

Roll No

MCTA-102**M.E/M.Tech., I Semester**

Examination, June-2013

Programming System*Time : Three Hours*

RGPVONLINE.COM

Maximum Marks : 70

Note: Attempt one question from each unit. All questions carry equal marks.

UNIT-I

1. a) What is heap? How does it differ from binary tree? Brief out various operation on a heap.
- b) Explain the various collision techniques used for hashing with example.

OR

2. a) Convert the following infix expression to postfix
 $A + (B * C - (D/E \uparrow F) * G) * 4$
- b) Explain stack, queue, and Huffman codes.

UNIT-II

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3. a) Prove that
 $T(n) = 3T(n/4) + cn^2$ is $O(n^2)$
 Using recursion tree method.
- b) Explain Asymptotic notation with example

OR

4. Find out best case and worst case time complexity of the following algorithm.
 Sorting (n)
 - a) for $J \leftarrow 2$ to length (n)
 - b) do key $\leftarrow A[J]$
 - c) // insert $A[J]$ into the sorted order $A[1, \dots, J-1]$
 - d) $i \leftarrow J-1$

- c) While $i > 0$ and $A[i] \leftarrow \text{key}$
- f) do $A[i+1] \leftarrow A[i]$
- g) $i \leftarrow i - 1$
- h) $A[i+1] \leftarrow \text{key}$

UNIT-III

5. a) Apply branch and bound method to solve the "Travelling salesperson problem" whose cost matrix is

$$\begin{bmatrix} \infty & 18 & 26 & 8 & 11 \\ 14 & \infty & 12 & 7 & 6 \\ 2 & 3 & \infty & 5 & 8 \\ 18 & 4 & 14 & \infty & 7 \\ 15 & 2 & 3 & 19 & \infty \end{bmatrix}$$

- b) Compare Greedy, divide and conquer and dynamic programming?

OR

6. a) Write the explicit and implicit constraints of the 8 queue problem and discuss its solution?
- b) Write a algorithm for the optimal solution of the Knapsack problem, using dynamic programming techniques.

UNIT-IV

7. Write a short notes on
 - a) Algebraic algorithms
 - b) Combinatorial algorithms
 - c) Approximation ratio and approximation scheme
 - d) Polynomial time approximation and full polynomial time approximation scheme
 - e) Set algorithms

UNIT-V

8. a) Explain the classes of Ni-Hard and NP complete.
- b) Prove that $P = NP$

OR

9. a) Explain in detail deterministic and non deterministic polynomial time algorithms.
- b) Explain Cook's theorem.