#### **S&T-1st C Programming Lab 8**

#### 2D Array

14 March 2025 Friday 6:50pm

### **Assignment 1**

Unzip lab8.zip sent to you by email attachment. The content in **image.c** is related to a digitized image of an English letter. The image is composed of 8x8 small rectangles, and the content of each rectangle is a digit representing the light intensity. Assume that the range of the light intensity in the image is unknown.

(In our scale of light intensity, 0 represents no light (completely dark), and the light intensity increases or the rectangle becomes brighter for a larger value.)

What you have to do is to complete the program to convert the digitized image to a binary image and display the English letter on the screen. The following steps should be followed.

(i) Write a function to compute the threshold for constructing a binary image based on the contents of digitized image. The function header is given as follows:

float computeThreshold (int image[8][8])

This function will first find the maximum (max) and the minimum (min) values of the light intensity from the 64 rectangles and return  $\frac{(\text{max} + \text{min})}{2}$  to its caller.

(ii) Write a function to convert the digitized image to a binary image based on a threshold value. The function header is given as follows.

void convertToBinaryImage (int image[8][8], float threshold)

This function will change the light intensity for all the rectangles to either 0 (dark) or 1 (bright).

1

#### Suggested algorithm:

```
for each row
  for each rectangle in the row
{
   if the light intensity of this rectangle > threshold
     change that intensity to 1 (bright);
   else
     change that intensity to 0 (dark);
}
```

(iii) Write a main function that declares an int-array of dimension 8x8, and initializes the array by the digitized values. The main function will call the first function to compute the threshold for constructing the binary image, and call the second function to convert the digitized image to a binary image based on the threshold value. Finally, the main function will display the binary image on the screen by the following suggested algorithm:

```
for each row
{
    print a new line;
    for each rectangle in the row
    {
        if the binary value of this rectangle is 1
            print a rectangle (ASCII code = 219);
        else
            print a space to skip the rectangle;
    }
}
```

On the screen we should see a capital T.



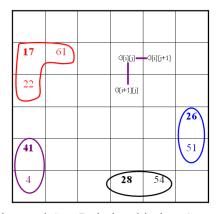
## Use debugger whenever in doubt !!

### **Assignment 2**

Given  $n \times n$  unsorted data. Let **G** represent a square grid, where G[i][j] refers to the data on the grid location (i, j),  $0 \le i \le n$ , and  $0 \le j \le n$ . The root of grid/sub-grid refers to the left-top corner data on the grid/sub-grid region. The sons of G[i][j] refer to G[i][j+1] and G[i+1][j] if they exist. **G** is said to have heap property if for each G[i][j],  $G[i][j] \le G[i][j+1]$  if G[i][j+1] exists, and  $G[i][j] \le G[i+1][j]$  if G[i+1][j] exists. Assume n = 6, and **G** is loaded with random data initially.

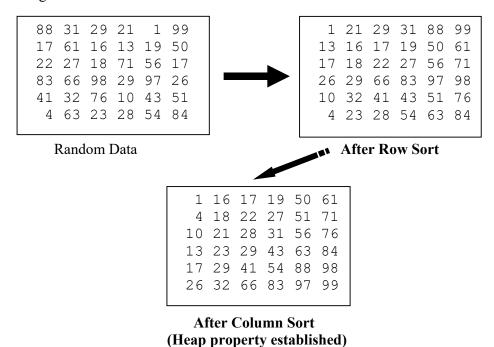
	j=0	j=1	j=2	j=3	j=4	j=5
i=0	88	31	29	21	1	99
i=1	17	61	16	13	19	50
i=2	22	27	18	71	56	17
i=3	83	66	98	29	97	26
i=4	41	32	76	10	43	51
i=5	4	63	23	28	54	84

Initial Grid Contents with Random Data



The Father-and-Son Relationship in a Square Grid

The heap property in the square grid can be established by a pre-processing procedure where each row in **G** is sorted in ascending order, followed by each column in ascending order.



But G is said to be sorted only if  $G[0][0] \le G[0][1] \le ... \le G[0][n-1] \le G[1][0] \le G[1][1] \le ... \le G[1][n-1] \le ... \le G[i][0] \le .... \le G[i][n-1] \le G[i+1][0] \le ... \le G[n-1][n-1]$ . After the pre-processing procedure is performed, the data in the square

grid is not sorted yet. The following data interchange and heap restoration procedure is able to arrange the data on **G** in ascending order.

For each data on  $(i_1, j_1)$ ,  $0 \le i_1 \le n-2$ ,  $1 \le j_1 \le n-1$ , we move the data on G to their besorted location, which is the grid location the value should be placed, in row-wise order from the left-top corner to the right-bottom corner. To insert a sorted data to  $(i_1, j_1)$  we have to compare  $G[i_1][j_1]$  and  $G[i_1+1][0]$ . Data interchange is required if these two data are not in order, followed by the heap restoration of the affected subgrid. To restore the heap property, we first restore the heap property of a cell of 3 data, which consists of the new data, denoted by u, at the root of the affected sub-grid and the two sons of u (or one son for boundary condition). Such a cell restoration is performed recursively until no data interchange is required.

```
21 28 31
                13 23 29 43 63 84
                17 29 41 54 88 98
               26 32 66 83 97 99
            G[0][1] and G[1][0] are compared.
                       17 19 50 61
                   23 29 43 63
                17 29 41 54 88 98
                26 32 66 83 97 99
           G[0][1] and G[1][0] are exchanged.
       17 19 50 61
                                          17 19 50 61
                                   10 18 22 27
10 18 22
                                   13 21 28 31 56 76
       28
                                             43 63 84
   29
       41
           54
               88
                                   26 32 66 83 97 99
26 32 66 83 97 99
Heap restoration continues ...
                                  Heap restoration for G[0][1] is
                                  completed as no interchange of
                                  data is needed.
               Once the data interchange and heap
               restoration is completed for G[0][1],
              we have to do the same for G[0][2] and
                           so on.
```

```
1 4 17 19 50 61

10 18 22 27 51 71

13 21 28 31 56 76

16 23 29 43 63 84

17 29 41 54 88 98

26 32 66 83 97 99

G[0][2] and G[1][0] are compared.

1 4 10 13 16 17

17 18 19 21 22 23

26 27 28 29 29 31

32 41 43 50 51 54

56 61 63 66 71 76

83 84 88 97 98 99

Sorted Data
```

Unzip lab8.zip to complete the program named as **gridsort.c** to sort 64 random numbers in an 8x8 integer array. Check the contents of grid after each procedure is performed. If your program runs correctly, the screen output will be as shown on the right:

What is the time complexity of this Square Grid Sort Algorithm to sort n random data where n is a square number?

Raw Data:											
94	3	98	164	92	34	163	174				
2	199	34	82	28	190	141	24				
17 97	139 49	$\begin{array}{c} 151 \\ 183 \end{array}$	$\begin{array}{c} \textbf{78} \\ \textbf{183} \end{array}$	6 90	$\begin{array}{c} 183 \\ 108 \end{array}$	128 53	111 76				
163	55	31	165	191	71	115	173				
15	24	155	176	22	86	102	23				
109	188	163	94	163	46	158	117				
90	156	82	34	55	126	20	78				
Checksum = 6420											
After	row s	ort:									
3	34	92	94	98	163	164	174				
2	24	28	34	82	141	190	199				
6	17 53	78	111 90	128	139 108	$\begin{array}{c} 151 \\ 183 \end{array}$	$\begin{array}{c} 183 \\ 183 \end{array}$				
49 31	53 55	76 71	115	97 163	165	183 173	191				
15	22	23	24	86	102	155	176				
46	94	109	117	158	163	163	188				
20	34	55	78	82	90	126	156				
Checks	Checksum = 6420										
After	colum	n sor	t:								
2	17	23	24	82	90	126	156				
3	22	28	34	82	102	151	174				
46	24	55	78	86	108	155	176				
15 20	34 34	71 76	90 94	97 98	139 141	$\begin{array}{c} 163 \\ 164 \end{array}$	$\begin{array}{c} 183 \\ 183 \end{array}$				
31	53	78	111	128	163	173	188				
46	55	92	115	158	163	183	191				
49	94	109	117	163	165	190	199				
Checksum = 6420											
After	inter	chang	e and	rest	orati	on:					
2	3	6	15	17	20	22	23				
24	24	28	31	34	34	34	46				
49	53	55	55	71	76	78	78				
82 97	82 98	86 102	90 108	90 109	92 111	94 115	94 117				
126	128	139	141	151	155	156	158				
163	163	163	163	164	165	173	174				
176	183	183	183	188	190	191	199				
Checksum = 6420 sorted											
Press	any k	ey to	cont	inue		-					

# Use debugger whenever in doubt !!