

Roll No ..

**CS-505****B.E. V Semester**

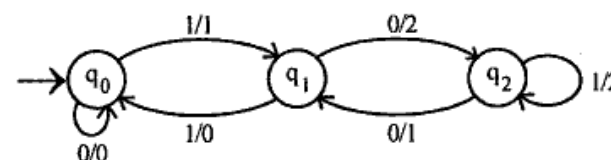
Examination, June 2016

**Theory of Computation***Time : Three Hours**Maximum Marks : 70*

- Note:* i) Answer five questions. In each question part A, B, C is compulsory and D part has internal choice.
- ii) All parts of each question are to be attempted at one place.
- iii) All questions carry equal marks, out of which part A and B (Max. 50 words) carry 2 marks, part C (Max. 100 words) carry 3 marks, part D (Max. 400 words) carry 7 marks.
- iv) Except numericals, Derivation, Design and Drawing etc.

**Unit - I**

1. a) Design DFA that accepts all strings with at most 3 a's.
- b) Design a NFA for  $\{cbab^n / n \geq 0\}$ .
- c) Construct Moore machine for the following Mealy machine.



- d) Write and explain Myhill-Nerode theorem.

OR

Construct NFA for the following grammar

 $S \rightarrow Ab / ab, A \rightarrow Ab / Bb, B \rightarrow Ba / a$ **Unit - II**

2. a) Give CFG for R.E  $(011+1)^*(01)^*$ .
- b) Explain GNF conversion steps.
- c) Explain ambiguous grammar problem.
- d) Convert following CFG to CNF

 $S \rightarrow ASB/E$  $A \rightarrow aAS/a$  $B \rightarrow SbS/A/bb$ 

OR

Convert the following grammar G into GNF

 $S \rightarrow XA/BB$  $B \rightarrow b/SB$  $X \rightarrow b$  $A \rightarrow a$ **Unit - III**

3. a) Explain PDA.
- b) Explain how many way's PDA can accept (final out null store).
- c) Explain pumping lemma for CFL.

- d) Design push down automata which accepts

$$L = \{0^n 1^{2n} / n \geq 1\}$$

OR

Design a push down automata which accepts set of balanced parentheses.  $\{((( )))\}$ **Unit - IV**

4. a) Explain ID of a turing machine.
- b) Explain Multi Tape and Universal Turning machine.
- c) Explain church hypothesis.
- d) Design turing machine to add two numbers a and b.

OR

Design turning machine for accepting strings of the language defined as  $\{\omega\omega\gamma / \omega \in (0+1)^*\}$ .**Unit - V**

5. a) Explain P and NP problems.
- b) Difference between NP complete w NP hard problem.
- c) Explain process of Reducibility.
- d) Describe Hamiltonian path problem.

OR

Describe vertex cover problem.

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