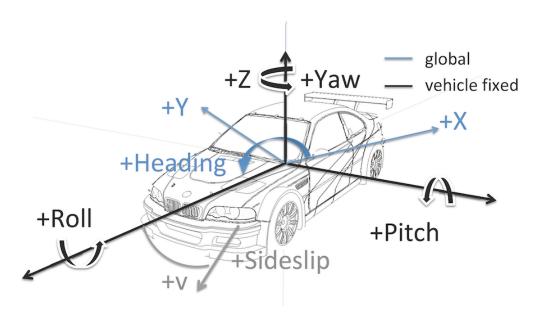
# Stacked hourglass for extrinsic camera parameters calibration

# Presentation Outlines

- 1. Problem Background
- 2. Problem Formulation
- 3. Related work
- 3. Methods
- 4. Results Analysis and Visualization
- 5. Conclusion

## Problem Background





- 1. Automatic calibration of extrinsic parameters is needed in case the camera is placed on a mobile platform.
- 2. The pitch and yaw angle, which are the most likely ones to change as the vehicle, can be inferred from the image coordinates of vanishing points.
- 3. The roll angle cannot affect the vanishing points, so we assume the roll angle is zero for simplicity.

# Problem Background

We first define the angle of yaw, pitch, and roll by  $\alpha$ ,  $\beta$ ,  $\gamma$  respectively. The points in 3D world project into image plane by camera intrinsic parameter K and extrinsic parameters R, T,

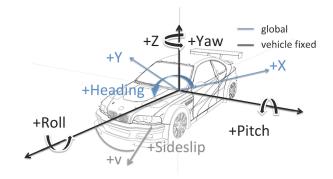
$$\lambda V_p = K(RZ_{\infty} + T)$$

Where  $V_p = [x, y, 1]$  is vanishing point in images plane,  $Z_{\infty} = [1,0,0,0]$  is point in 3D world.  $R = [r_1, r_2, r_3]$ ,

$$\lambda V_p = K r_1$$

$$R = [r_1, r_2, r_3] = [R_{yaw}R_{pitch}R_{roll}]^{T}$$

So we can get the angle  $\alpha$ ,  $\beta$  from  $r_1$  and we assume the  $\gamma=0$  for simplicity.



$$R_{yaw} = \begin{bmatrix} \cos \alpha & -\sin \alpha & 0\\ \sin \alpha & \cos \alpha & 0\\ 0 & 0 & 1 \end{bmatrix}$$

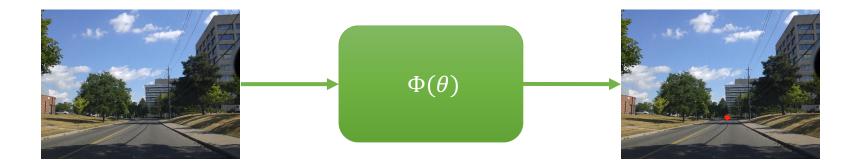
$$R_{pitch} = \begin{bmatrix} \cos \beta & 0 & \sin \beta \\ 0 & 1 & 0 \\ -\sin \beta & 0 & \cos \beta \end{bmatrix}$$

$$R_{roll} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos \gamma & -\sin \gamma \\ 0 & \sin \gamma & \cos \gamma \end{bmatrix}$$

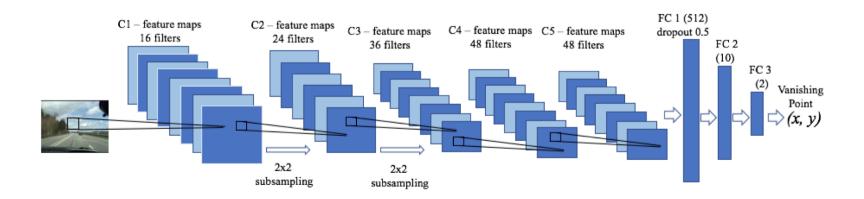
### **Problem Formulation**

Given an input traffic image I, we need to design a mapping function  $\Phi(\theta)$  to get the coordinate of vanishing point  $P_v$ , which denote the (x, y) coordinate in the image plane.

$$P_{v}^{*} = \Phi(I; \theta)$$



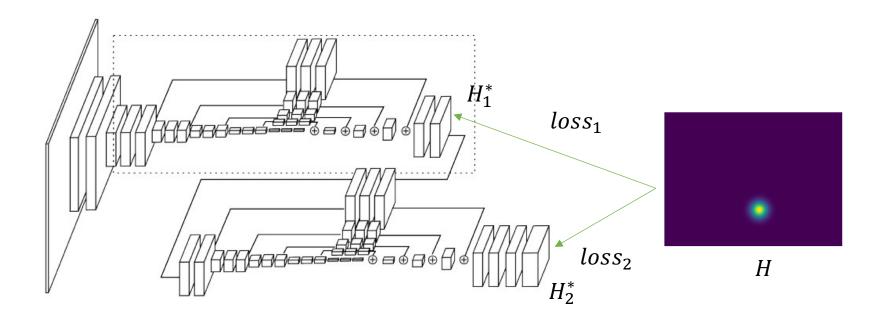
#### Related work



- 1. The vanishing point prediction can be viewed as a regression task
- 2. This network flatten all the feature map into vector, which ignores the spatial information.
- 3. As our reproduced experiments, the coordinates supervision are very weak. It just can learn the mean of coordinate over all training data.

# Network Architecture ---Stacked Hourglass





Our model can predict heatmaps  $H^*$ , which can represent the location of vanishing points . So our loss function need to minimize the distance between ground truth heatmap H. We adopt multi-stages loss supervision,  $\lambda$  is the super-parameter to balance the loss term.

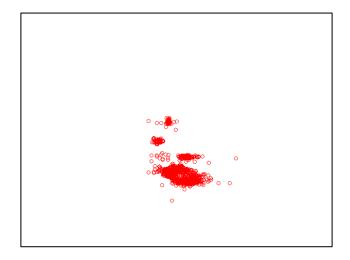
$$min || H_2^* - H ||_2 + \lambda || H_1^* - H ||_2$$

# Dataset description

- 1. The VP dataset consists of 2828 total images, of which 2233 represent highway scenarios and 595 for city.
- 2. The dataset is taken from OpenStreetCam. All the images are of size 640x480 pixels.
- 3. We randomly split the dataset into training set, validation set and test set by ratio 7:1:2

sets	Training set	Validation set	Test set
images	1980	282	566

Dataset distribution



Vanishing Points distribution in training set

### Results

**Evaluation Metric:** We use Euclidean distance to measure the model performance on test set. Here  $(x^*, y^*)$  is predicted vanishing point and (x, y) is ground truth coordinate.

$$EDist = [(x^* - x)^2 + (y^* - y)^2]^{1/2}$$

Methods	Baseline	Baseline+ Low level cues	Stacked Hourglass
EDist	32.0	20.4	12.7

Average Euclidean distance of different models (the lower, the better)

Baseline: Automatic extrinsic camera parameters calibration using convolutional neural networks

Baseline+low level cues: Automatic extrinsic camera parameters calibration using convolutional neural networks + Low level cues

# Visualization













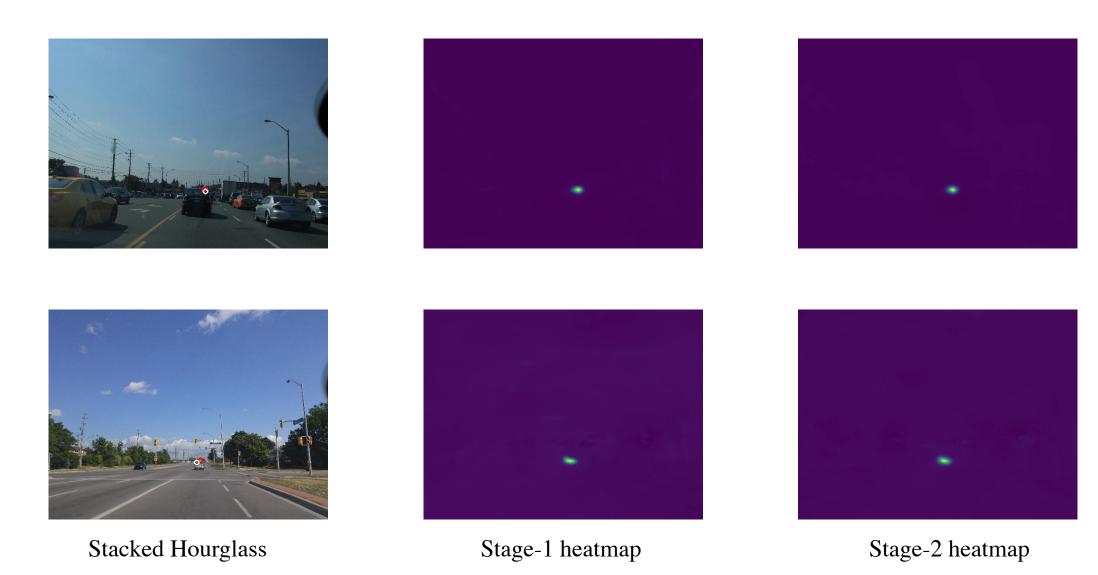
Baseline+
low level cues

Red circle is ground truth
White circle is prediction



Stacked Hourglass

# What CNNs have learned?



## Conclusion

- 1. Our methods can outperform all the baseline results.
- 2. Spatial information is essential for vanishing points estimation
- 3. Heatmap supervision is strong for estimation
- 4. Hourglass structure can utilize global context information greatly