

We have to check only messages that are not variables themselves:

1.  $\{|f1(NA\_2, M\_2, A\_2, B\_2)|\}sk(A\_2, s),$
2.  $\{|f1(NB\_3, M\_3, A\_3, B\_3)|\}sk(B\_3, s),$
3.  $\{|f2(NA\_4, KAB\_4)|\}sk(A\_4, s),$
4.  $\{|f2(NB\_5, KAB\_5)|\}sk(B\_5, s),$
5.  $f1(NA\_6, M\_6, A\_6, B\_6)$
6.  $f2(NA\_7, KAB\_7)$
7.  $sk(A\_8, s),$

The only pairs of unifiable messages are:

- 1. and 2. – are of the same type
- 3. and 4. – are of the same type

These are all type-correct. Thus **type-flaw resistant!**

## Counter-Example: Original Otway-Rees

The original protocol without formats:

1.  $\{|NA\_2, M\_2, A\_2, B\_2|\}sk(A\_2, s),$
2.  $\{|NB\_3, M\_3, A\_3, B\_3|\}sk(B\_3, s),$
3.  $\{|NA\_4, KAB\_4|\}sk(A\_4, s),$
4.  $\{|NB\_5, KAB\_5|\}sk(B\_5, s),$
5.  $sk(A\_7, s),$

For instance, 1. and 3. have a unifier

- $NA\_2=NA\_4, (M\_2, A\_2, B\_2)=KAB\_4, A\_2=B\_3$
- This violates our notion of type-flaw resistance, so the following theorem about type-flaw resistant protocols **does not apply**.
- Note that the entire concatenation  $M\_2, A\_2, B\_2$  is here a single message that can be unified with  $KAB$ .
  - ★ This may or may not work in a real implementation...

# A Typing Result

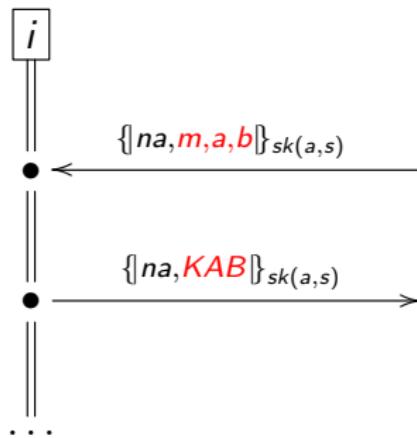
## Theorem

Given an attack against a type-flaw resistant protocol. Then there is a **well-typed** attack against the protocol, i.e., where the intruder sends no **ill-typed** messages. [Hess & M.], extending [Arapinis & Duflot]

- As a consequence, it is sound to restrict the intruder model to well-typed messages for type-flaw resistant protocols.
- This often removes a lot of “garbage” from the analysis.
- This comes at a low price: clear messages are good engineering practice anyway!

# Proof Idea

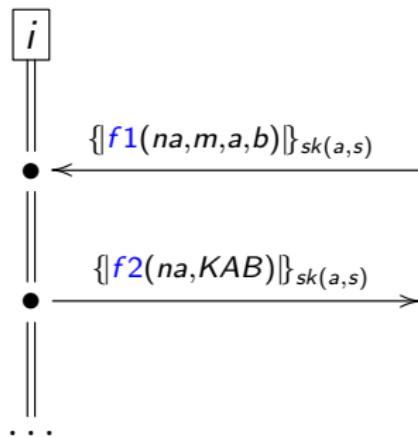
When the lazy intruder analyzes a protocol that is **not type flaw-resistant**, the following can happen:



and the intruder solves this by an Axiom, leading to the **ill-typed unifier**  $KAB = (m, a, b)$ .

# Proof Idea

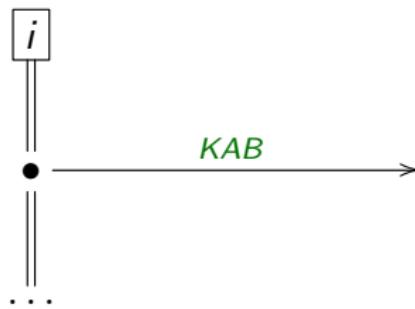
When the lazy intruder analyzes a protocol that is type flaw-resistant



the unification is not possible when the terms in question have different type – and are not variables.

# Proof Idea

If a term to generate is a **variable**, e.g.:



we are **lazy** and there is always **something well-typed** *i* can use.

Thus, on type-flaw resistant protocols

- the lazy intruder never performs an ill-typed substitution
- for all remaining variables there is well-typed choice.
- and thus, if there is an attack, then there is a well-typed one.

# Summary

For secure implementations:

- Use a well-established crypto library
  - ★ Do not cook up your own stuff (unless you are a cryptographer)
  - ★ Make sure you understand the requirements and guarantees of the library and its functions, and what they achieve
- Mind the things that are not crypto:
  - ★ Define precise formats
  - ★ Check they are unambiguous and pairwise disjoint
  - ★ Write parsers and generators that do not suffer from buffer overflows and the like
- Ensure that all subterms of different types are distinguishable
  - ★ Use the formats for that
  - ★ Do use crypto on raw data like  $\{N\}_{\text{inv}(k)}$ .
- Verify your abstract design with a tool like OFMC to find logical flaws – in the typed model.

## Challenge/Free Exercise

Consider the following protocol:

A → B: A, NA

B → s: A, B, NA, NB,  $\{ |A, NA, NB| \} sk(B, s)$

s → A:  $\{ |B, KAB, NA, NB| \} sk(A, s)$ ,  $\{ |A, KAB| \} sk(B, s)$

A → B:  $\{ |A, KAB| \} sk(B, s)$ ,  $\{ |NB| \} KAB$

- Can you find a type-flaw attack against this protocol?  
Hint: ignore  $A$  and  $s$  and consider just one honest  $b$  in role  $B$ .
- Can you suggest formats for this protocol so that it becomes type-flaw resistant?

## Relevant Research Papers

- Martín Abadi and Phillip Rogaway. *Reconciling Two Views of Cryptography*. J. Cryptology 20(3), 2007.
- Myrto Arapinis and Marie Duflot. *Bounding Messages for Free in Security Protocols*. FSTTCS 2007.
- Michael Backes, Markus Dürmuth and Ralf Küsters. *On Simulability Soundness and Mapping Soundness of Symbolic Cryptography*. FSTTCS 2007.
- Véronique Cortier, Bogdan Warinschi. *A composable computational soundness notion*. CCS 2011.
- Andreas Hess and Sebastian Mödersheim. *Formalizing and Proving a Typing Result for Security Protocols in Isabelle/HOL*. CSF 2017.
- Sebastian Mödersheim and Georgios Katsoris. *A Sound Abstraction of the Parsing Problem*. CSF 2014.
- Dave Otway and Owen Rees. *Efficient and timely mutual authentication*. ACM SIGOPS Op. Sys. Rev. 21 (1), 1987.