CIC filter: solution

Introduction to digital Low-Level Radio Frequency Controls in Accelerators

Lab 9 Qiang Du

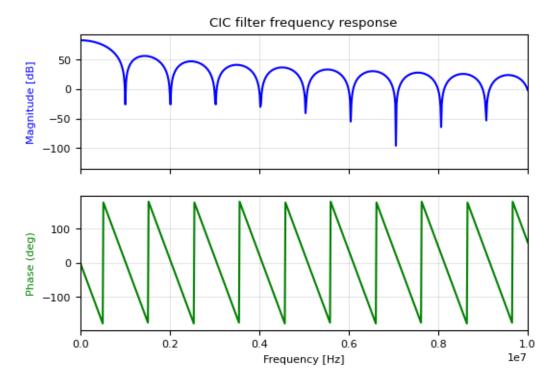
Contents

1	Solution	2
	1.1 Plot frequency response of USPAS CIC filter	2

1 Solution

1.1 Plot frequency response of USPAS CIC filter

```
[5]: %matplotlib inline
    from numpy.polynomial import polynomial
    import numpy as np
    from scipy import signal
    import matplotlib.pyplot as plt
    plt.rcParams['figure.figsize'] = [6, 4]
    plt.rcParams['axes.grid'] = True
    plt.rcParams['axes.grid.which'] = "both"
    plt.rcParams['grid.linewidth'] = 0.5
    plt.rcParams['grid.alpha'] = 0.5
    plt.rcParams['font.size'] = 8
[6]: wave samp per = 5
    cic period = 23
    R = cic_period * wave_samp_per
    M = 1
    N = 2
    fs = 115e6 \# Hz
    num1 = np.zeros(R)
    num1[0] = 1
    num1[-1] = -1
    npt = 4096
    b = polynomial.polypow(num1, N)
    a = polynomial.polypow([1,-1], N)
    w, h = signal.freqz(b, a, worN=npt, fs=fs);
[7]: fig, ax = plt.subplots(2, sharex=True)
    w = w[1:]
    h = h[1:]
    phase = np.angle(h, deg=True)
    ax[0].set_title('CIC filter frequency response')
    ax[0].plot(w, 20 * np.log10(abs(h)), 'b')
    ax[0].set_ylabel('Magnitude [dB]', color='b')
    ax[1].plot(w, phase, 'g')
    ax[1].set ylabel('Phase (deg)', color='g')
```



How much is the bit growth?

Total gain:

$$G = (RM)^N$$

Total bit growth:

$$\log_2(G) = N \log_2(RM)$$

 $[4]: \mathbb{N} * np.log2(\mathbb{R} * \mathbb{M})$

[4]: 13.69098010188875