part2

1.1 功能描述:

find_name_value 函数将一个包含变量名称和数值的目录名(字符串)解析为一个 (name, value) 的元组。这个函数能够识别数值是否为负,并相应地处理数值的符号。

输入:

- folder_name (字符串): 表示数据目录名称,格式为 <name><value>,其中:
 - o (name) 是字母和数字的组合,表示变量名。
 - o (value) 是与变量名相关联的数值。如果数值为负,格式会在数值后面加上字母 'n',表示负数值。

输出:

- 返回一个元组 (name, value) , 其中:
 - o name 是字符串,表示变量的名称。
 - o value 是浮动类型,表示与该名称相关联的数值。如果目录名包含 n,则表示该数值为负数。

说明:

- 数值部分可以是整数或浮动数字。
- 如果目录名中的数值带有 '', 表示该数值是负的。

用途:

该函数适用于解析某些数据目录名称,自动提取并转换名称和数值部分,方便进一步的数据处理。

1.2 修复

测试代码

```
result = find_name_value(folder_name)
    assert result == expected, f"Test failed for {folder_name}. Expected {ex
    print(f"Test passed for {folder_name}. Result: {result}")
    except Exception as e:
        print(e)

test_find_name_value()
```

原始代码运行结果

```
PS C:\Users\weilan> python -u "c:\Users\weilan\Desktop\1.py"

Test failed for phi321_0.1. Expected ('phi321_', 0.1), but got ('phi', 321.0)

Test passed for xNda14.2. Result: ('xNda', 14.2)

Test failed for 0.12kappa0.5n. Expected ('0.12kappa', -0.5), but got ('', 0.12)

Test passed for zeta0. Result: ('zeta', 0.0)

Test failed for a123a4.0n5. Expected ('a123a4.0n', 5.0), but got ('a', 123.0)

Test failed for phi-0.1. Expected ('phi-', 0.1), but got ('phi', -0.1)

could not convert string to float: '--14.2'

Test failed for 0.1. Expected (None, 0.1), but got ('', 0.1)

Test failed for 123n. Expected (None, -123.0), but got ('', -123.0)

Test passed for kappa. Result: ('kappa', None)
```

可以看到需要修改的部分包括:

- 对下划线的处理
- name中含有数字的情况
- 正负由于由末尾的n来表示所以正负号应被视为包含在name中
- name为空的情况

修改后函数

```
Args:
    folder_name (str): the name of a :term:`data directory`.
Returns:
    tuple: a tuple contains:
        * name (str): variable name.
        * value (float): value of the variable.
pattern = r'(\d^*\.\d+\d+)(n?)$'
match = re.search(pattern, folder_name)
if not match:
    return folder_name, None
value_str, sign_str = match.groups()
name = folder_name[:match.start()]
if sign str == 'n':
    value = '-' + value str
        value = value_str
if not name:
    name = None
return name, float(value)
```

• 修改后测试结果:

```
PS C:\Users\weilan> python -u "c:\Users\weilan\Desktop\1.py"

Test passed for phi321_0.1. Result: ('phi321_', 0.1)

Test passed for xNda14.2. Result: ('xNda', 14.2)

Test passed for 0.12kappa0.5n. Result: ('0.12kappa', -0.5)

Test passed for zeta0. Result: ('zeta', 0.0)

Test passed for a123a4.0n5. Result: ('a123a4.0n', 5.0)

Test passed for phi-0.1. Result: ('phi-', 0.1)

Test passed for xN-14.2n. Result: ('xN-', -14.2)

Test passed for 0.1. Result: (None, 0.1)

Test passed for l23n. Result: (None, -123.0)

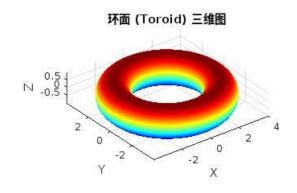
Test passed for kappa. Result: ('kappa', None)
```

1.3 运行

- "phi0.1_xN14.2_kappa0.5n": ('phi0.1_xN14.2_kappa', -0.5)
- "a1 b14n n0 c0.2": ('a1 b14n n0 c', 0.2)

```
%参数设定
R = 3; % 大半径
r = 1; % 小半径
% 生成参数网格
theta = linspace(0, 2*pi, 50); % theta 从 0 到 2*pi
[Theta, Phi] = meshgrid(theta, phi); % 创建网格
% 计算 x, y, z 坐标
X = (R + r * cos(Theta)) .* cos(Phi);
Y = (R + r * cos(Theta)) .* sin(Phi);
Z = r * sin(Theta);
% 使用 surf 函数绘制三维图
figure;
surf(X, Y, Z);
% 设置图形属性
shading interp; % 插值平滑
colormap jet; % 使用 Jet 配色方案
            % 保持轴的比例一致
axis equal;
xlabel('X');
ylabel('Y');
zlabel('Z');
title('环面 (Toroid) 三维图');
```

结果



$$\lim_{\|n\| = 1} \text{Sum}[1/(n^3 + n^2), \{n, 1, Infinity\}]$$

$$Out[s] = -1 + \frac{\pi^2}{6}$$

$$In[*]:= Integrate[Sqrt[x] Log[x] / (x + 1)^2, \{x, 0, Infinity\}]$$

$$Out[*]= \pi$$

4

Q: Find the solution of the following equation with respect to θ :

$$A\cos\theta + B\sin\theta + C = 0$$

A:

Let $x_1 = \cos \theta$ and $x_2 =$

 $\sin \theta$, then the solution is given by the intersection of the circle and the line:

$$x_1^2 + x_2^2 = 1$$

$$Ax_1 + Bx_2 + C = 0$$

We reformulate the equations in a parametric form:

$$|\mathbf{x}|^2=1, \quad \mathbf{x}(t)=\mathbf{a}+t\mathbf{b}$$

where $\mathbf{x} = (x_1, x_2), \mathbf{a} = (0, -C/B), \mathbf{b} =$

(-C/A, C/B), and t is a parameter. The intersection points satisfy the following equation:

$$|\mathbf{a} + t\mathbf{b}|^2 = 1$$

which can be solved for t to find the intersection points:

$$t_{1,2} = rac{-\mathbf{a}\cdot\mathbf{b}\pm\sqrt{(\mathbf{a}\cdot\mathbf{b})^2-|\mathbf{b}|^2(|\mathbf{a}|^2-1)}}{|\mathbf{b}|^2}$$