

# Forming a Magic Square



We define a **magic square** to be an  $n \times n$  matrix of distinct positive integers from  $1$  to  $n^2$  where the sum of any row, column, or diagonal of length  $n$  is always equal to the same number: the *magic constant*.

You will be given a  $3 \times 3$  matrix  $s$  of integers in the inclusive range  $[1, 9]$ . We can convert any digit  $a$  to any other digit  $b$  in the range  $[1, 9]$  at cost of  $|a - b|$ . Given  $s$ , convert it into a magic square at *minimal* cost. Print this cost on a new line.

**Note:** The resulting magic square must contain distinct integers in the inclusive range  $[1, 9]$ .

For example, we start with the following matrix  $s$ :

```
5 3 4
1 5 8
6 4 2
```

We can convert it to the following magic square:

```
8 3 4
1 5 9
6 7 2
```

This took three replacements at a cost of  $|5 - 8| + |8 - 9| + |4 - 7| = 7$ .

## Input Format

Each of the lines contains three space-separated integers of row  $s[i]$ .

## Constraints

- $s[i][j] \in [1, 9]$

## Output Format

Print an integer denoting the minimum cost of turning matrix  $s$  into a magic square.

## Sample Input 0

```
4 9 2
3 5 7
8 1 5
```

## Sample Output 0

```
1
```

## Explanation 0

If we change the bottom right value,  $s[2][2]$ , from  $5$  to  $6$  at a cost of  $|6 - 5| = 1$ ,  $s$  becomes a magic square at the minimum possible cost.

## Sample Input 1

```
4 8 2
4 5 7
6 1 6
```

### Sample Output 1

4

### Explanation 1

Using 0-based indexing, if we make

- $s[0][1] \rightarrow 9$  at a cost of  $|9 - 8| = 1$
- $s[1][0] \rightarrow 3$  at a cost of  $|3 - 4| = 1$
- $s[2][0] \rightarrow 8$  at a cost of  $|8 - 6| = 2$ ,

then the total cost will be  $1 + 1 + 2 = 4$ .