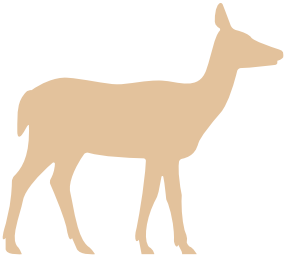
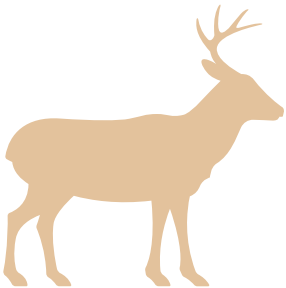


120



We will consider animal movement around a single attraction point $(0,0)$.





We will use a potential function.

How will we specify the mean drift $\{\mu_x, \mu_y\}'$?

$$H(\{x_i, y_i\}) = K(x_i^2 + y_i^2)$$



to be estimated

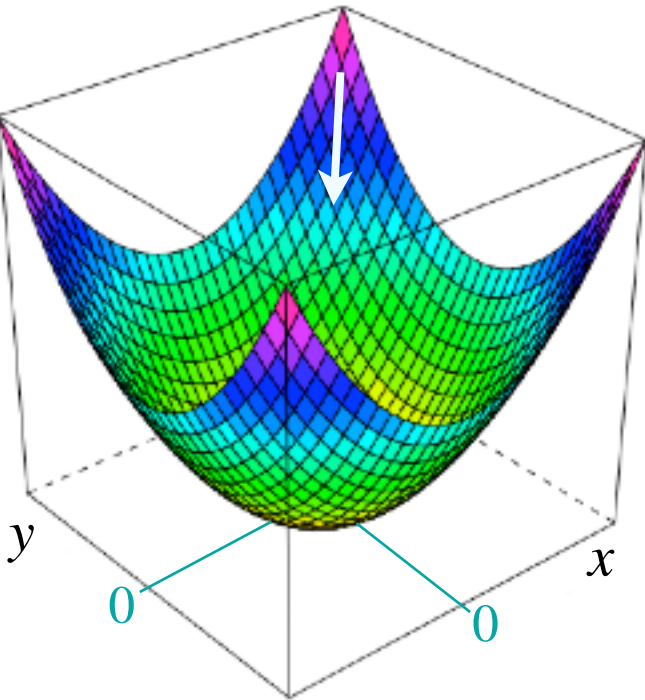
$$\begin{bmatrix} \mu_{x_t} \\ \mu_{y_t} \end{bmatrix} = - \nabla H(\{x_t, y_t\}')$$

$$= -2k \begin{bmatrix} x_t \\ y_t \end{bmatrix}$$



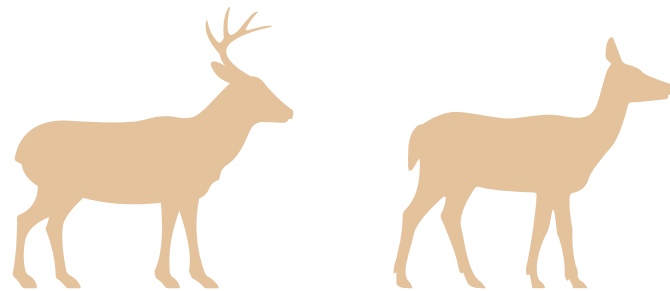
Negative gradient of
the potential function

$H(x, y)$

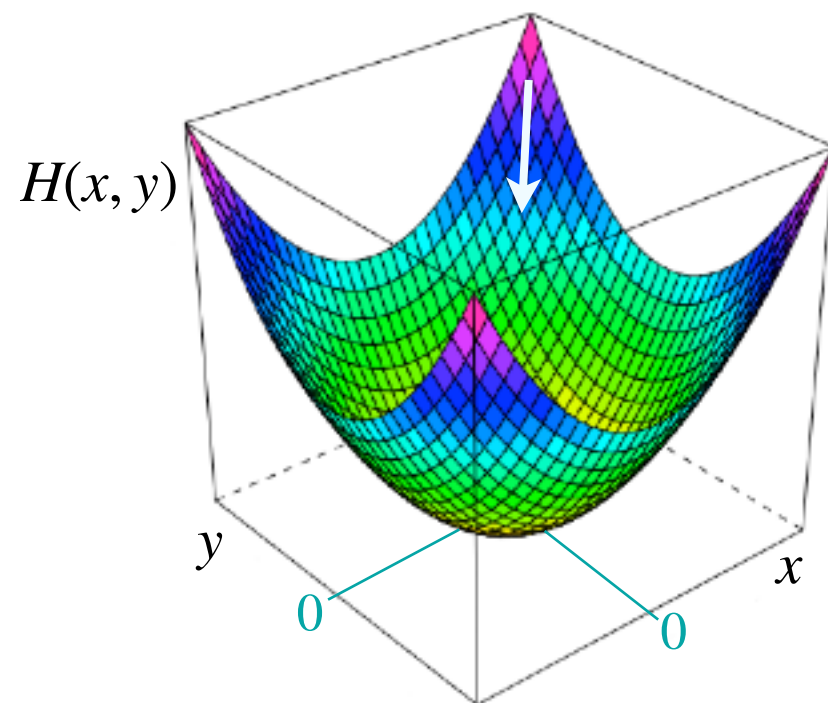


How will we specify the mean drift $\{\mu_x, \mu_y\}'$?

We will consider animal movement around a single attraction point $(0,0)$.



We will use a **potential function**.



To be estimated

$$H(\{x_t, y_t\}') = k(x_t^2 + y_t^2)$$

$$\begin{aligned} \begin{bmatrix} \mu_{x_t} \\ \mu_{y_t} \end{bmatrix} &= -\nabla H(\{x_t, y_t\}') \\ &= -2k \begin{bmatrix} x_t \\ y_t \end{bmatrix} \end{aligned}$$

Negative gradient of the potential function

A toy example: **Simulate** 500 time steps for
one individual from the model