Computational Physics with Python

# **Computational Physics with Python**

#### Objective:

To explore laser physics concepts using Python simulations:

- Visualize temporal pulse shapes, diffraction, interference, and pulse propagation
- Gain hands-on practice with basic coding and plotting
- Use animations to understand dynamic laser behaviour

### **Activity 1: Temporal Profile of a Laser Pulse**

Simple Physics Problem

A pulsed laser has intensity that varies with time, often approximated by a Gaussian:

$$I(t) = I_0 \exp\left(-\frac{t^2}{\tau^2}\right)$$

where

I(t) = intensity of laser pulse at time t $I_0$  = peak (maximum) intensity at the center of the pulse  $\tau$  = pulse width t = time (in second)

Python code. Save the program as exercise1.py

```
import numpy as np
2 import matplotlib.pyplot as plt
4 I0 = 1.0
5 \text{ tau} = 10e-12 \text{ # pulse width (10 ps)}
6 t = np.linspace(-50e-12, 50e-12, 1000)
8 I = I0 * np.exp(-t**2 / tau**2)
10 plt.plot(t * 1e12, I)
11 plt.title("Gaussian Laser Pulse")
12 plt.xlabel("Time (ps)")
13 plt.ylabel("Intensity (a.u.)")
14 plt.grid(True)
15 plt.show()
```

## Questions

- 1. What is the intensity at t = 0?
- 2. What happens when  $\tau$  is changed to 20e12 ? 3. Estimate the **FWHM** of the pulse.
- 4. What happens if  $I_0$  is doubled?

# **Activity 2: Single-Slit Diffraction**

### **Physics Background**

In single-slit diffraction, the intensity distribution on a screen at distance *L* from the slit is given by:

where  $I(\theta) = I_0 \left(\frac{\sin(\beta)}{\beta}\right)^2$  where  $\beta = \frac{\pi a}{\lambda} \sin \theta$  a = slit width  $\lambda = \text{wavelength of the laser light}$   $\theta = \text{diffraction angle}$   $I_0 = \text{central maximum intensity}$ 

Python code. Save the program as exercise2.py

```
1 import numpy as np
2 import matplotlib.pyplot as plt
3
4 wavelength = 500e-9
                         # 500 nm
5 a = 20e-6
                         # slit width (20 μm)
6 theta = np.linspace(-0.01, 0.01, 1000)
7 beta = (np.pi * a / wavelength) * np.sin(theta)
8
9 I = (np.sin(beta) / beta)**2
10 I[beta == 0] = 1.0
11
12 plt.plot(np.degrees(theta), I)
13 plt.title("Single-Slit Diffraction")
14 plt.xlabel("Angle (degrees)")
15 plt.ylabel("Intensity (a.u.)")
16 plt.grid(True)
17 plt.show()
```

### Questions

- 1. How many bright fringes are visible?
- 2. What happens when you change a to 40e-6?
- 3. What is the angle of the first minimum

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## **Activity 3: Analysing Single-Slit Diffraction Patterns Using Python**

### Objective:

- 1. Use experimental data from a single-slit diffraction experiment
- 2. Apply the theoretical diffraction intensity equation
- 3. Plot experimental and theoretical intensity patterns
- 4. Determine the slit width by fitting the theory to the data

Using the same problem as in Activity 2, we shall compared the experimental data and apply the diffraction intensity equation into the data. The experiment data is given in the diffraction\_data.csv where it contains:

x\_mm: position on the screen (in mm)

intensity: measured intensity (arbitrary units)

Steps for Activity 3:

Python code. Save the program as exercise3.py

1. Load and Visualize Data

```
exercise3.py > ...
 import numpy as np
 2
    import pandas as pd
    import matplotlib.pyplot as plt
 3
 5
     # Load data
     data = pd.read_csv("diffraction_data.csv")
 6
 7
     x_mm = data["x_mm"].values
     intensity = data["intensity"].values
 9
10
     # Plot
     plt.plot(x_mm, intensity, 'o', label='Experimental Data')
     plt.xlabel("Position x (mm)")
     plt.ylabel("Intensity (a.u.)")
     plt.title("Diffraction Pattern")
14
     plt.legend()
15
     plt.grid(True)
16
17
     plt.show()
18
```

### 2. Define Theoretical Diffraction Function

```
def theoretical_intensity(x, a, L, wavelength):
    beta = (np.pi * a * x / L) / wavelength
    # Avoid divide by zero at center
    beta = np.where(beta == 0, 1e-10, beta)
    return (np.sin(beta)/beta)**2
```

3. Fit Theory to Data and Find Slit Width (see code next page)

```
25
     from scipy.optimize import curve_fit
     # Convert to meters
26
27
     x_m = x_m * 1e-3
     L = 1.0 # screen distance in meters
28
     wavelength = 650e-9 # red laser in meters
29
30
31
     # Define model for curve fitting
32
     def model(x, a):
33
         return theoretical_intensity(x, a, L, wavelength)
34
     # Fit
35
     popt, \_ = curve_fit(model, x_m, intensity, p0=[1e-4]) # initial guess for a
36
37
     a_fit = popt[0]
38
39
     # Plot fit
     x_{fit} = np.linspace(min(x_m), max(x_m), 500)
40
41
     y_fit = model(x_fit, a_fit)
42
     plt.plot(x_mm, intensity, 'o', label='Experimental Data')
43
44
     plt.plot(x_fit*1e3, y_fit, '-', label=f'Theory Fit (a = {a_fit*1e6:.1f} \undermore)')
45
     plt.xlabel("Position x (mm)")
     plt.ylabel("Intensity")
46
47
     plt.legend()
48
     plt.grid(True)
     plt.title("Fit of Diffraction Pattern")
49
50
     plt.show()
```

### **Activity 4 : Double-Slit Interference**

Physics background

Light through two slits interferes:

$$I(\theta) = I_0 \cos^2\left(\frac{\pi d}{\lambda}\sin\theta\right)$$

```
I(\theta) = intensity at angle \theta d = distance between two slits \lambda = wavelength of the laser light \theta = diffraction angle
```

Python code. Save the program as exercise4.py

```
exercise4.py > ...
 1
      import numpy as np
      import matplotlib.pyplot as plt
 3
     wavelength = 500e-9
 5
      d = 100e-6
      theta = np.linspace(-0.02, 0.02, 1000)
 7
      delta = (np.pi * d / wavelength) * np.sin(theta)
 9
      I = np.cos(delta)**2
10
      plt.plot(np.degrees(theta), I)
11
12
      plt.title("Double-Slit Interference")
      plt.xlabel("Angle (degrees)")
13
      plt.ylabel("Intensity (a.u.)")
      plt.grid(True)
15
      plt.show()
17
```

#### Questions:

- 1. Count the number of fringes in ±1°.
- 2. How does d = 50e-6 change fringe spacing?
- 3. What happens if wavelength = 700e-9?

# Activity 5: Animation - Propagation of a Laser Pulse

Physics background

A laser pulse travels through space like a moving Gaussian wave:

$$I(x,t) = I_0 \exp\left(-\frac{(x-vt)^2}{\tau^2}\right)$$

I(x,t) = intensity at position x and time t

```
v = velocity of the pulse in moving space x = spatial position t = time \tau = d
```

Python code. Save the program as exercise5.py

```
exercise5.py > ...
 1
     import numpy as np
 2
     import matplotlib.pyplot as plt
 3
     import matplotlib.animation as animation
 4
 5
     # Parameters
 6
     I0 = 1.0
 7
    tau = 1.0
                  # pulse width
    v = 1.0 # speed of pulse
 8
 9
     x = np.linspace(-10, 30, 500)
10
11
     fig, ax = plt.subplots()
12
     line, = ax.plot([], [], lw=2)
13
     ax.set_xlim(-10, 30)
14 ax.set_ylim(0, 1.2)
15 ax.set title("Laser Pulse Propagation")
16  ax.set_xlabel("x (position)")
     ax.set_ylabel("Intensity")
17
18
  19
       def init():
  20
           line.set_data([], [])
  21
           return line,
  22
  23
       def animate(t):
           I = I0 * np.exp(-((x - v * t)**2) / tau**2)
  24
  25
           line.set_data(x, I)
  26
           return line,
  27
  28
       frames = np.linspace(0, 20, 200)
       ani = animation.FuncAnimation(fig, animate, frames=frames, init_func=init,
  29
                         blit=True, interval=50)
  30
  31
  32
       plt.show()
  33
```

#### Questions

- 1. How does changing  $\tau$  affect the pulse width?
- 2. Try v = 2.0. What changes?
- 3. Modify the code to show two pulses moving toward each other. What happens?

End of page