

Efficient and Robust Color Consistency for Community Photo Collections

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Abstract

We present an efficient technique to optimize color consistency of a collection of images depicting a common scene. Our method first recovers sparse pixel correspondences in the input images and stacks them into a matrix with many missing entries. We show that this matrix satisfies a rank two constraint under a simple color correction model. These parameters can be viewed as pseudo white balance and gamma correction parameters for each input image. We present a robust low-rank matrix factorization method to estimate the unknown parameters of this model. Using them, we improve color consistency of the input images or perform color transfer with any input image as the source. Our approach is insensitive to outliers in the pixel correspondences thereby precluding the need for complex pre-processing steps. We demonstrate high quality color consistency results on large photo collections of popular tourist landmarks and personal photo collections containing images of people.

1. Introduction

Nowadays, the growing popularity of photo sharing and social networks makes it easy to crowdsource photo collections of popular locations and social events. This has led to applications ranging from virtual tourism and navigation [35], image completion [19], colorization [7] and photo uncropping [32]. However, the color statistics of each image in the collection could differ due to different scene illumination at capture time or due to different non linear camera response functions [15, 25]. Such photometric inconsistencies cause visual artifacts in applications that require seamless alignment of multiple overlapping images.

Although modern image editing packages provide some color correction, and tone adjustment functionalities, these techniques usually require indirect user interaction [2, 20], or direct adjustment of color balance or manipulation of the tone curve. Consequently, these interactive techniques

are too tedious for large image collections. On the other hand, individual color correction is likely to produce images with inconsistent colors across the whole collection. Recently, HaCohen et al. [17] proposed a method to optimize color consistency across an image collection with respect to a reference image that relies on recovering dense pixel correspondence across multiple images [16]. This method is computationally expensive and not ideal for processing large collections involving thousands of images.

In this paper, we present a new matrix factorization based approach to automatically optimize color consistency for multiple images using sparse correspondence obtained from multi-image sparse local feature matching. For rigid scenes, we leverage structure from motion (SfM) although it is an optional step. We stack the aligned pixel intensities into a vector whose size equals the number of images. Such vectors are stacked into a matrix, one with many missing entries. This is the observation matrix that will be factorized. Under a simple color correction model, the logarithm of this matrix satisfies a rank two constraint under idealized conditions (perfect correspondences, no noise, constant illumination). The rank two matrix can be expressed as a sum of two rank one matrices – one that depends on the color correction parameters and another that depends on the albedos of the scene points associated with the sparse correspondences. The color correction parameters can be viewed as pseudo white balance and gamma correction parameters of the image. Here, pseudo indicates that the estimates do not necessarily coincide with the ground truth values.

Our method is based on the low-rank matrix factorization technique proposed in [4] that is robust to outliers. Robustness is key to the success of our method since in real conditions, several factors – lighting change, shadows, saturated pixels, incorrect feature correspondences, etc. produce outliers that corrupts the low rank structure of the observation matrix. We also analyze ambiguities in the matrix factorization formulation and suggest ways to resolve them practically. The low rank matrix formulation and the application of the L_1 -norm based robust factorization technique are the main contributions of our work.

Unlike the previous quadratic optimization problem formulation [17] which relies on dense and accurate correspon-

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Figure 1. First row: A selection from a large Internet photo collection (1500 images) of the Trevi fountain (images captured with different cameras on different days under different lighting). Second row: Our automatic technique performs consistent color correction on large image sets. Third row: The color of a target image (with a red boundary) can then be efficiently transferred to all the other images.

dence, our technique only requires sparse correspondence. Further more, the inherent robustness of our method makes it less sensitive to outliers and removes the need for complex pre-processing. Our approach is computationally much more efficient than [17] and is practical for large collections exceeding a thousand images. It can also handle smaller sets of images with significant variation in scale, viewpoint, object pose and deformation, where the recovery of outlier-free dense correspondence is challenging [16].

We evaluate our technique on diverse datasets ranging from large image sets of tourist landmarks (Fig. 1 and Fig. 2), Internet images of celebrities as well as personal photo collections. We also demonstrate that color correction and color transfer achieved with our method improves the quality of image stitching, multi-view stereo, and image-based rendering when using crowdsourced photos.

2. Related Work

We now review existing methods for color correction categorized by the need or absence of user interaction.

Single image methods. A popular approach for color correction [3] utilizes a reference image of a white object to adjust the white balance of other images captured by the same camera under similar illumination. Modern techniques [10, 11, 13, 14, 30] exploit statistical relationships between light and colors to estimate illumination of a scene for white balance correction. These methods are automatic, but they are designed for single images and cannot enforce consistent corrections on multiple overlapping images.

An interactive system used to locally edit tonal values in an image [27] performs local white balance correction for images with mixed illumination. Another approach proposed by Boyadzhiev et al. [2] involves a two light source mixture model that is used to correct spatially varying white balance with minimal user input [20]. However, interactive methods are impractical for very large image collections.

Batch methods. A few automatic color correction methods exist for large photo collections of rigid scenes. Garg et

al. [12] observe that scene appearance often has low dimensionality and exploit that fact for color correction. Laffont et al. [24] estimate coherent intrinsic images and transfer localized illumination using the decomposed layers. Díaz et al. [9] performs batch radiometric calibration using the empirical prior on camera response functions [15]. Shi et al. [33] handles the effect of nonlinear camera response using a shape prior. Kim and Pollefeys [22] introduce a decoupled scheme for radiometric calibration and the vignetting correction. In contrast to [9, 12, 22, 24, 33], our method only requires sparse correspondence. Moreover, images of non-rigid scenes can be handled. For rigid scenes, we optionally use SfM for more accurate correspondence but neither surface normals nor dense 3D models are needed.

For more general scenes, the non-rigid dense correspondence (NRDC) algorithm proposed by HaCohen et al. [16] was used to optimize color consistency for image pairs using a linear color transform. Their work in [17] then targets photo collections by propagating colors of a reference image to other images. This involves estimating optimal parameters of three piecewise-quadratic splines which minimize color differences between all correspondences. However, their quadratic energy formulation is sensitive to errors in matching, and therefore rely on accurate and dense correspondences obtained using a computationally expensive algorithm such as NRDC. This makes their approach less suited for very large photo collections [9].

Instead of using high quality correspondences recovered by NRDC [17], our technique uses sparse correspondences and it is also less sensitive to erroneous correspondences due to the underlying robust optimization framework. According to [17], an accelerated implementation of NRDC took more than 6 hours to construct the underlying match graph for a set of 865 images on a MacBook Pro (2.3 Ghz Core i7 CPU and 8GM RAM). In contrast, for our TREVI FOUNTAIN (1500 images) dataset, feature matching and SfM in our implementation together took 50 minutes on a desktop PC with about 30 minutes for feature matching. For non-rigid scenes, the SfM stage is replaced by a much faster

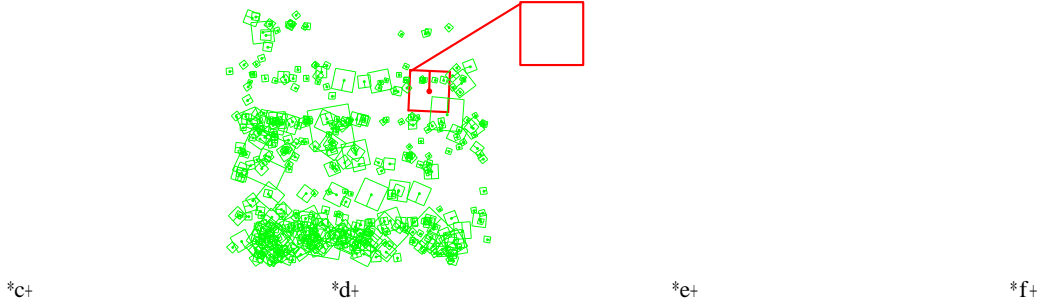


Figure 2. Overview: (a) Selected input images. (b) Keypoints extracted in an image. (c) Local feature descriptors are matched to obtain sets of aligned image patches from which the low-rank matrix is constructed. (d) We factorize this matrix using our robust technique and jointly estimate color correction parameters for each image. (e) The same set of images after color correction.

graph algorithm described in the paper.

Applications. Both geometric alignment of overlapping images as well as color and gamma correction is crucial for visual aesthetics in applications such as virtual tourism and navigation [1, 23, 34, 35], photo-realistic rendering [31], scene completion [19], image colorization [7, 28], image restoration [8], image montage [6], photobio [21] and photo uncrop [32]. Color correction prior to image alignment can further improve the alignment accuracy in these methods.

3. Color Correction Model

We adopt a global color correction model for reasons discussed in [17], namely robustness to alignment errors, ease of regularization and higher efficiency due to fewer unknown parameters. Our simple model is as follows:

$$I = (cI) \quad (1)$$

where I is the input image, I is the desired image, c is a scale factor equivalent to the white balance function [20] and (\cdot) is the non-linear gamma mapping. Equation (1) is independently solved for each color channel.

We assume that the surface reflectance of a scene point is constant across the images. Given m input images $\{I_i\}_{i=1}^m$, n 3D points $\{p_j\}_{j=1}^n$ and their 2D image projections $\{x_{ij}\}$, the intensity at a particular pixel x_{ij} in image I_i is

$$I_i(x_{ij}) = (c_i a_j e_{ij})^\gamma, \quad (2)$$

where a_j is the constant albedo of the j -th 3D point and c_i and γ_i are the unknown global parameters for the i -th image. The per-pixel error term denoted as e_{ij} captures unmodeled color variation due to factors such as lighting and shading change that cannot be modeled with Eq. (1).

Taking logarithms on both sides of Eq. (2), we get:

$$\log(I_i(x_{ij})) = \gamma_i \log(c_i) + \gamma_i \log(a_j) + \gamma_i \log(e_{ij}). \quad (3)$$

Rewriting Eq. (3) in matrix form, by grouping image intensities by scene point into sparse column vectors of length m and stacking the n columns side by side, we get:

$$I = C + A + E. \quad (4)$$

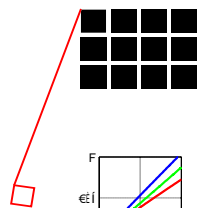
Here, n denotes the number of 3D points or equivalently the number of correspondence sets. $I \in \mathbb{R}^{m \times n}$ is the observation matrix, where each entry $I_{ij} = \log(I_i(x_{ij}))$. $C \in \mathbb{R}^{m \times n}$ is the color coefficient matrix where $C_{ij} = \gamma_i \log(c_i)$. $A \in \mathbb{R}^{m \times n}$ is the albedo matrix where $A_{ij} = \gamma_i \log(a_j)$. Finally, $E \in \mathbb{R}^{m \times n}$ is the residual matrix where $E_{ij} = \gamma_i \log(e_{ij})$. Here, the row index i denotes the i -th image, and the column index j denotes the j -th 3D point.

Lemma 1. Rank of $C + A = 2$.

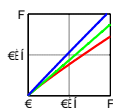
Proof. Since c and γ are global parameters for an image, $c_{i1} = c_{i2} = \dots = c_{in}$, and $\gamma_{i1} = \gamma_{i2} = \dots = \gamma_{in}$. Thus, each row of C is identical. Hence, C is a rank-1 matrix. Similarly, a_j represents surface albedo of a scene point and $a_{1j} = a_{2j} = \dots = a_{mj}$. Since each row of A is multiplied by the same value, γ_i , the rows of A are linearly dependent but have different linear coefficients γ_1 / γ_i . Thus, A is also a rank-1 matrix. Further, since the linear dependence of C and A are independent of each other, the rank of $C + A$ is equal to 2. This concludes the proof. \square

Assumptions. The matrix C should be viewed as a set of global image parameters for optimizing color consistency across the input images. In general, our estimate of C will not match the camera's true white balance and gamma settings. Similarly, our estimate of A is unlikely to match the true albedos. We now discuss our assumptions regarding unmodeled color variation caused by lighting change, etc.

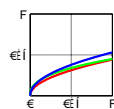
Consider the situation where the images of a scene point are mostly captured in bright lighting. In this case, its albedo estimate is likely to be greater than the true value. In fact, the dominant bright illumination would be absorbed into the albedo term. The implicit assumption we make is that most 3D scene points have a somewhat dominant mode in their color distribution and that for most points, the estimated albedos will be consistent with the dominant color modes. This is true for example if most of the images were captured during daytime in bright lighting. Fig. 3 shows an example where the input images have two very different dominant color modes. In this case, the outputs for a specific image (see Fig. 3(a)) present in both sets will be differ-



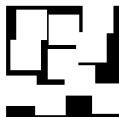
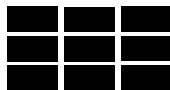
$*c_+$



$*d_+$



$*e_+$



*c+

*d+

*e+

*h+

*i+

Non-rigid scenes. For such input images, we extract SIFT features [29] and run nearest neighbor (NN) descriptor matching on image pairs. For each pair, we do the matching both ways and retain the matches for the reciprocal nearest neighbors¹. Next, we construct an undirected match graph $G = (V, E)$, where V represents all the SIFT features, and E denotes all the pairwise matches. Within this graph, we then find the maximal cliques of size three and above. The maximal cliques are computed using a variant of the Bron-Kerbosch algorithm [36] and these provide the correspondences used to construct the observation matrix.

Building the matrix I . Using the scale and orientation of matched keypoints, we resample patches 30×30 pixels wide from the associated input images which are often well aligned (see Figures 2(b) and 2(c)). We sample intensities from these patches to construct I . For reliable correspondences such as those obtained from SfM, we select one observation from each patch in a feature track to construct a new row for the matrix I . Specifically, we use the median intensity of each patch; this provides some robustness to misalignments, occlusion, shadows and JPEG artifacts.

Data Augmentation. For scenes with sparser feature matches there are too few observations to estimate all the unknowns, as noted in [16]. Fig. 4 shows a two image example with only nine feature matches². Here, single pixel sampling produces unsatisfactory results (Fig. 4(c)). We address this issue by augmenting the observations using additional pixels sampled from the aligned patches using a pre-defined sampling pattern (Fig. 4(e)). This assumes reasonable patch alignment and local surface smoothness but is quite effective since the subsequent optimization step is robust to outliers. The improved result is shown in Fig. 4(f).

6. Experimental Results

We first analyze the robustness of our method on synthetic data. Next, selected color correction results are presented. A detailed comparison with [17] is reported highlighting the higher efficiency and robustness of our method followed by an analysis of running times. The supplementary material has additional results and shows improved results for image stitching, multi-view stereo and image-based rendering made possible by our method.

6.1. Robustness Analysis

We conducted synthetic experiments with sparse observation matrices generated according to our model (Eq. (2)) with image intensities scaled to the range $[0, 1]$. We sample $a_j \sim U(0, 1)$, $c_i \sim U(0.5, 1.5)$, and $i \sim U(0.5, 4)$, where $U(a, b)$ denotes an uniform distribution over $[a, b]$. These

¹ a, b are reciprocal nearest neighbors, when a 's NN is b and vice versa.

²In this case, we use the intensity of the image in (a) as the approximate solution of a . Hence, the correction is with respect to the image in (a).

		used for e_{ij} $N(1, \sigma^2)$ and outlier percentage of e_{ij}					
		$\sigma = 0.01$		$\sigma = 0.03$		$\sigma = 0.05$	
		10%	20%	10%	20%	10%	20%
# of imgs	50	2.17 / 4.73	3.90 / 6.81	3.51 / 5.65	3.79 / 5.81	4.42 / 6.17	4.63 / 5.65
	100	0.93 / 2.91	1.55 / 4.46	2.02 / 3.41	2.40 / 4.32	2.39 / 3.44	2.93 / 4.45
	300	0.33 / 2.19	0.34 / 3.00	0.96 / 2.38	1.09 / 3.02	1.34 / 2.31	1.52 / 2.95
	500	0.26 / 1.82	0.29 / 2.56	0.71 / 1.82	0.89 / 2.78	1.26 / 2.00	1.30 / 2.58

*Residual errors when applying L_1 / L_2 -norm based approaches. Unit: $(\times 10^{-2})$

Table 1. Comparisons between L_1 and L_2 -norm in the first term of Eq. (6). Using L_1 -norm consistently gives more accurate results than using L_2 -norm. The image intensities are normalized to $[0, 1]$.

matrices have size $R^{m \times n}$ with the number of points n fixed ($=1000$), the number of images m , varying from 50 to 500 and the fraction of missing entries fixed ($=95\%$). To simulate per-element deviations from the rank 2 structure, we sample $e_{ij} \sim N(1, \sigma^2)$ with varying σ where $N(\mu, \sigma^2)$ denotes normal distribution with mean μ and variance σ^2 . Finally, we sample random outliers in e_{ij} from $U(0.5, 1.5)$ given a target outlier ratio. To evaluate the importance of the robust L_1 -norm in Eq. (6), we also test a variant of our algorithm that instead uses the L_2 -norm in Eq. (6).

Table 1 summarizes the mean residual errors ($\|W(G - P Q^T)_1\|_1$) for various runs where the outlier fraction was set to 10% and 20% for three different settings of σ . Here G denotes ground truth. The mean residual errors are always less than 0.05 across all runs. The L_1 -norm is consistently more robust than the L_2 -norm especially when σ is small and the improvement margin increases when the outlier fraction increases. In general, accuracy increases when more images are used. Larger values of σ as expected causes moderate increase in error but the L_1 -norm still performs the best.

6.2. Batch Color Correction

We first show selected color correction results on subsets of photos from five collections of tourist landmarks in Figures 1 and 6 – NOTRE DAME (715 images) [35], TREVI FOUNTAIN (1500 images), ST. BASIL CATHEDRAL (1700 images), STATUE OF LIBERTY (2362 images), and DRESDEN FRAUENKIRCHE (2025 images)³. The latter four also contain Flickr images downloaded as part of the public dataset (Landmark3d, codeplanet.com) from [18]. We used our own state of the art SfM implementation.

We have confirmed the assumptions made in our low-rank model by analyzing E , the residual matrix for the five datasets. Figure 7 shows the error distributions on these datasets. Only 0.75%, 0.96%, 2.88%, 0.31% and 1.89% of observations have residual error greater than 0.2 respectively (where image intensities lie in $[0, 1]$).

Figures 8 and 9 show results on the WEDDING [17], and ICE SKATER datasets. The ICE SKATER dataset contains 36 images obtained using Google Image Search and

³The numbers in brackets are the input sizes for SfM.

Figure 6. Results on four other landmark photo collections. In each case, five images are shown. The upper row shows the original images, the lower row shows our auto correction results. More results are shown in the supplementary material.

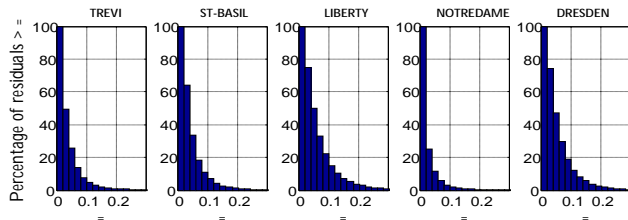


Figure 7. Residual error ($\|W - (I - PQ^T)_1\|_1$) distribution on five real datasets. The percentages of elements in the residual vector with magnitude greater than the threshold are plotted.

contain noticeable variations in colors, contrast, human pose and appearance. On these two datasets, we used the implementation of SIFT features in VLFeat (www.vlfeat.org). An additional example, the BUSH sequence can be found in our supplementary material.

Inspecting the results qualitatively, we see that despite the huge input variability, darker images are brightened and the images with unusual colors are successfully corrected to be consistent with the other images. Once each image in the input set is corrected, we can treat those images as if they were taken from a single virtual camera. Figure 1 shows a color transfer example on the TREVI FOUNTAIN dataset. The corrected images were transformed with the inverse camera function of the selected reference image.

Comparison with [17]. We compare our method with that of HaCohen et al. [17] on a small subset of the WEDDING dataset (9 images) published on their project website and the ICE SKATER dataset (36 images). Here, we use our own re-implementation of [17] based on quadprog, a Matlab quadratic programming package. We test two baselines by running their method using both NRDC [16] correspondences as well as our sparse correspondences as input. Both WEDDING and ICE SKATER are small datasets and

the huge variation in image scale, composition and the subject’s pose makes it difficult to obtain high quality results using NRDC [16]. Since the sparse SIFT correspondences are fewer, we perform data augmentation on it ($30\times$ samples) as described earlier in the paper.

The results shown in Fig. 8 and Fig. 9 demonstrate that our approach is quite effective and performs better than both baselines. In contrast, the baseline method [17] performs moderately with NRDC correspondences (Fig. 8 2nd row) but shows a lack of color consistency when used with sparse correspondences (Fig. 8 3rd row). The cost function based on the L_2 norm used in [17] appears to be sensitive to outliers producing inconsistent colors even for the most similar images (e.g. the highlighted columns in Fig. 8 and Fig. 9). Increasing the weight of the regularization term in their method [17] also tends to produce darker images as their energy function penalizes pairwise intensity differences and hence can favor a color transform function that makes the image intensities darker.

Running Times. For TREVI FOUNTAIN (1500 images), SfM reconstructs 1467 cameras. When we test our factorization method on these images, the observation matrix has size 1467×52092 . Our Matlab implementation took 56 minutes on a desktop PC with Intel i7-4790 CPU @ 3.6 GHz and 16 GB RAM. For an image-based rendering application described in the supplementary material, we selected a subset of 390 images. This time the 390×44827 matrix was factorized in about 18 minutes. The results on the common 390 images are almost identical. The timings for ICE SKATER (36 images) were 47 seconds for feature matching, 0.4 seconds for finding maximal cliques and 153 seconds for factorizing the matrix built from 146K correspondences (with $30\times$ augmented samples). The SVD inside each inner

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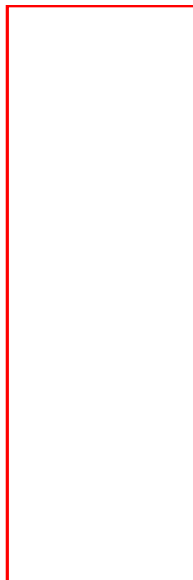


Figure 8. Comparison with [17] on the WEDDING dataset (9 images). (Row 1): Input images. (Row 2): Results from HaCohen et al.’s technique [17] using NRDC [16] and (Row 3) using sparse correspondences (same as the input to our method). (Row 4): Our results. The overall color consistency of our results are noticeably higher even though sparse correspondences were used.

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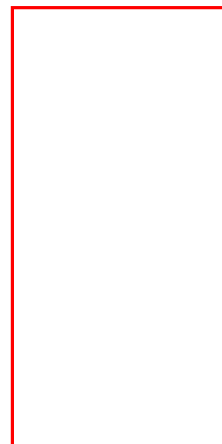


Figure 9. ICE SKATER dataset (36 images): (Row 1) Selection of nine input images. (Row 2) Results of HaCohen et al. [17] using dense correspondences [16]. (Row 3): Results obtained using our method where significant color variations are consistently corrected.

loop iteration is the main computational bottleneck and can be sped up using fast singular value thresholding [5].

Limitations. Our approach has the same limitations as that of HaCohen et al. [17]. It may be ineffective when the input photos have low overlap. Also, our method may be less effective for certain input photos which have drastic lighting changes such as with daytime and night photos. Nevertheless the problem is somewhat mitigated by our ability to handle large photo collections. For rigid scenes, for surfaces always under shadow, the estimated albedo tends to be darker. This is because our estimation of white balance and gamma coefficients is biased by the initial albedo estimates and we cannot guarantee that the estimated parameters will always be accurate with respect to ground truth camera pa-

rameters. Finally, when brightening a dark image using the estimated values, brighter pixels may become saturated.

7. Conclusion

We have presented a novel and practical approach to optimize color consistency of a photo collection. Our key contribution is the novel rank-2 formulation of the problem and the proposed robust matrix factorization-based technique. Our robust formulation alleviates the need for dense correspondences as required by [17]. It is shown to be effective on Internet photo collections of tourist landmarks, celebrities as well as personal photo collections. In the future, we plan to conduct a user study to evaluate our method on more diverse photo collections.

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