Deep Learning for Natural Language Processing

Conditional Random Fields



CHALMERS



Richard Johansson

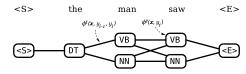
richard.johansson@gu.se

recap

we saw how to define a function that computes a score for an input x and an output y:

$$score(\mathbf{x}, \mathbf{y}) = \sum_{i=1}^{L} \phi^{e}(\mathbf{x}, y_{i}) + \sum_{i=1}^{L} \phi^{t}(\mathbf{x}, y_{i-1}, y_{i})$$

▶ the scoring function is "factorized" into emission scores ϕ^e and transition scores ϕ^t

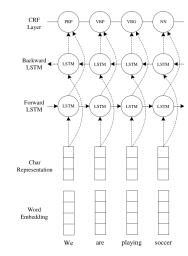


training the scoring function

- there are many training algorithms that can train the scoring function score(x, y)
- some of them are generalizations of classification models:
 - ▶ perceptron → structured perceptron (Collins, 2002)
 - SVM → structured SVM (Tsochantaridis et al., 2005)
 - ▶ logistic regression → conditional random field

CRFs in NLP systems

- the CRF model was proposed by Lafferty et al. (2001) and has been popular in many NLP tasks since then
- ▶ in neural models, a CRF is typically used as the output layer (Ma and Hovy, 2016)



CRF and related models

		output type?				
		category	sequence			
probability model?	generative	naive Bayes,	hidden Markov			
	P(x, y)	GMM	model			
	discriminative	logistic	conditional			
_	P(y x)	regression	random field			

CRF: basic definition (Lafferty et al., 2001)

▶ the CRF defines a probability of an output sequence y, given an input sequence x, as follows

$$P(\mathbf{y}|\mathbf{x}) = \frac{\exp \operatorname{score}(\mathbf{x}, \mathbf{y})}{\sum_{\mathbf{y}'} \exp \operatorname{score}(\mathbf{x}, \mathbf{y}')} = \frac{\exp \operatorname{score}(\mathbf{x}, \mathbf{y})}{Z(\mathbf{x})}$$

to train the model, we minimize the negative log likelihood:

$$\mathcal{L}(\boldsymbol{X}, \boldsymbol{Y}) = -\sum_{i=1}^{N} \log P(\boldsymbol{y}_i | \boldsymbol{x}_i)$$

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- but the probability is a giant softmax!
 - the sum in the denominator goes over all possible sequences!
 - the giant sum is called the partition function Z(x)

requirements for training and prediction

• for predicting or decoding, we need to compute the top-scoring output sequence \hat{y} for a given input x:

$$\hat{\mathbf{y}} = \arg\max_{\mathbf{y}} P(\mathbf{y}|\mathbf{x})$$

► for training, we need to compute the log likelihood, including the log of the partition function:

$$\log P(\mathbf{y}|\mathbf{x}) = \operatorname{score}(\mathbf{x}, \mathbf{y}) - \log Z(\mathbf{x})$$

finding the highest-probability sequence

- ightharpoonup the partition function Z(x) does not depend on y
- **>** so we don't need Z(x) to find the top-scoring output:

$$\arg \max_{\mathbf{y}} P(\mathbf{y}|\mathbf{x}) = \arg \max_{\mathbf{y}} \frac{\exp \operatorname{score}(\mathbf{x}, \mathbf{y})}{Z(\mathbf{x})}$$
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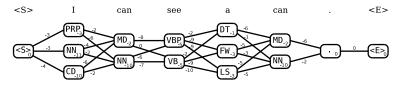
we've seen that we can use the Viterbi algorithm to solve this

the forward algorithm

the forward algorithm computes

$$\log Z(\mathbf{x}) = \log \sum_{\mathbf{y}} \exp \operatorname{score}(\mathbf{x}, \mathbf{y})$$

- it is a special case of the sum-product algorithm for graphical models
- it uses a dynamic programming approach similar to Viterbi
- it computes log sums instead of maximizing



side note about working in the log domain

- when computing $\log Z(x)$ in the forward algorithm, we need to work in the \log domain to avoid numerical overflows
- this is common when implementing probabilistic models in general
 - ▶ multiplying probabilities ⇒ summing log probabilities
 - summing probabilities $\Rightarrow \log \sum \exp$ with log probabilities
- ▶ in PyTorch, torch.logsumexp computes $\log \sum \exp$ in a numerically stable way

the forward algorithm: dynamic programming

- assume we have computed the log-sum-exp for all paths in the previous step
 - let $\alpha_{i-1,j}$ be the log-sum-exp of the scores of all paths ending in label j at position i-1
- then we compute the α scores in step i as follows:

$$\alpha_{ij} = \phi^{e}(y_{i}) + \log \sum_{k} \exp \left[\alpha_{i-1,k} + \phi^{t}(y_{i-1}, y_{i})\right]$$

$$\max_{\mathbf{NN}_{4}} \sup_{\mathbf{Saw}} \mathbf{VB}_{2}$$

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$$\cdots \qquad \text{NN}_{4}$$

$$0 \text{NN}_{4}$$

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$$\cdots \qquad \text{wan} \qquad \text{saw}$$

$$\cdots \qquad \text{VB}_{1} \qquad \text{VB}_{2} \qquad \text{10.3}$$

$$\cdots \qquad \text{NN}_{4} \qquad \text{6.3}$$

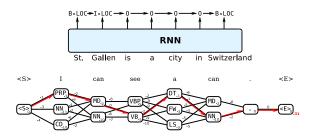
▶ $\log Z(x)$ is the α score for the dummy end token

CRF implementations for PyTorch

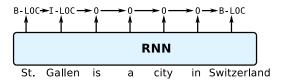
- PyTorch does not include a CRF module out of the box
- a couple of implementations:
 - **pytorch-crf**: a standalone CRF module
 - ► AllenNLP: the CRF module is part of a larger library
 - ► NCRF++: also part of a library

sequence labeling: summary of approaches

- why have we spent so much time on sequence models?
- a fairly simple task, but we could explore different approaches to solving structured prediction problems



summary: greedy sequential models



pros:

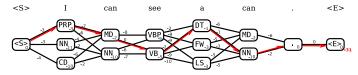
- ▶ a bit more flexible, no need to design special algorithms
- since we reduce the task to classification, we can rely on standard machinery for classification

cons:

- algorithm is greedy and does not necessarily find the highest-scoring sequence
- because prediction is sequential, we can't use any information about future predictions

summary: global scoring approaches

$$score(\mathbf{x}, \mathbf{y}) = \sum_{p \in parts} part-score(\mathbf{x}, p) = \sum_{i=1}^{L} \phi^{e}(\mathbf{x}, y_{i}) + \sum_{i=1}^{L} \phi^{t}(\mathbf{x}, y_{i-1}, y_{i})$$



pros:

- a bit more accurate (generally)
- finds the globally best solution, does not go to a dead end

cons:

- need specialized algorithms for training and prediction
- computational complexity may be higher

exercise 2

we will continue our NER experiments

Manchester	United	will	return	to	the	United	States
B-ORG	I-ORG	0	0	Ο	Ο	B-LOC	I-LOC

▶ we will investigate autoregressive models and CRFs

reading

- Goldberg doesn't have a chapter on sequence tagging
 - chapter 19 includes a bit, but also some parts that are more relevant when we discuss parsing
- Eisenstein's chapter 7 covers CRF and related models
 - you can skim or skip the parts on HMMs and structured perceptrons and SVMs
- Reimers and Gurevych (2017b) gives a good overview of different engineering choices
 - ... and more in another paper (Reimers and Gurevych, 2017a)

state of the art for sequence labeling tasks

- Ruder collects state-of-the-art results for many NLP tasks: https://nlpprogress.com/
- examples of some of the tasks we have discussed:
 - part-of-speech tagging
 - named entity recognition
 - semantic role labeling
- quite English-centric. . .

references

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