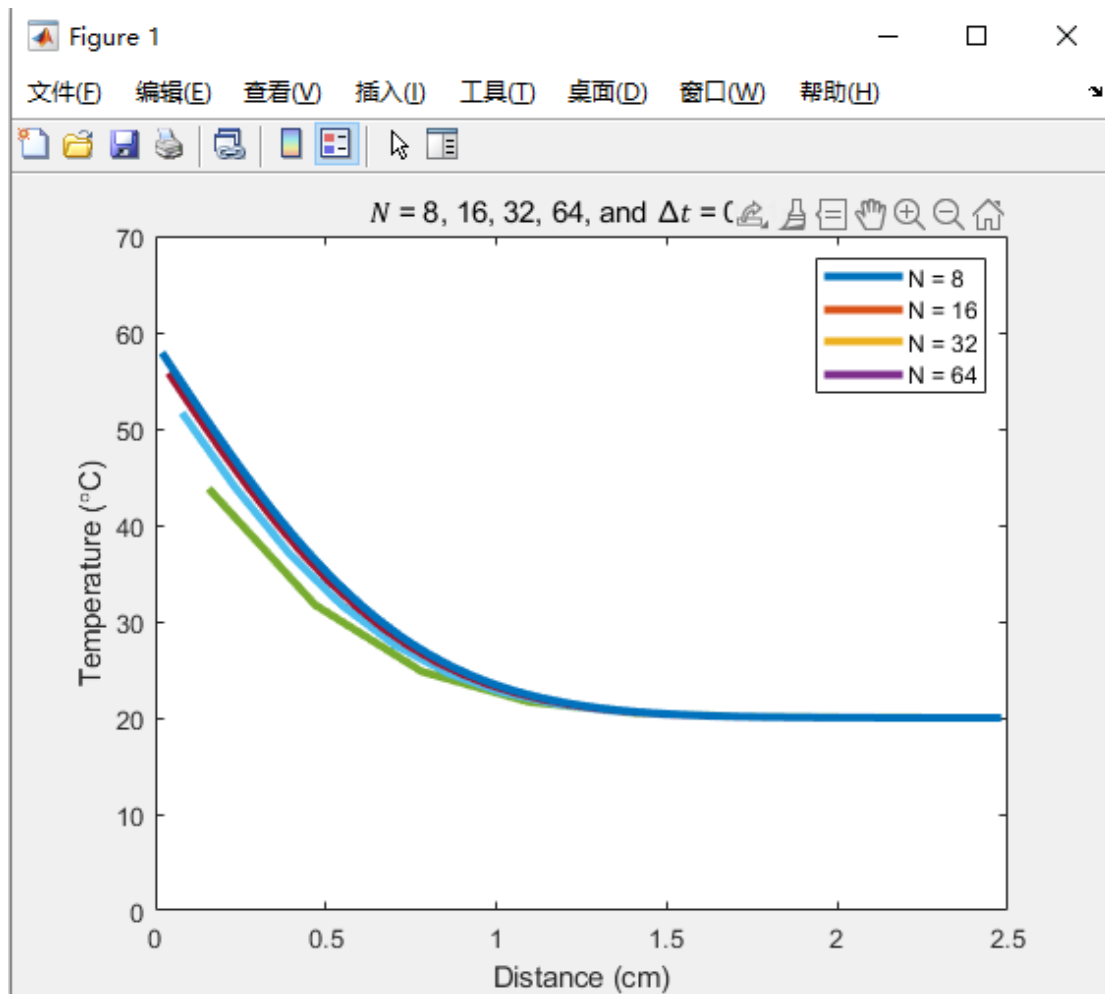


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CS 3200
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Assignment 5

Source: <https://www.youtube.com/watch?v=uLkuEr6M40o>



($N = 8, 16, 32, 64$, and $\Delta t = 0.01s$)

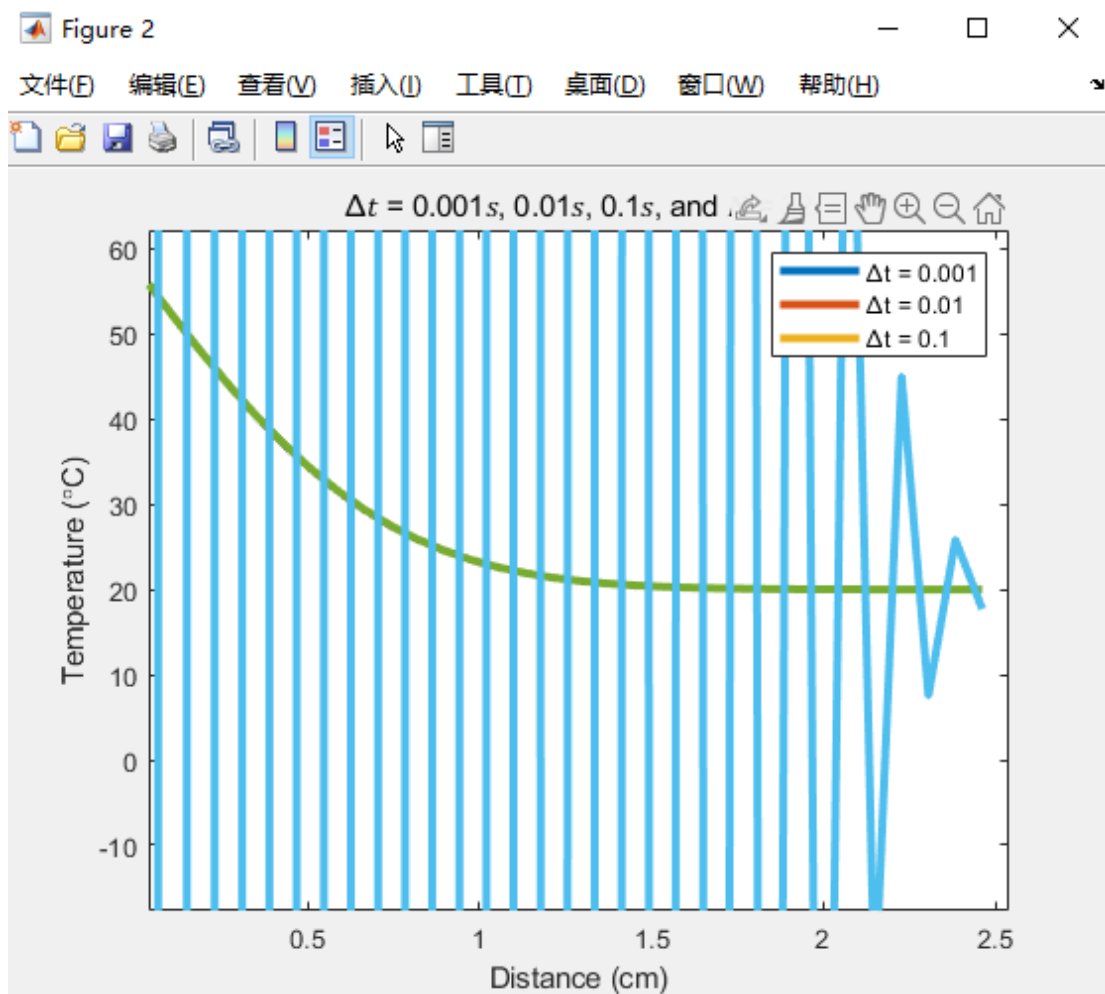
$$\frac{\partial u}{\partial t} = a \frac{\partial^2 u}{\partial x^2}$$

We use the method from ppt like this

to

compute each instance temperature i for different N but same Δt . As you can see above, we

plot a figure which are $N = 8, 16, 32, 64$ when $\Delta t = 0.01s$.



($\Delta t = 0.001s, 0.01s, 0.1s$, and $N = 32$)

$$\frac{\partial u}{\partial t} = a \frac{\partial^2 u}{\partial x^2}$$

We use the method from ppt like this to compute each instance temperature i for different Δt but same N . As you can see above, we plot a figure which are $\Delta t = 0.001s, 0.01s, 0.1s$ when $N = 32$.

Question: Describe how the result changes for different values of N and Δt .

If N is various but Δt is same like $N = 8, 16, 32, 64$ and $\Delta t = 0.01s$, the results tend to have similar arcs. If Δt is various but N is same like $\Delta t = 0.001s, 0.01s, 0.1s$, and $N = 32$, the results would tend to have similar arcs when Δt is smaller than 0.1 (like 0.01 and 0.001). But when Δt is 0.1, the result fluctuates a lot.