

Workshop 11

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1. TASK 1 – Risk-Neutral

<i>Scenarios</i>	<i>100</i>	<i>200</i>	<i>1000</i>	<i>10000</i>
<i>Expected Sales</i>	2977.42	2989.67	3016.59	3061.35
<i>Expected Lost Sales</i>	98.30	108.96	120.58	131.30
<i>Stockout Probability</i>	0.19	0.2	0.2	0.2
<i>Expected leftover Inventory</i>	1113.17	1059.30	1074.68	1127.02

Both the expected sales and the expected lost sales increase and the stockout probability have the trend to be 0.2. The reason might be that increasing scenarios would bring more outliers.

2. TASK 2 – CV@R

<i>1000 Scenarios\Beta</i>	<i>0.9</i>	<i>0.99</i>	<i>0.999</i>
<i>Expected Sales</i>	1566.386	165.728	0
<i>Expected Lost Sales</i>	1570.791	2971.449	3137.177
<i>Stockout Probability</i>	0.920	0.992	0.997
<i>Expected leftover Inventory</i>	46.289	0.823	0
<i>V@R</i>	129014.023	13324.093	0
<i>CV@R</i>	82725.058	5095.498	0

Higher the beta, the lower confidence level, considering less high profit scenarios, thus the lower CV@R / V@R.

3. TASK 3 – General Model

<i>Beta</i>	<i>0.0</i>	<i>0.25</i>	<i>0.50</i>	<i>0.75</i>	<i>0.95</i>	<i>0.99999</i>
<i>Expected Profit</i>	219833.9	213636.4	194521.6	162559.1	90369.6	0
<i>Expected Sales</i>	3016.5	2828.4	2508.4	2062.4	1134.8	0
<i>Expected Lost Sales</i>	120.7	308.8	629.0	1074.7	2002.4	3137.177
<i>Stockout Probability</i>	0.200	0.400	0.599	0.799	0.960	0.997
<i>Expected leftover Inventory</i>	1074.1	631.7	307.5	121.8	20.6	0
<i>V@R</i>	327247.1	276803.1	225267.6	174736.3	92431.3	0
<i>CV@R</i>	219833.9	192580.8	163775.7	126027.5	51197.7	0

When $\beta = 0$, the confidence level is 100%, the whole profit distribution/scenarios are taken into consideration, thus the $CV@R$ = the expected profit. While when $\beta = 0.99999$, the confidence level is close to 0, which means that we only consider the worst scenario. Thus, the $CV@R$ of $\beta = 0.99999$, the $CV@R$ = worst case profit = 0.