

1 python

1. 这个函数用于将一个特定格式的字符串分割成字符和数字部分，并分别储存并返回。对该字符串的格式要求是<name><value>，如果数字部分是负数，则应在字符串后加上'n'，即可在数字部分得到负数。

2.

	input	output
1	phi0.1	'phi',0.1
2	kappa0.5n	'kappa',-0.5
3	123	",123.0
4	abc	'abc',None
5		",None
6	++--0.1	'++-',-0.1
7	++--0.1n	/
8	a1b2c3	'a',1
9	%^&*().1	'%^&*()',0.1
10	++--0.00	'++-',-0.0

我们在第6, 7, 9, 10组测试数据发现了异常，第6组的-应当读入字符部分而不是数字部分，第7组报错，第9组.应当读入字符部分而不是数字部分，第10组-0.0不合理。这应该是程序第28行的正则表达式不合理，负数的判断应该由最后是否有n决定，而不应作为数字的一部分被读取。我们将其改为 `pattern = '(\d+\.\d+|\d+)` 即可得到正确的结果。(取消将正负号读入数字部分；将 `\d*` 改为 `\d+` 避免字符部分最后的.被读入数字部分。)

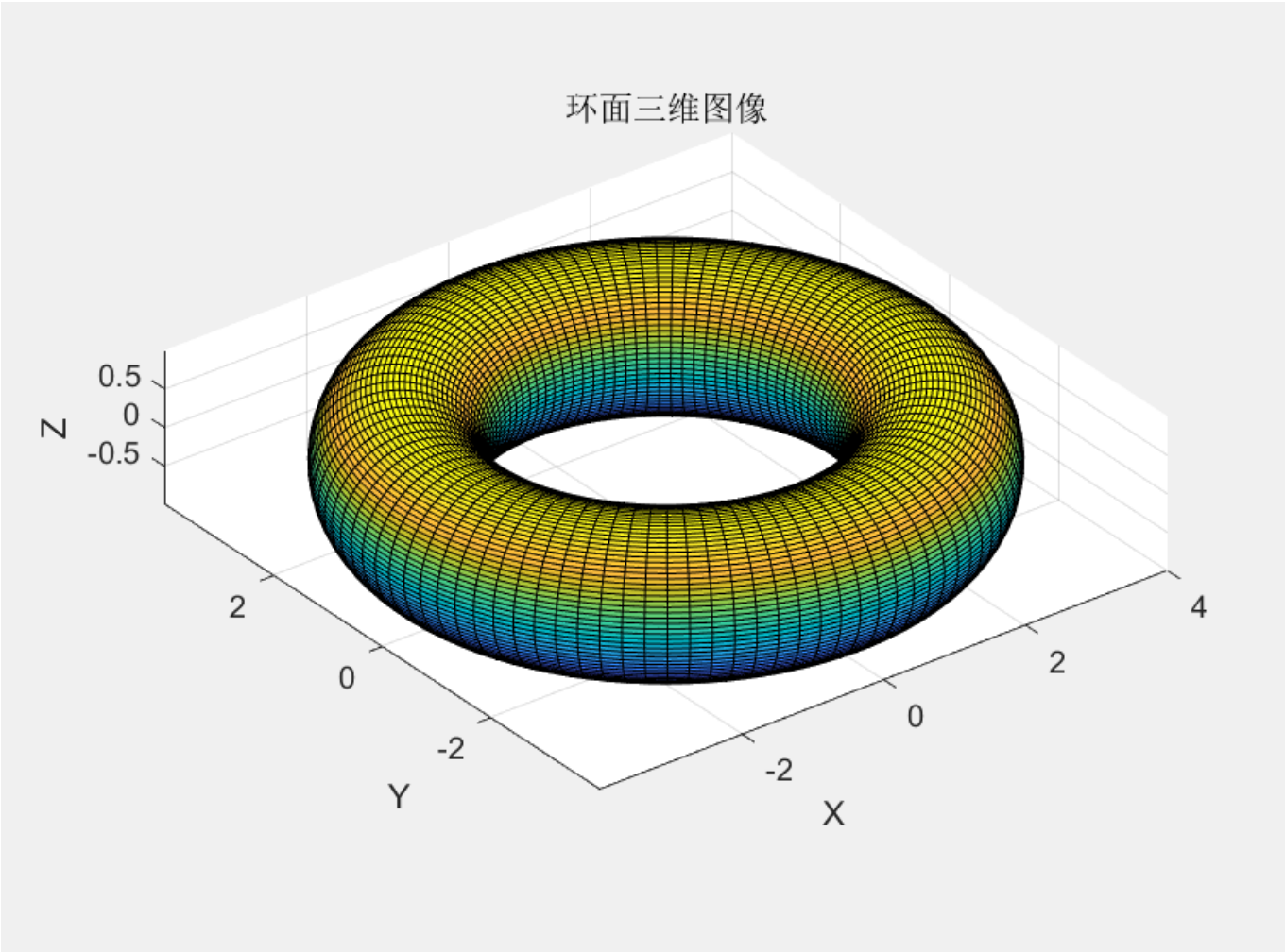
3. 'phi',0.1 'xN',14.2 'kappa',-0.5 'a',1.0 'b',-14.0 'n',0.0 'c',0.2

2 matlab

```
R = 3;
r = 1;
% 创建角度向量
theta = linspace(0, 2*pi, 100);
phi = linspace(0, 2*pi, 100);
[Theta, Phi] = meshgrid(theta, phi);
% 计算x, y, z的值
X = (R + r*cos(Theta)) .* cos(Phi);
Y = (R + r*cos(Theta)) .* sin(Phi);
Z = r * sin(Theta);
% 绘制三维图像
surf(X, Y, Z);
xlabel('X');
ylabel('Y');
zlabel('Z');
```

```
title('环面三维图像');
axis equal;
```

图像如下：



3 mathematica

```
Sum[1/(n^3 + n^2), {n, 1, Infinity}]
Integrate[(Sqrt[x] Log[x])/(x + 1)^2, {x, 0, Infinity}]
```

结果如下：

`In[1]:= Sum[1/(n^3 + n^2), {n, 1, Infinity}]`

`Out[1]=` $-1 + \frac{\pi^2}{6}$

`In[5]:= Integrate[(Sqrt[x] Log[x])/(x + 1)^2, {x, 0, Infinity}]`

`Out[5]=` π

4 markdown

```

**Q**:Find the solution of the following equation with respect to  $\theta$ 
$$
A\cos\theta+B\sin\theta+C=0
$$
**A**:
Let  $x_1=\cos\theta$  and  $x_2=\sin\theta$ , then the solution is given by the
intersection of the circle and line:
$$
\begin{align*}
x_1^2+x_2^2=1\\
Ax_1+Bx_2+C=0
\end{align*}
$$
We reformulate the equations in a parametric form:
$$
\begin{align*}
|\mathbf{x}|^2=1\\
\mathbf{x}(t)=\mathbf{a}+t\mathbf{b}
\end{align*}
$$
where  $\mathbf{x}=(x_1,x_2)$ ,  $\mathbf{a}=(0,-C/B)$ ,  $\mathbf{b}=(-C/A,C/B)$ , and  $t$  is
a parameter. The intersection points satisfy the following equation:
$$
|\mathbf{a}+t\mathbf{b}|^2=1
$$
which can be solved for  $t$  to find the intersection points:
$$
t_{1,2} = \frac{-\mathbf{a} \cdot \mathbf{b} \pm \sqrt{(\mathbf{a} \cdot \mathbf{b})^2 - |\mathbf{b}|^2(|\mathbf{a}|^2 - 1)}}{|\mathbf{b}|^2}

```

效果图如下：

Q:Find the solution of the following equation with respect to θ

$$A \cos \theta + B \sin \theta + C = 0$$

A:

Let $x_1 = \cos \theta$ and $x_2 = \sin \theta$, then the solution is given by the intersection of the circle and line:

$$\begin{aligned} x_1^2 + x_2^2 &= 1 \\ Ax_1 + Bx_2 + C &= 0 \end{aligned}$$

We reformulate the equations in a parametric form:

$$\begin{aligned} |\mathbf{x}|^2 &= 1 \\ \mathbf{x}(t) &= \mathbf{a} + t\mathbf{b} \end{aligned}$$

where $\mathbf{x} = (x_1, x_2)$, $\mathbf{a} = (0, -C/B)$, $\mathbf{b} = (-C/A, C/B)$, and t is a parameter. The intersection points satisfy the following equation:

$$|\mathbf{a} + t\mathbf{b}|^2 = 1$$

which can be solved for t to find the intersection points:

$$t_{1,2} = \frac{-\mathbf{a} \cdot \mathbf{b} \pm \sqrt{(\mathbf{a} \cdot \mathbf{b})^2 - |\mathbf{b}|^2(|\mathbf{a}|^2 - 1)}}{|\mathbf{b}|^2}$$

