

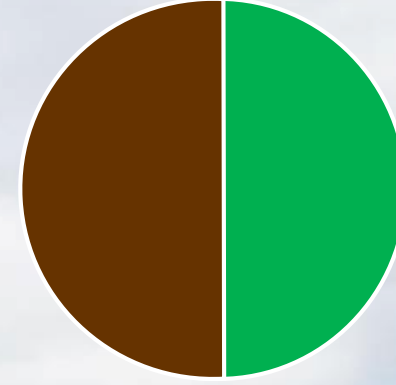
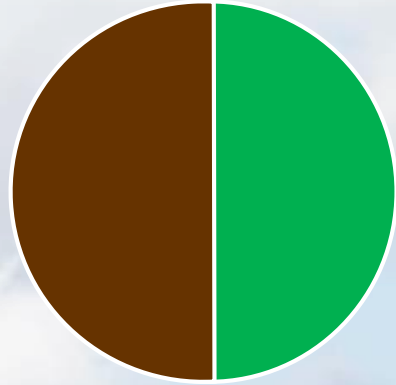
Lizard Perch Heights on Experimental Islands



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OEB201 Final Project
11/29/17



Control



Brown lizard
removal



Predictor of Interest: Treatment through time

Response: Green Lizard Perch Height

$$y \sim \mathcal{N}(\hat{y}_i, \sigma_y^2) \quad [0, \infty)$$



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$$\hat{y}_i = \alpha_{j[i]} + \beta_{\text{treatment}} + \beta_{\text{sex}} + \beta_{\text{year}} + \beta_{\text{treatment} \times \text{year}} + \beta_{\text{treatment} \times \text{sex} \times \text{year}}$$

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Positive if males
perch higher than
females



Negative if lizards on
removal islands perch
lower following
competitor removal



Negative if males on
removal islands have a
larger drop than
females following
competitor removal

$$y \sim N(\hat{y}_i, \sigma_y^2) [0, \infty)$$



$$\hat{y}_i = \alpha_{j[i]} + \beta_{\text{treatment}} + \beta_{\text{sex}} + \beta_{\text{year}} + \beta_{\text{treatment} \times \text{year}} + \beta_{\text{treatment} \times \text{sex} \times \text{year}}$$

$$\alpha_j \sim N(\mu_\alpha, \sigma_\alpha^2)$$

Positive if males
perch higher than
females

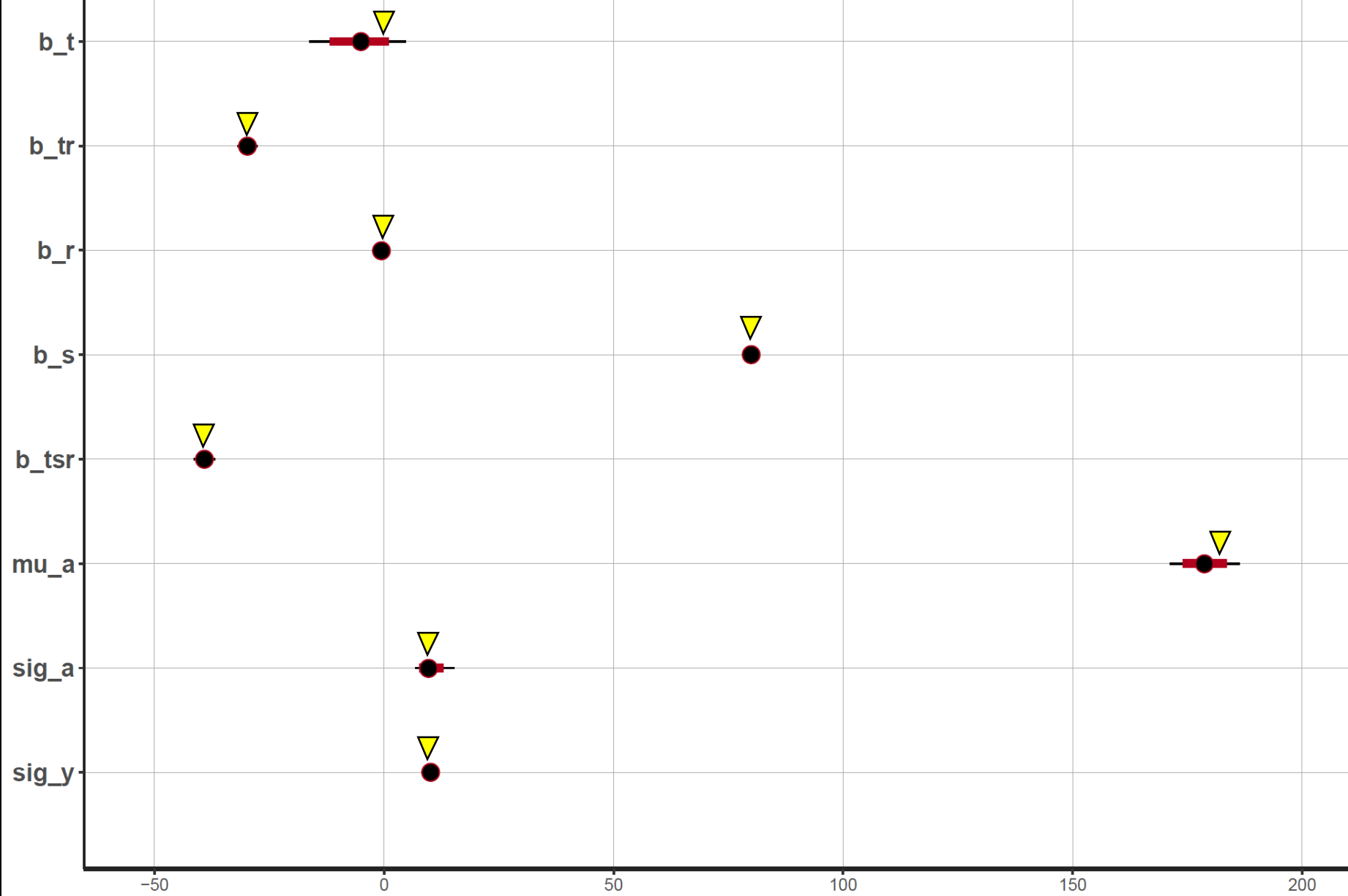
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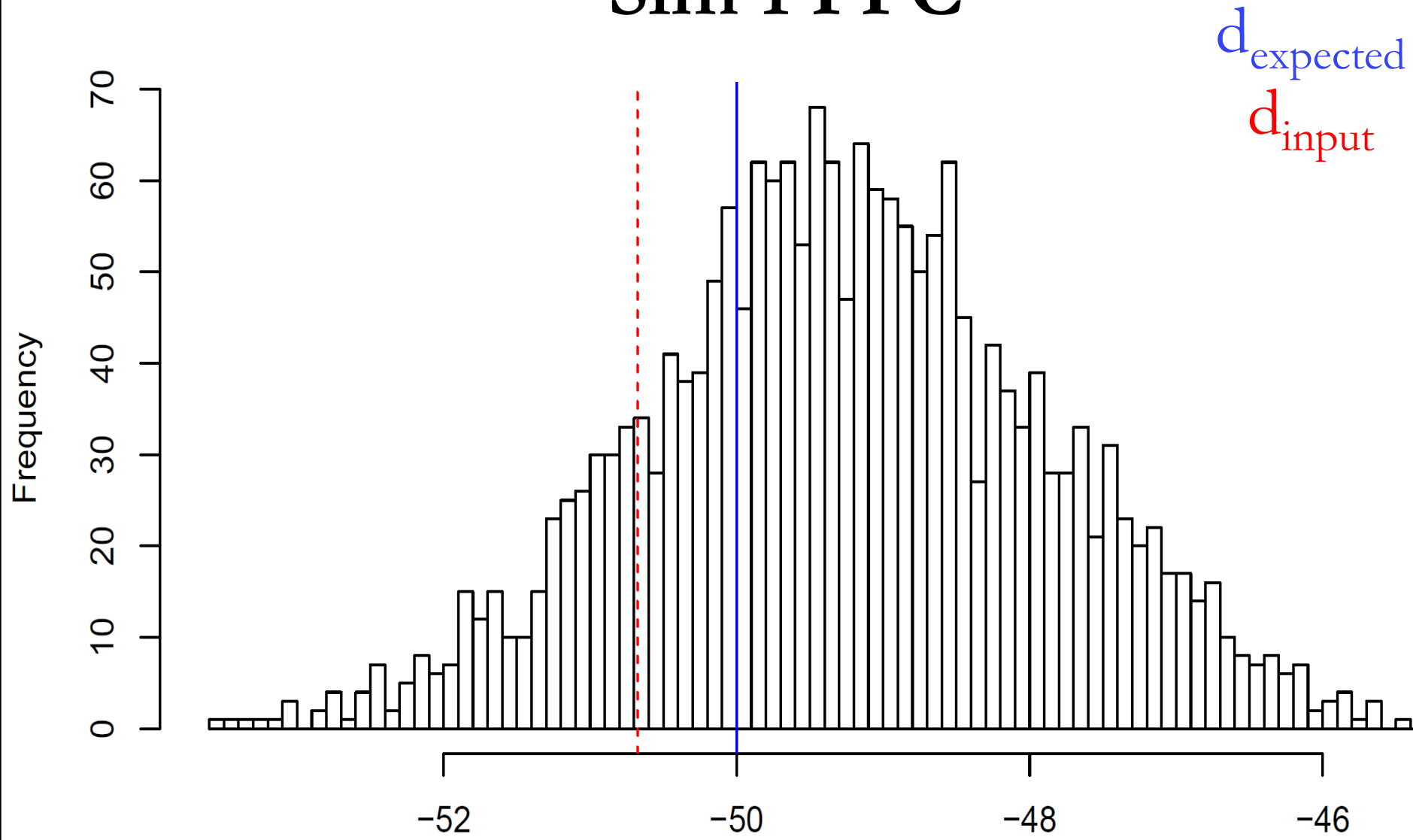


| | Sim 1 | Sim 2 | Sim 3 | Sim 4 | Sim 5 | Sim 6 |
|---|-------|-------|-------|-------|----------|----------|
| | | | | | real and | real and |
| Data Type | fake | fake | fake | fake | fake | fake |
| Balanced sampling? | Y | Y | Y | Y | N | N |
| Observations per island | 50 | 26* | 26 | 26 | 26‡ | 26‡ |
| Number of islands (j) | 16 | 6* | 6 | 6 | 6 | 6 |
| Total number of observations (i) | 1600 | 312* | 312 | 312 | 294* | 294 |
| $\beta_{\text{treatment}}$ | 0 | 0 | -120* | 0* | 0 | 0 |
| $\beta_{\text{treatment} \times \text{year}}$ | -30 | -30 | -30 | -30 | -30 | -30 |
| β_{year} | 0 | 0 | 0 | 0 | 0 | 0 |
| β_{sex} | 80 | 80 | 80 | 80 | 80 | 80 |
| $\beta_{\text{treatment} \times \text{sex} \times \text{year}}$ | -40 | -40 | -40 | -40 | -40 | -40 |
| μ_{α} | 180 | 180 | 180 | 180 | 181.6*† | 181.6† |
| σ_{α} | 10 | 25* | 25 | 40* | 41.2*† | 41.2† |
| σ_y | 10 | 25* | 25 | 100* | 123.4*† | 40* |

Sim 1

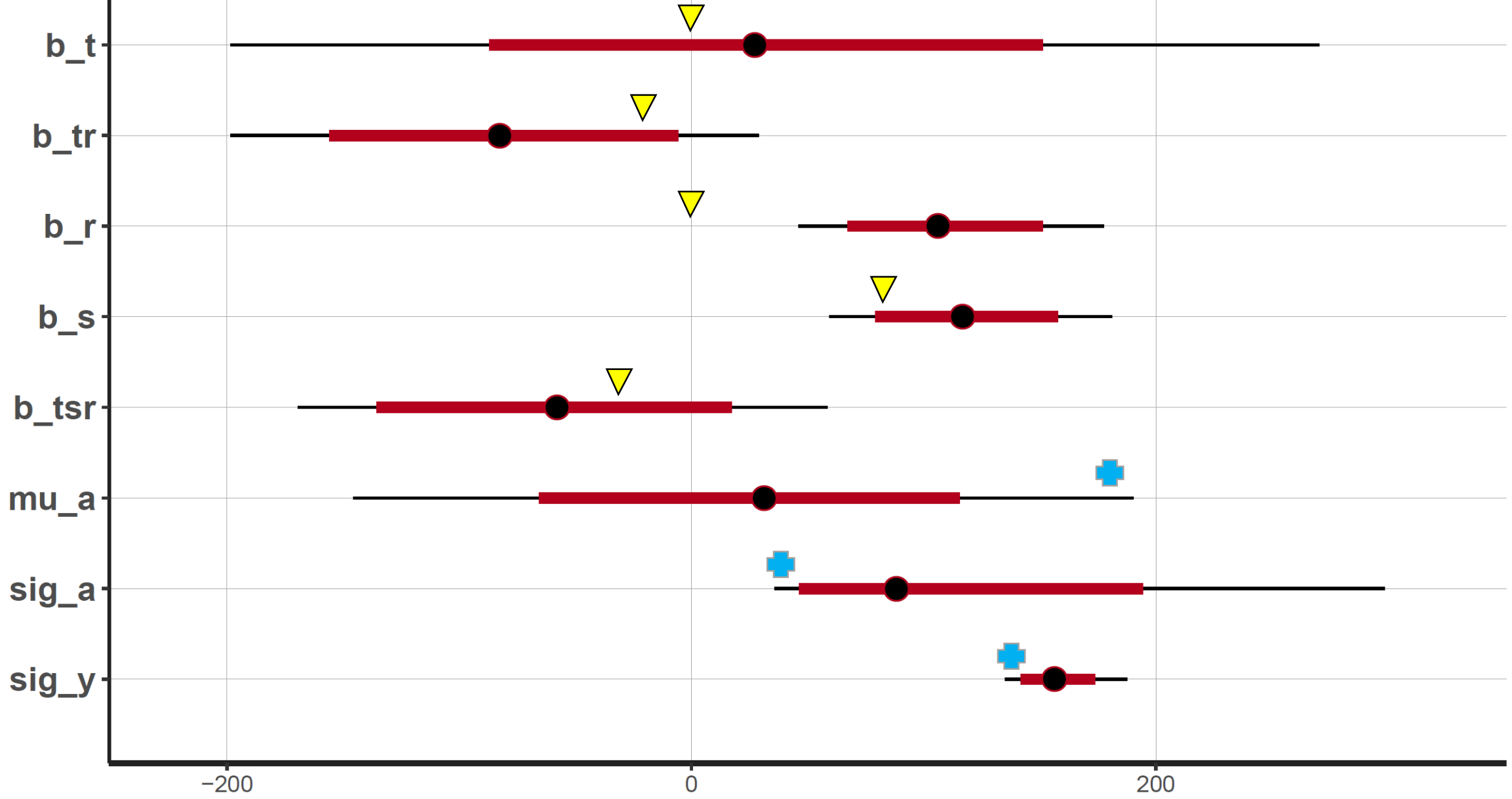


Sim 1 PPC

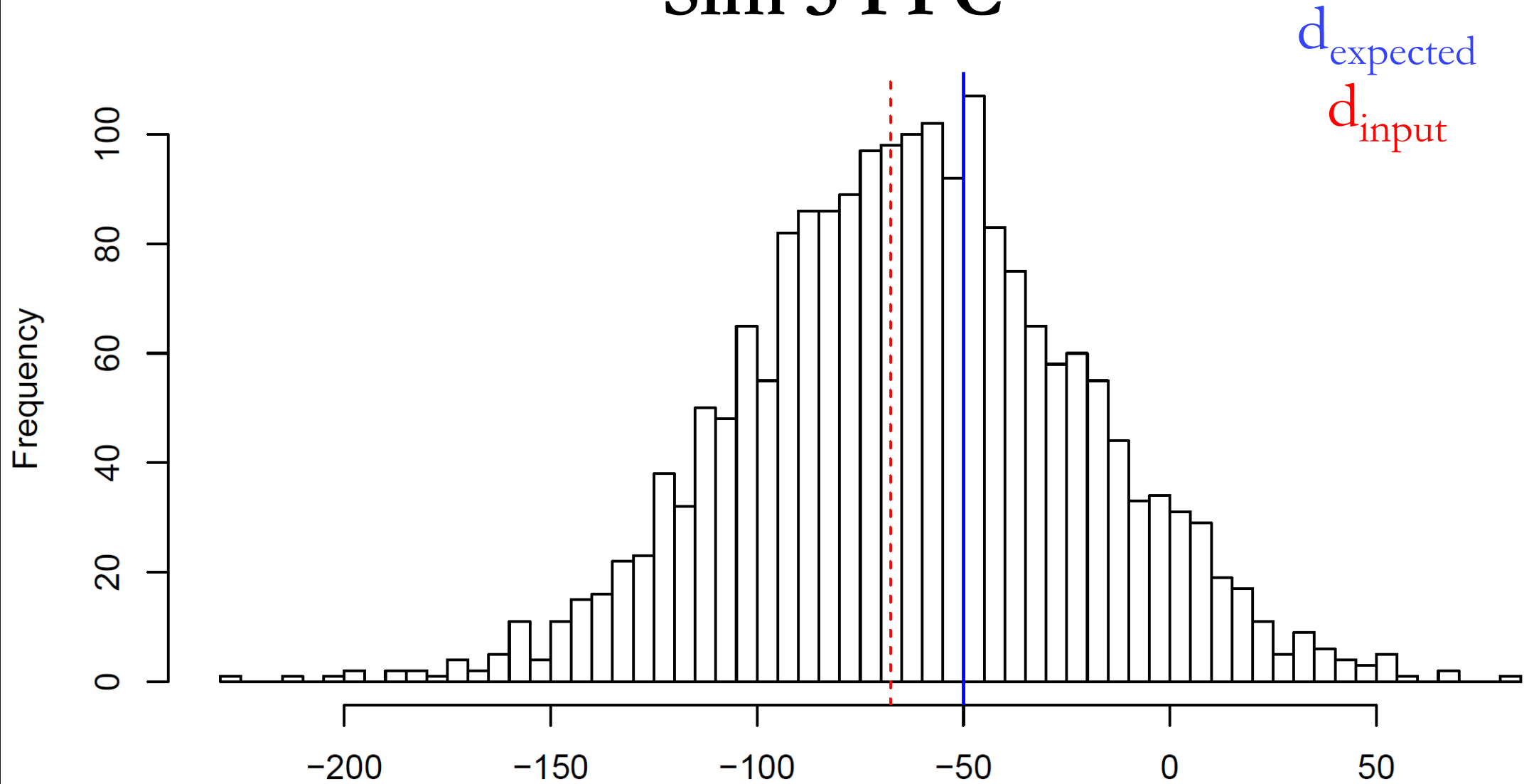


$$d = (\mu_{\text{Year1Removal}} - \mu_{\text{Year0Removal}}) - (\mu_{\text{Year1Control}} - \mu_{\text{Year0Control}})$$

Sim 5



Sim 5 PPC



$$d = (\mu_{\text{Year1Removal}} - \mu_{\text{Year0Removal}}) - (\mu_{\text{Year1Control}} - \mu_{\text{Year0Control}})$$

What's next?

- Different variances for removal vs. control islands
- Weakly informative priors on hyperparameters
- Use my new skills on an experiment that won't get crushed by a hurricane



Thanks!