ADC Characterization: solution

Introduction to digital Low-Level Radio Frequency Controls in Accelerators

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1 Solutions

1.1 Measure 20 MHz signal

```
[1]: %matplotlib inline
    from matplotlib import pyplot as plt
    from scipy import signal
    import pandas as pd
    import numpy as np
    import time
    from epics import PV
    plt.rcParams['figure.figsize'] = [6, 4]
    plt.rcParams['axes.grid'] = True
    plt.rcParams['axes.grid.which'] = "both"
    plt.rcParams['grid.linewidth'] = 0.5
    plt.rcParams['grid.alpha'] = 0.5
    plt.rcParams['font.size'] = 8
[2]: fs = 480 * 23 / 24 / 4 # MHz
    fullscale = 1 << (16 - 1) # signed 16 bit format, AD9653
[3]: def calc_ps(wfm, title='', fullscale=32767, fs_mhz=115, average=False):
         fsdb = 20 * np.log10(fullscale / np.sqrt(2))
         f, pxx = signal.periodogram(
             wfm, fs_mhz, 'flattop', scaling='spectrum')
         # optional average pxx for waveform array
         if len(pxx.shape) == 2 and average:
             pxx = np.mean(pxx, axis=0)
         psd dbfs = 10 * np.log10(pxx) - fsdb
         return f, psd_dbfs
    def plot ps(f, psd dbfs, title='', annotate=False):
        fig, ax = plt.subplots()
         ax.set xlabel('Freq [MHz]')
         ax.set ylabel('Mag [dBFS]')
         ax.set ylim(-120, 0)
         ax.set title(title)
         if len(psd_dbfs.shape) == 1:
             ax.plot(f, psd dbfs)
             if annotate:
                 idx = np.argmax(psd_dbfs)
                 pwr = psd_dbfs[idx]
                 ax.annotate(
```

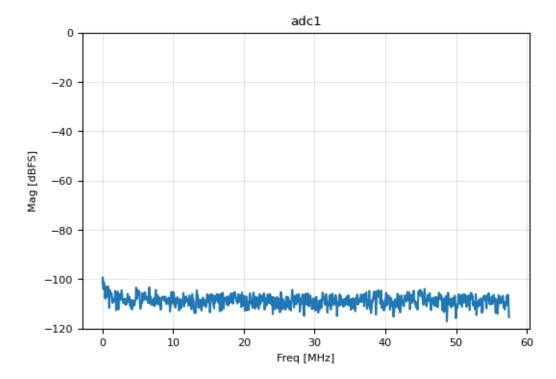
```
[4]: pvs = {
    f'adc{8-i}': PV(f'USPAS:LLRF:reg_adc{i}_buf_RBV')
    for i in range(8)}
```

1.2 Using LLRF as a spectrum analyzer

Measure ADC1 and ADC8 8 times for spectrum averaging. First measure ADC8 which has no input signal.

```
[5]: adc1_dat_array = []
for _ in range(8):
    adc1_dat_array.append( pvs['adc8'].value)
    time.sleep(0.5) # EPICS polling rate
```

```
[6]: f, psd_dbfs = calc_ps(adc1_dat_array, average=True)
plot_ps(f, psd_dbfs, title='adc1')
```



What's the frequency resolution of the power spectrum?

```
[7]: print(f'Freq resolution: {fs / adc1_dat_array[0].size:.6f} MHz')
    print(f'Freq resolution: {np.diff(f).mean():.6f} MHz')
    f_bin = np.diff(f).mean()
```

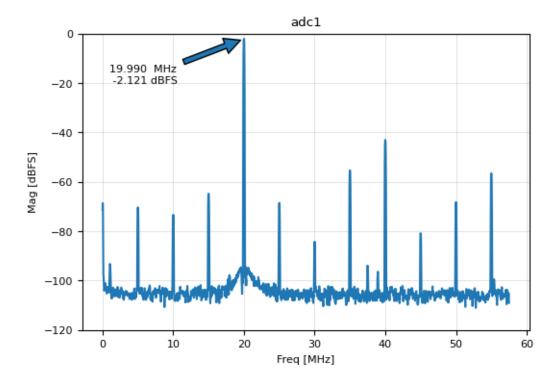
Freq resolution: 0.028076 MHz Freq resolution: 0.028076 MHz

For the connected channel, what's the measured peak frequency?

Set signal source at +5 dBm, connect to ADC1.

```
[8]: adc1_dat_array = []
for _ in range(8):
    adc1_dat_array.append( pvs['adc1'].value)
    time.sleep(0.5) # EPICS polling rate
```

```
[9]: f, psd_dbfs = calc_ps(adc1_dat_array, average=True) plot_ps(f, psd_dbfs, title='adc1', annotate=True)
```



Compare the plotted spectrum with Figure 8 on page 14 in AD9653 datasheet,

does the ADC function as expected in terms of noise floor and Signal Noise Ratio (SNR)?

Yes. The datasheet figure uses 16K FFT, which has additional analysis gain of $10 \log(16384) - 10 \log(4096) = 13.86$ dB, which explains the noise floor difference. The SNR is specified as 76.8 dB, which is reasonably close to the measured noise floor at 20 MHz. A true measurement needs to numerically deduct the signal itself in order to measure the actual noise floor at 20 MHz, which tends to increase hen the input signal is closer to full scale.

2 Finding ADC full scale

+7.1 dBm

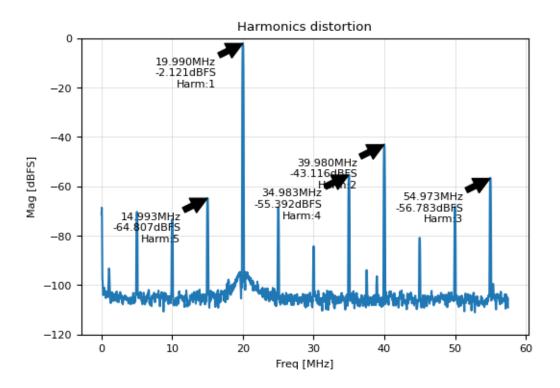
2.1 Harmonic distortion

```
[10]: def find known harm index(fft freq, num=4, den=23, n harm=5):
          Returns the location of known harmnics that aliased in nyquist zone,
       \hookrightarrow at `f`::
               f = +- k*fs +- n*fin
           Where fs is sampling frequency, fin is carrier signal. Note DC is _{\sqcup}
       \neg not included.
           :param\ array\ fft\_freq:\ Normalized\ fft\ frequency.
           :param int num :
                                    Numerator of fin/fs.
           :param int den :
                                    Denominator of fin/fs.
          :param int n harm: Number of harmonics.
          :return array peakinds: Index array of alias harmonics peaks in ...
       \hookrightarrow fft\_freq
           :return array alias f: Normalized frequency array of alias,
       \hookrightarrow harmonics peaks.
           11 11 11
          harm f = np.arange(1, 1+n harm) * num / den
          alias f = []
          for f in harm f:
               for k in range(-3, 3):
                   if 0 < k+f < .5: alias f.append(k+f)
                   elif 0 < k-f < .5: alias f.append(k-f)
          peakinds = []
          fft bin = .5/fft freq.size
          for f in alias f:
               index = np.where(
                   np.logical and(fft freq <= f+fft bin,</pre>
```

```
fft_freq >= f-fft_bin))[0]
if index[0]: peakinds.append(index[0])
return peakinds, np.array(alias_f)
```

[11]: peakinds, basis_f = find_known_harm_index(f / fs)

```
[12]: fig, ax = plt.subplots()
     ax.set xlabel('Freq [MHz]')
     ax.set ylabel('Mag [dBFS]')
     ax.set_ylim(-120, 0)
     ax.set_title('Harmonics distortion')
     ax.plot(f, psd dbfs)
     for i,index in enumerate(peakinds[:5]):
         xpos = f[index]
         ypos = psd dbfs[index]
          ax.annotate('{:.3f}MHz\n{:.3f}dBFS\nHarm:{:1d}'.format(
              ypos, i+1),
              fontsize=8,
              xy=(xpos, ypos), xycoords='data',
              xytext=(-20, -10), textcoords='offset points',
              arrowprops=dict(facecolor='black', shrink=0.01),
              horizontalalignment='right',
              verticalalignment='top')
```



2.2 Measure channel-to-channel isolation

```
[13]: all_adcs_dat = np.array([
         pvs[f'adc{i+1}'].value for i in range(8)])
    f, psd_dbfs_array = calc_ps(all_adcs_dat)
```

```
[14]: plot_ps(f, psd_dbfs_array, title='PSD of all adcs')
```

