# Phenological tracking in communities in stationary & non-stationary environments

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#### Abstract

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## OUTLINE

So, there's a pretty basic structure to what we want to walk through:

- 1. In stationary environments ...
  - (a) Describe R\* and how species with lower R\* always wins (intra-annual dynamics generally) ... need other axis of competition for coexistence
  - (b) Moving onto interannual variation: in temporally variable environments species with  $\tau_i$  closer to averae  $\tau_P$  should always win
  - (c) For variation in  $\tau_i$  to exist, need other axis of coexistence (such as  $R^*$ )
  - (d) But what if  $\tau_i$  is not a fixed species attribute? Introduce tracking...
  - (e) Then speices with higher  $\alpha$  should win
  - (f) Unless you have another axis of coexistence (such as  $R^*$  or  $\tau_i$ )
- 2. In nonstationary environments ... (need some help with phrasing)
  - (a) Earlier  $\tau_i$  is favored more (R\* versus  $\tau_i$  runs: previously these coexisted via a higher R\* and less ideal  $\tau_i$ )
  - (b) Tracking is favored more ... or effective  $\tau_i$  is really favored more ( $\tau_i$  vs.  $\alpha$  runs)
  - (c) Tracking is favored more ( $\alpha$  versus  $R^*$ )
- 3. But this all assumes that nonstationarity happens on only one dimension of the environment; just like species niches, the environment is multidimensional and nonstationarity in it may be multidimensional also.
  - (a) Show what happens when R0 get smallers as  $\tau_P$  gets earlier
- 4. And, we conclude.

## Phenology & Climate Change Paper

### ... below is from VarEnv\_notes

Possible titles: 'Phenological tracking: It's more complicated than you think' (we hope) or 'Phenological tracking: Is it naive?'

#### 1. Opening

- (a) Communities shifting due to climate change (species increasing and decreasing)
- (b) Phenology has been implicated in driving this
- (c) The theory goes that as seasons get earlier, earlier species win out over later species (don't get into tracking yet)
- (d) Yet no one to date has ever examined whether this hypothesis is supported through community coexistence theory and models
- (e) So here we provide the first test using a model that explicitly considers how within and between year dynamics can drive coexistence
- 2. Under this model climate change critically alters the environment in a couple ways
  - (a) Climate change...
    - i.  $\tau_P$  gets earlier (i.e., start of season gets earlier)
    - ii.  $R_0 \downarrow$  (e.g., in systems started by a pulse of water from snowpack)
    - iii.  $var(R_0) \uparrow$
    - iv.  $\epsilon \uparrow$  (i.e., it gets hotter and resources like water evaporate quicker)
  - (b) Of these, changes in  $\tau_P$  are aguably the most observed and should be most important to impacts on coexistence via phenology thus we focus on how shifts in  $\tau_P$  impact coexistence.
  - (c) We first examine the role of phenology in a stationary environment ... then to X, Y, Z.
- 3. Under a stationary environment what trade-off is required with tracking to allow coexistence?
  - (a) Two species (i, j) case
    - i. Vary  $\tau_P$  by drawing from a stationary distribution and let  $R^*$  and  $\alpha$  also vary by being drawn from each of their own (non-joint) distributions, run a bunch of models of 2 species communities and extract co-existing ones.
    - ii. Plot  $\frac{\alpha_i}{\alpha_j}$  (or, perhaps better: realized proximity to  $\tau_P$ ) by  $\frac{R_i^*}{R_j^*}$  for coexisting pairs of species (PhenTrackFig. 1, not currently shown here, see paper notes) we expect a cloud of space where coexistence is possible.
  - (b) Multi-species case

- i. (Similar to above) Vary  $\tau_P$  by drawing from a stationary distribution and let  $R^*$  and  $\alpha$  also vary by being drawn from each of their own (non-joint) distributions for a n > 2 set of species, and pull out coexisting species from each run.
- ii. Plot  $\alpha$  (or realized proximity to  $\tau_P$ ) against  $R^*$  for each community of coexisting species (PhenTrackFig. 2, not currently shown here, see paper notes), measure the correlation and the noise around it.
- iii. Examine the distribution of correlations (and maybe noise) for all communities (PhenTrackFig. 3, not currently shown here, see paper notes).
- 4. Under a non-stationary environment of earlier  $\tau_P$  how: (1) does this trade-off change and (2) do communities change?<sup>1</sup>
  - (a) Two species case: take the coexisting 2-species communities from part I and add nonstationarity in  $\tau_P$  and ...
    - i. see how long it takes to lose one species.
    - ii. see which ones persist longest and mark on PhenTrackFig. 1 (e.g., re-do PhenTrackFig. 1 with bubble plots or such for how long the two species persist together).
  - (b) Multi-species case: take the coexisting multi-species communities from part I and add nonstationarity in  $\tau_P$  and ...
    - i. stop at X timepoint and re-do PhenTrackFig. 2 and 3 to see how they have shiften (e.g., you may lose the middle species those that are not the best competitors nor the best trackers ...).
    - ii. extract time points when 10% and/or 50% of species are lost.
    - iii. extract when each species is lost in a community and order the species loss of PhenTrackFig. 2.
- 5. Are there environmental conditions under which tracking won't work as a strategy? (This is the section where we return to  $R_0$  and  $\epsilon$ , which we just mentioned earlier.
  - (a) Thinking about environmental correlations (e.g., spring gets earlier and drier or such), are there some where tracking will not be favored?
  - (b) Answer: Yes, probably whenever you shift the environment in another way (in addition to earlier  $\tau_P$ ) that does not impact the competitive dominant but does negatively impact the competitive inferior/tracker (See also Figure 1 below).
  - (c) So, for example if  $\tau_P$  gets earlier and  $R_0$  gets smaller then the trackers may decline.

<sup>&</sup>lt;sup>1</sup>Megan may have better notes on this section

## FIGURES

- 1. Real-world data showing stat/non-stationarity in environment (ideally  $\tau_P$ )
- 2. Real-world data showing tracking (and less tracking)
- 3.  $\tau_P$  vs. R\* trade-off and histogram of persisting  $\tau_i$  under stat/nonstat  $\tau_P$  environment
- 4. alpha vs. $\tau_i$  trade-off and histogram of persisting alpha under stat/nonstat  $\tau_P$  environment
- 5. alpha vs. R\* trade-off and histogram of persisting alpha under stat/nonstat  $\tau_P$  environment
- 6. time-series of one run showing years where  $\tau_i$  of one species is close to  $\tau_P$  and other years where  $\tau_i$  of other species is close to  $\tau_P$  (and show this shift under nonstat)
- 7. non-stationarity in R0 and  $\tau_P$