



Somewin Fishy: Hydrodynamics of median fins

Dave Matthews

Project Goals

Use a robotic foil model to explore the roles of the dorsal fin in fish swimming

► Presence/absence

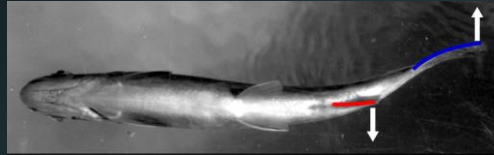


► Position

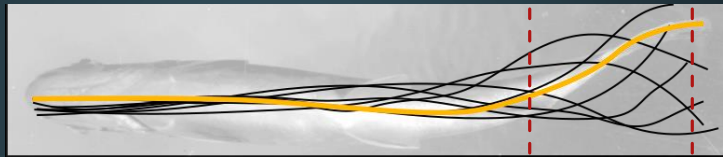


Predictors

- ▶ Phase angle ($^{\circ}$)



- ▶ Flapping amplitude ratio



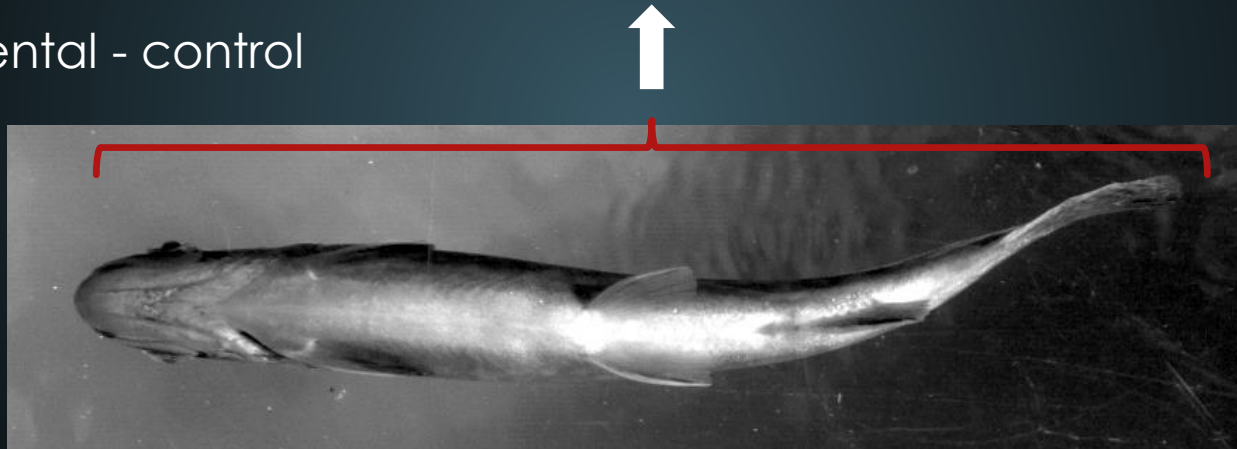
- ▶ SPS (self propelled speed)



- ▶ Grouped by flapping frequency (HZ)

Response

- ▶ Lateral force
 - ▶ aka F_y
 - ▶ = Experimental - control



Fake Data

- ▶ Real data
 - ▶ Limited collection
 - ▶ Measured errors
- ▶ Created fake data with normal distributions around real data

“Grad school is stumbling from failure to failure with no loss of enthusiasm

-Winston Churchill”

-Lizzie Wolkovich

The Equation

- ▶ $F_y \sim \text{position} + \text{SPS} + \text{phase angle} + \text{Amplitude Ratio} + (1 \mid \text{frequency})$
 - ▶ No interactions thanks to loo

Test Data

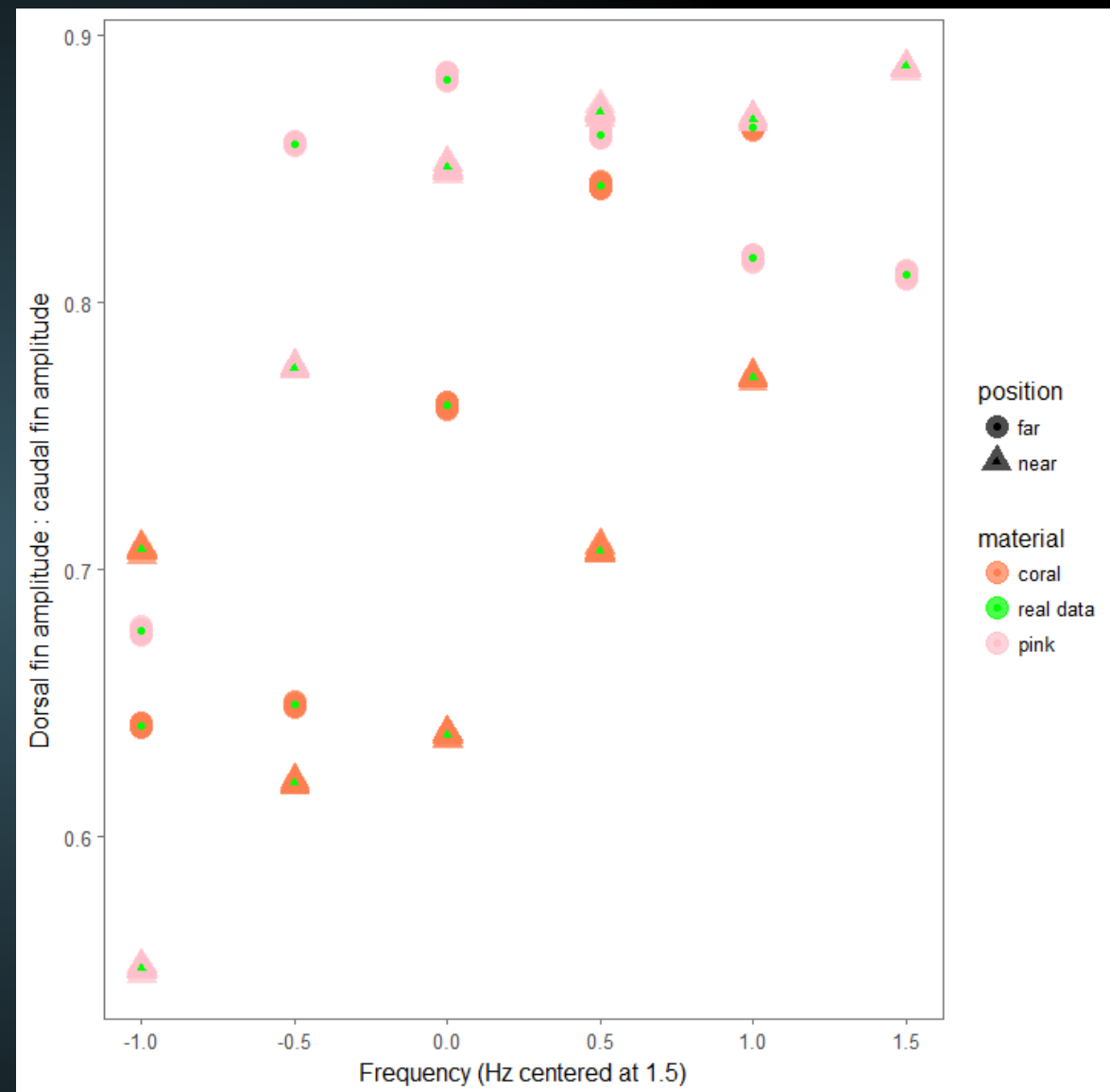
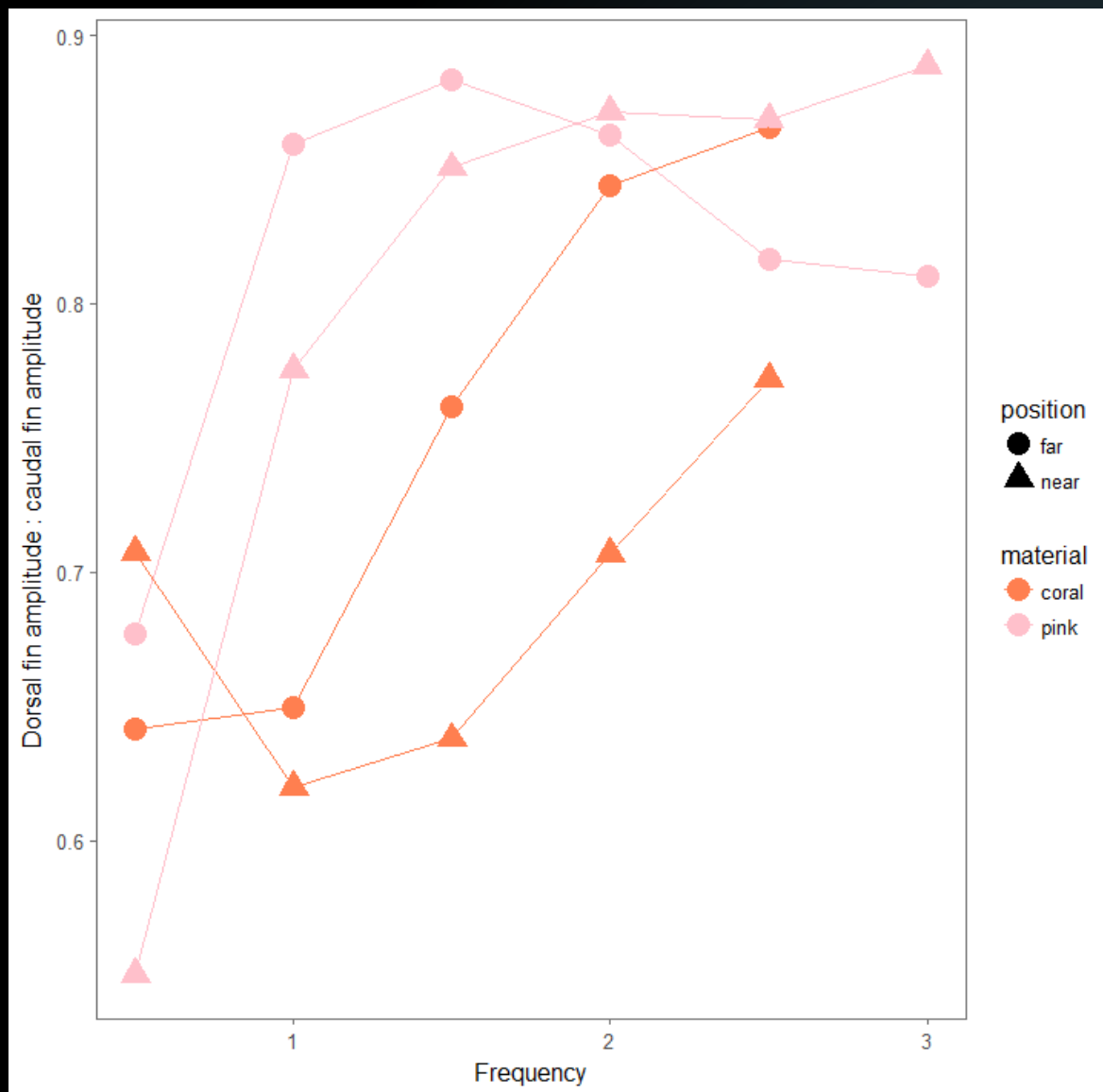
- $F_y \sim \text{position} + \text{SPS} + \text{phase angle} + \text{Amplitude Ratio} + (1 \mid \text{frequency})$

Fake coefficients

```
coefPos <- 50
range(fakeData$SPS) #-37 to 42
coefSPS <- 1
range(fakeData$phaseAng) #-51 to 49
coefAng <- -1
range(fakeData$flapAmpRatio) #-.22 to .12
coefAmp1 <- -100
```

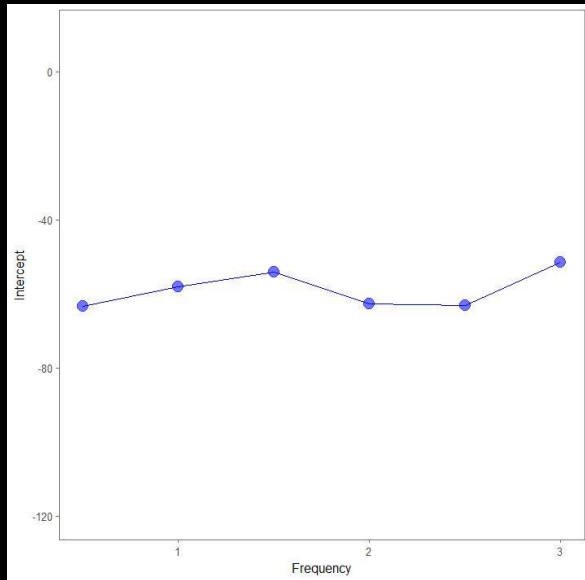
Fake data vectors

```
posVect <- c(rep(0,nTot/2), rep(1,nTot/2))
fakePosition <- sample(posVect, replace=FALSE)
fakeSPS <- rnorm(nTot, 35, 10)
fakeAng <- rnorm(nTot, 50, 15)
fakeAmp1 <- rnorm(nTot, .15, .05)
freqGroup <- c(rep(1,10),rep(2,10),rep(3,10),rep(4,10),...
```

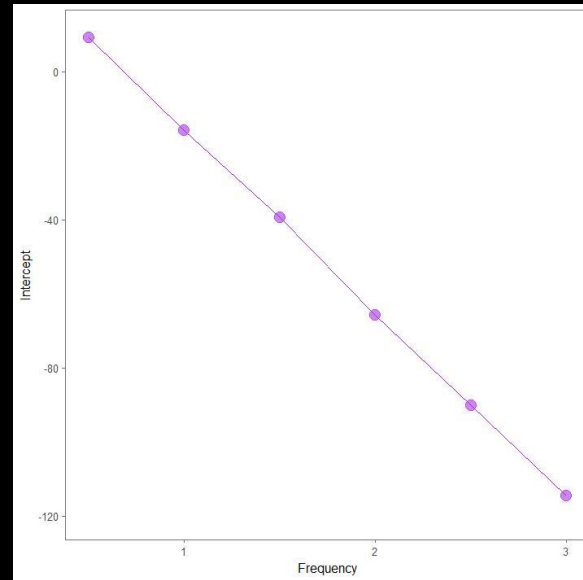


The Problem

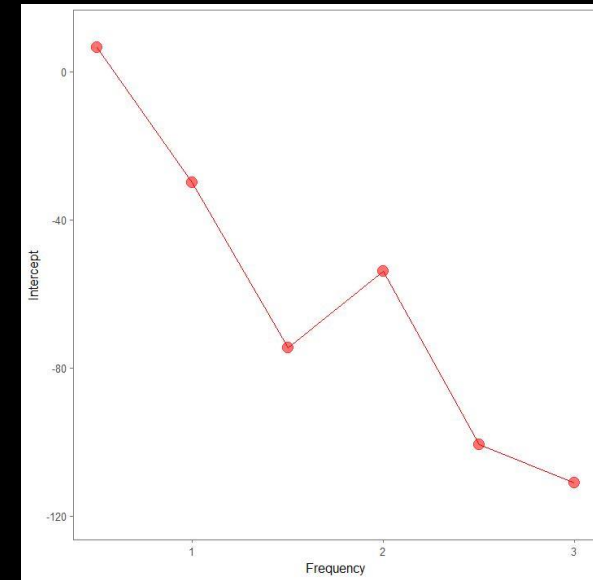
Data Analysis



What my model
thinks my data does



What I think my
data does

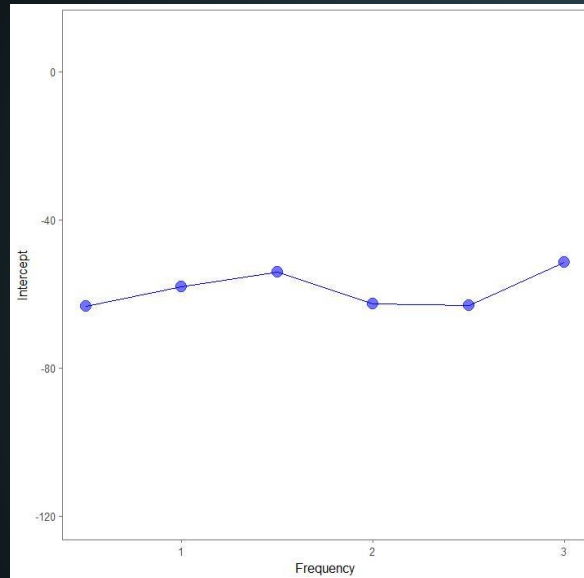


What my data
actually does

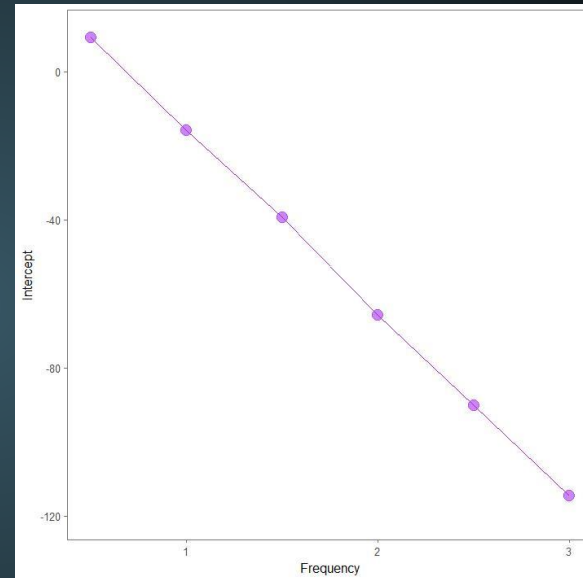
$F_y \sim \text{position} + \text{SPS} + \text{phase angle} + \text{Amplitude Ratio} + (1 \mid \text{frequency})$

Fit both models!

“good” test data

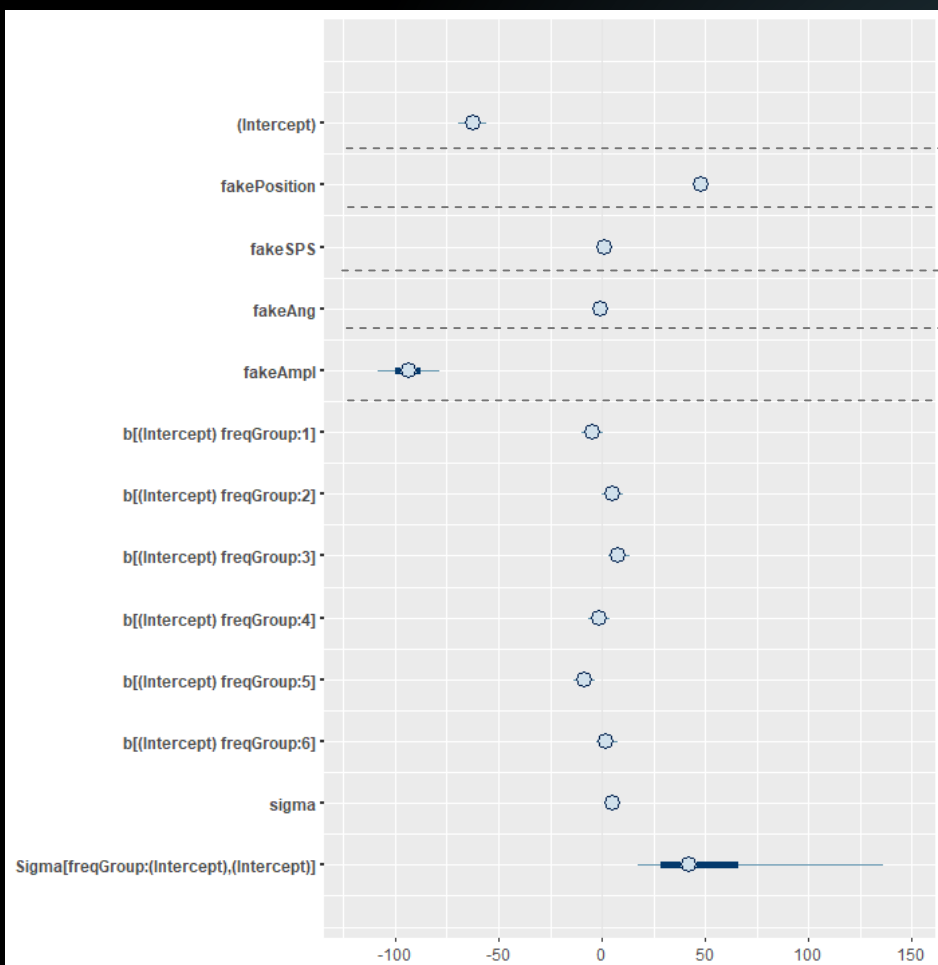


“bad” test data



```
#The Model (complex)
FyTestComp <- rep("NA", length(fakeSPS))
for(i in 1:length(fakeSPS)) {
  FyTestComp[i] <- intComplex[freqGroup[i]]+coefPos*fakePosition[i]+coefSPS*fakeSPS[i]+coefAng*fakeAng[i]+coefAmp1*fakeAmp1[i]+rnorm(1,0,5)
}
```

“good” test data



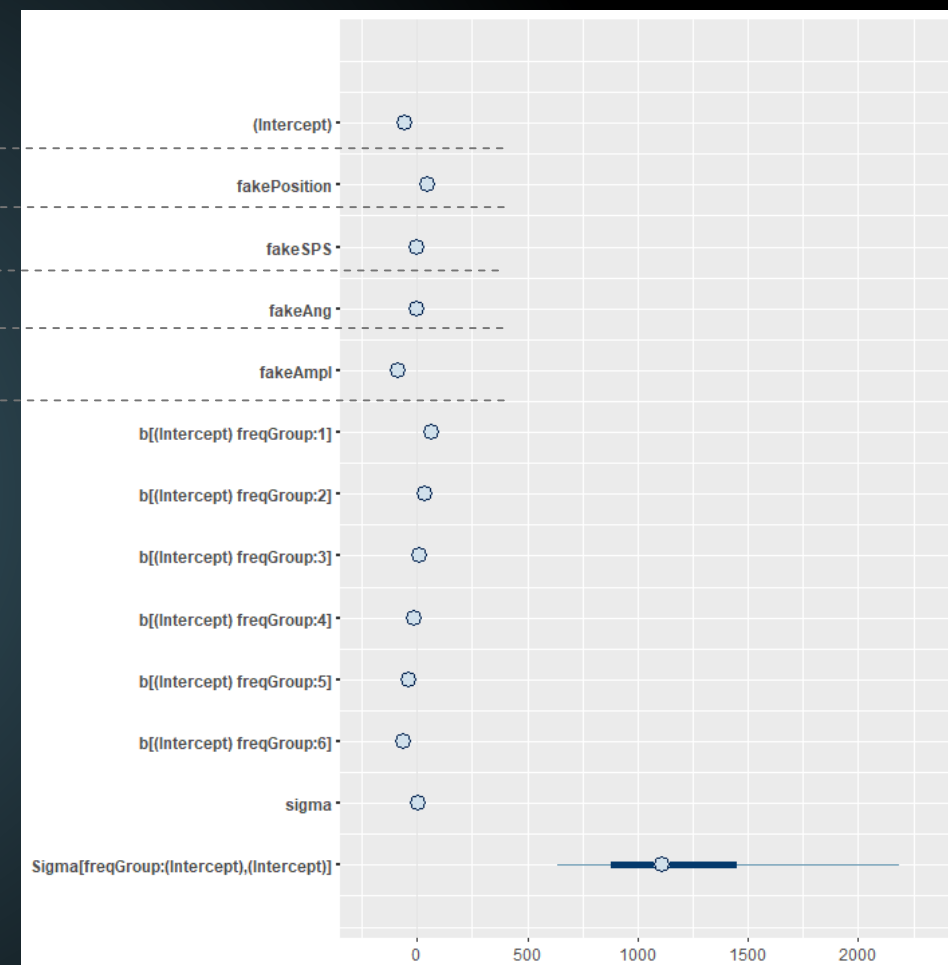
“True”
coefficients

| | | |
|-------|------|-------|
| -62.4 | -60 | -54.8 |
| 48 | 50 | 49.2 |
| 1.1 | 1 | 1 |
| -1 | -1 | -1 |
| -93.2 | -100 | -89.5 |

60

1100

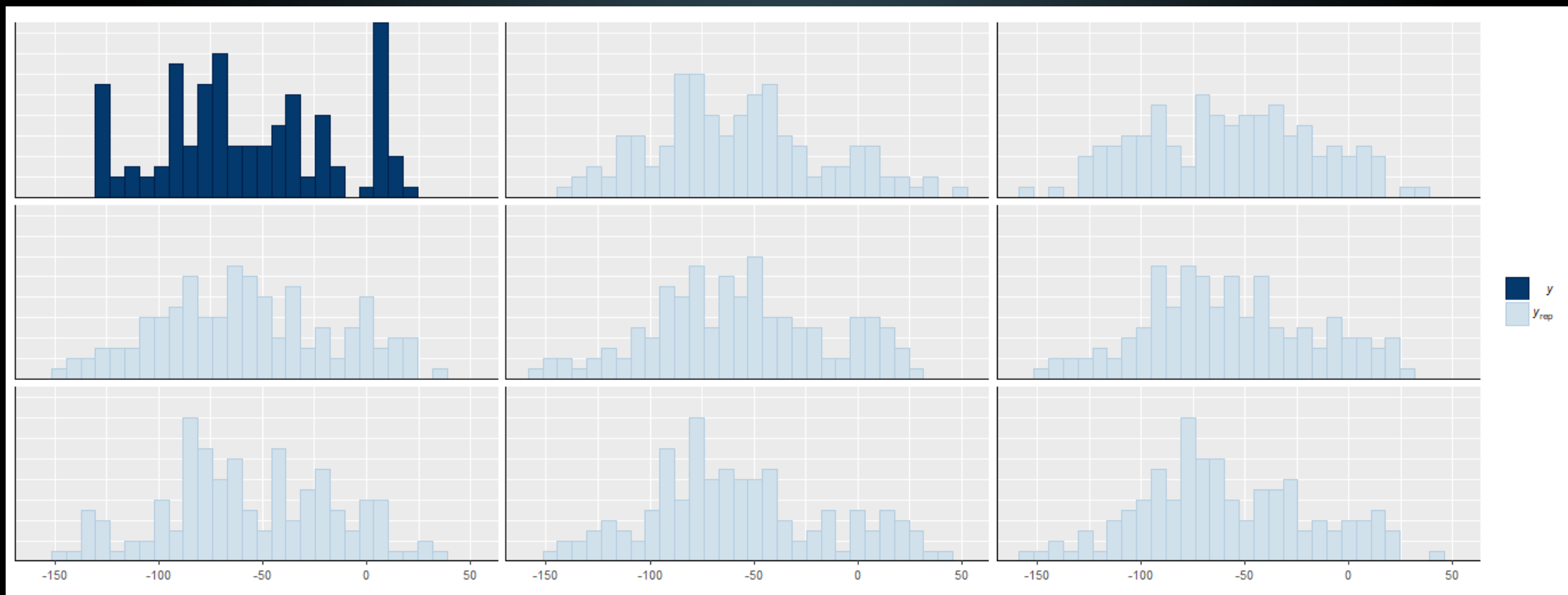
“bad” test data



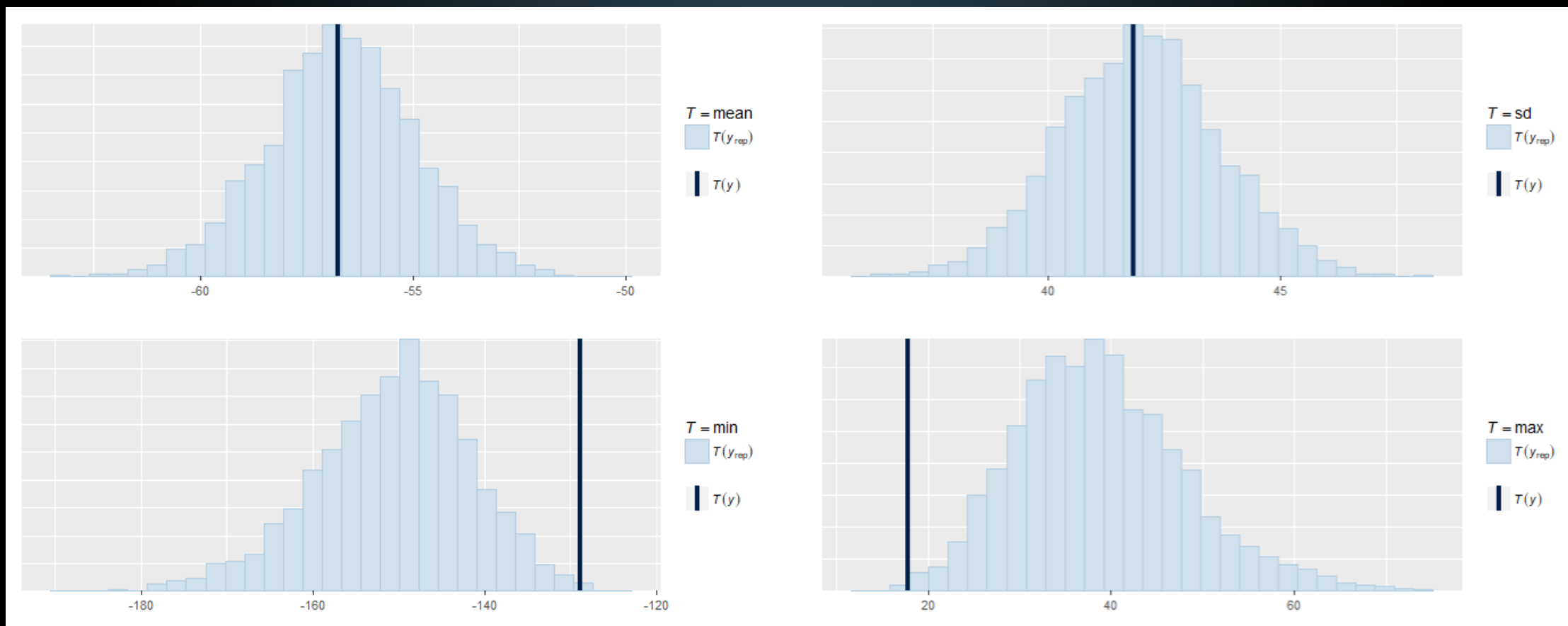
Good Enough!

ON TO THE REAL (FAKE) DATA

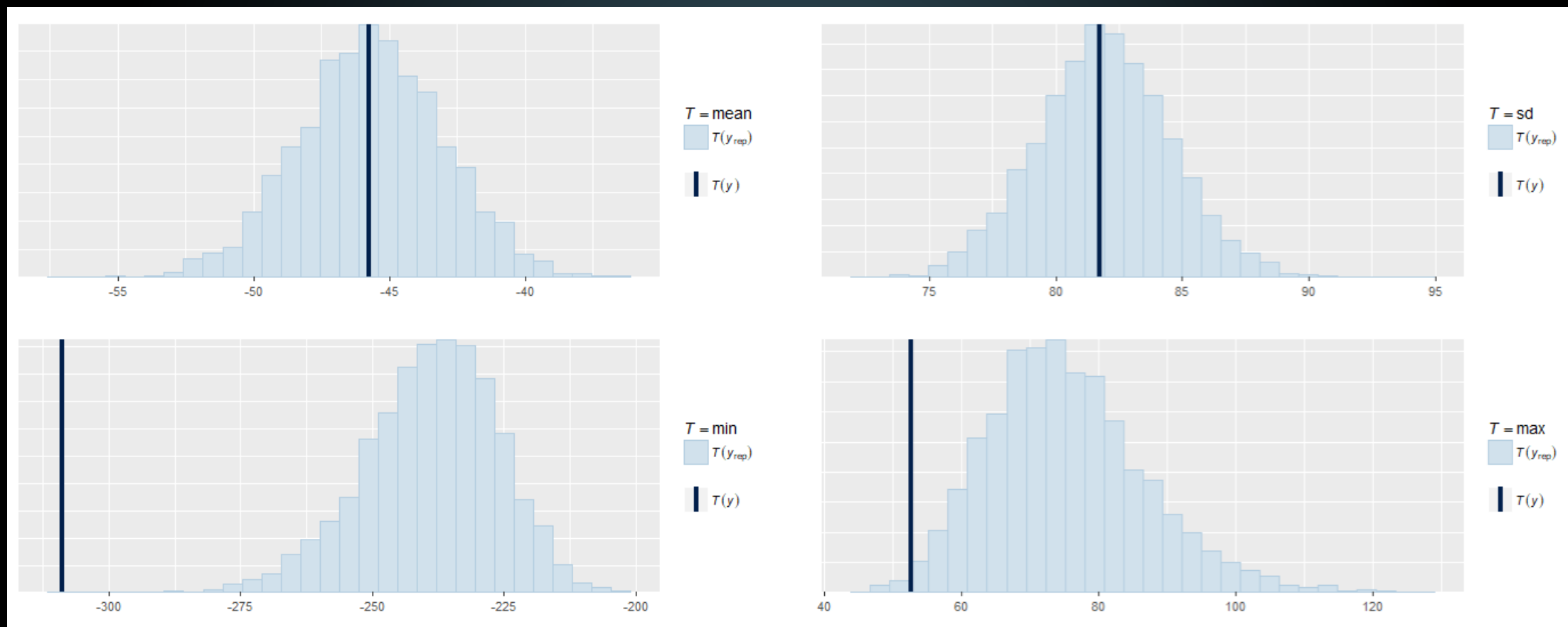
Posterior Predictive Checks (Pink)



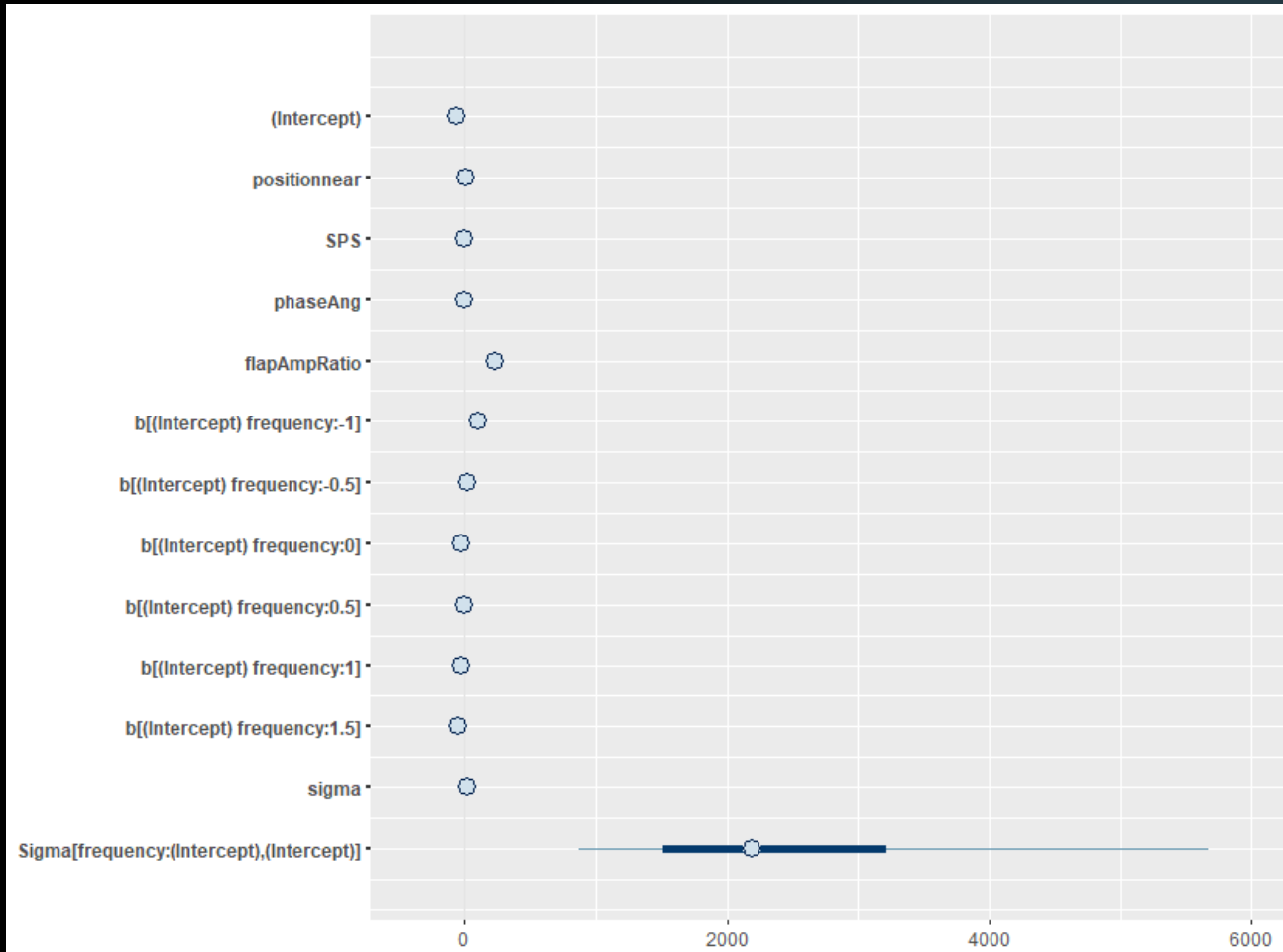
Posterior Predictive Checks (Pink)



Posterior Predictive Checks (Coral)

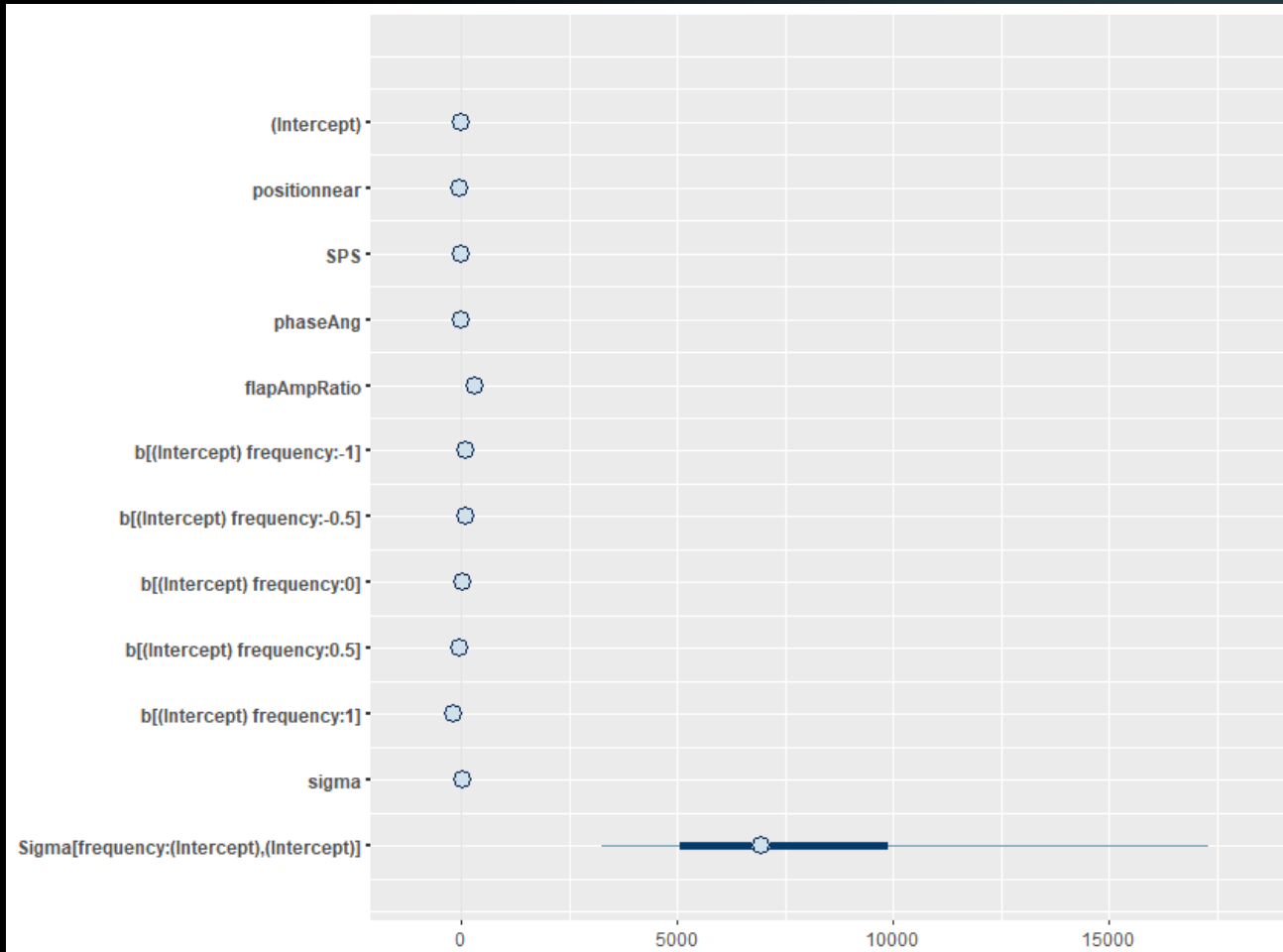


Model on Real (fake) Data (Pink)



- ▶ Intercept
 - ▶ -77.2, SD = 21.4
- ▶ Intercept (frequency=.5 Hz)
 - ▶ 110.8, SD = 23.3
- ▶ Intercept (frequency=2.5Hz)
 - ▶ -46.4, SD=21.8
- ▶ Intercept (frequency=3 Hz)
 - ▶ -53.4 SD = 22.8
- ▶ Position (near)
 - ▶ 20, SD = 6.9
- ▶ Amplitude ratio
 - ▶ 286.5, SD = 36.4

Model on Real (fake) Data (Coral)



- ▶ Intercept (frequency=1 Hz)
 - ▶ 83.6, SD = 42.7
- ▶ Intercept (frequency=2.5 Hz)
 - ▶ -153.1, SD = 49
- ▶ Amplitude ratio
 - ▶ 247.2, SD = 63.4

Main Results

- ▶ 2 models behave differently
 - ▶ Shape difference only mattered in pink
 - ▶ Effect of amplitude ratio consistent
- ▶ Next
 - ▶ Direct comparisons at each frequency

Now with real (real) data...