coursera

Cost Function and Backpropagation

Video: Cost Function 6 min

Reading: Cost Function 4 min

Video: Backpropagation
Algorithm
11 min

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Algorithm
10 min

Video: Backpropagation
Intuition
12 min

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Intuition
4 min

Backpropagation in Practice

Application of Neural Networks

Review

Backpropagation Algorithm

"Backpropagation" is neural-network terminology for minimizing our cost function, just like what we were doing with gradient descent in logistic and linear regression. Our goal is to compute:

 $\min_{\Theta} J(\Theta)$

That is, we want to minimize our cost function J using an optimal set of parameters in theta. In this section we'll look at the equations we use to compute the partial derivative of $J(\Theta)$:

$$\frac{\partial}{\partial \Theta_{i,i}^{(l)}} J(\Theta)$$

To do so, we use the following algorithm:

 $\begin{aligned} & \textbf{Backpropagation algorithm} \\ & \rightarrow \text{Training set } \{(x^{(1)}, y^{(1)}), \dots, (x^{(m)}, y^{(m)})\} \\ & \text{Set } \underline{\triangle_{ij}^{(l)}} = 0 \text{ (for all } l, i, j). & \text{ (see } \underline{\triangle_{ij}^{(l)}} = 0 \text{ (for all } l, i, j). & \text{ (see } \underline{\triangle_{ij}^{(l)}} = 0 \text{ (for all } l, i, j). & \text{ (see } \underline{\triangle_{ij}^{(l)}} = 0 \text{ ($

Back propagation Algorithm

Given training set $\{(x^{(1)}, y^{(1)}) \cdots (x^{(m)}, y^{(m)})\}$

• Set $\Delta_{i,j}^{(l)}$:= 0 for all (l,i,j), (hence you end up having a matrix full of zeros)

For training example t =1 to m:

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