

22S-CSB150-EEB159 Lab7

LISA WANG

TOTAL POINTS

96 / 100

QUESTION 1

1 Ex.1 20 / 20

✓ - 0 pts Correct

- 3 pts 1 or 2 lines wrong

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.^(dyn.V-
pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
````
```

- 10 pts half wrong

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.^(dyn.V-
pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
````
```

- 15 pts Almost all wrong

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
```

```
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.^(dyn.V-
pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
````
```

- 20 pts All wrong. Correct solution is:

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.^(dyn.V-
pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
````
```

QUESTION 2

2 Ex.2 20 / 20

✓ - 0 pts Correct

- 15 pts Code not correct; should use `n`, `m`, `h` instead of `dyn.n`, `dyn.m`, `dyn.h` as those are not defined yet

- 5 pts Code not correct

```matlab

```
Vdot = (1/pars.C)*(I-pars.gKbar*n^4*(V-pars.EK)-
pars.gNabar*m^3*h*(V-pars.ENa) ...
-pars.gL*(V-pars.EL));
```

```
ndot = pars.alphan(V)*(1-n)-pars.betan(V)*n;
mdot = pars.alpham(V)*(1-m)-pars.betam(V)*m;
hdot = pars.alphah(V)*(1-h)-pars.betah(V)*h;
```
```

QUESTION 3

3 Ex.3 20 / 20

✓ - 0 pts Correct

- 10 pts Incorrect code

```matlab

```
for i=1:length(t),
if (t(i)>2 & t(i)<2.5)
I(i,1)=2;
elseif (t(i)>10 & t(i)<10.5)
I(i,1)=25;
else
I(i,1)=0;
end
end
```
```

- 4 pts Only one correct plot

- 8 pts No correct plots

- 7 pts Conclusion: in general, short-strong should generate a signal while long-weak should not

- 1 pts Long-weak impulse generates signal (it should not)

QUESTION 4

4 Ex.4 16 / 20

- 0 pts Correct

- 4 pts Correct method

- 4 pts Correct values

✓ - 4 pts Correct plot

- 20 pts Incorrect

QUESTION 5

5 Ex.5 20 / 20

✓ - 0 pts Correct

- 5 pts Correctly set up input impulses: one long-weak and one short-strong

```
%Exercise 1 - fill in the ...
```

```
% Joshua Weitz - BIOL 8814 - Neuron excitation - Fall 2018
%
% This simulates the HH model using parameters embedded in pars
% a stimulus current, and a time range over which
% the simulation should run

% Parameters, including on/off functions
pars.gKbar= 36; % mS/cm^2
pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

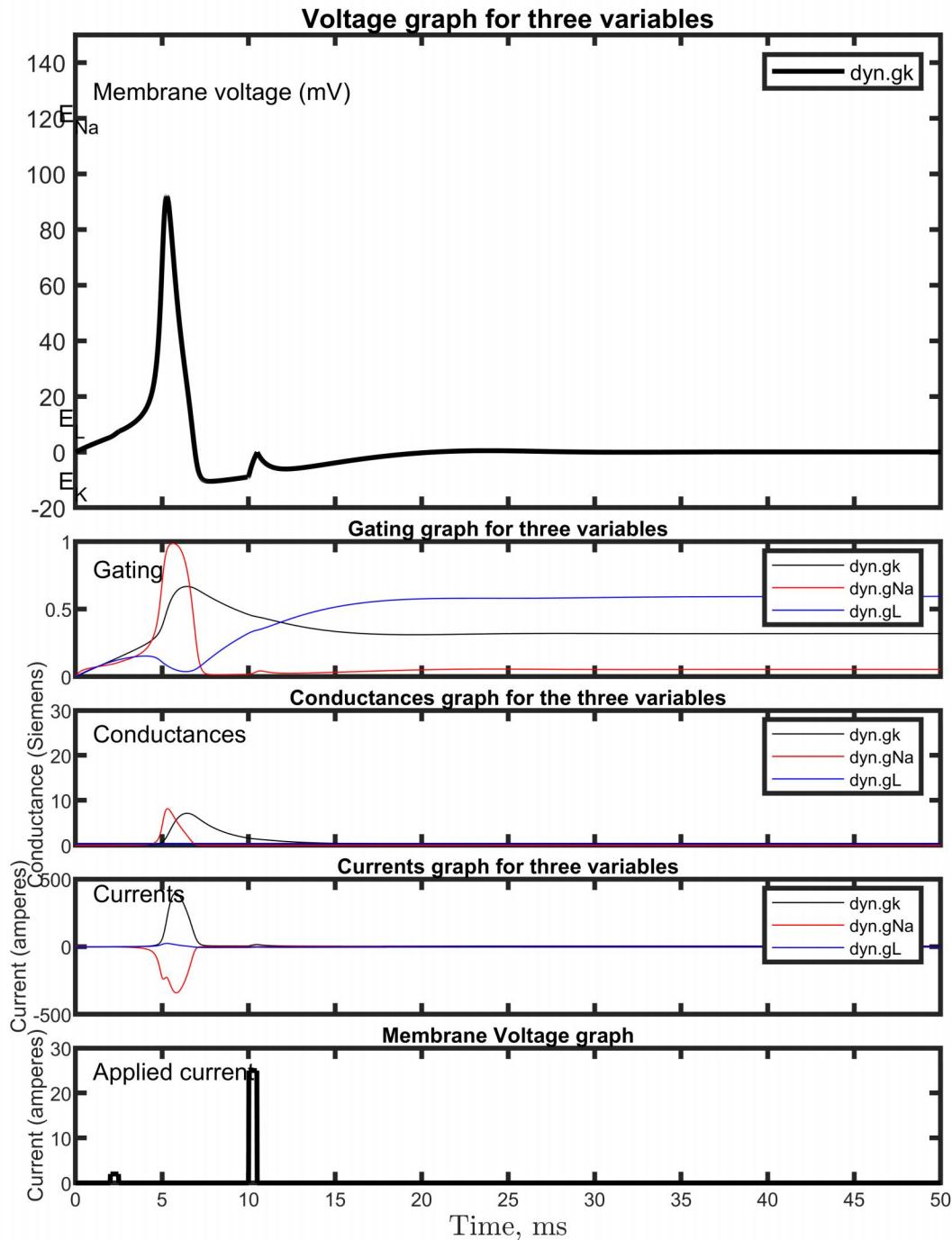
% Initial conditions
pars.V0=0;
pars.n0= 0;
pars.m0 = 0;
pars.h0 = 0;

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:50],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);
```

```
plot = plot_hh(dyn, pars);
```

Warning: Ignoring extra legend entries.



% Thought problem:

% Here are my thoughts...

```
pars.gKbar= 36; % mS/cm^2  
pars.gNabar=120; % mS/cm^2
```

```

pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

% Initial conditions
pars.V0=0;
pars.n0= pars.alphan(pars.V0) / (pars.alphan(pars.V0) + pars.betan(pars.V0)); %% n stars from eq
pars.m0= pars.alpham(pars.V0) / (pars.alpham(pars.V0) + pars.betam(pars.V0)); %% plug in equilibrium
pars.h0= pars.alphah(pars.V0) / (pars.alphah(pars.V0) + pars.betah(pars.V0)); % leave V(0) as is

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:20],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);

ploth = plot_hh(dyn, pars);

```

Warning: Ignoring extra legend entries.

```
% generated. This shows how the neuron responds to an impulse (a sudden  
% increase, positive feedback by the components) by culminating in an  
% action potential.
```

```
function plot_hh = plot_hh(dyn,pars)  
% function plot_hh = plot_hh(dyn,pars)  
%  
% Takes a HH output structure in dyn and plots  
% dynamics of Voltage, gating variables, conductance  
% currents and applied current  
% Defaults  
clf;  
set(gcf,'DefaultLineMarkerSize',10);  
set(gcf,'DefaultAxesLineWidth',2);  
set(gcf,'PaperPositionMode','auto');  
set(gcf,'Position',[300 40 600 750]);  
% main data goes here  
% Applied current on bottomA  
tmppos= [0.1 0.1 0.8 0.1];  
tmpa1 = axes('position',tmppos);  
tmpf=plot(dyn.t,dyn.appliedI,'k-');  
set(tmpf,'linewidth',2);  
xlabel('Time, ms','fontsize',12,'verticalalignment','top','interpreter','latex');  
text(1,25,'Applied current');  
ylim([0 30]);  
ylabel('Current (amperes)');  
title('Membrane Voltage graph');  
  
% Currents next  
tmppos= [0.1 0.225 0.8 0.1];  
tmpa2 = axes('position',tmppos);  
tmpf=plot(dyn.t,dyn.IK,'k-',dyn.t,dyn.INa,'r-',dyn.t,dyn.IL,'b-');  
text(1,400,'Currents');  
set(gca,'xticklabel',[]);  
ylim([-500 500]);  
ylabel('Current (amperes)')  
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');  
title('Currents graph for three variables');  
  
% Conductances next  
tmppos= [0.1 0.35 0.8 0.1];  
tmpa3 = axes('position',tmppos);  
tmpf=plot(dyn.t,dyn.gK,'k-',dyn.t,dyn.gNa,'r-',dyn.t,dyn.gL,'b-');  
text(1,25,'Conductances');  
set(gca,'xticklabel',[]);  
ylim([0 30]);  
ylabel('Conductance (Siemens)');  
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');
```

```

title('Conductances graph for the three variables');

% Gating
tmppos= [0.1 0.475 0.8 0.1];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.n,'k-',dyn.t,dyn.m,'r-',dyn.t,dyn.h,'b-');
text(1,0.8,'Gating');
set(gca,'xticklabel',[]);
ylim([0 1]);
legend('dyn.gk', 'dyn.gNa', 'dyn.gL');
title('Gating graph for three variables');

% Voltage
tmppos= [0.1 0.6 0.8 0.35];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.V,'k-');
set(tmpf,'linewidth',2);
text(1,130,'Membrane voltage (mV)');
set(gca,'xticklabel',[]);
ylim([-20 150]);
text(-1,pars.EK,'E_K');
text(-1,pars.ENa,'E_{Na}');
text(-1,pars.EL,'E_L');
legend('dyn.gk', 'dyn.gNa', 'dyn.gL');
title('Voltage graph for three variables');

% Return the plot handle
plotf=gcf;
end

function I = impulse_t(t)
% function I = impulse_t(t)
%
% specifies the applied time-varying current
% works if t is a single value or many values
for i=1:length(t),
    if (t(i)>2 & t(i)<4)
        I(i,1)=10;
    elseif (t(i)>10 & t(i)<10.5)
        I(i,1)=0;
    else
        I(i,1)=0;
    end
end

```

```
end
```

```
function dydt = model_hh(t,y,pars)
% Joshua Weitz - BIOL 8814 - Neuron excitation - Fall 2018
%
% function dydt = model_hh(t,y,pars)
% This simulates the HH model using parameters embedded in pars
% and requires a separate function termed impulse_t which
% has information on the time-dependent applied current
% Variables
V=y(1);
n=y(2);
m=y(3);
h=y(4);
% Impulses
I=impulse_t(t); % Specified in a function
% Dynamics
Vdot = (1/pars.C)*(I- (pars.gKbar*(n).^4 .* (V - pars.EK)) - ((pars.gNabar)*(m).^3 .* (h) .* (1-h)));
ndot = (pars.alphan(V) * (1- n)) - (pars.betan(V) * (n));
mdot = (pars.alpham(V) .* (1-m)) - (pars.betam(V) .* m);
hdot = (pars.alphah(V).* (1-h)) - (pars.betah(V) .* h);
% Return the changes
dydt = [Vdot; ndot; mdot; hdot];
end
```

1 Ex.1 20 / 20

✓ - 0 pts Correct

- 3 pts 1 or 2 lines wrong

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.*(dyn.V-pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
```

```

- 10 pts half wrong

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.*(dyn.V-pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
```

```

- 15 pts Almost all wrong

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.*(dyn.V-pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
```

```

- 20 pts All wrong. Correct solution is:

```matlab

```
dyn.gK=pars.gKbar*dyn.n.^4;
dyn.gNa=pars.gNabar*dyn.m.^3.*dyn.h;
dyn.gL=pars.gL*ones(length(dyn.t),1);
```

```
dyn.IK=pars.gKbar*dyn.n.^4.*(dyn.V-pars.EK);
dyn.INa=pars.gNabar*dyn.m.^3.*dyn.h.*(dyn.V-pars.ENa);
dyn.IL=pars.gL*(dyn.V-pars.EL);
```
```

```
%Exercise 1 - fill in the ...
```

```
% Joshua Weitz - BIOL 8814 - Neuron excitation - Fall 2018
%
% This simulates the HH model using parameters embedded in pars
% a stimulus current, and a time range over which
% the simulation should run

% Parameters, including on/off functions
pars.gKbar= 36; % mS/cm^2
pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

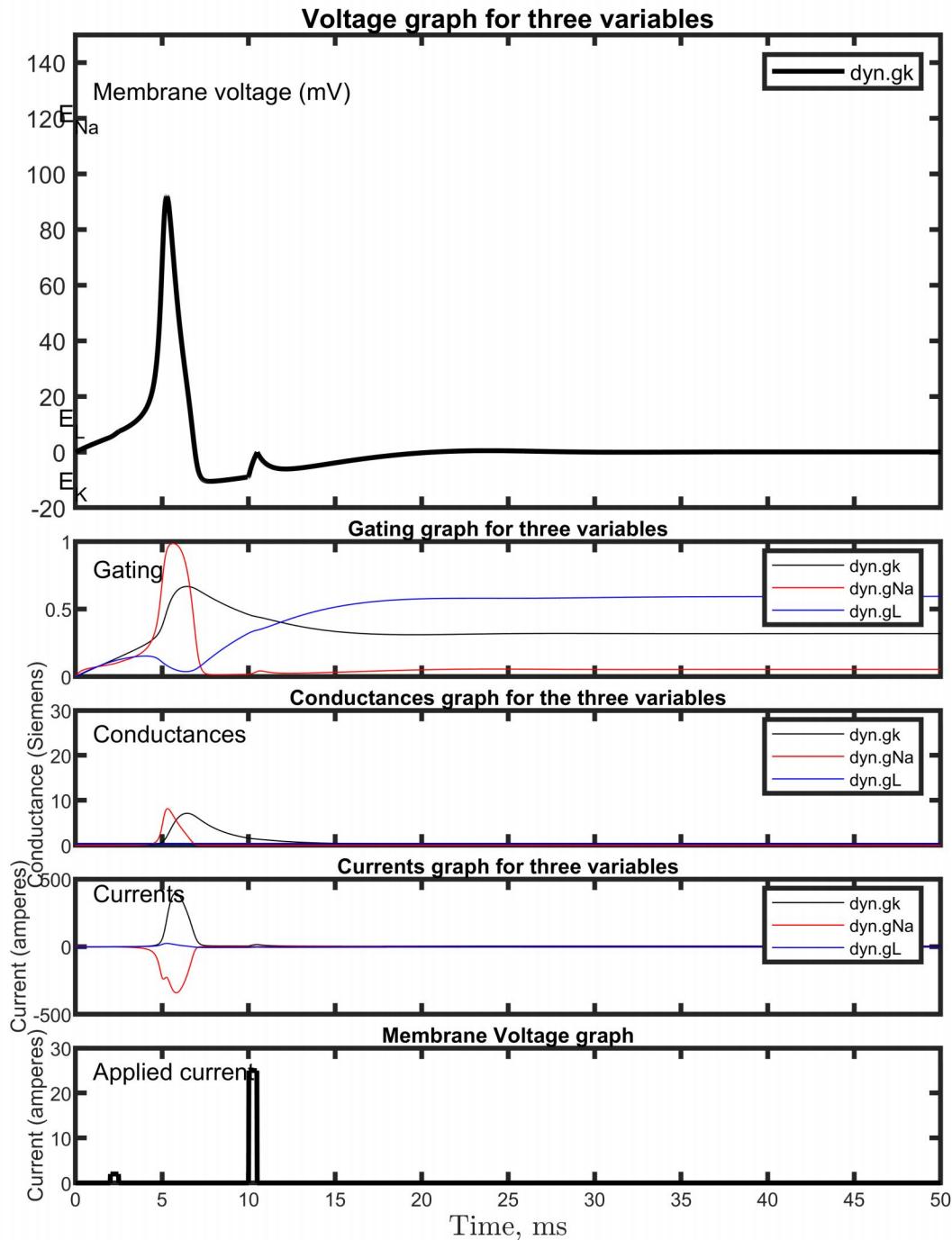
% Initial conditions
pars.V0=0;
pars.n0= 0;
pars.m0 = 0;
pars.h0 = 0;

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:50],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);
```

```
plot = plot_hh(dyn, pars);
```

Warning: Ignoring extra legend entries.



% Thought problem:

% Here are my thoughts...

```
pars.gKbar= 36; % mS/cm^2  
pars.gNabar=120; % mS/cm^2
```

```

pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

% Initial conditions
pars.V0=0;
pars.n0= pars.alphan(pars.V0) / (pars.alphan(pars.V0) + pars.betan(pars.V0)); %% n stars from eq
pars.m0= pars.alpham(pars.V0) / (pars.alpham(pars.V0) + pars.betam(pars.V0)); %% plug in equilibrium
pars.h0= pars.alphah(pars.V0) / (pars.alphah(pars.V0) + pars.betah(pars.V0)); % leave V(0) as is

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:20],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);

ploth = plot_hh(dyn, pars);

```

Warning: Ignoring extra legend entries.

```
% generated. This shows how the neuron responds to an impulse (a sudden
% increase, positive feedback by the components) by culminating in an
% action potential.
```

```
function plot_hh = plot_hh(dyn,pars)
% function plot_hh = plot_hh(dyn,pars)
%
% Takes a HH output structure in dyn and plots
% dynamics of Voltage, gating variables, conductance
% currents and applied current
% Defaults
clf;
set(gcf,'DefaultLineMarkerSize',10);
set(gcf,'DefaultAxesLineWidth',2);
set(gcf,'PaperPositionMode','auto');
set(gcf,'Position',[300 40 600 750]);
% main data goes here
% Applied current on bottomA
tmppos= [0.1 0.1 0.8 0.1];
tmpa1 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.appliedI,'k-');
set(tmpf,'linewidth',2);
xlabel('Time, ms','fontsize',12,'verticalalignment','top','interpreter','latex');
text(1,25,'Applied current');
ylim([0 30]);
ylabel('Current (amperes)');
title('Membrane Voltage graph');

% Currents next
tmppos= [0.1 0.225 0.8 0.1];
tmpa2 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.IK,'k-',dyn.t,dyn.INa,'r-',dyn.t,dyn.IL,'b-');
text(1,400,'Currents');
set(gca,'xticklabel',[]);
ylim([-500 500]);
ylabel('Current (amperes)')
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');
title('Currents graph for three variables');

% Conductances next
tmppos= [0.1 0.35 0.8 0.1];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.gK,'k-',dyn.t,dyn.gNa,'r-',dyn.t,dyn.gL,'b-');
text(1,25,'Conductances');
set(gca,'xticklabel',[]);
ylim([0 30]);
ylabel('Conductance (Siemens)');
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');
```

```

title('Conductances graph for the three variables');

% Gating
tmppos= [0.1 0.475 0.8 0.1];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.n,'k-',dyn.t,dyn.m,'r-',dyn.t,dyn.h,'b-');
text(1,0.8,'Gating');
set(gca,'xticklabel',[]);
ylim([0 1]);
legend('dyn.gk', 'dyn.gNa', 'dyn.gL');
title('Gating graph for three variables');

% Voltage
tmppos= [0.1 0.6 0.8 0.35];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.V,'k-');
set(tmpf,'linewidth',2);
text(1,130,'Membrane voltage (mV)');
set(gca,'xticklabel',[]);
ylim([-20 150]);
text(-1,pars.EK,'E_K');
text(-1,pars.ENa,'E_{Na}');
text(-1,pars.EL,'E_L');
legend('dyn.gk', 'dyn.gNa', 'dyn.gL');
title('Voltage graph for three variables');

% Return the plot handle
plotf=gcf;
end

function I = impulse_t(t)
% function I = impulse_t(t)
%
% specifies the applied time-varying current
% works if t is a single value or many values
for i=1:length(t),
    if (t(i)>2 & t(i)<4)
        I(i,1)=10;
    elseif (t(i)>10 & t(i)<10.5)
        I(i,1)=0;
    else
        I(i,1)=0;
    end
end

```

```
end
```

```
function dydt = model_hh(t,y,pars)
% Joshua Weitz - BIOL 8814 - Neuron excitation - Fall 2018
%
% function dydt = model_hh(t,y,pars)
% This simulates the HH model using parameters embedded in pars
% and requires a separate function termed impulse_t which
% has information on the time-dependent applied current
% Variables
V=y(1);
n=y(2);
m=y(3);
h=y(4);
% Impulses
I=impulse_t(t); % Specified in a function
% Dynamics
Vdot = (1/pars.C)*(I- (pars.gKbar*(n).^4 .* (V - pars.EK)) - ((pars.gNabar)*(m).^3 .* (h) .* (1-h)));
ndot = (pars.alphan(V) * (1- n)) - (pars.betan(V) * (n));
mdot = (pars.alpham(V) .* (1-m)) - (pars.betam(V) .* m);
hdot = (pars.alphah(V).* (1-h)) - (pars.betah(V) .* h);
% Return the changes
dydt = [Vdot; ndot; mdot; hdot];
end
```

2 Ex.2 20 / 20

✓ - 0 pts Correct

- 15 pts Code not correct; should use `n`, `m`, `h` instead of `dyn.n`, `dyn.m`, `dyn.h` as those are not defined yet

- 5 pts Code not correct

```matlab

```
Vdot = (1/pars.C)*(I-pars.gKbar*n^4*(V-pars.EK)-pars.gNabar*m^3*h*(V-pars.ENa) ...
```

```
-pars.gL*(V-pars.EL));
```

```
ndot = pars.alphan(V)*(1-n)-pars.betan(V)*n;
```

```
mdot = pars.alpham(V)*(1-m)-pars.betam(V)*m;
```

```
hdot = pars.alphah(V)*(1-h)-pars.betah(V)*h;
```

```
```
```

```
%Exercise 1 - fill in the ...
```

```
% Joshua Weitz - BIOL 8814 - Neuron excitation - Fall 2018
%
% This simulates the HH model using parameters embedded in pars
% a stimulus current, and a time range over which
% the simulation should run

% Parameters, including on/off functions
pars.gKbar= 36; % mS/cm^2
pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

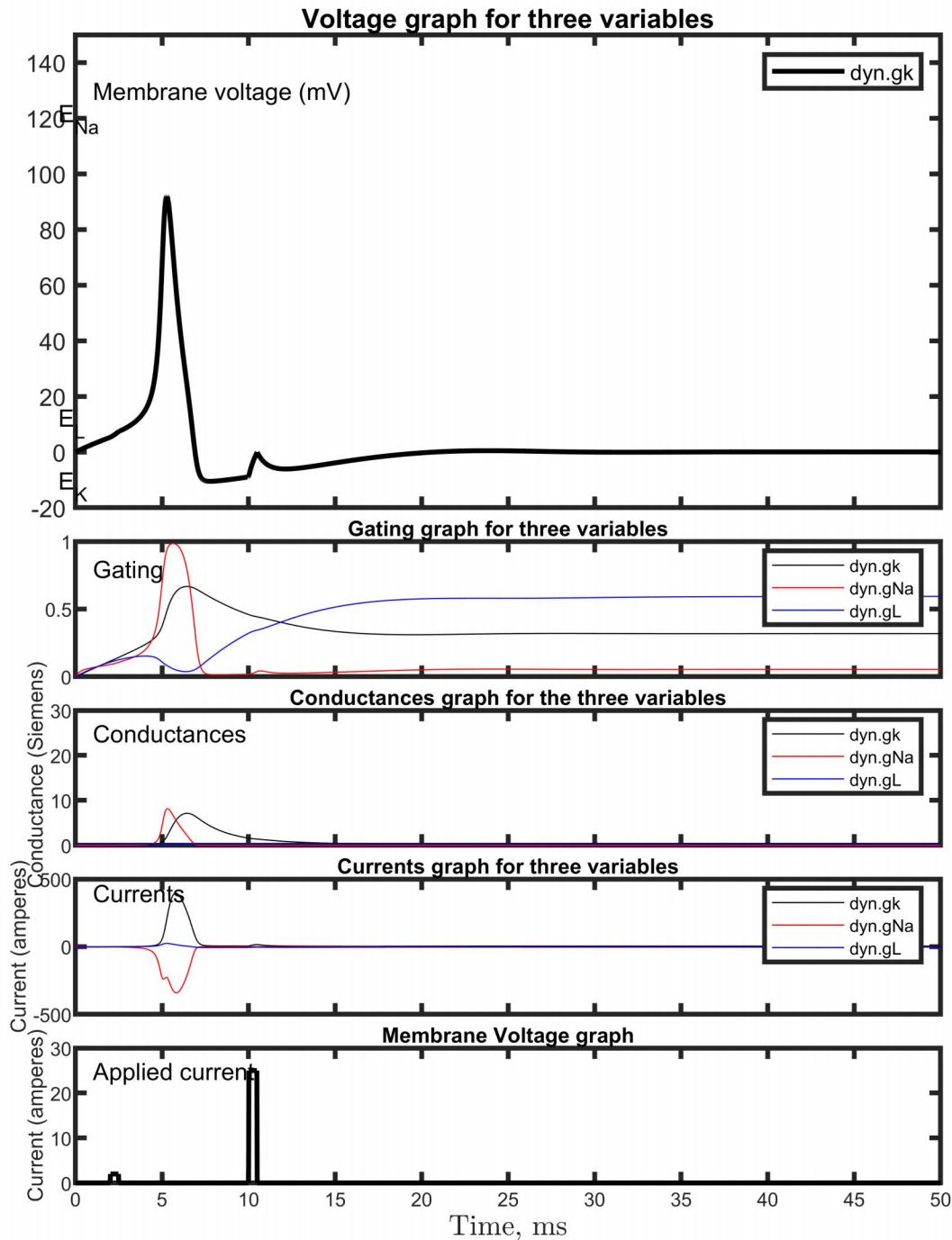
% Initial conditions
pars.V0=0;
pars.n0= 0;
pars.m0 = 0;
pars.h0 = 0;

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:50],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);
```

```
plot = plot_hh(dyn, pars);
```

Warning: Ignoring extra legend entries.



% Thought problem:

% Here are my thoughts...

```
pars.gKbar= 36; % mS/cm^2  
pars.gNabar=120; % mS/cm^2
```

```
% generated. This shows how the neuron responds to an impulse (a sudden
% increase, positive feedback by the components) by culminating in an
% action potential.
```

```
function plot_hh = plot_hh(dyn,pars)
% function plot_hh = plot_hh(dyn,pars)
%
% Takes a HH output structure in dyn and plots
% dynamics of Voltage, gating variables, conductance
% currents and applied current
% Defaults
clf;
set(gcf,'DefaultLineMarkerSize',10);
set(gcf,'DefaultAxesLineWidth',2);
set(gcf,'PaperPositionMode','auto');
set(gcf,'Position',[300 40 600 750]);
% main data goes here
% Applied current on bottomA
tmppos= [0.1 0.1 0.8 0.1];
tmpa1 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.appliedI,'k-');
set(tmpf,'linewidth',2);
xlabel('Time, ms','fontsize',12,'verticalalignment','top','interpreter','latex');
text(1,25,'Applied current');
ylim([0 30]);
ylabel('Current (amperes)');
title('Membrane Voltage graph');

% Currents next
tmppos= [0.1 0.225 0.8 0.1];
tmpa2 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.IK,'k-',dyn.t,dyn.INa,'r-',dyn.t,dyn.IL,'b-');
text(1,400,'Currents');
set(gca,'xticklabel',[]);
ylim([-500 500]);
ylabel('Current (amperes)')
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');
title('Currents graph for three variables');

% Conductances next
tmppos= [0.1 0.35 0.8 0.1];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.gK,'k-',dyn.t,dyn.gNa,'r-',dyn.t,dyn.gL,'b-');
text(1,25,'Conductances');
set(gca,'xticklabel',[]);
ylim([0 30]);
ylabel('Conductance (Siemens)');
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');
```

```

title('Conductances graph for the three variables');

% Gating
tmppos= [0.1 0.475 0.8 0.1];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.n,'k-',dyn.t,dyn.m,'r-',dyn.t,dyn.h,'b-');
text(1,0.8,'Gating');
set(gca,'xticklabel',[]);
ylim([0 1]);
legend('dyn.gk', 'dyn.gNa', 'dyn.gL');
title('Gating graph for three variables');

% Voltage
tmppos= [0.1 0.6 0.8 0.35];
tmpa3 = axes('position',tmppos);
tmpf=plot(dyn.t,dyn.V,'k-');
set(tmpf,'linewidth',2);
text(1,130,'Membrane voltage (mV)');
set(gca,'xticklabel',[]);
ylim([-20 150]);
text(-1,pars.EK,'E_K');
text(-1,pars.ENa,'E_{Na}');
text(-1,pars.EL,'E_L');
legend('dyn.gk', 'dyn.gNa', 'dyn.gL');
title('Voltage graph for three variables');

% Return the plot handle
plotf=gcf;
end

function I = impulse_t(t)
% function I = impulse_t(t)
%
% specifies the applied time-varying current
% works if t is a single value or many values
for i=1:length(t),
    if (t(i)>2 & t(i)<4)
        I(i,1)=10;
    elseif (t(i)>10 & t(i)<10.5)
        I(i,1)=0;
    else
        I(i,1)=0;
    end
end

```

```
end
```

```
function dydt = model_hh(t,y,pars)
% Joshua Weitz - BIOL 8814 - Neuron excitation - Fall 2018
%
% function dydt = model_hh(t,y,pars)
% This simulates the HH model using parameters embedded in pars
% and requires a separate function termed impulse_t which
% has information on the time-dependent applied current
% Variables
V=y(1);
n=y(2);
m=y(3);
h=y(4);
% Impulses
I=impulse_t(t); % Specified in a function
% Dynamics
Vdot = (1/pars.C)*(I- (pars.gKbar*(n).^4 .* (V - pars.EK)) - ((pars.gNabar)*(m).^3 .* (h) .* (1-h)));
ndot = (pars.alphan(V) * (1- n)) - (pars.betan(V) * (n));
mdot = (pars.alpham(V) .* (1-m)) - (pars.betam(V) .* m);
hdot = (pars.alphah(V).* (1-h)) - (pars.betah(V) .* h);
% Return the changes
dydt = [Vdot; ndot; mdot; hdot];
end
```

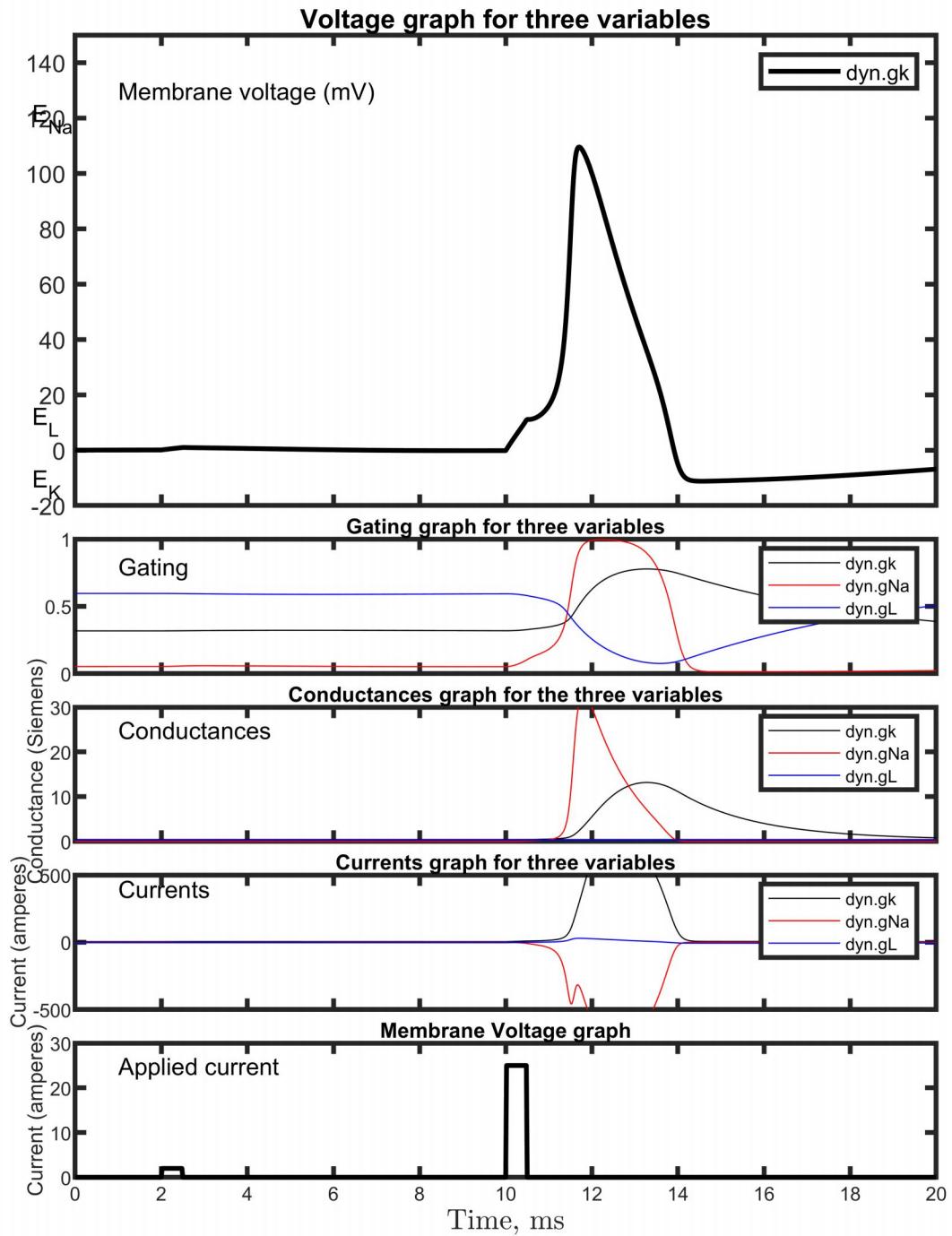
3 Ex.3 20 / 20

✓ - 0 pts Correct

- 10 pts Incorrect code

```matlab

```
for i=1:length(t),
if (t(i)>2 & t(i)<2.5)
I(i,1)=2;
elseif (t(i)>10 & t(i)<10.5)
I(i,1)=25;
else
I(i,1)=0;
end
end
```
```



```
% exercise 4
% identify equilibrium voltage and gating variables for HH equations.
```

```
% equilibrium voltages are the voltage of the neuron at resting state, no
% impulse inputted or have recently regressed from the active state. The
% equilibrium is just  $V^* = V_0 = 0$  mV.
% The gating variables' equilibrium states are the  $N^*$ ,  $M^*$ , and  $H^*$  ODEs.
```

```
% They represent corresponding steady states which are 0.6, 0.35, and 0.05
% for gL, gk, and gNa respectively. This is obtained by looking at the
% graphs corresponding with the variables, as t approaches to infinity.
```

% Exercise 5

%: With this result in hand, explore the effect of additional impulses of different durations and magnitudes while keeping the product of the current times the time the same. Are all "pulses" equally effective?

% Can a long weak pulse generate a signal? Can a long but very strong pulse generate a signal?
 % support your argument with plots)

% Exercise 5's first graph

```
pars.gKbar= 36; % mS/cm^2
pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

% Initial conditions
pars.V0=0;
pars.n0= pars.alphan(pars.V0) / (pars.alphan(pars.V0) + pars.betan(pars.V0)); %% n starts from equilibrium
pars.m0= pars.alpham(pars.V0) / (pars.alpham(pars.V0) + pars.betam(pars.V0)); %% plug in equilibrium values
pars.h0= pars.alphah(pars.V0) / (pars.alphah(pars.V0) + pars.betah(pars.V0)); % leave V(0) as 0

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:20],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
```

4 Ex.4 16 / 20

- 0 pts Correct
- 4 pts Correct method
- 4 pts Correct values
- ✓ - 4 pts *Correct plot*
- 20 pts Incorrect

```
% They represent corresponding steady states which are 0.6, 0.35, and 0.05
% for gL, gk, and gNa respectively. This is obtained by looking at the
% graphs corresponding with the variables, as t approaches to infinity.
```

% Exercise 5

%: With this result in hand, explore the effect of additional impulses of different durations and magnitudes while keeping the product of the current times the time the same. Are all "pulses" equally effective?

% Can a long weak pulse generate a signal? Can a long but very strong pulse generate a signal?
 % support your argument with plots)

% Exercise 5's first graph

```
pars.gKbar= 36; % mS/cm^2
pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

% Initial conditions
pars.V0=0;
pars.n0= pars.alphan(pars.V0) / (pars.alphan(pars.V0) + pars.betan(pars.V0)); %% n starts from equilibrium
pars.m0= pars.alpham(pars.V0) / (pars.alpham(pars.V0) + pars.betam(pars.V0)); %% plug in equilibrium values
pars.h0= pars.alphah(pars.V0) / (pars.alphah(pars.V0) + pars.betah(pars.V0)); % leave V(0) as 0

% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:20],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
```

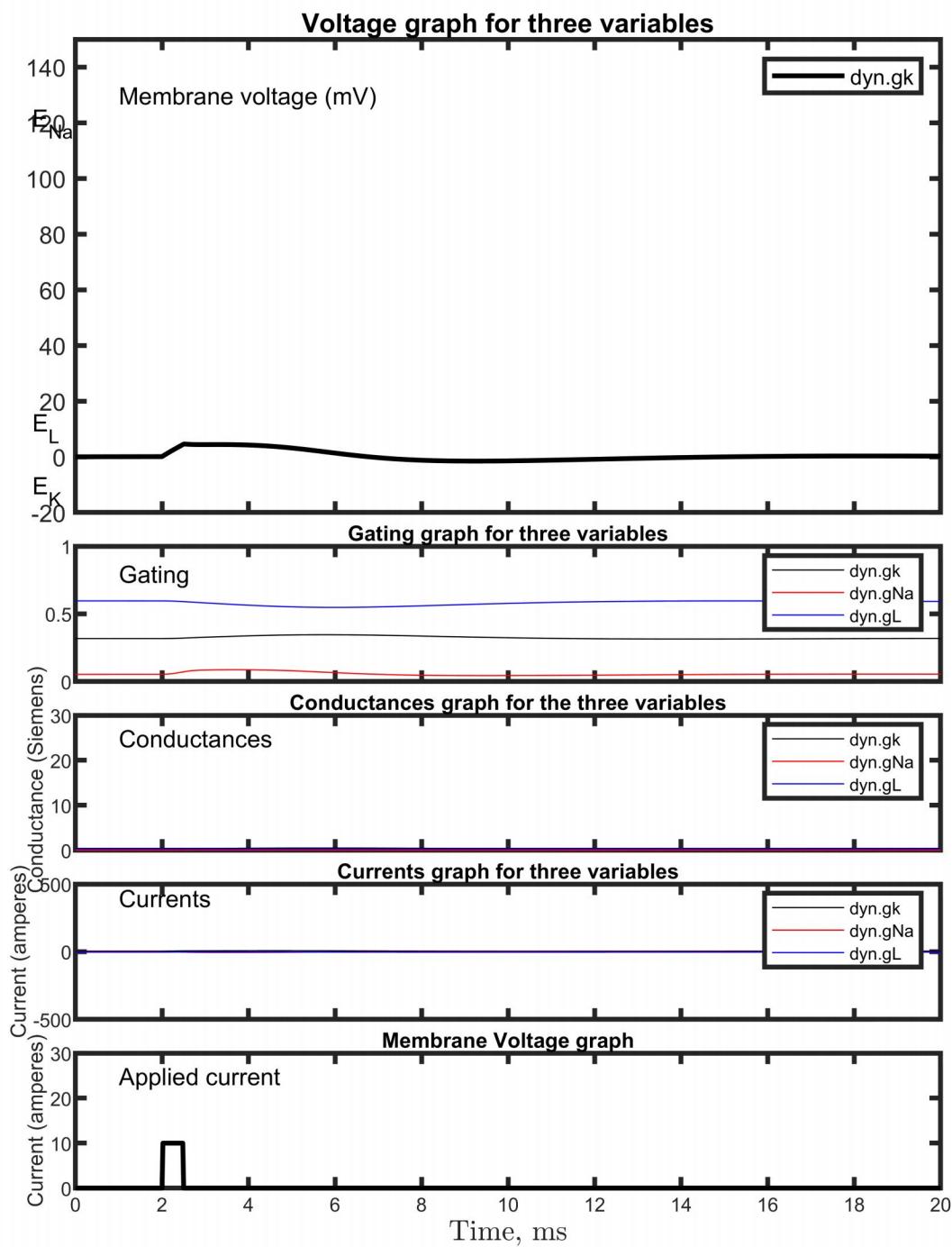
```

dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);

ploth = plot_hh(dyn, pars);

```

Warning: Ignoring extra legend entries.



```

% Exercise 5's second graph --- A weak long pulse
pars.gKbar= 36; % mS/cm^2

```

```

pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

% Initial conditions
pars.V0=0;
pars.n0= pars.alphan(pars.V0) / (pars.alphan(pars.V0) + pars.betan(pars.V0)); %% n stars from e
pars.m0= pars.alpham(pars.V0) / (pars.alpham(pars.V0) + pars.betam(pars.V0)); %% plug in equili
pars.h0= pars.alphah(pars.V0) / (pars.alphah(pars.V0) + pars.betah(pars.V0)); % leave V(0) as i

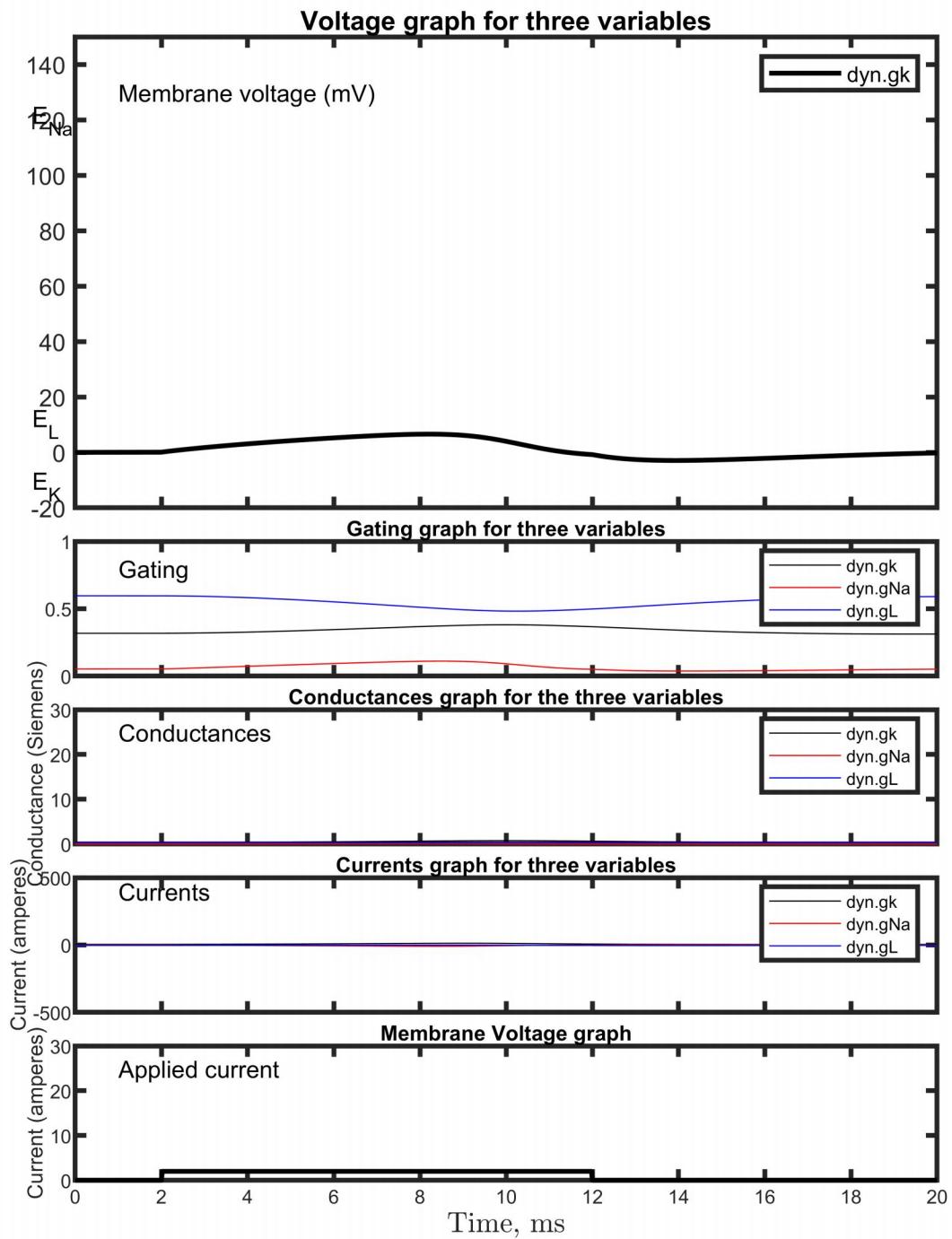
% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:20],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);

ploth = plot_hh(dyn, pars);

```

Warning: Ignoring extra legend entries.



```
% where the long weak pulse is 2 but the duration is 10
```

```
% Exercise 5's third graph --- a short strong pulse
pars.gKbar= 36; % mS/cm^2
pars.gNabar=120; % mS/cm^2
pars.gL=0.3; % mS/cm^2
```

```

pars.EK=-12; % mV
pars.ENa=120; % mV
pars.EL= 10.6; % mV
pars.C=1; % muF/cm^2
pars.alphan = @(V) 0.01*(10-V)./(exp(1-V/10)-1);
pars.betan = @(V) 0.125*exp(-V/80);
pars.alpham = @(V) 0.1*(25-V)./(exp(2.5-V/10)-1);
pars.betam = @(V) 4*exp(-V/18);
pars.alphah = @(V) 0.07*exp(-V/20);
pars.betah = @(V) (exp(3-V/10)+1).^-1;

% Initial conditions
pars.V0=0;
pars.n0= pars.alphan(pars.V0) / (pars.alphan(pars.V0) + pars.betan(pars.V0)); %% n stars from eq
pars.m0= pars.alpham(pars.V0) / (pars.alpham(pars.V0) + pars.betam(pars.V0)); %% plug in equilibrium
pars.h0= pars.alphah(pars.V0) / (pars.alphah(pars.V0) + pars.betah(pars.V0)); % leave V(0) as is

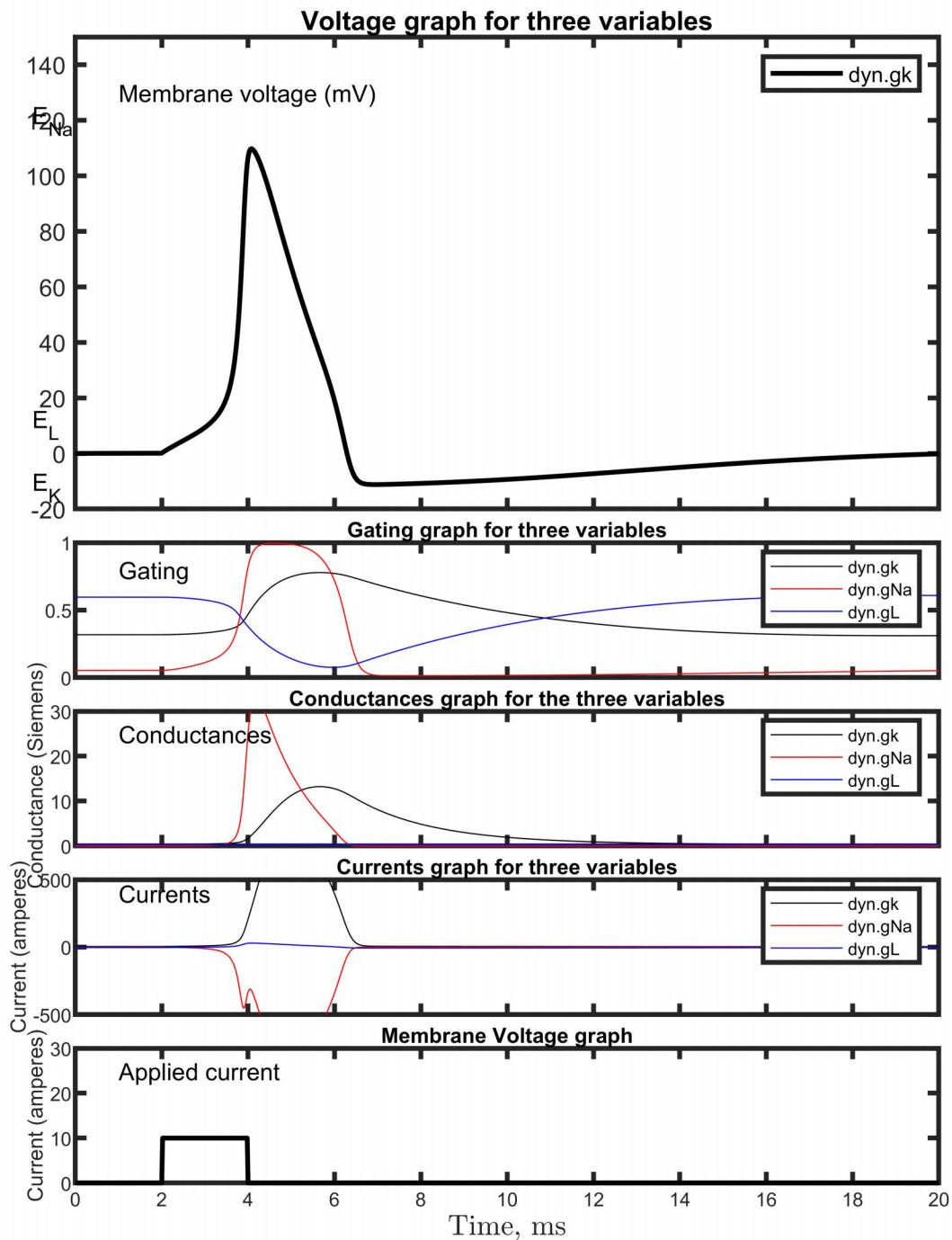
% Run the model
y0 = [pars.V0 pars.n0 pars.m0 pars.h0];
[t,y]=ode45(@model_hh,[0:0.02:20],y0,[],pars);

% Store results
% FILL IN WHEREVER YOU SEE ...
dyn.t=t;
dyn.V=y(:,1);
dyn.n=y(:,2);
dyn.m=y(:,3);
dyn.h=y(:,4);
dyn.gK=pars.gKbar*(dyn.n).^4;
dyn.gNa=(pars.gNabar)*(dyn.m).^3 .* (dyn.h);
dyn.gL=pars.gL * ones(length(dyn.t),1);
dyn.IK= pars.gKbar*(dyn.n).^4 .* (dyn.V-pars.EK);
dyn.INa= (pars.gNabar)*(dyn.m).^3 .* (dyn.h) .* (dyn.V - pars.ENa);
dyn.IL= pars.gL .* (dyn.V - pars.EL);
dyn.appliedI = impulse_t(dyn.t);

ploth = plot_hh(dyn, pars);

```

Warning: Ignoring extra legend entries.



% where the long strong impulse is 10 but duration is 2

The Pulses are equal in the sense that the area under the curve is the same, so the amperes*time in the applied current is the same. However, they are not the same because the action potential's preferential nature for short strong pulses.

% We can see that by keeping the area under the curve the same (current

% times time) ~20, we can simulate a long weak pulse and also

% a short strong pulse. In the long weak pulse, the action potential is not % generated. However, in the short strong pulse, the action potential is

```
% generated. This shows how the neuron responds to an impulse (a sudden  
% increase, positive feedback by the components) by culminating in an  
% action potential.
```

```
function plot_hh = plot_hh(dyn,pars)  
% function plot_hh = plot_hh(dyn,pars)  
%  
% Takes a HH output structure in dyn and plots  
% dynamics of Voltage, gating variables, conductance  
% currents and applied current  
% Defaults  
clf;  
set(gcf,'DefaultLineMarkerSize',10);  
set(gcf,'DefaultAxesLineWidth',2);  
set(gcf,'PaperPositionMode','auto');  
set(gcf,'Position',[300 40 600 750]);  
% main data goes here  
% Applied current on bottomA  
tmppos= [0.1 0.1 0.8 0.1];  
tmpa1 = axes('position',tmppos);  
tmpf=plot(dyn.t,dyn.appliedI,'k-');  
set(tmpf,'linewidth',2);  
xlabel('Time, ms','fontsize',12,'verticalalignment','top','interpreter','latex');  
text(1,25,'Applied current');  
ylim([0 30]);  
ylabel('Current (amperes)');  
title('Membrane Voltage graph');  
  
% Currents next  
tmppos= [0.1 0.225 0.8 0.1];  
tmpa2 = axes('position',tmppos);  
tmpf=plot(dyn.t,dyn.IK,'k-',dyn.t,dyn.INa,'r-',dyn.t,dyn.IL,'b-');  
text(1,400,'Currents');  
set(gca,'xticklabel',[]);  
ylim([-500 500]);  
ylabel('Current (amperes)')  
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');  
title('Currents graph for three variables');  
  
% Conductances next  
tmppos= [0.1 0.35 0.8 0.1];  
tmpa3 = axes('position',tmppos);  
tmpf=plot(dyn.t,dyn.gK,'k-',dyn.t,dyn.gNa,'r-',dyn.t,dyn.gL,'b-');  
text(1,25,'Conductances');  
set(gca,'xticklabel',[]);  
ylim([0 30]);  
ylabel('Conductance (Siemens)');  
legend('dyn.gK', 'dyn.gNa', 'dyn.gL');
```

5 Ex.5 20 / 20

✓ - 0 pts Correct

- 5 pts Correctly set up input impulses: one long-weak and one short-strong
- 4 pts Only one correct plot
- 8 pts No correct plots
- 7 pts Conclusion: in general, short-strong should generate a signal while long-weak should not
- 1 pts Long-weak impulse generates signal (it should not)