

## Errata of Topics on Continua

- Page 16**, line 11: change “ $\mathcal{G}$  y  $G$ ” to “ $\mathcal{G}$  and  $G$ ”.
- Page 23**, **1.3.5 Theorem**: change “ $M$ ” to “ $X$ ”.
- Page 24**, line 13: change “two closed subsets” to “two disjoint closed subsets”.
- Page 34**, line 8: change “ $*$ ” to “ $.$ ”.
- Page 35**, line 14: change “ $\xi_j \in \mathbb{R}^n$ ” to “ $\xi_j \in \mathbb{R}$ ”.
- Page 46**, line 15: change “ $X$  is a continuum” to “ $X/\mathcal{G}$  is a continuum”.
- Page 66**, Reference [1]: change “*Homotopical View*” to “*Homotopical View-point*”.
- Page 70**, line 9: change “then *inverse limit*” to “then the *inverse limit*”.
- Page 89**, line –6: change “ $x, y \in X_j$ , then” to “ $x, y \in X_j$  such that  $d(f_n^j(x), f_n^j(y)) > \delta$ , then”.
- Page 91**, line –12: change “by given” to “be given”.
- Page 100**, line 1: change “ $\zeta(v, c) = v$ ” to “ $\zeta((v, c)) = v$ ”.
- Page 109**, line –3: change “for every  $j < k$ ” to “for any  $j < k$ ”.
- Page 117**, line –4: change “ $i, j \in \{1, n\}$ ” to “ $i, j \in \{0, n\}$ ”.
- Page 134**, **2.6.24 Corollary**: change “Let  $X$  be a separable metric space” to “Let  $X$  be a compactum”.
- Page 162**, line –2: remove “closed”.
- Page 185**, line –6: change “ $\mathcal{T}(L) = \mathcal{T}(W)$ ” to “ $\mathcal{T}(L) = W$ ”.
- Page 205**, line 10: change “ $\psi_{g_0}$  y  $\varphi_{g_0}$ ” to “ $\psi_{g_0}$  and  $\varphi_{g_0}$ ”.
- Page 209**, line 5: change “properties of action of” to “properties of an action of”.
- Page 209**, line –3: change “If  $G$  is topological” to “If  $G$  is a topological”.
- Page 212**, line 8: change “ $V \cdot V^{-1}$ ” to “ $V^{-1} \cdot V$ ”.
- Page 221**, line 11: change “ $\mathcal{T}$  is idempotent on homogeneous continua.” to “ $\mathcal{T}$  is idempotent, restricted to closed sets, on homogeneous continua.”
- Page 221**, change lines 14 and 15: to “**Proof.** Let  $A$  be a closed subset of  $X$ . If  $A = \emptyset$ , then  $\mathcal{T}^2(A) = \mathcal{T}(A)$  by Corollary 3.1.14. Suppose  $A \neq \emptyset$ . Note that, by Remark 3.1.5,  $\mathcal{T}(A) \subset \mathcal{T}^2(A)$ .”
- Page 222**, line 3: change “ $\mathcal{T}$  is idempotent.” to “ $\mathcal{T}$  is idempotent restricted to closed sets.”
- Page 226**, line –13: change “idempotent” to “idempotent on closed sets”.
- Page 235**, lines 15, 17 and 19: change “ $\mathcal{V}_{\frac{1}{n}}^d(x)$ ” to “ $\mathcal{V}_{\frac{1}{n}}^d(B)$ ”.
- Page 237**, lines 6, 11, and –7: change “ $\mathcal{T}_X$  is idempotent” to “ $\mathcal{T}_X$  is idempotent on closed sets”.
- Page 252**, lines 17 and –9: change “Let  $X$  be a continuum” to “Let  $X$  be a homogeneous continuum”.
- Page 269**, line 5: change “ $(f^n)^{-1}(\mathbb{M})$ ” to “ $(f^{n-1})^{-1}(\mathbb{M})$ ”.
- Page 276**, line –16: change “point  $\tilde{z}$  of point of” to “point  $\tilde{z}$  of”.
- Page 281**, line 6: change “ $\mathcal{M}$ ” to “ $\mathbb{M}$ ”.
- Page 290**, line 5: change “Let  $\eta = \min$ ” to “Let  $\eta = \frac{1}{2} \min$ ”.

**Page 305**, line 1: change “The proof of” to “The proofs of”.

**Page 308**, change the statement of **6.5.12 Theorem.** to “Let  $n$  be an integer greater than one, and let  $X$  be an indecomposable continuum. If  $\mathcal{A}$  is an arc component of  $\mathcal{C}_n(X) \setminus \{X\}$ , which is not of the form  $\mathcal{C}_n(\kappa)$ , where  $\kappa$  is a composant of  $X$ , then there exist finitely many composants  $\kappa_1, \dots, \kappa_\ell$  of  $X$  and there exists a one-to-one map from

$$\mathcal{R} = \bigcup \left\{ \prod_{j=1}^{\ell} \mathcal{C}_{r_j}(\kappa_j) \mid \{r_1, \dots, r_\ell\} \in \mathcal{N} \right\} \subset \prod_{j=1}^{\ell} \mathcal{C}_{n-\ell+1}(\kappa_j)$$

(with the “max” metric  $\rho_1$ ) onto  $\mathcal{A}$ , where

$$\mathcal{N} = \left\{ \{r_1, \dots, r_\ell\} \mid 1 \leq r_1, \dots, r_\ell \leq n - \ell + 1 \text{ and } \sum_{j=1}^{\ell} r_j = n \right\}.$$

**Page 309**, remove lines 9 and 10.

**Page 309**, line 11: remove “Let us observe that  $\sum_{j=1}^{\ell} m_j = n$ .”

**Page 309**, lines 11, –2: change “ $\prod_{j=1}^{\ell} \mathcal{C}_{m_j}(\kappa_j)$ ” to “ $\mathcal{R}$ ”.

**Page 309**, line 16: change “belong to  $\mathcal{C}_{m_j}(\kappa_j)$ . Since  $\mathcal{C}_{m_j}(\kappa_j)$  is” to “belong to  $\mathcal{C}_{r_j}(\kappa_j)$ , where  $\{r_1, \dots, r_\ell\} \in \mathcal{N}$ . Since  $\mathcal{C}_{r_j}(\kappa_j)$  is”.

**Page 309**, line 17: change “ $\mathcal{C}_{m_j}(\kappa_j)$ ” to “ $\mathcal{C}_{r_j}(\kappa_j)$ ”.

**Page 309**, change lines –6, –5, –4: to “Let  $A \in \mathcal{A}$ . For each  $j \in \{1, \dots, \ell-1\}$

let  $r_j$  be the number of components of  $A$  contained in  $\kappa_j$ . Let  $r_\ell = n - \sum_{j=1}^{\ell-1} r_j$ .

Then  $\sum_{j=1}^{\ell} r_j = n$ . Hence,  $\{r_1, \dots, r_\ell\} \in \mathcal{N}$ ,  $(A \cap \kappa_1, \dots, A \cap \kappa_\ell) \in \prod_{j=1}^{\ell} \mathcal{C}_{r_j}(\kappa_j)$

and  $f(A \cap \kappa_1, \dots, A \cap \kappa_\ell) = A$ . Therefore,  $f$  is surjective.”

**Page 310**, line 2: change “ $\prod_{j=1}^{\ell} \mathcal{C}_{m_j}(\kappa_j)$ ” to “ $\mathcal{R}$ ”.