## 이론적 배경

$$\begin{array}{lll}
\chi' = \alpha_{1} \chi + \alpha_{2} y + \alpha_{3} & y' = \alpha_{1} \chi + \alpha_{5} y + \alpha_{6} \\
e_{1} = \chi'_{1} - \alpha_{1} \chi'_{1} - \alpha_{2} y'_{1} - \alpha_{3} & e_{1} = \chi'_{1} - \alpha_{5} \chi'_{1} - \alpha_{6} \\
S_{x} = \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{i} \chi_{1} - \alpha_{2} \chi'_{1} - \alpha_{3} \right)^{2} & S_{y} = \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{i} \chi_{1} - \alpha_{2} \chi'_{1} - \alpha_{3} \right)^{2} \\
\frac{\partial S_{x}}{\partial \alpha_{1}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{i} \chi_{1} - \alpha_{2} \chi'_{1} - \alpha_{3} \right) \cdot \left( -\chi_{i} \right) = 0 & \frac{\partial S_{y}}{\partial \alpha_{5}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{4} \chi_{1} - \alpha_{5} \chi'_{1} - \alpha_{6} \right) \cdot \left( -\chi_{i} \right) = 0 \\
\frac{\partial S_{x}}{\partial \alpha_{3}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{1} \chi_{1} - \alpha_{2} \chi'_{1} - \alpha_{3} \right) \cdot \left( -\chi_{i} \right) = 0 & \frac{\partial S_{y}}{\partial \alpha_{5}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{4} \chi_{1} - \alpha_{5} \chi'_{1} - \alpha_{6} \right) \cdot \left( -\chi_{i} \right) = 0 \\
\frac{\partial S_{x}}{\partial \alpha_{3}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{4} \chi_{1} - \alpha_{2} \chi'_{1} - \alpha_{3} \right) \cdot \left( -\chi_{i} \right) = 0 & \frac{\partial S_{y}}{\partial \alpha_{5}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{4} \chi_{1} - \alpha_{5} \chi'_{1} - \alpha_{6} \right) \cdot \left( -\chi_{i} \right) = 0 \\
\frac{\partial S_{x}}{\partial \alpha_{3}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{4} \chi_{1} - \alpha_{2} \chi'_{1} - \alpha_{3} \right) \cdot \left( -\chi_{i} \right) = 0 & \frac{\partial S_{y}}{\partial \alpha_{5}} = \lambda \cdot \sum_{i=1}^{N} \left( \chi'_{1} - \alpha_{4} \chi_{1} - \alpha_{5} \chi'_{1} - \alpha_{6} \right) \cdot \left( -\chi_{i} \right) = 0 \\
\alpha_{1} \times \chi'_{1} + \alpha_{2} \times \chi'_{1} + \alpha_{3} \times \chi_{1} = \Sigma \chi'_{1} \chi'_{1} & \alpha_{4} \times \chi'_{1} + \alpha_{5} \times \chi'_{1} + \alpha_{6} \times \chi'_{1} - \alpha_{6} \right) \cdot \left( -\chi_{i} \right) = 0 \\
\alpha_{1} \times \chi'_{1} + \alpha_{2} \times \chi'_{1} + \alpha_{3} \times \chi'_{1} = \Sigma \chi'_{1} \chi'_{1} & \alpha_{4} \times \chi'_{1} + \alpha_{5} \times \chi'_{1} + \alpha_{6} \times \chi'_{1} - \alpha_{6} \right) \cdot \left( -\chi_{i} \right) = 0 \\
\alpha_{1} \times \chi'_{1} + \alpha_{2} \times \chi'_{1} + \alpha_{3} \times \chi'_{1} = \Sigma \chi'_{1} \chi'_{1} & \alpha_{4} \times \chi'_{1} + \alpha_{5} \times \chi'_{1} + \alpha_{6} \times \chi'_{1} - \Sigma \chi'_{1} \chi'_{1} \\
\alpha_{1} \times \chi'_{1} + \alpha_{2} \times \chi'_{1} + \alpha_{3} \times \chi'_{1} = \Sigma \chi'_{1} \chi'_{1} & \alpha_{4} \times \chi'_{1} + \alpha_{5} \times \chi'_{1} + \alpha_{6} \times \chi'_{1} - \Sigma \chi'_{1} \chi'_{1} \\
\alpha_{1} \times \chi'_{1} \times \chi'_{1}$$

여기서 구한 식을 토대로 하여 제공된 파일에 주어진  $(x_i, y_i, x'_i, y'_i)$ 의 데이터들을 받아와서 다음을 계산해  $(a_1, a_2, a_3, a_4, a_5, a_6)$ 를 구하는 코드를 작성할 것입니다.

## 구현

```
for (int i = 0; i < 3; i++) {
    if (!(fp = fopen(data_arr[i],"r")))
        nrerror("Data file error");
    sum_x2 = 0, sum_xy = 0, sum_x = 0;
    sum_y2 = 0, sum_y = 0, sum_n = 0;
    sum_x_x = 0, sum_x_y = 0, sum_x_ = 0;
    sum_y_x = 0, sum_y_y = 0, sum_y_ = 0;</pre>
```

매번 파일을 열 때마다 sum 값들을 다 0으로 초기화하도록 해주었습니다.

```
printf("====== fitdata%d.dat ======\n", i + 1);
while (1) {
    float x, y, x_, y_;
    fscanf(fp, "%f %f %f %f", &x, &y, &x_, &y_);
    if (feof(fp))
       break;
    sum_x2 += x * x;
    sum_xy += x * y;
    sum_x += x;
   sum_y^2 += y * y;
   sum_y += y;
   sum_n += 1;
    sum_x_x += x_* x;
    sum_x_y += x_* y;
   sum_x_ += x_;
   sum_y_x += y_* x;
    sum_y_y += y_ * y;
    sum_y_ += y_;
```

파일에서  $(x_i, y_i, x'_i, y'_i)$ 을 읽어 올 때마다 sum 변수에 다 더해주었습니다.

```
mat[1][1] = sum_x2;
mat[1][2] = sum_xy;
mat[1][3] = sum_x;
mat[2][1] = sum xy;
mat[2][2] = sum_y2;
mat[2][3] = sum_y;
mat[3][1] = sum_x;
mat[3][2] = sum_y;
mat[3][3] = sum_n;
vec[1][1] = sum_x_x;
vec[2][1] = sum x y;
vec[3][1] = sum_x_;
gaussj(mat, 3, vec, 3);
printf("a1: %f\na2: %f\na3: %f\n", vec[1][1], vec[2][1], vec[3][1]);
mat[1][1] = sum_x2;
mat[1][2] = sum_xy;
mat[1][3] = sum_x;
mat[2][1] = sum_xy;
mat[2][2] = sum_y2;
mat[2][3] = sum_y;
mat[3][1] = sum_x;
mat[3][2] = sum_y;
mat[3][3] = sum_n;
vec[1][1] = sum_y_x;
vec[2][1] = sum_y_y;
vec[3][1] = sum_y_;
gaussj(mat, 3, vec, 3);
printf("a4: %f\na5: %f\na6: %f\n", vec[1][1], vec[2][1], vec[3][1]);
printf("======\n\n");
fclose(fp);
```

파일에서 데이터를 다 읽어왔다면 while()을 탈출하고, 이론적 배경에 소개한대로 mat와 vec에 값을 넣고, gaussi에 넣어서 나온 a 값들을 출력하도록 반복해주었습니다.

## 실행 결과

```
wjdaud@LAPTOP-1NG9U1J0:~/NA/homework6$ ./homework6
======= fitdata1.dat =======
al: 0.981888
a2: 0.002540
a3: -0.375178
a4: 0.001250
a5: 0.982163
a6: 1.157731
____
======= fitdata2.dat =======
a1: 0.979907
a2: 0.000452
a3: -1.192226
a4: -0.001069
a5: 0.980346
a6: 0.491567
_____
======= fitdata3.dat =======
a1: 0.980806
a2: 0.000545
a3: -0.944462
a4: -0.000717
a5: 0.979108
a6: 0.428951
_____
```

결과는 다음과 같이 나왔습니다.