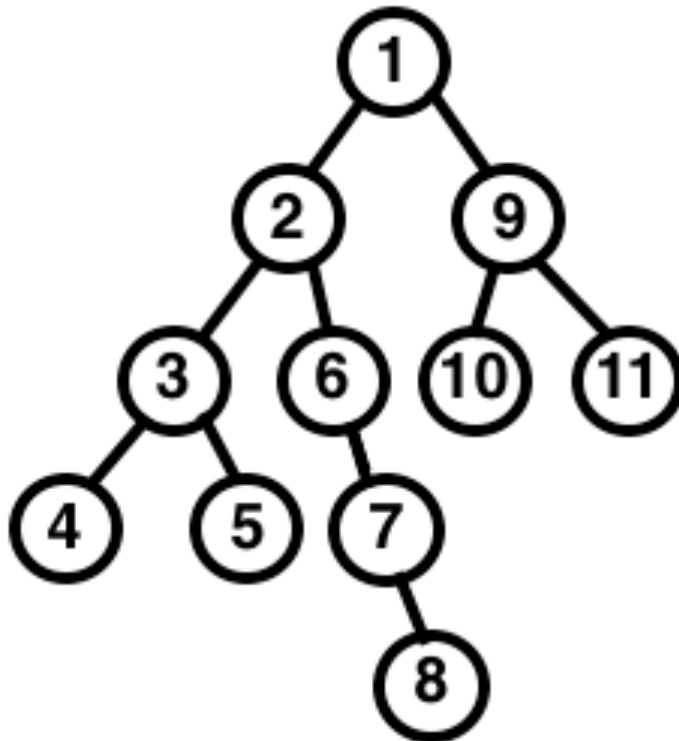


Search

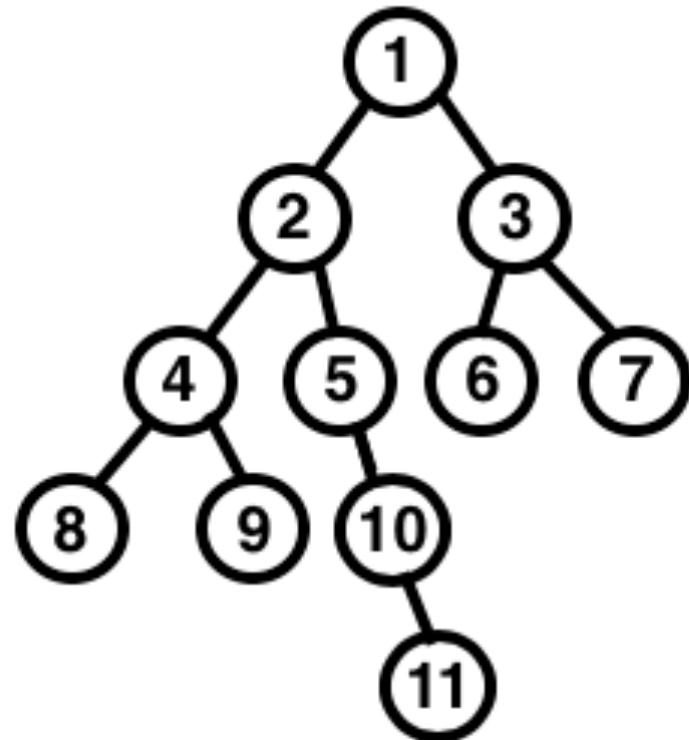
Practice 2

DFS & BFS

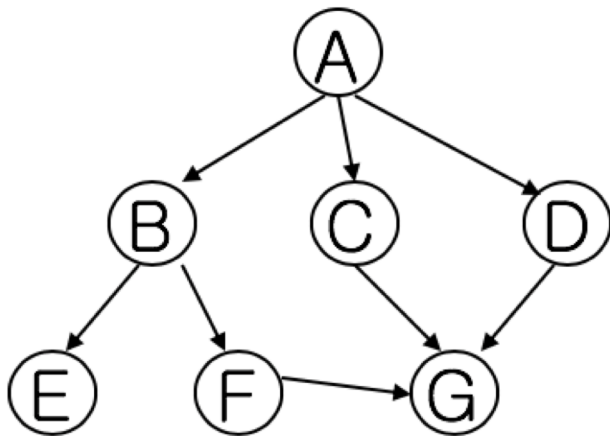
DFS



BFS



Depth First Search



open = {START}, **closed** = \emptyset

while (open $\neq \emptyset$)

 remove leftmost state from **open** $\rightarrow X$

 if (X is GOAL) return (success)

 else

 generate children of X

 put X into **closed**

 eliminate child if it is in open or close

 put remaining children into left of **open**(stack)

return (fail)

DFS 구현 실습

```
from copy import deepcopy

graph = {'A': ['B', 'C', 'D'],
        'B': ['E', 'F'],
        'C': ['G'],
        'D': ['G'],
        'E': [],
        'F': ['G'],
        'G': []}

# print fuction
def print_list(X, open_list, closed):
    print("-----")
    print("X =", X)
    print('open :', open_list)
    print('closed :', closed)

def DFS(graph, start, goal):
    open_list = []
    closed_list = []
    #open = {START}, closed = {}
    open_list.extend(start)
    print_list(None, open_list, closed_list)
    while(open_list):
        #DFS Algorithm

    return "*** Fail ***"

start_state = input("Start State: ")
goal_state = input("Goal State: ")
print(DFS(deepcopy(graph), start_state, goal_state))
```

DFS 구현 실습

```
while(open_list):
    #remove leftmost state from open -> X
    (1)

    #if (X is GOAL) return (success)
    if (2):
        print_list(X, open_list, closed_list)
        return "*** Success ***"

    else:
        #generate children of X
        (3)

        #put X into closed
        (4)

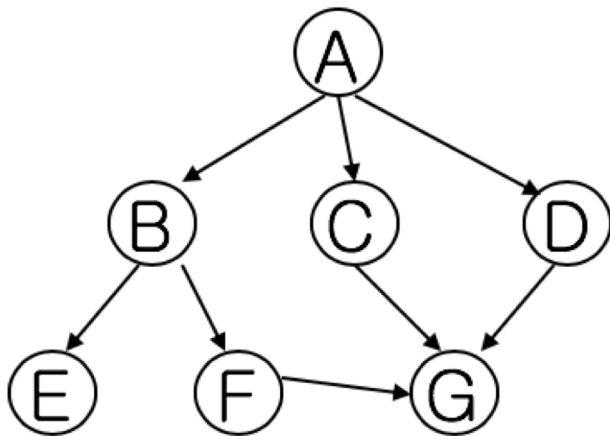
        # eliminate child if it is in open or close
        (5)

        #put remaining children into left of open(stack)
        (6)

    #print list
    print_list(X, open_list, closed_list)
```

- (1) 가장 왼쪽에 있는 State를 X에 할당
 - hint: pop()
- (2) X와 GOAL이 같을 때를 표현
- (3) children에 X의 자식노드들을 할당
 - graph의 구조를 참고하세요.
- (4) closed에 X를 추가
 - hint: extend()
- (5) open과 closed 리스트를 확인하여 중복된 child를 제거
 - for문과 if문을 사용
- (6) 남은 children을 open 리스트 왼쪽에 추가
 - hint: + 연산자

Breadth First Search



open = {START}, **closed** = \emptyset

while (open $\neq \emptyset$)

 remove leftmost state from **open** $\rightarrow X$

 if (X is GOAL) return (success)

 else

 generate children of X

 put X into **closed**

 eliminate child if it is in open or close

 put remaining children into right of **open**(queue)

return (fail)

BFS 구현 실습

```
from copy import deepcopy

graph = {'A': ['B', 'C', 'D'],
        'B': ['E', 'F'],
        'C': ['G'],
        'D': ['G'],
        'E': [],
        'F': ['G'],
        'G': []}

# print fuction
def print_list(X, open_list, closed):
    print("-----")
    print("X =", X)
    print('open :', open_list)
    print('closed :', closed)

def BFS(graph, start, goal):
    open_list = []
    closed_list = []
    #open = {START}, closed = {}
    open_list.extend(start)
    print_list(None, open_list, closed_list)
    while(open_list):
        #BFS algorithm

    return "*** Fail ***"

start_state = input("Start State: ")
goal_state = input("Goal State: ")
print(BFS(deepcopy(graph), start_state, goal_state))
```

BFS 구현 실습

```
while(open_list):
    #remove leftmost state from open -> X
    (1)

    if (2):
        print_list(X, open_list, closed_list)
        return "*** Success ***"
    else:
        #generate children of X
        (3)

        #put X into closed
        (4)

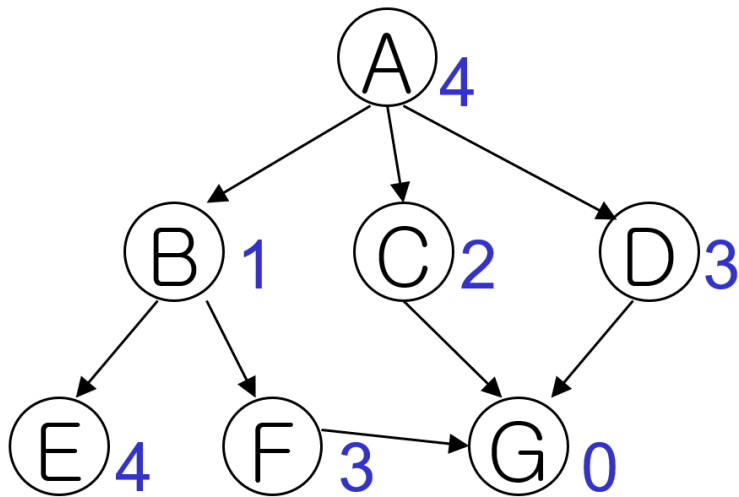
        # eliminate child if is in open or close
        (5)

        # put remaining children into right of open(queue)
        (6)

# print list
print_list(X, open_list, closed_list)
```

- (1) 가장 왼쪽에 있는 State를 X에 할당
 - hint: pop()
- (2) X와 GOAL이 같을 때를 표현
- (3) children에 X의 자식노드들을 할당
 - graph의 구조를 참고하세요.
- (4) closed에 X를 추가
 - hint: extend()
- (5) open과 closed 리스트를 확인하여 중복된 child를 제거
 - for문과 if문을 사용
- (6) 남은 children을 open 리스트 오른쪽에 추가
 - hint: extend()

Best First Search



open = {START}, **closed** = \emptyset

while (**open** $\neq \emptyset$)

remove leftmost state from **open** $\rightarrow X$

if (X is GOAL) return (success)

else

generate and evaluate children of X

put X into **closed**

for each child C

if C is in **open** update path

if C is in **closed** and reached by shorter path

remove C from **closed**, put into **open**

else

put C into **open**

reorder **open**(priority queue)

return (fail)

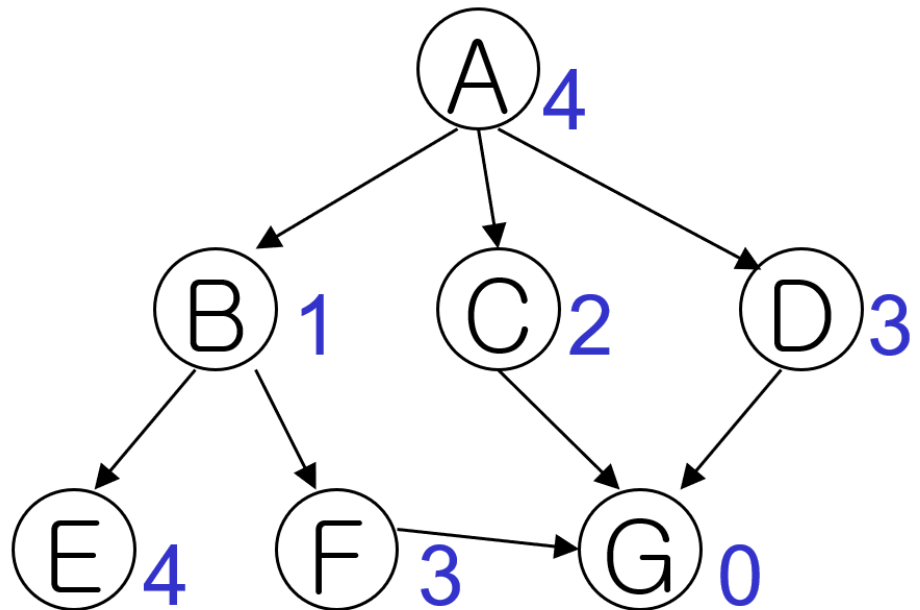
Best First Search 구현 실습

```
from copy import deepcopy
```

```
graph = {'A': ['B', 'C', 'D'],  
         'B': ['E', 'F'],  
         'C': ['G'],  
         'D': ['G'],  
         'E': [],  
         'F': ['G'],  
         'G': []}
```

```
f = {'A': 4,  
     'B': 1,  
     'C': 2,  
     'D': 3,  
     'E': 4,  
     'F': 3,  
     'G': 0}
```

```
def print_list(X, open_list, closed, f):  
    f_list = []  
    print("-----")  
    print("X =", X)  
    print('open :', open_list)  
    if len(open_list) != 0:  
        for state in open_list:  
            f_list.append(f[state])  
    print('f_value :', f_list)  
    print('closed :', closed)
```



Best First Search 구현 실습

```
while(open_list):
    #remove leftmost state from open -> X
    (1)

    if (2):
        print_list(X, open_list, closed_list, f)
        return "*** Success ***"
    else:
        #generate and evaluate children of X
        (3)

        #put X into closed
        closed_list.extend(X)

        sorted_children = sorted(children, key=f.get)
        for (4):
            #if C is in open    update path
            if child in open_list:
                # In this problem, we don't need to use new value
                # because, all nodes have only one value
                print("update child from open list: ", child)

            #if C is in closed and reached by shorter path
            #remove C from closed, put into open
            if child in closed_list:
                # In this problem, we don't need to use new value
                # because, all nodes have only one value
                print("update child from closed list", child)

            #put C into open
            else:
                (5)

        #reorder open(priority queue)
        open_list = (6)

    print_list(X, open_list, closed_list, f)
```

- (1) 가장 왼쪽에 있는 State를 X에 할당
 - hint: pop()
- (2) X와 GOAL이 같을 때를 표현
- (3) children에 X의 자식노드들을 할당
 - graph의 구조를 참고하세요.
- (4) sorted_children의 각 child마다 반복문 실행
 - for - in문 사용
- (5) closed에 X를 추가
 - hint: extend()
- (6) open_list를 재정렬
 - hint: sorted_children을 참조

A* Search

- A search algorithm is admissible
 - If it is **guaranteed to find a minimal path** to a solution whenever such a path exist
- A* algorithm
 - A best-first search with

$$f(n) = g(n) + h(n)$$

where **$h(n) \leq h^*(n)$**

➡ *Admissible !*

($h^*(n)$) : actual cost (distance) from n to G)

A* Search 구현 실습

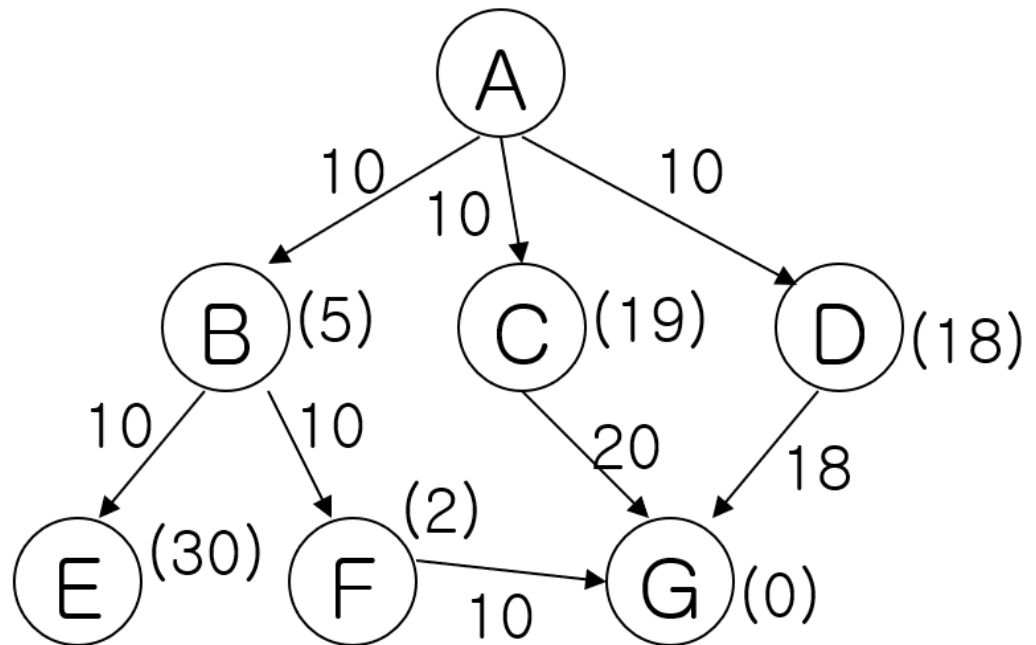
```
from copy import deepcopy

graph = {'A': ['B', 'C', 'D'],
        'B': ['E', 'F'],
        'C': ['G'],
        'D': ['G'],
        'E': [],
        'F': ['G'],
        'G': []}

g = {'A': {'A':0},
     'B': {'A':10},
     'C': {'A':10},
     'D': {'A':10},
     'E': {'B':20},
     'F': {'B':20},
     'G': {'F':30, 'C':30, 'D':28}}

h = {'A': 15,
     'B': 5,
     'C': 19,
     'D': 18,
     'E': 30,
     'F': 2,
     'G': 0}

f = {}
```



A* Search 구현 실습

```
while(open_list):
    #remove leftmost state from open -> X
    (1)
    if (2):
        print_list(X, open_list, closed_list, f)
        return "*** Success ***"
    else:
        #generate and evaluate children of X
        (3)
        #put X into closed
        (4)
        #update f by g, h
        for child in children:
            f[child] = (5)
        sorted_children = sorted(children, key=f.get)
        for child in sorted_children:
            #if C is in open update path
            if child in open_list:
                print("update child from open list: ", child)
                f[child] = (5)
            #if C is in closed and reached by shorter path
            #remove C from closed, put into open
            if child in closed_list:
                print("update child from closed list", child)
                f[child] = (5)
            #put C into open
            else:
                if child not in open_list:
                    (6)
            #reorder open(priority queue)
            (7)
        print_list(X, open_list, closed_list, f)
```

- (1) 가장 왼쪽에 있는 State를 X에 할당
 - hint: pop()
- (2) X와 GOAL이 같을 때를 표현
- (3) children에 X의 자식노드들을 할당
 - graph의 구조를 참고하세요.
- (4) closed에 X를 추가
- (5) f를 update
 - $f = g + h$
- (6) open_list에 포함되지 않은 각 child를 추가
- (7) open_list를 재정렬
 - hint: sorted_children을 참조

Best-First Search & A* Search

- 1. 아래의 표는 미국 동부의 저가 항공사인 Colgan Airline에서 운항하는 도시들과 각 도시들 사이의 직선 거리를 나타낸다. 숫자에 * 표가 있는 것은 두 도시 사이에 직항이 있다는 것을 의미한다. 직항이 있지 않은 경우 두 도시의 비행 거리는 두 도시를 연결하는 경로상의 직항 거리의 총 합이 된다. 다음의 각 평가 함수를 사용하여 **best-first search**를 **수행**하였을 경우 **Rockland, ME** 에서 **Keene, NH** 로 가는 경로를 찾는 탐색 과정을 **tree로 표현**하고 **그 결과로 얻어지는 경로를 구하시오.**
 - (g(n): 시작상태에서 n까지의 거리, h(n): n에서 목표상태까지의 추정거리(직선거리))
- a. $f(n) = g(n)$
- b. $f(n) = g(n) + h(n)$

Best-First Search & A* Search

| | Aug | Bar | Bec | Blu | Bos | Ch NC | Ch VA | Hya | Kee | Lag | Man | Nan | New | Roc | Rut | DC |
|--------------------|------|-----|------|------|------|----------|----------|------|------|------|-----|------|------|------|-----|------|
| Augusta, ME | 0 | 78 | 745 | 770 | 149* | 858 | 626 | 185 | 187* | 328 | 552 | 210 | 333 | 36 | 166 | 529 |
| Bar-Harbor,ME | 78 | 0 | 814 | 838 | 200 | 920 | 690 | 216 | 227 | 389 | 616 | 235 | 394 | 49* | 243 | 592 |
| Beckley,WV | 745 | 814 | 0 | 35* | 621 | 177 | 149 | 637 | 588 | 434 | 212 | 638 | 427 | 765 | 589 | 238* |
| Bluefield,WV | 770 | 838 | 35* | 0 | 643 | 142* | 159 | 656 | 613 | 454 | 228 | 655 | 448 | 789 | 616 | 254* |
| Boston,MA | 149* | 200 | 621 | 643 | 0 | 720 | 492 | 63* | 74 | 190 | 418 | 89 | 196 | 155* | 130 | 394 |
| Charlotte,NC | 858 | 920 | 177 | 142* | 720 | 0 | 234 | 722 | 702 | 531 | 306 | 716 | 525 | 873 | 714 | 329 |
| Charlottesville,VA | 626 | 690 | 149 | 159 | 492 | 234 | 0 | 501 | 469 | 302* | 74* | 498 | 296 | 642 | 481 | 98 |
| Hyannis,MA | 185 | 216 | 637 | 656 | 63* | 722 | 501 | 0 | 135 | 204* | 429 | 27* | 212* | 179 | 192 | 403 |
| Keene,NH | 187* | 227 | 588 | 613 | 74 | 702 | 469 | 135 | 0 | 177 | 396 | 159 | 180* | 178 | 58* | 373 |
| La-Guardia,NY | 328 | 389 | 434 | 454 | 190 | 531 | 302* | 204* | 177 | 0 | 229 | 207* | 9 | 342 | 207 | 204 |
| Manassa,VA | 552 | 616 | 212 | 228 | 418 | 306 | 74* | 429 | 396 | 229 | 0 | 427 | 223 | 569 | 409 | 26* |
| Nantucket,MA | 210 | 235 | 638 | 655 | 89 | 716 | 498 | 27* | 159 | 207* | 427 | 0 | 216* | 201 | 217 | 402 |
| Newyork,NJ | 333 | 394 | 427 | 448 | 196 | 525 | 296 | 212* | 180* | 9 | 223 | 216* | 0 | 347 | 208 | 198 |
| Rockland,ME | 36 | 49* | 765 | 789 | 155* | 873 | 642 | 179 | 178 | 342 | 569 | 201 | 347 | 0 | 195 | 545 |
| Rutland,VT | 166 | 243 | 589 | 616 | 130 | 714 | 481 | 192 | 58* | 207 | 409 | 217 | 208 | 195 | 0 | 388 |
| Washington,DC | 529 | 592 | 238* | 254* | 394 | 329 | 98 | 403 | 373 | 204 | 26* | 402 | 198 | 545 | 388 | 0 |

Best-First Search & A* Search

1. X = Roc, Open = {Bar(49), Bos(155)}

Closed = { }

2. X = Bar, Open = {Bos(155)}

Closed = {Roc}

3. X = Bos, Open = {Hya(218), Aug(304)}

Closed = {Roc, Bar}

4. X = Hya Open = {Nan(245), Aug(304), Lag(422), New(430)}

Closed = {Roc, Bar, Bos}

5. X = Nan, Open = {Aug(304), Lag(422), New(430)}

Closed = {Roc, Bar, Bos, Hya}

6. X = Aug, Open = {Lag(422), New(430), Kee(491)}

Closed = {Roc, Bar, Bos, Hya, Nan}

7. X = Lag Open = {New(430), Kee(491), ChVA(724)}

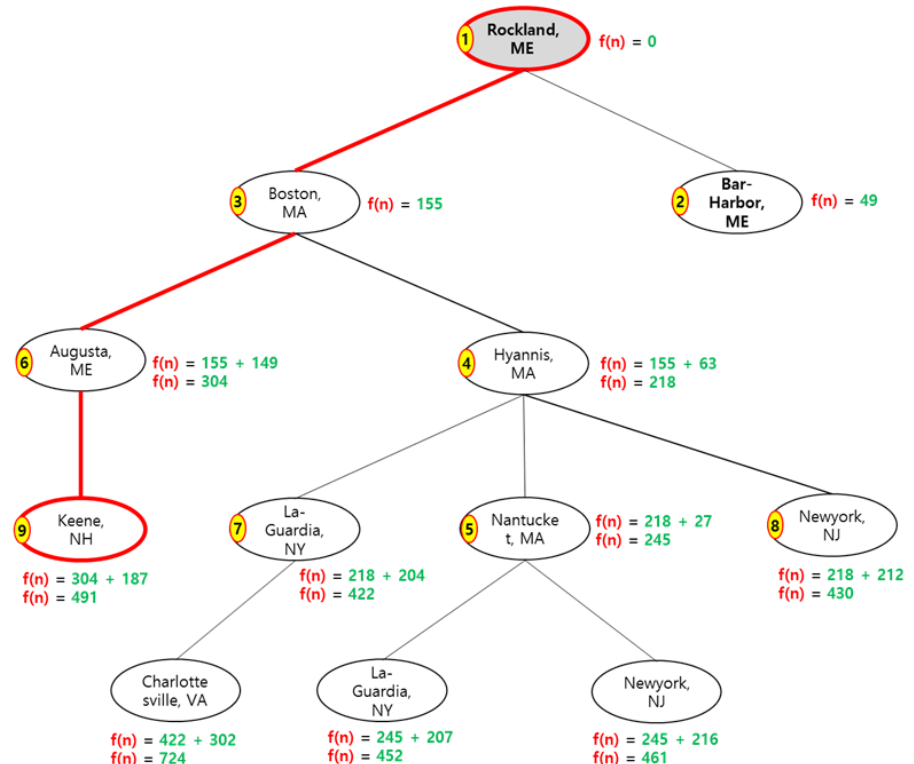
Closed = {Roc, Bar, Bos, Hya, Nan, Aug}

8. X = New, Open = {Kee(491), ChVA(724)}

Closed = {Roc, Bar, Bos, Hya, Nan, Aug, Lag}

9. X = Kee

a. $f(n) = g(n)$



Path: Rockland → Boston → Augusta → Keene (예상거리: 491)

Best-First Search & A* Search

1. X = Roc, Open = {Bos(229), Bar(276)}

Closed = { }

2. X = Bos, Open = {Bar(276), Hya(353), Aug(491)}

Closed = {Roc}

3. X = Bar, Open = {Hya(353), Aug(491)}

Closed = {Roc, Bos}

4. X = Hya, Open = {Nan(404), Aug(491), Lag(599), New(610)}

Closed = {Roc, Bos, Bar}

5. X = Nan, Open = {Aug(491), Lag(599), New(610)}

Closed = {Roc, Bos, Bar, Hya}

6. X = Aug, Open = {Kee(491), Lag(599), New(610)}

Closed = {Roc, Bos, Bar, Hya, Nan}

7. X = Kee

Path: Rockland → Boston → Augusta → Keene (예상거리: 491)

b. $f(n) = g(n) + h(n)$

